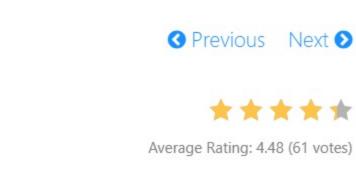
142. Linked List Cycle II

Dec. 7, 2017 | 56.4K views



Given a linked list, return the node where the cycle begins. If there is no cycle, return null.

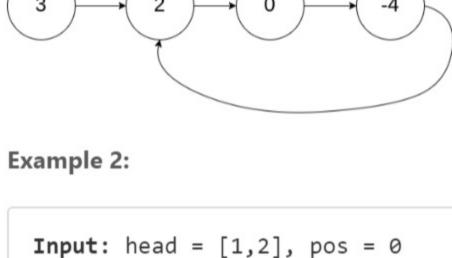
To represent a cycle in the given linked list, we use an integer pos which represents the position (0indexed) in the linked list where tail connects to. If pos is -1, then there is no cycle in the linked list.

Note: Do not modify the linked list.

Input: head = [3,2,0,-4], pos = 1

Example 1:

Output: tail connects to node index 1 Explanation: There is a cycle in the linked list, where tail connects to the second no



Output: tail connects to node index 0

Explanation: There is a cycle in the linked list, where tail connects to the first not Example 3:

Input: head = [1], pos = -1 Output: no cycle Explanation: There is no cycle in the linked list.

Follow-up: Can you solve it without using extra space?

Intuition

duplicate node.

Algorithm

Approach 1: Hash Table

while node is not None:

if node in visited:

runtime is linear in the number of nodes.

Approach 2: Floyd's Tortoise and Hare

the fast runner will catch up to the slow runner from behind.

First, we allocate a Set to store ListNode references. Then, we traverse the list, checking visited for containment of the current node. If the node has already been seen, then it is necessarily the entrance to the

instead. Otherwise, the if condition will never be satisfied, and our function will return null. The algorithm necessarily terminates for any list with a finite number of nodes, as the domain of input lists can be divided into two categories: cyclic and acyclic lists. An acyclic list resembles a null -terminated chain

some previous node. If the while loop terminates, we return null, as we have traversed the entire list

without encountering a duplicate reference. In this case, the list is acyclic. For a cyclic list, the while loop

cycle. If any other node were the entrance to the cycle, then we would have already returned that node

If we keep track of the nodes that we've seen already in a **Set**, we can traverse the list and return the first

of nodes, while a cyclic list can be thought of as an acyclic list with the final **null** replaced by a reference to

will never terminate, but at some point the if condition will be satisfied and cause the function to return. 🖺 Сору Python Java class Solution(object): def detectCycle(self, head): visited = set() node = head

return node visited.add(node) 10 node = node.next 11 12 13 return None **Complexity Analysis** • Time complexity : O(n)For both cyclic and acyclic inputs, the algorithm must visit each node exactly once. This is transparently obvious for acyclic lists because the nth node points to null, causing the loop to terminate. For cyclic

lists, the if condition will cause the function to return after visiting the nth node, as it points to some

node that is already in visited. In both cases, the number of nodes visited is exactly n, so the

For both cyclic and acyclic inputs, we will need to insert each node into the **Set** once. The only

difference between the two cases is whether we discover that the "last" node points to null or a previously-visited node. Therefore, because the $\begin{tabular}{c} \textbf{Set} \end{tabular}$ will contain n distinct nodes, the memory

footprint is linear in the number of nodes.

• Space complexity : O(n)

Algorithm Floyd's algorithm is separated into two distinct *phases*. In the first phase, it determines whether a cycle is present in the list. If no cycle is present, it returns **null** immediately, as it is impossible to find the entrance to a nonexistant cycle. Otherwise, it uses the located "intersection node" to find the entrance to the cycle.

What happens when a fast runner (a hare) races a slow runner (a tortoise) on a circular track? At some point,

Here, we initialize two pointers - the fast hare and the slow tortoise. Then, until hare can no longer advance, we increment tortoise once and hare twice. If, after advancing them, hare and tortoise

entrance to the cycle, so we return it.

following:

Python

class Solution(object):

def getIntersect(self, head):

tortoise = head

hare = head

return None

def detectCycle(self, head):

return None

if intersect is None:

return None

if head is None:

Java

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Complexity Analysis

• Time complexity : O(n)

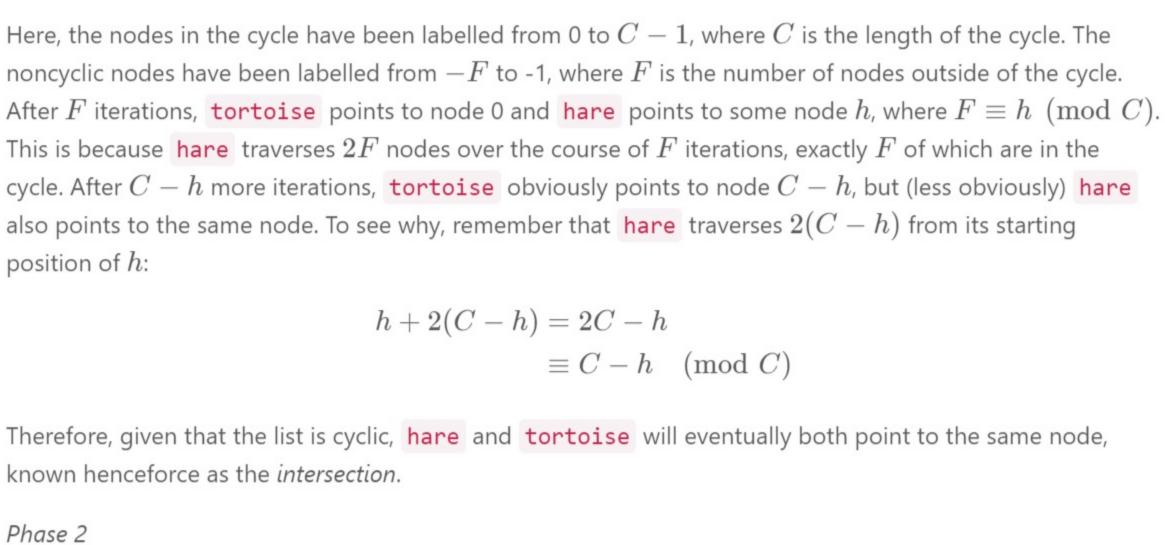
point to the same node, we return it. Otherwise, we continue. If the while loop terminates without

Phase 1

Intuition

To see why this works, consider the image below: Phase 1

returning a node, then the list is acyclic, and we return **null** to indicate as much.



a first list head F intersection (node -F) (node h) cycle entrance (node 0)

We can harness the fact that hare moves twice as quickly as tortoise to assert that when hare and

 $2 \cdot distance(tortoise) = distance(hare)$

Because F=b, pointers starting at nodes h and 0 will traverse the same number of nodes before meeting.

2(F+a) = F+a+b+a

2F + 2a = F + 2a + b

F = b

tortoise meet at node h, hare has traversed twice as many nodes. Using this fact, we deduce the

Given that phase 1 finds an intersection, phase 2 proceeds to find the node that is the entrance to the cycle.

To do so, we initialize two more pointers: ptr1, which points to the head of the list, and ptr2, which points

to the intersection. Then, we advance each of them by 1 until they meet; the node where they meet is the

Use the diagram below to help understand the proof of this approach's correctness.

To see the entire algorithm in action, check out the animation below: Phase 1

A fast pointer will either loop around a cycle and meet the slow

If there is a cycle, the fast/slow pointers will intersect at some

node. Otherwise, there is no cycle, so we cannot find an entrance to

To find the entrance to the cycle, we have two pointers traverse at

Phase 2 runs for F < n iterations, so it also runs in O(n) time.

For cyclic lists, hare and tortoise will point to the same node after F+C-h iterations, as

For acyclic lists, hare will reach the end of the list in roughly $\frac{n}{2}$ iterations, causing the function to

demonstrated in the proof of correctness. $F + C - h \le F + C = n$, so phase 1 runs in O(n) time.

pointer or reach the `null` at the end of a non-cyclic list.

while hare is not None and hare.next is not None:

tortoise = tortoise.next

return tortoise

intersect = self.getIntersect(head)

But the method still works well.

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since F may be very large, but b may be very small.

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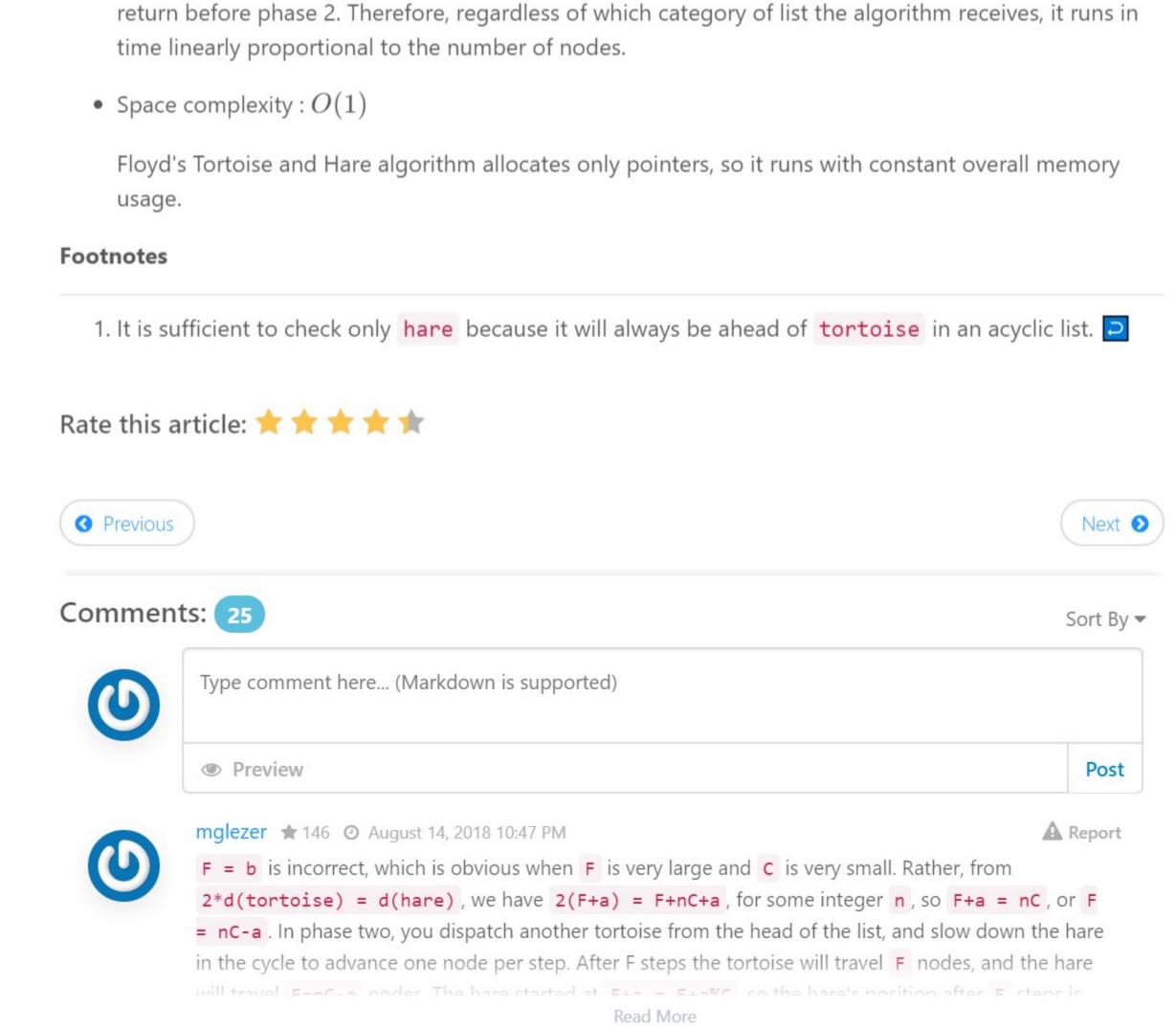
"Node"?

hare = hare.next.next

if tortoise == hare:

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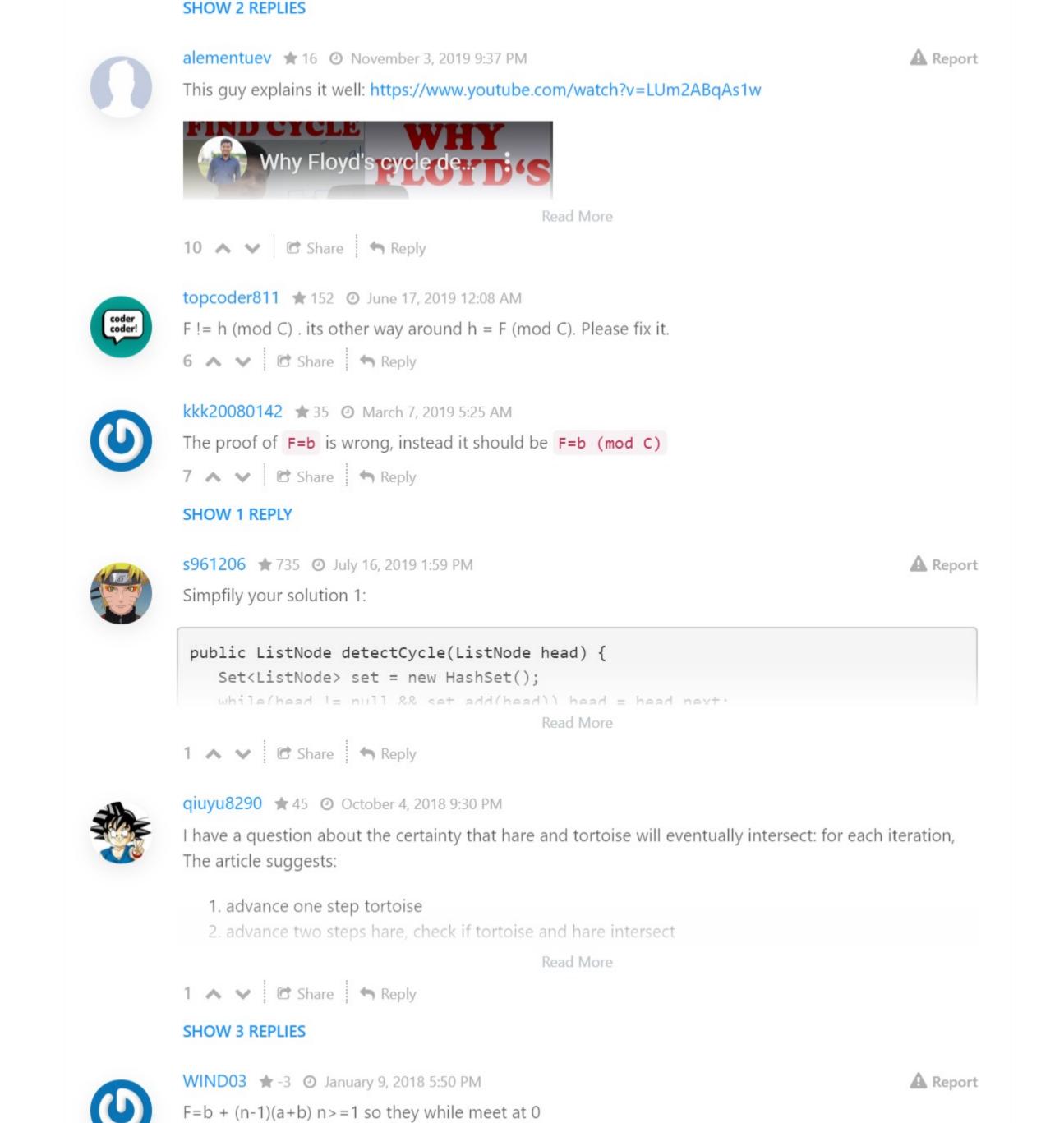
Сору



I don't think this solution is faithfulness enough. The F should be equals to nC+b, (n>=0)rather than b,

Please, fix your output statement in the description....I felt like I need to output a string.

Why do you put something like "Output: tail connects to node index 0" when you actually want





thx for writing this article.

perfect guide for me.

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