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532. K-diff Pairs in an Array

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Given an array of integers and an integer k, you need to find the number of unique k-diff pairs in the array. Here a k-diff pair is defined as an integer pair (i, j), where i and j are both numbers in the array and their absolute difference is k.

Example 1:

```
Input: [3, 1, 4, 1, 5], k = 2
 Output: 2
 Explanation: There are two 2-diff pairs in the array, (1, 3) and (3, 5).
 Although we have two 1s in the input, we should only return the number of unique pairs
Example 2:
```

```
Input: [1, 2, 3, 4, 5], k = 1
Output: 4
Explanation: There are four 1-diff pairs in the array, (1, 2), (2, 3), (3, 4) and (4,
```

```
Example 3:
 Input: [1, 3, 1, 5, 4], k = 0
```

```
Output: 1
 Explanation: There is one 0-diff pair in the array, (1, 1).
Note:
```

1. The pairs (i, j) and (j, i) count as the same pair.

- The length of the array won't exceed 10,000. All the integers in the given input belong to the range: [-1e7, 1e7].

Overview: Approach 1 exhibits a naive way to tackle this problem by checking all possible pairs. Approach 2 improves the time complexity of approach 1 by using left and right pointers. Approach 3 uses Hashmap and

Solution

is the fastest of all three approaches. Approach 1: Brute Force

The most naive way to tackle this problem is to sort the array and check every possible pair. We can have two

loops, one loop fixing at one number while the other looping going over every number after that fixed

Intuition

number, to check every possible pair. One thing that we have to be aware of is to make sure that we don't repeatedly count the duplicate pairs. To do so, we will have to check whether the current number that we are looking at is the same as the previous number. If the current number is the same as the previous number, whether we are in the outer loop or the inner loop, we can just continue to the next number. If the difference between the pair that we are looking is the same as k, we increment our placeholder variable, result.

For nums = [2,5,1,2,8,1,3,5,7,1] and k = 2: Implementation

Java Python3

```
1 class Solution:
         def findPairs(self, nums, k):
             s_nums = sorted(nums)
             result = 0
             for i in range(len(s_nums)):
  9
                 if (i > 0 \text{ and } s_nums[i] == s_nums[i - 1]):
  10
                for j in range(i + 1, len(s_nums)):
  11
                     if (j > i + 1 and s_nums[j] == s_nums[j - 1]):
  13
                         continue
  14
  15
                     if abs(s_nums[j] - s_nums[i] == k):
                         result += 1
  17
  18
             return result
Complexity Analysis
```

complexity is $O(N \log N) + O(N^2) \approx O(N^2)$.

 Space complexity: O(N) where N is the size of nums. This space complexity is incurred by the sorting algorithm. Space complexity is bound to change depending on the sorting algorithm you use. There is no additional space required for the part with two for loops, apart from a single variable result. Therefore, the final space complexity is $O(N) + O(1) \approx O(N)$.

• Time complexity : $O(N^2)$ where N is the size of nums . The time complexity for sorting is $O(N \log N)$ while the time complexity for going through ever pair in the nums is $O(N^2)$. Therefore, the final time

Addendum: We can also approach this problem using brute force without sorting nums . First, we have to create a hash set which will record pairs of numbers whose difference is k. Then, we look for every possible pair. As soon as we find a pair (say i and j) whose difference is k, we add (i, j) and (j, i) to the hash set and increment our placeholder result variable. Whenever we encounter another pair which is

already in the hash set, we simply ignore that pair. By doing so we have a better practical runtime (since we are eliminating the sorting step) even though the time complexity is still $O(N^2)$ where N is the size of nums . Approach 2: Two Pointers Intuition

have two pointers to point the left number and right number that should be checked in a sorted array.

First, we have to initialize the left pointer to point the first element and the right pointer to point the second

Take the difference between the numbers which left and right pointers point. 1. If it is less than k, we increment the right pointer.

We can do better than quadratic runtime in Approach 1. Rather than checking for every possible pair, we can

2. If it is greater than k, we increment the left pointer. 3. If it is exactly k, we have found our pair, we increment our placeholder result and increment left pointer.

o If left and right pointers are pointing to the same number, we increment the right pointer too.

The idea behind the behavior of incrementing left and right pointers in the manner above is similar to:

incremented left pointer points to the number which is equal to the previous number.

pointers is more than k (i.e. the range is too large).

element of nums array. The way we are going to move the pointers is as follows:

pointers is less than k (i.e. the range is too small). o Therefore, we extend the range (by incrementing the right pointer) when left and right pointer are pointing to the same number.

Contracting the range between left and right pointers when the difference between left and right

Extending the range between left and right pointers when the difference between left and right

This is the core of the idea but there is another issue which we have to take care of to make everything work correctly. We have to make sure duplicate pairs are not counted repeatedly. In order to do so, whenever we have a pair whose difference matches with k, we keep incrementing the left pointer as long as the

Implementation **Сору** Java Python3

nums = sorted(nums) 5 left = 0

def findPairs(self, nums: List[int], k: int) -> int:

1 class Solution:

For nums = [2,5,1,2,8,1,3,5,7,1] and k = 2:

```
right = 1
  9
            result = 0
  10
            while (left < len(nums) and right < len(nums)):
  11
              if (left == right or nums[right] - nums[left] < k):
  13
                   # List item 1 in the text
  14
                   right += 1
 15
              elif nums[right] - nums[left] > k:
                   # List item 2 in the text
  17
                    left += 1
  18
               else:
                   # List item 3 in the text
 19
                   left += 1
  21
                    result += 1
  22
                    while (left < len(nums) and nums[left] == nums[left - 1]):
 23
                        left += 1
  25
            return result
Complexity Analysis
  • Time complexity : O(N \log N) where N is the size of nums . The time complexity for sorting is
     O(N \log N) while the time complexity for going through nums is O(N). One might mistakenly think
     that it should be O(N^2) since there is another while loop inside the first while loop. The while
     loop inside is just incrementing the pointer to skip numbers which are the same as the previous
     number. The animation should explain this behavior clearer. Therefore, the final time complexity is
     O(N \log N) + O(N) \approx O(N \log N).
   • Space complexity : O(N) where N is the size of nums. Similar to approach 1, this space complexity is
```

algorithm you use. There is no additional space required for the part where two pointers are being incremented, apart from a single variable result. Therefore, the final space complexity is O(N) + $O(1) \approx O(N)$. Approach 3: Hashmap Intuition

This method removes the need to sort the nums array. Rather than that, we will be building a frequency hash map. This hash map will have every unique number in nums as keys and the number of times each

incurred by the sorting algorithm. Space complexity is bound to change depending on the sorting

For example: nums = [2,4,1,3,5,3,1], k = 3

number shows up in nums as values.

2: 1, 3: 2,

Then we look at the next key in the hash map.

def findPairs(self, nums, k):

if k > 0 and x + k in counter:

result += 1

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Implementation

3 class Solution:

9

10

11

$hash_map = \{1: 2,$

4: 1, 5: 1} Next, we look at a key (let's call x) in the hash map and ask whether:

There is a key in the hash map which is equal to x+k IF k > 0.

- For example, if a number in nums is 1 (x=1) and k is 3, you would need to have 4 to satisfy this condition (thus, we need to look for 1+3 = 4 in the hash map). Using addition to look for a complement pair has the advantage of not double-counting the same pair, but in reverse order (i.e. if we have found a pair (1,4), we won't be counting (4,1)). There is more than one occurrence of x IF k = 0. • For example, if we have nums = [1,1,1,1] and k = 0, we have one unique (1,1) pair. In this case, our hash map will be {1: 4}, and this condition is satisfied since we have more than one occurrence of number 1.
- Java Python3 1 from collections import Counter

If we can satisfy either of the above conditions, we can increment our placeholder result variable.

result = 0 counter = Counter(nums) for x in counter:

Сору

```
elif k == 0 and counter[x] > 1:
 13
                   result += 1
            return result
  14
Complexity Analysis

    Time complexity: O(N) where N is numbers in nums. It takes O(N) to create an initial frequency

     hash map and another O(N) to traverse the keys of that hash map. One thing to note about is the
     hash key lookup. The time complexity for hash key lookup is O(1) but if there are hash key collisions,
     the time complexity will become O(N). However those cases are rare and thus, the amortized time
     complexity is O(2N) \approx O(N).
  • Space complexity : O(M) where M is the number of unique numbers in nums.
```

