## Chapter 1

## Library basique

```
Require Import Bool.

Compute if true then 3 else 5.

Definition leibniz (a \ b: Set): Prop := \forall f: Set \rightarrow Prop, f \ a \rightarrow f \ b.

Theorem imp: \ \forall \ (a \ b \ c : Prop), \ ((a \rightarrow b) \land (a \rightarrow c)) \rightarrow a \rightarrow (b \land c). Proof.

intros. destruct H. split. apply H. assumption. apply H1. assumption. Qed.

Print imp.

Inductive entiers: Set := Zero: entiers \mid S: entiers \rightarrow entiers. Check entiers.

Check (S(S(SZero))).
```