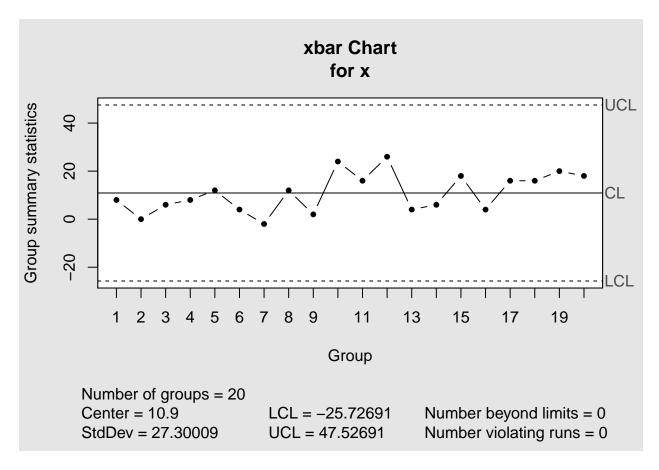
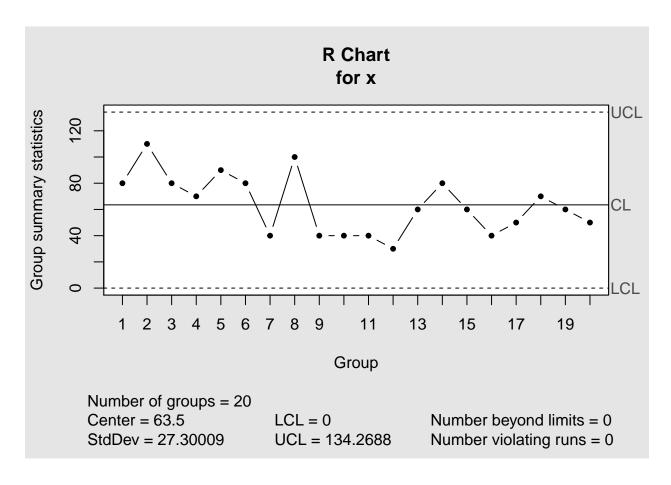
Chapter 6 Quiz

Cody Frisby 10/19/2016

6.3

 \mathbf{A}





It appears the process is in statistical control. There are no points outside the control limits on either the xbar or the R charts.

 \mathbf{B}

The process standard deviation can be estimated using the range method

$$\hat{\sigma} = \frac{\bar{R}}{d_2} = \frac{63.5}{2.326} = 27.300086$$

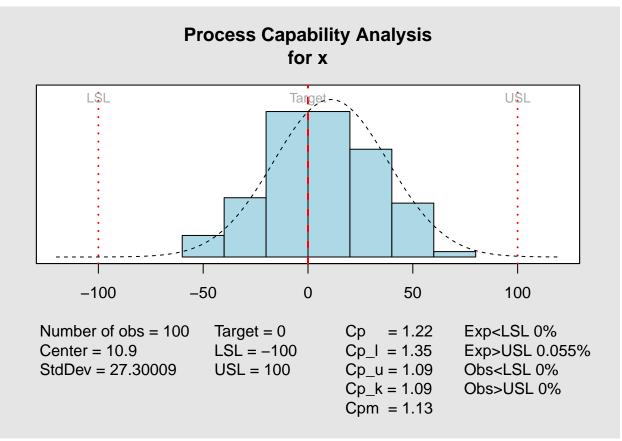
 \mathbf{C}

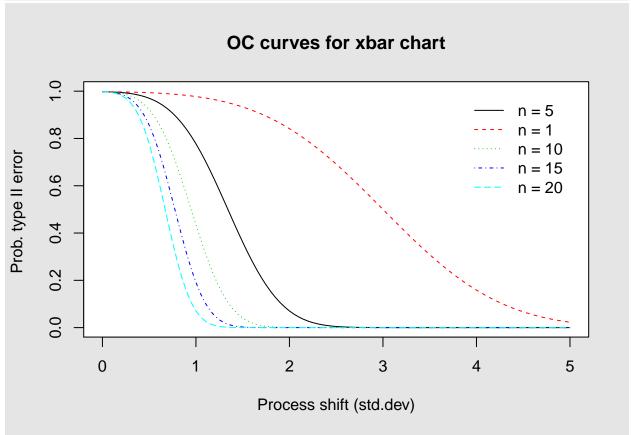
Calculating the PCR estimate of C_p is

$$\hat{C}_p = \frac{USL - LSL}{6\sigma} = \frac{100 - (-100)}{163.8005159} = 1.2209974$$

and it appears that the process is capable of producting a small number of non-conforming units. We can also understand this capability by computing $\frac{1}{\hat{C}_p}100$. This value is understood to be the percentage of the specification that the process will use up.

$$\frac{1}{\hat{C}_p}100 = \frac{1}{1.2209974}100 = 81.900258$$





R Code:

```
obs < c(-30,0,-50,-10,20,0,0,70,0,10,40,30,30,30,10,0,20,10,50,50,
          50,50,10,-10,-40,0,0,-30,0,20,0,20,-30,-10,-10,0,20,-20,-10,0,
         -20, -60, 20, 30, 50, 40, 20, 30, 20, 30, 20, 30, 0, 50, 50, 30, 30, 50, 40, 0,
         10, -20, 30, -20, 20, -40, -20, -10, -20, 10, 0, 10, 10, -10, 40, -10, 30, 30, 20, 30,
          30,30,20,50,10,20,-10,0,10,50,20,40,10,-30,0,0,-20,10,0,10)
xdat <- matrix(obs, ncol=5)</pre>
x <- apply(xdat,1,mean) # sample means.
R <- apply(xdat, 1, function(x){max(x)-min(x)}) # ranges</pre>
tv <- .577 #table value A2
ucl <- mean(x) + tv*mean(R)
d2 <- 2.326 # table value D4
sig <- mean(R)/d2 # estimate of standard deviation</pre>
library(qcc) # a cool quality control package, easy control charts.
x <- xdat
xbar <- qcc(x, "xbar")</pre>
rchart <- qcc(x, "R")</pre>
cp <- (100 - (-100))/(6 * sig)
cpp <- 1/cp * 100
# adding more...
cap <- process.capability(xbar, c(-100, 100), print = F)</pre>
oc.curves(xbar)
```