

## Assignment - 2

Q1.

(a). Population mean = ~~70 bpm~~ 72 bpm

Sample mean = ~~70 bpm~~ 69 bpm

(b). Null hypothesis :- New relaxation app does not reduce the average resting heart rate of its regular users.

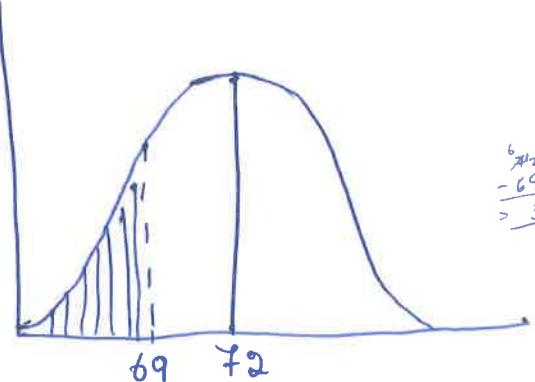
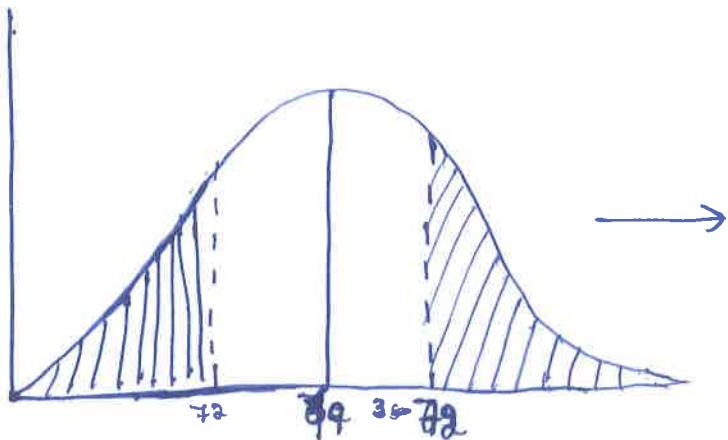
- Alternative hypothesis :- New relaxation app reduces the average resting heart rate of its regular users.

$$(c). \text{Se} = \frac{\cancel{70}}{\sqrt{64}} \left[ \text{as } \left\{ \text{Se} = \frac{\sigma}{\sqrt{n}} \right\} \right] \text{Se} = \frac{\cancel{72}}{\sqrt{64}} = \frac{\cancel{72}}{\cancel{8}^4} = 9 \left[ \text{Se} = \frac{10}{\sqrt{64}} = \frac{10}{8} = \frac{5}{4} \right]$$

- Se is the distance between the mean and the sample mean.  
Se is also the unit.

$$(d). z = \frac{72 - 69}{10} = \frac{3}{10} = +0.3$$

(e).



Q2)

a). Prior probability =  $P(A)$ .

$$P(A) = 20\% \text{ or } 0.2.$$

b). Posterior probability =  $P(A|B)$

Posterior probability is the probability to find the new event given the old event.

c).  $P(B) = P(B|A)P(A) + P(B|A^c) \cdot P(A^c)$ .

$$P(B|A) = 0.9 \text{ or } 90\%$$

$$P(B|A^c) = 0.05 \text{ or } 5\%$$

$$P(A^c) = 1 - 0.2$$

$$P(A) = 0.2 \text{ or } 20\%$$

$$= \underline{\underline{0.8}} \text{ or } 80\%$$

$$\begin{array}{r} 0.90 \\ 0.05 \\ \hline 0.85 \end{array}$$

d). In the above given example Posterior will be higher than the prior.

As the prior has low probability of 0.2 but after calculating the total probability and solving the problem posterior value increases.