

270. Closest BST Value

↗

July 11, 2019

|

28.3K views

Previous

Next

★★★★★

Average Rating: 4.50 (16 votes)

Given a non-empty binary search tree and a target value, find the value in the BST that is closest to the target.

Note:

- Given target value is a floating point.
- You are guaranteed to have only one unique value in the BST that is closest to the target.

Example:

Input: root = [4,2,5,1,3], target = 3.714286

4

/ \

2 5

/ \

1 3

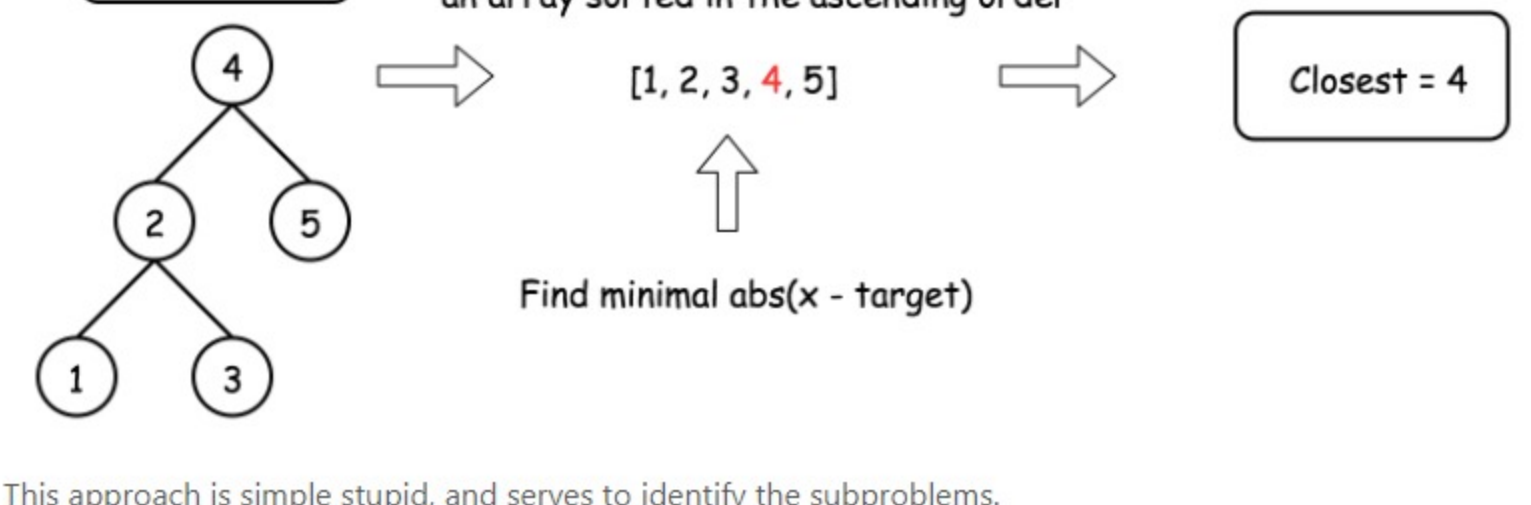
Output: 4

Solution

Approach 1: Recursive Inorder + Linear search, $O(N)$ time

Intuition

The simplest approach (3 lines in Python) is to build inorder traversal and then find the closest element in a sorted array with built-in function `min`.



This approach is simple stupid, and serves to identify the subproblems.

Algorithm

- Build an inorder traversal array.
- Find the closest to target element in that array.

Implementation

Java

Python

Copy

```

1 class Solution:
2     def closestValue(self, root: TreeNode, target: float) -> int:
3         def inorder(r: TreeNode):
4             return inorder(r.left) + [r.val] + inorder(r.right) if r else []
5
6         return min(inorder(root), key = lambda x: abs(target - x))

```

Complexity Analysis

- Time complexity: $O(N)$ because to build inorder traversal and then to perform linear search takes linear time.
- Space complexity: $O(N)$ to keep inorder traversal.

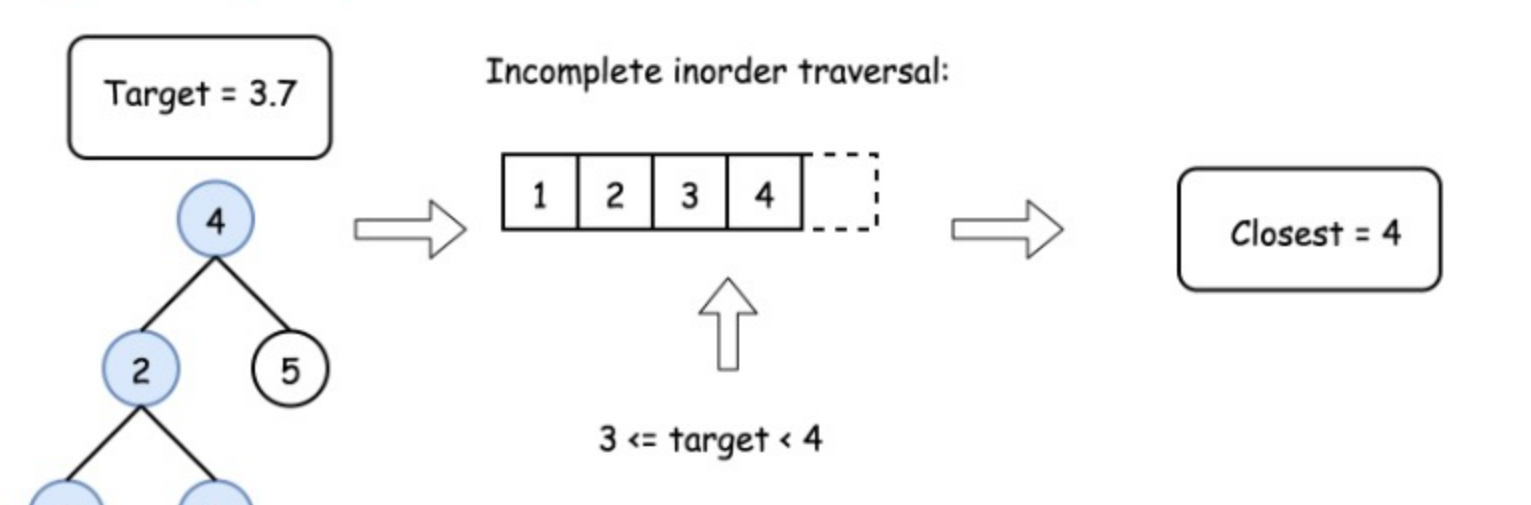
Approach 2: Iterative Inorder, $O(k)$ time

Intuition

Let's optimise Approach 1 in the case when index k of the closest element is much smaller than the tree height H .

First, one could merge both steps by traversing the tree and searching the closest value at the same time.

Second, one could stop just after identifying the closest value, there is no need to traverse the whole tree. The closest value is found if the target value is in-between of two inorder array elements `nums[i] <= target < nums[i + 1]`. Then the closest value is one of these elements.



Algorithm

- Initiate stack as an empty array and predecessor value as a very small number.
- While root is not null:
 - To build an inorder traversal iteratively, go left as far as you can and add all nodes on the way into stack.
 - Pop the last element from stack `root = stack.pop()`.
 - If target is in-between of `pred` and `root.val`, return the closest between these two elements.
 - Set predecessor value to be equal to `root.val` and go one step right: `root = root.right`.
- We're here because during the loop one couldn't identify the closest value. That means that the closest value is the last value in the inorder traversal, i.e. current predecessor value. Return it.

Implementation

Java

Python

Copy

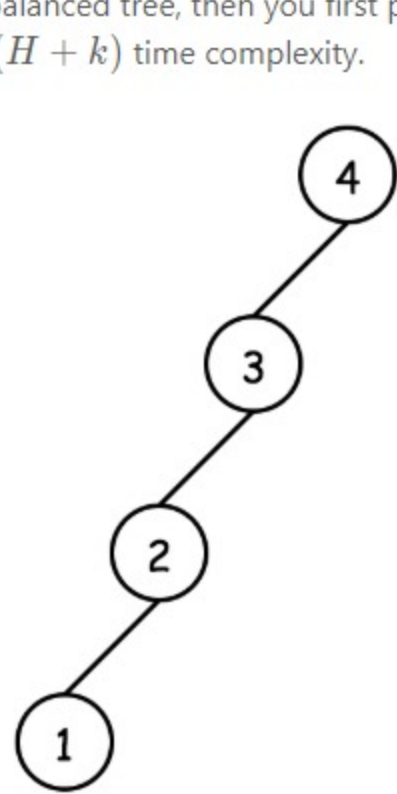
```

1 class Solution:
2     def closestValue(self, root: TreeNode, target: float) -> int:
3         stack, pred = [], float('-inf')
4
5         while stack or root:
6             while root:
7                 stack.append(root)
8                 root = root.left
9             root = stack.pop()
10
11             if pred <= target and target < root.val:
12                 return min(pred, root.val, key = lambda x: abs(target - x))
13
14             pred = root.val
15             root = root.right
16
17         return pred

```

Complexity Analysis

- Time complexity: $O(k)$ in the average case and $O(H + k)$ in the worst case, where k is an index of closest element. It's known that [average case is a balanced tree](#), in that case stack always contains a few elements, and hence one does $2k$ operations to go to k th element in inorder traversal (k times to push into stack and then k times to pop out of stack). That results in $O(k)$ time complexity. The worst case is a completely unbalanced tree, then you first push H elements into stack and then pop out k elements, that results in $O(H + k)$ time complexity.



- Space complexity: up to $O(H)$ to keep the stack in the case of non-balanced tree.

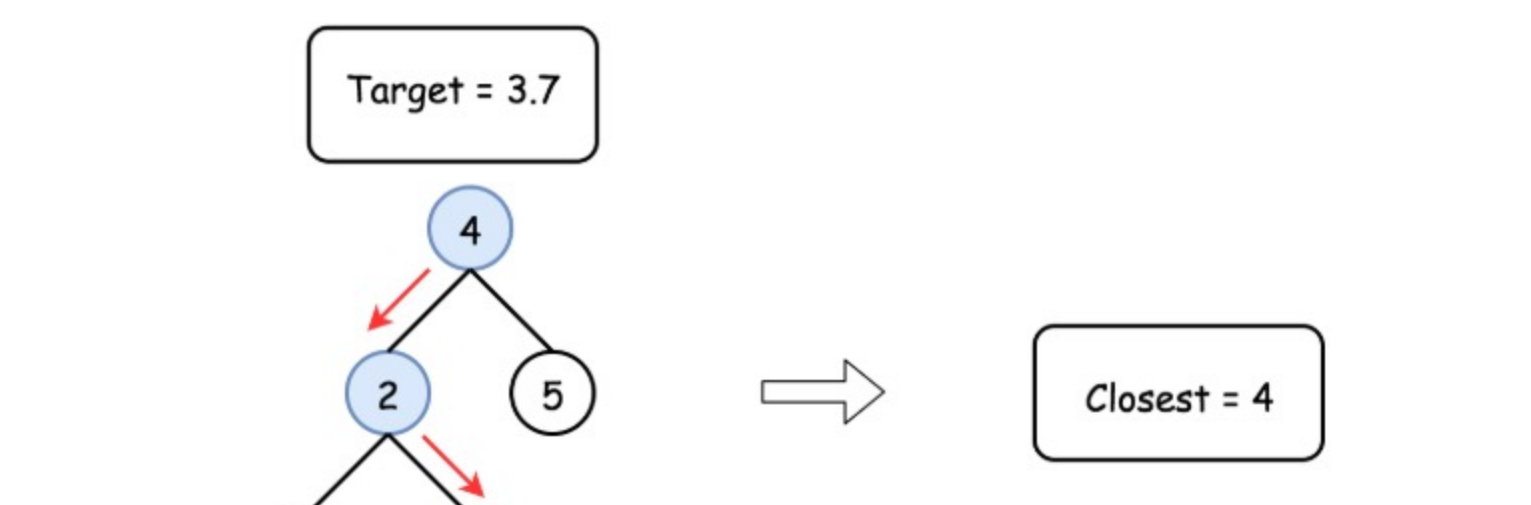
Approach 3: Binary Search, $O(H)$ time

Intuition

Approach 2 works fine when index k of closest element is much smaller than the tree height H .

Let's now consider another limit and optimise Approach 1 in the case of relatively large k , comparable with N .

Then it makes sense to use a binary search: go left if target is smaller than current root value, and go right otherwise. Choose the closest to target value at each step.



Kudos for this solution go to [@stefanpochmann](#).

Implementation

Java

Python

Copy

```

1 class Solution:
2     def closestValue(self, root: TreeNode, target: float) -> int:
3         closest = root.val
4         while root:
5             closest = min(root.val, closest, key = lambda x: abs(target - x))
6             root = root.left if target < root.val else root.right
7         return closest

```

Complexity Analysis

- Time complexity: $O(H)$ since here one goes from root down to a leaf.
- Space complexity: $O(1)$.

Rate this article: ★★★★★

Previous

Next

Comments: 9

Sort By ▼

🔊

Type comment here... (Markdown is supported)

PreviewPost

sriharik

★168

May 8, 2020 5:07 AM

Can someone explain why approach #3 is $O(H)$? Wouldn't it be $\log N$ in runtime since we are omitting half the tree each iteration?

2

👍

👎

Share

Reply

SHOW 1 REPLY

🔊

Bill

★55

April 6, 2020 5:02 AM

If I understand the problem description correctly, shown approach 3 is not correct. we care about te absolute difference between target and tree node values. if we go into left subtree just because target is smaller than the root node, then we might be missing a node in the right subtree that could have much smaller abs difference.

2

👍

👎

Share

Reply

SHOW 5 REPLIES

nix_on

★54

January 25, 2020 11:55 PM

complexity of algo 2 is always $O(H)$ I think. Because with the first traversal loop you always reach a leaf, thus you do around H steps if the tree is balanced

1

👍

👎

Share

Reply

novice87

★254

July 16, 2019 11:11 AM

For the first solution, i think it would be better to use built in `Double.compare` method in Java instead of deciding 1. -1

```
return Double.compare(Math.abs(o1 - target), Math.abs(o2 - target));
```

or even better using Java 8+

1

👍

👎

Share

Reply

Read More

wen587sort

★425

December 8, 2019 1:31 PM

As of 12/07/2019

Approach 3 in this article:

```
public int closestValue(TreeNode root, double target) {
    int cur = root.val;
    while (root != null) {
        if (Math.abs(target - cur) < Math.abs(target - root.val)) {
            cur = root.val;
        }
        root = root.val < target ? root.left : root.right;
    }
    return cur;
}
```

0

👍

👎

Share

Reply

SHOW 3 REPLIES

LeetCodeing_Master

★187

July 13, 2020 1:34 PM

```
class Solution
{
    private Double val = null;

    // ...
}
```

0

👍

👎

Share

Reply

Read More

Yunxiang-Li

★1

June 20, 2020 7:13 AM

Hi guys. Why approach #2's time complexity is $O(h)$ but not $O(N)$ where n indicates the amount of nodes?

I mean if the last `TreeNode`'s value is the closest, the bottom right one, why the time complexity is not $O(N)$ since we have to loop until the last element.

0

👍

👎

Share

Reply

MADE_19y_KZ

★23

August 10, 2019 11:00 AM

$O(H)$ time, $O(1)$ space

```
class Solution:
    def closestValue(self, root: TreeNode, target: float) -> int:
        cur = root.val
```

-2

👍

👎

Share

Reply

SHOW 1 REPLY

k_yadav

★-2

March 5, 2020 9:29 AM

The third solution won't work if we have BST with double values. It will only work for integer values.

-3

👍

👎

Share

Reply

SHOW 2 REPLIES