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Given a 2D board and a word, find if the word exists in the grid. The word can be constructed from letters of sequentially adjacent cell, where "adjacent" cells are those

79. Word Search

Jan. 26, 2020 | 42.6K views

Example:

horizontally or vertically neighboring. The same letter cell may not be used more than once.

board =

```
['A','B','C','E'],
   ['S','F','C','S'],
    ['A','D','E','E']
 Given word = "ABCCED", return true.
 Given word = "SEE", return true.
 Given word = "ABCB", return false.
Constraints:
```

board and word consists only of lowercase and uppercase English letters.

Solution

• 1 <= board.length <= 200

• 1 <= word.length <= 10^3

1 <= board[i].length <= 200

Approach 1: Backtracking

Robot Room Cleaner. Many people in the discussion forum claimed that the solution is of **DFS** (Depth-First Search). Although it is

Intuition

We argue that a more accurate term to summarize the solution would be backtracking, which is a methodology where we mark the current path of exploration, if the path does not lead to a solution,

nature of the solution.

Algorithm

in our Explore card of Recursion II.

altered, to one's preference.

result of the exploration.

As the general idea for the solution, we would walk around the 2D grid, at each step we mark our choice

could have a clean slate to try another direction. In addition, the exploration is done via the DFS strategy,

Searching for word "ABBA"

we then revert the change (i.e. backtracking) and try another path.

where we go as further as possible before we try the next direction.

С

This problem is yet another 2D grid traversal problem, which is similar with another problem called 489.

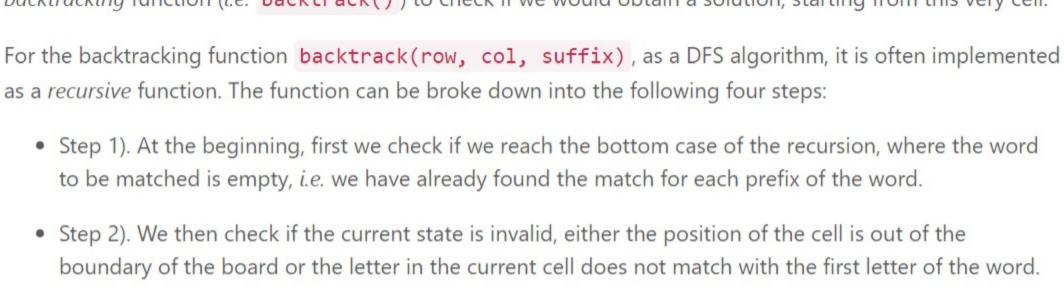
true that we would explore the 2D grid with the DFS strategy for this problem, it does not capture the entire

before jumping into the next step. And at the end of each step, we would also revert our marking, so that we

C С

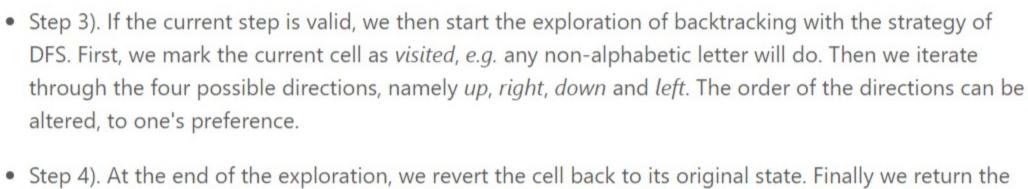
The skeleton of the algorithm is a loop that iterates through each cell in the grid. For each cell, we invoke the backtracking function (i.e. backtrack()) to check if we would obtain a solution, starting from this very cell.

There is a certain code pattern for all the algorithms of backtracking. For example, one can find one template



We demonstrate how it works with an example in the following animation.

C



2

С С С С С

Searching for word "ABBA": DFS

1. Find the first matching letter: A

Python Java

> :rtype: bool self.ROWS = len(board)self.COLS = len(board[0]) self.board = board for row in range(self.ROWS): for col in range(self.COLS):

> > return False

if len(suffix) == 0:

return True

:type word: str

def exist(self, board, word):

:type board: List[List[str]]

return True

class Solution(object):

1

2 3 4

5

6 7 8

9

10 11

12

13 14

15

16 17

18 19 20

21

22 23

24

25 26

27

Notes

are behind those choices.

Python

Java

1 2

3 4

5

6

22

23 24

25

26 27 cleanup before returning.

Here is what the alternative solution might look like.

def backtrack(self, row, col, suffix):

return True

self.board[row][col] = suffix[0]

Tried all directions, and did not find any match

some "side-effect", i.e. the matched letters in the original board would be altered to #.

revert the marking

it within the function.

Preview

SHOW 1 REPLY

class Solution:

NeosDeus ★ 268 ② February 26, 2020 11:35 PM

Haomin0817 ★ 30 ② February 4, 2020 8:38 AM

43 A V Share Reply

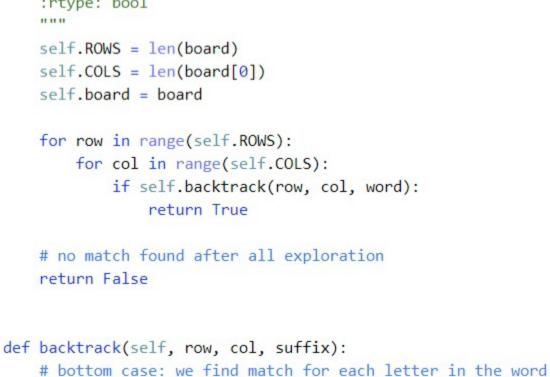
The quality of these articles are getting better and better. Very well written!

I hope this is more understandable for some people since I am a beginner.

would not be valid.

Complexity Analysis

backtracking with side-effect,





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Сору

Post

There are a few choices that we made for our backtracking algorithm, here we elaborate some thoughts that

Instead of returning directly once we find a match, we simply break out of the loop and do the

Check the current status, before jumping into backtracking if row < 0 or row == self.ROWS or col < 0 or col == self.COLS \

7 # bottom case: we find match for each letter in the word 8 if len(suffix) == 0: return True 9 10 # Check the current status, before jumping into backtracking 11 12 if row < 0 or row == self.ROWS or col < 0 or col == self.COLS \ 13 or self.board[row][col] != suffix[0]: return False 14 15 16 # mark the choice before exploring further. 17 self.board[row][col] = '#' # explore the 4 neighbor directions 18 for rowOffset, colOffset in [(0, 1), (-1, 0), (0, -1), (1, 0)]: 19 20 # sudden-death return, no cleanup. 21 if self.backtrack(row + rowOffset, col + colOffset, suffix[1:]):

As once notices, we simply return True if the result of recursive call to backtrack() is positive. Though

this minor modification would have no impact on the time or space complexity, it would however leave with

Instead of doing the boundary checks before the recursive call on the backtrack() function, we do

This is an important choice though. Doing the boundary check within the function would allow us to reach

the bottom case, for the test case where the board contains only a single cell, since either of neighbor indices

the matched letter in the board would be marked with "#".

ullet Time Complexity: $\mathcal{O}(N\cdot 4^L)$ where N is the number of cells in the board and L is the length of the word to be matched. o For the backtracking function, its execution trace would be visualized as a 4-ary tree, each of the branches represent a potential exploration in the corresponding direction. Therefore, in the worst case, the total number of invocation would be the number of nodes in a full 4-nary tree, which is about 4^L . \circ We iterate through the board for backtracking, i.e. there could be N times invocation for the backtracking function in the worst case. \circ As a result, overall the time complexity of the algorithm would be $\mathcal{O}(N\cdot 4^L)$. ullet Space Complexity: $\mathcal{O}(L)$ where L is the length of the word to be matched. o The main consumption of the memory lies in the recursion call of the backtracking function. The maximum length of the call stack would be the length of the word. Therefore, the space complexity of the algorithm is $\mathcal{O}(L)$. Rate this article: * * * * * O Previous Next 👀 Comments: 18 Sort By ▼ Type comment here... (Markdown is supported)

