Example:

Given a collection of **distinct** integers, return all possible permutations.

Input: [1,2,3]

Output:

```
[1,2,3],
[1,3,2],
[2,1,3],
[2,3,1],
[3,1,2],
[3,2,1]
```

Backtracking is an algorithm for finding all solutions by exploring all potential candidates. If the solution candidate turns to be not a solution (or at least not the last one), backtracking algorithm discards it by

Java

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Python

class Solution:

def permute(self, nums):

:type nums: List[int]

:rtype: List[List[int]]

def backtrack(first = 0):

backtrack(first + 1)

backtrack

n = len(nums)output = []

backtrack()

return output

from 1 to N (and first from 0 to N-1).

Preview

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if first == n:

Solution

Here is a backtrack function which takes the index of the first integer to consider as an argument backtrack(first).

Approach 1: Backtracking

• If the first integer to consider has index n that means that the current permutation is done. • Iterate over the integers from index first to index n - 1. • Place i -th integer first in the permutation, i.e. swap(nums[first], nums[i]).

• Proceed to create all permutations which starts from i -th integer: backtrack(first + 1).

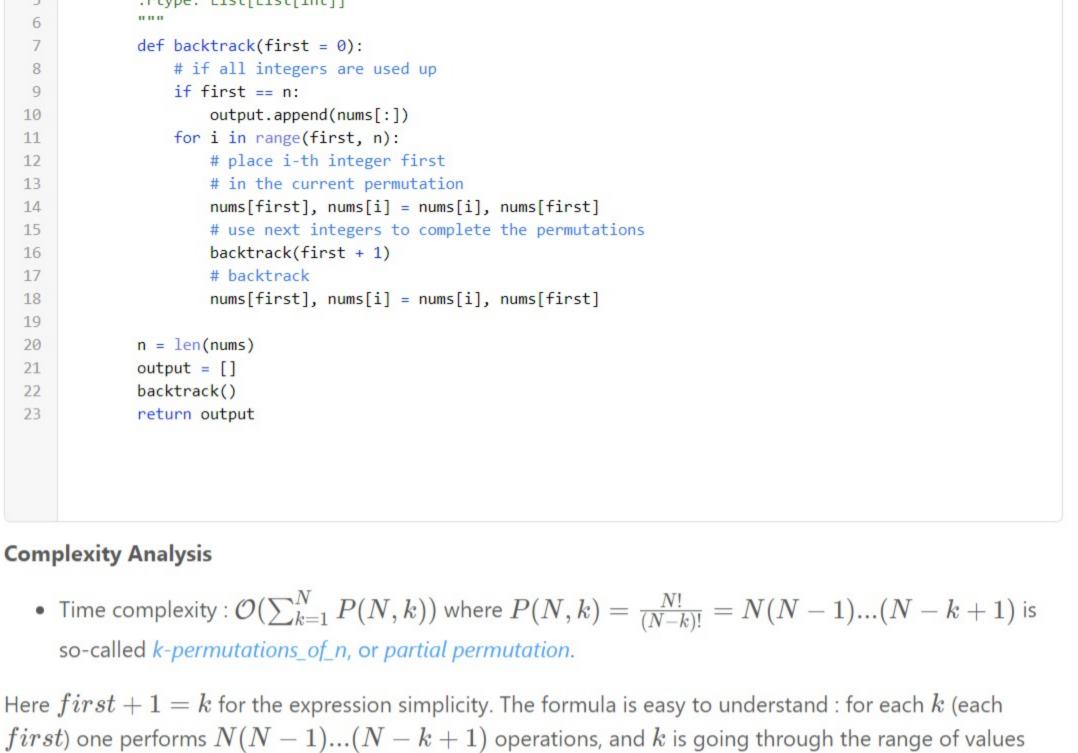
Now backtrack, i.e. swap(nums[first], nums[i]) back.

first = 0

nums = [1, 2, 3]

making some changes on the previous step, i.e. backtracks and then try again.





1/14

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Complexity Analysis

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I think the time complexity is O(n x n!) instead of O(n!), since you will have n! permutation. And, for

each permutation, you run exact n recursive call to reach it. So it should be n x n!?

Let's do a rough estimation of the result : $N! \leq \sum_{k=1}^N \frac{N!}{(N-k)!} = \sum_{k=1}^N P(N,k) \leq N \times N!$, i.e. the

algorithm performs better than $\mathcal{O}(N \times N!)$ and a bit slower than $\mathcal{O}(N!)$.

• Space complexity : $\mathcal{O}(N!)$ since one has to keep N! solutions.

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s961206 ★ 733 ② January 28, 2019 4:12 PM

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21 A V C Share Reply

alphaorc # 29 ② June 10, 2019 9:45 PM

douer233 ★ 32 ② May 8, 2019 1:59 PM

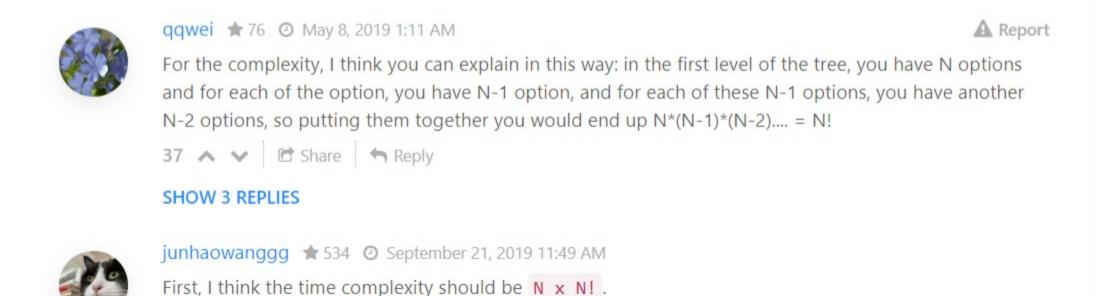
of recursive tree) for Java program at least?

5 A V C Share Reply

3 A V Share Seply

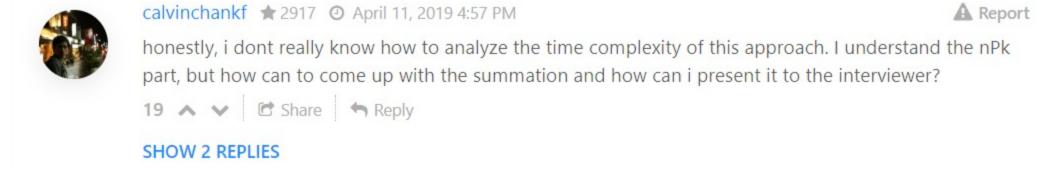
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For those interested, this is called Heap's Algorithm.

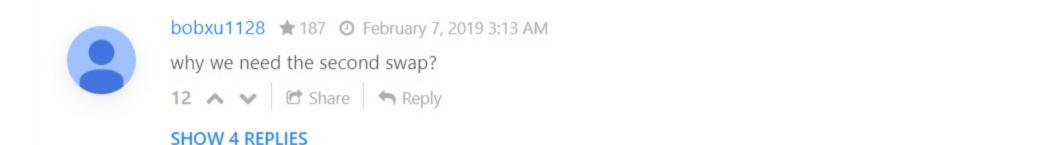


Initially we have N choices, and in each choice we have (N - 1) choices, and so on. Notice that at

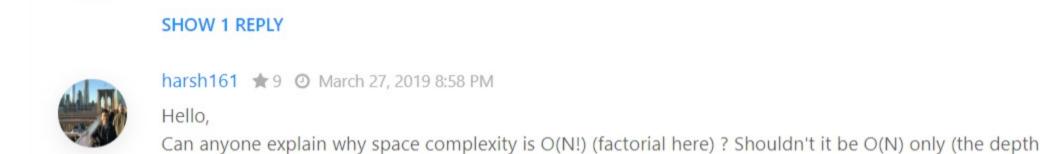
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the end when adding the list to the result list, it takes O(N).



Anyone can explain why the there should be output.append(nums[:]) but not nums?



Have you considered the slice operation for the time complexity?

I think the time complexity should be O(n * n!).

2 A V C Share Reply

SHOW 4 REPLIES NeosDeus ★ 268 ② January 15, 2020 12:55 AM A Report Thought that the space required to store the final answer is usually not counted for space complexity

calculation? Space should be O(N) due to search recursion stack space occupied by the DFS. As for

My thinking here: At every index i, we go down the depth level from (i+1) to N and recurse back, pop

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complexity of N! 2 A V C Share Reply SHOW 1 REPLY A Report

people to suggested the time be N*N! for , I don't think having an extra N would change the Asymtotic

SHOW 1 REPLY