107. Binary Tree Level Order Traversal II

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Given a binary tree, return the bottom-up level order traversal of its nodes' values. (ie, from left to right, level by level from leaf to root).

For example: Given binary tree [3,9,20,null,null,15,7],

return its bottom-up level order traversal as:

```
3
/ \
9 20
 / \
15 7
```

```
[15,7],
[9,20],
[3]
```

How to traverse the tree

Solution

There are two general strategies to traverse a tree:

Depth First Search (DFS)

In this strategy, we adopt the depth as the priority, so that one would start from a root and reach all the way down to a certain leaf, and then back to root to reach another branch.

The DFS strategy can further be distinguished as preorder, inorder, and postorder depending on the relative order among the root node, left node, and right node.

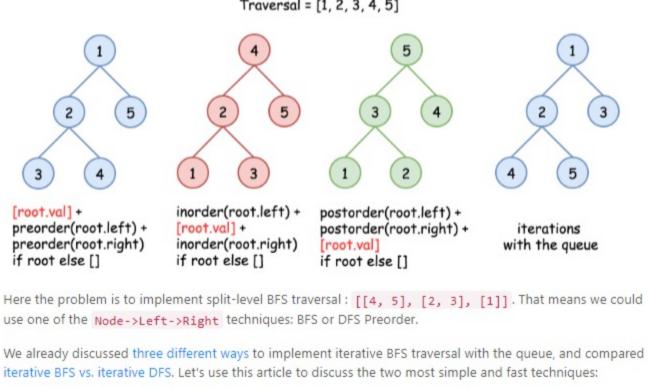
 Breadth First Search (BFS) We scan through the tree level by level, following the order of height, from top to bottom. The nodes

In the following figure the nodes are enumerated in the order you visit them, please follow 1-2-3-4-5 to compare different strategies. DFS Preorder DFS Inorder DFS Postorder

Traversal = [1, 2, 3, 4, 5]

Node -> Left -> Right Left -> Node -> Right Left -> Right -> Node Node -> Left -> Right

on a higher level would be visited before the ones on lower levels.



Recursive DFS.

Note, that both approaches are root-to-bottom traversals, and we're asked to provide bottom-up output. To achieve that, the final result should be reversed.

Approach 1: Recursion: DFS Preorder Traversal

· Iterative BFS with two queues.

The first step is to ensure that the tree is not empty. The second step is to implement the recursive function helper(node, level), which takes the current node and its level as the arguments.

Initialize the output list levels. The length of this list determines which level is currently updated. You should compare this level len(levels) with a node level level, to ensure that you add the node on

Algorithm for the Recursive Function

1).

Here is its implementation:

Intuition

the correct level. If you're still on the previous level - add the new level by adding a new list into levels. Append the node value to the last level in levels.

Process recursively child nodes if they are not None: helper(node.left / node.right, level +

Implementation

def levelOrderBottom(self, root: TreeNode) -> List[List[int]]:



Сору

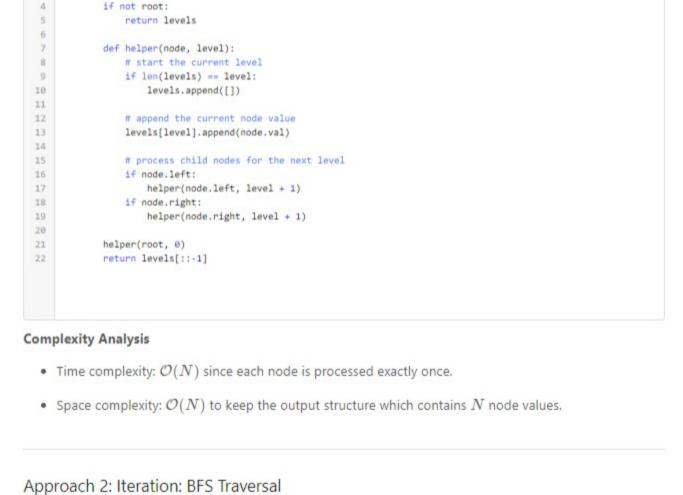
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Java Python 1 class Solution:

levels = []

levels = []



Algorithm

Algorithm

The recursion above could be rewritten in the iteration form. Let's keep each tree level in the queue structure, which typically orders elements in a FIFO (first-in-first-out) manner. In Java one could use ArrayDeque implementation of the Queue interface. In Python using

fast atomic append() and popleft() is deque.

 While nextLevel queue is not empty: Initialize the current level currevel = nextLevel, and empty the next level nextLevel. Iterate over the current level queue:

Initialize two queues: one for the current level, and one for the next. Add root into nextLevel queue.

Queue structure would be an overkill since it's designed for a safe exchange between multiple threads and hence requires locking which leads to a performance downgrade. In Python the queue implementation with a

 Add first left and then right child node into nextLevel queue. Return reversed levels.

levels = []

next_level = deque([root])

for node in curr_level:

Implementation

10

11 12

13

14

- Java Python 1 class Solution: def levelOrderBottom(self, root: TreeNode) -> List[List[int]]:
 - while root and next_level: curr_level = next_level next_level = deque() levels.append([])

process child nodes for the next level

append the current node value

levels[-1].append(node.val)

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Append the node value to the last level in levels.

15 if node.left: 16 next_level.append(node.left) if node.right: 17 18 next_level.append(node.right) 19 20 return levels[::-1] **Complexity Analysis** • Time complexity: $\mathcal{O}(N)$ since each node is processed exactly once. • Space complexity: $\mathcal{O}(N)$ to keep the output structure which contains N node values. Rate this article: * * * * 3 Previous Next **1** Comments: 6 Sort By ▼

