Logistie Regression (port I) To perform inference in logistic Neg, we must cely on asymptotic results (i.e. using a large sample approximation). II) Wald test les inder coeffizients. Main Ideas when n is larse, the MLE

(approx)

Bx N(Bx, Vav(Bx)) where Var (Bx) is defined as follows: Let G denote the Hessan matrix of the loglikelihood?

G=
$$\left(\frac{32}{5}\right)^{\frac{32}{5}}$$
 $\left(\frac{32}{5}\right)^{\frac{32}{5}}$ $\left(\frac{32}{5}\right)^$

OK! So then BEBR - N(0,1) a large sample test for Br can be Constructed as: Ho: Bx=0 VS H1: Bx+0 W/ The test statistic: Z = Br & decision reles

17 17 21-0/2, reject Ho.

TI Deviance & Wellhood Patre Tests Sir Reduced & Fill Models. If we want to compare two undels -1 a different # of predictors, for ex: Hi. at least one pj) j=r,--,p-1, not zo Ho. Peduced Muzlel=> logit (ti)=put \(\bar{\subset}\) = \(\bar{\subset}\) \(\bar{\subset}\) = \(\bar{\subset}\) \(\bar{\ Hi; Full Model => logit (hi) - Bot By Xji Our fest is based on comparing the loghtulihoods
across H. 2 H.

Deviance Defin D

Def: Devance = -20(B)

Then a Multihood based test States defined

DD = Devance (Reduced) - Devance (Full)

Decision Dules

HD 7 22, La, reject sto

Here of 2 P - P Red.

If we reject its, we have evidence that

better fit according to likelihood.

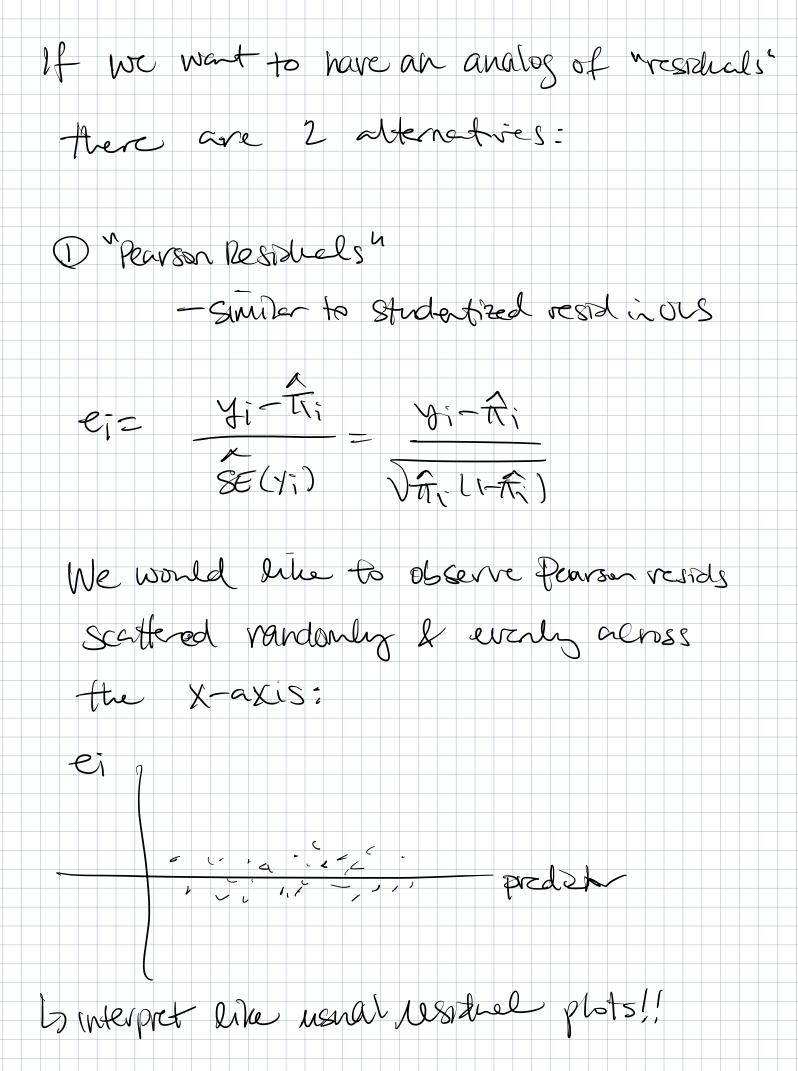
$$l = \sum_{i=1}^{n} \left(\frac{1}{1} \log \left(\frac{\pi_i}{1 - \pi_i} \right) + \log \left(\frac{1}{1 - \pi_i} \right) \right)$$

So devence of a fitted model is:

Dev(
$$\hat{\beta}$$
) = $-2\sum_{i=1}^{n} \left(\gamma_{i} \log \left(\frac{\hat{\pi}_{i}}{l-\hat{\pi}_{i}} \right) + \log \left(l-\hat{\pi}_{i} \right) \right)$

OLS residuels don't apply to logistic us.

predated response:
$$\hat{\pi}_i = \hat{P}(Y_i = 1)$$



Devrance Desiduels

Define the deviance residuels as:

 $d_{i} = \int \sqrt{2(y_{i} \log(\pi_{i}/1-\hat{\pi}_{i}) + \log(-\hat{\pi}_{i}))} \, (T_{i} = 1)$ $- \int 2(y_{i} \log(\hat{\pi}_{i}/1-\hat{\pi}_{i}) + \log(-\hat{\pi}_{i})) \, (T_{i} = 0).$

The Square of each devince response to the contribution of each response to the devince of the Steel model.

We can cheek the dev-resides

& Scate Par CNOWLE PsendoR2: Because there is No OLS principle, the negular 22 doesn't exist for logion reg to explain variance! One pserdo R2 statistics have been montal to assess sodaess-of-fit. Efron , pseudo $R = 1 - \sum_{i=1}^{n} (y_i - \widehat{\pi}_i)^2$ \$ (y; -\forall)2

Mcfadden ; pseudo P = 1 — l(Full)

Note: AICIBIC CON SEU De word For hodel selector of Logistic reg.