CS450

Structure of Higher Level Languages

Lecture 5: Modules, structs, updating lists, exercises

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Modules

Modules

- Modules encapsulate a unit of functionality
- A module groups a set of constants and functions
- A module encapsulates (hides) auxiliary top-level functions
- Each file represents a module



Modules in Racket

Each file represents a module. A bindings becomes visible through the provide construct. Function (require "filename") loads a module

- (provide (all-defined-out)) makes all bindings visible
- (provide a c) makes binding a and c visible
- (require "foo.rkt") makes all bindings of the module in file foo.rkt visible in the current module. Both files have to be in the same directory.

```
File: foo.rkt
```

```
#lang racket
; Make variables a and c visible
(provide a c)
(define a 10)
(define b (+ a 30)
(define (c x) b)
```

File: main.rkt

```
(require "foo.rkt")
(c a)
; b is not visible
```



Revisiting user data structures

User data structures

Recall the 3D point from Lecture 3

```
; Constructor
(define (point x y z) (list x y z))
; Accessors
(define (point-x pt) (first pt))
(define (point-y pt) (second pt))
(define (point-z pt) (third pt))
```

And the name data structure

```
; Constructor
(define (name f m l) (list f m l))
; Accessor
(define (name-first n) (first n))
(define (name-middle n) (second n))
(define (name-last n) (third n))
```

How do we prevent such errors?

```
(define p (point 1 2 3))
(name-first p) ; This should be an error, and instead it happily prints 1
```



Introducing struct

```
#lang racket
(require rackunit)
(struct point (x y z) #:transparent)
(define pt (point 1 2 3))
(check-equal? 1 (point-x pt)); the accessor point-x is automatically defined
(check-equal? 2 (point-y pt)); the accessor point-y is automatically defined
(struct name (first middle last))
(define n (name "John" "M" "Smith"))
(check-equal? "John" (name-first n))
(check-true (name? n)) ; We have predicates that test the type of the value
(check-false (point? n)); A name is not a point
(check-false (list? n)) ; A name is not a list
; (point-x n) ;; Throws an exception
; point-x: contract violation
   expected: point?
                                                                                   Boston
   qiven: #<name>)
```

Benefits of using structs

- Reduce boilerplate code
- Ensure type-safety



Implementing Racket's AST

Implementing Racket's AST

Grammar

```
expression = value | variable | apply | define
value = number | void | lambda
apply = ( expression+ )
lambda = ( lambda ( variable* ) term+)
```



Implementing values

```
value = number | void | lambda
lambda = ( lambda ( variable* ) term+)
```



Implementing values

```
value = number | void | lambda | lambda | ( variable* ) term+)
```

```
(define (r:value? v)
    (or (r:number? v)
        (r:void? v)
        (r:lambda? v)))
(struct r:void () #:transparent)
(struct r:number (value) #:transparent)
(struct r:lambda (params body) #:transparent)
```

We are using a prefix \mathbf{r} : because we do not want to redefined standard-library definitions.



Implementing expressions

```
expression = value | variable | apply
apply = ( expression+ )
```



Implementing expressions

```
expression = value | variable | apply apply = ( expression+ )
```

In r:apply we distinguish between the expression that represents the function func, and the (possibly empty) list of arguments args.



Implementing terms

```
term = define | expression
define = ( define identifier expression ) | ( define ( variable+ ) term+)
```



Implementing terms

```
term = define | expression
define = ( define identifier expression ) | ( define ( variable+ ) term+)
```

```
(define (r:term? t)
  (or (r:define? t)
        (r:expression? t)))
(struct r:define (var body) #:transparent)
```

For our purposes of defining the semantics in terms of implementing an interpreter, we do not want to distinguish between a basic definition and a function definition, as this would unnecessarily complicate our code. We, therefore, represent a definition with a single structure, which pairs a variable and an expression (eg, a lambda). In our setting, the distinction between a basic and a function definition is syntactic (not semantic).

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Summary of struct

```
(struct point (x y z) #:transparent)
```

Simplifies the definition of data structures:

- Creates selectors automatically, eg, point-x
- Creates type query, eg, point?
- Ensures that functions of a given struct can only be used on values of that struct.
 Because, not everything is a list.

What is #:transparent? A transparent struct prints its contents when rendered as a string.



Functional pattern: Updating elements

Convert a list from floats to integers

Spec

```
(require rackunit)
; Supplied by the stdlib
(check-equal? 3 (exact-floor 3.14))
(check-equal?
  (list 1 2 3)
  (list-exact-floor (list 1.1 2.6 3.0)))
```



Convert a list from floats to integers

Spec

```
(require rackunit)
; Supplied by the stdlib
(check-equal? 3 (exact-floor 3.14))
(check-equal?
  (list 1 2 3)
   (list-exact-floor (list 1.1 2.6 3.0)))
```

Solution

Can we generalize this for any operation on lists?

```
(check-equal?
  (list-exact-floor (list 1.1 2.6 3.0)))
  (list (exact-floor 1.1) (exact-floor 2.6) (exact-floor 3.0)))
```



Function map

Generic solution

```
(define (map f 1)
    (match 1
       [(list) (list)]
       [(list h 1 ...) (cons (f h) (map f 1))]))
```

Using map

```
(define (list-exact-floor 1)
  (map exact-floor 1))
```



map

Overview of our solution

Recursive code mirrors the structure your data!

Think of how many constructors your data has, those will be your recursive cases.

- Case (list): the empty list constructor
- Case (list h 1 ...): add one element to the list with the (cons x 1) constructor
- Recursive call must handle "smaller" data
 - with lists: (rest 1)
 - with numbers: (+ n 1) if you approach an upper bound
 - with numbers: (- n 1) if you approach a lower bound



A general recursion pattern for handling lists

- 1. Case (list) (handle-base)
- 2. Case (list h 1 ...) (handle-step)
- 3. Recursive call handles "smaller"



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Example for map

step)

In this version, we make the base and handle-steps explicit. Previous solution coalesces nested conds into one.

UMass