

Q.1. $\mu = 72 \text{ bpm}$
 $\sigma = 10 \text{ bpm}$

$H_0: \mu \geq 72$

$H_1: \mu < 72$

a) Population mean = 72 bpm
 Sample mean = 69 bpm

b) Null hypothesis $\rightarrow H_0: \mu \geq 72 \text{ bpm}$

Alternative hypothesis $\rightarrow H_1: \mu < 72 \text{ bpm}$

Here, $\mu \Rightarrow$ resting heart rate.

c) S.E = $\frac{\text{population mean} - \text{sample mean}}{\text{sample size}}$

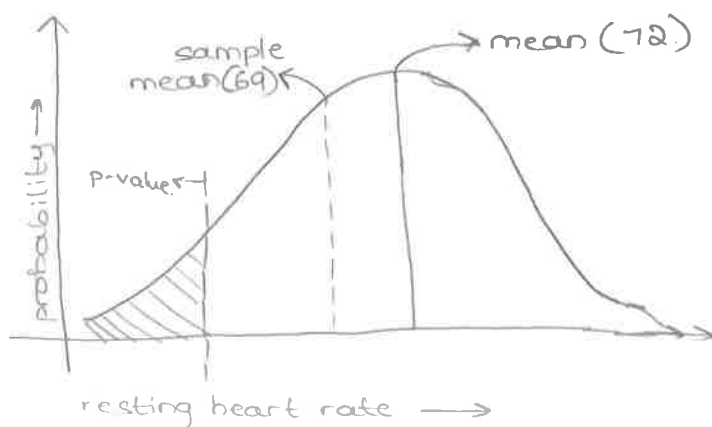
$$= \frac{72 - 69}{64} = \underline{\underline{21.3}}$$

$$\begin{array}{r} 21.3 \\ 3 \overline{) 64} \\ \underline{60} \\ 40 \\ \underline{30} \\ 10 \end{array}$$

Standard error is distance between or how far sample means are from each other.

d) z-score = $\frac{72 - 69}{21.3} = \underline{\underline{7.1 \text{ se.}}}$

e.)



$$Q.2. \quad P(A|B) = \frac{P(B|A) \cdot P(A)}{P(B|A) \cdot P(A) + P(B|-A) \cdot P(-A)}$$

a.)

The prior probability here is $P(A)$.

The value of prior probability is 0.20.

b.) Posterior probability in the equation is $P(A|B)$.

Posterior probability is the update belief after multiplying the prior (original belief) with the evidence factor. Here, multiply 0.20 with evidence factor

where,

$$\begin{aligned} m = S &\rightarrow p = 0.9 \\ m \neq S &\rightarrow p = 0.05 \end{aligned} \quad \left| \begin{array}{l} P(A|B) = 0.9 \\ P(A|-B) = 0.05 \end{array} \right.$$

spam not spam

c.) Total probability $\Rightarrow P(B) = P(B \cap A) + P(B \cap -A)$
 $= P(B|A) \cdot P(A) + P(B|-A) \cdot P(-A)$

$$P(B|A) = \frac{P(B \cap A)}{P(A)} \quad \left| \begin{array}{l} P(B|A) = 0.9 \\ P(B|-A) = 0.05 \end{array} \right.$$

d.) The posterior will be higher because the probability of spam given marked as spam is 90%.