Probing Kitaev spin liquids with resonant inelastic X-ray scattering

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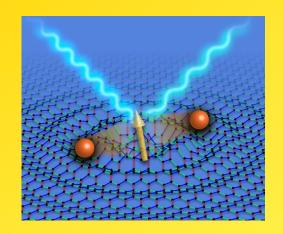
Brent Perreault (U. of Minnesota)



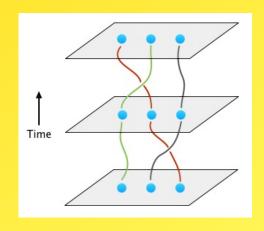
Jeroen van den Brink (IFW Dresden)

Quantum spin liquids

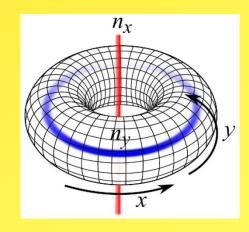
Magnetic phases with long-range quantum entanglement



Fractionalization into nonlocal quasiparticles



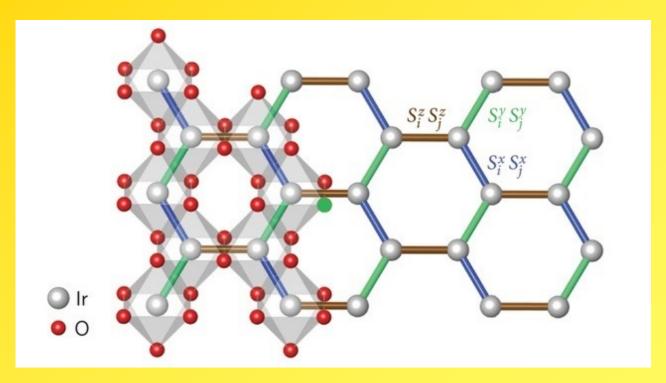
Anyonic quasiparticle statistics



Topological order and ground-state degeneracy

Problem: No "smoking-gun" experimental signatures

Kitaev spin liquids

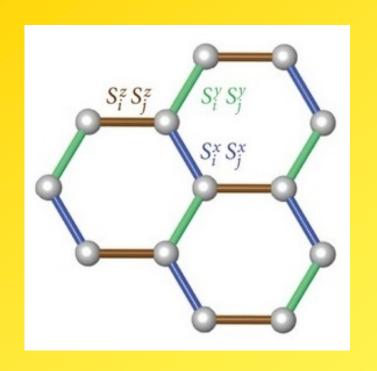


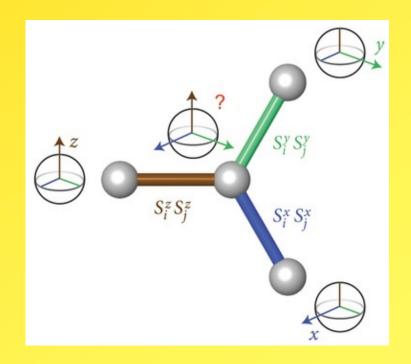
[Picture credit: Gegenwart & Trebst, Nat. Phys. 2015]

Experimental relevance: $(Na,Li)_2IrO_3$, α -RuCl₃

Exactly solvable limit: Kitaev models

Kitaev honeycomb model





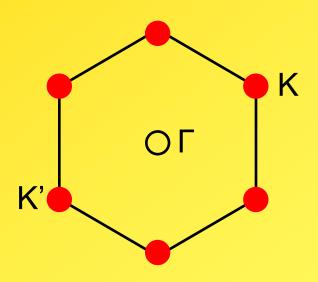
[Picture credit: Gegenwart & Trebst, Nat. Phys. 2015]

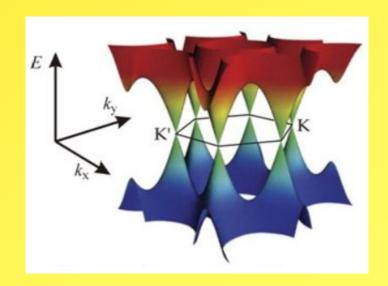
$$H_{K} = -J_{K} \sum_{\langle i,j \rangle_{x}} \sigma_{i}^{x} \sigma_{j}^{x} - J_{K} \sum_{\langle i,j \rangle_{y}} \sigma_{i}^{y} \sigma_{j}^{y} - J_{K} \sum_{\langle i,j \rangle_{z}} \sigma_{i}^{z} \sigma_{j}^{z}$$

Kitaev honeycomb model

Quantum spin liquid with fractionalized excitations:

- \rightarrow Gauge fluxes (ϕ): gapped & localized
- → Majorana fermions: gapless at Dirac points



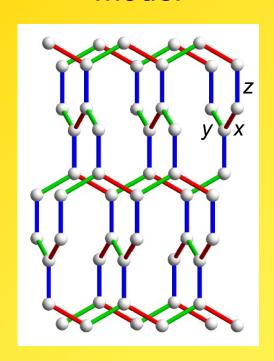


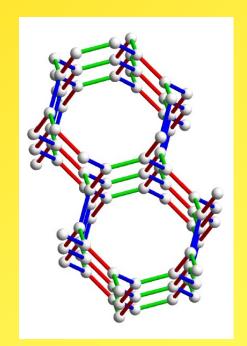
3D Kitaev models

Hyperhoneycomb Hyperhexagon model

model

Hyperoctagon model





$$H_{K} = -J_{K} \sum_{\langle i,j \rangle_{x}} \sigma_{i}^{x} \sigma_{j}^{x} - J_{K} \sum_{\langle i,j \rangle_{y}} \sigma_{i}^{y} \sigma_{j}^{y} - J_{K} \sum_{\langle i,j \rangle_{z}} \sigma_{i}^{z} \sigma_{j}^{z}$$

3D Kitaev models

Nodal structures of the gapless Majorana fermions:

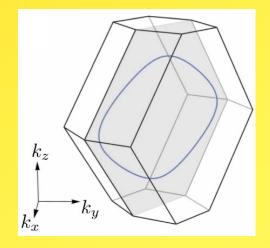
[O'Brien, Hermanns, Trebst, PRB 2016]

model

 W_3

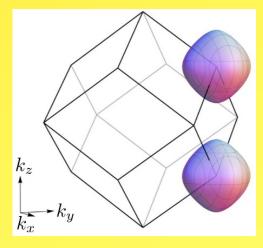
Weyl points

Hyperhexagon Hyperhoneycomb model



Nodal line

Hyperoctagon model

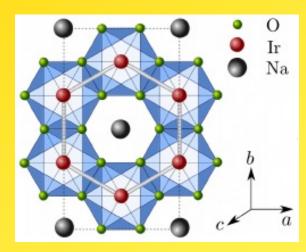


Fermi surfaces

Kitaev materials

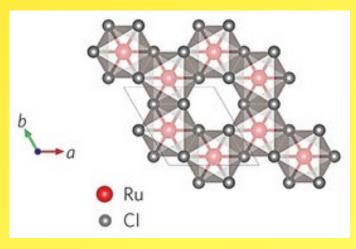
Two-dimensional (layered) honeycomb systems:

 α -(Na,Li)₂IrO₃



[Picture credit: Das et al.]

 α -RuCl₃

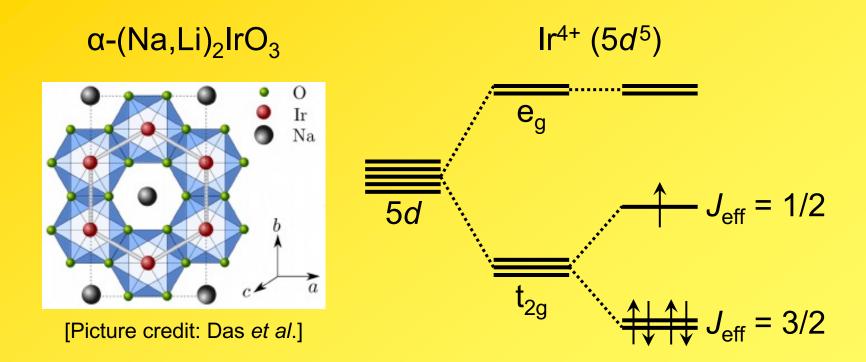


[Picture credit: Banerjee et al.]

Three-dimensional harmonic-honeycomb systems:

 (β,γ) -Li₂IrO₃ [hyper- and stripy-honeycomb lattices]

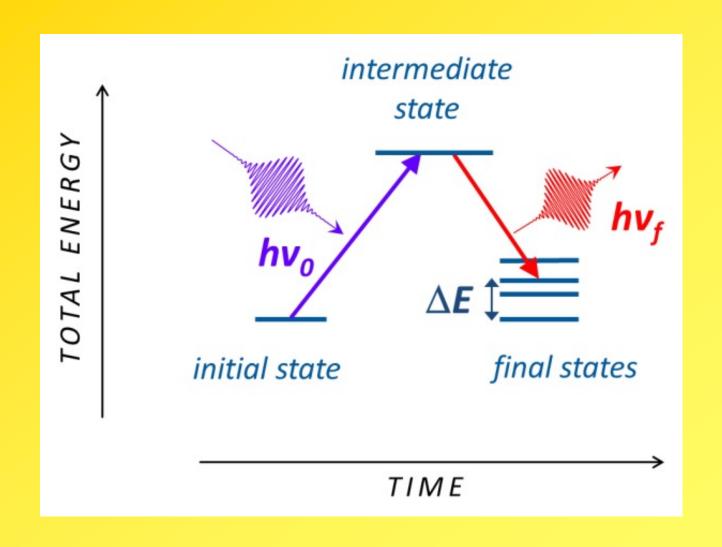
Kitaev materials



Effective low-energy Hamiltonian for $J_{\text{eff}} = 1/2$ "spins":

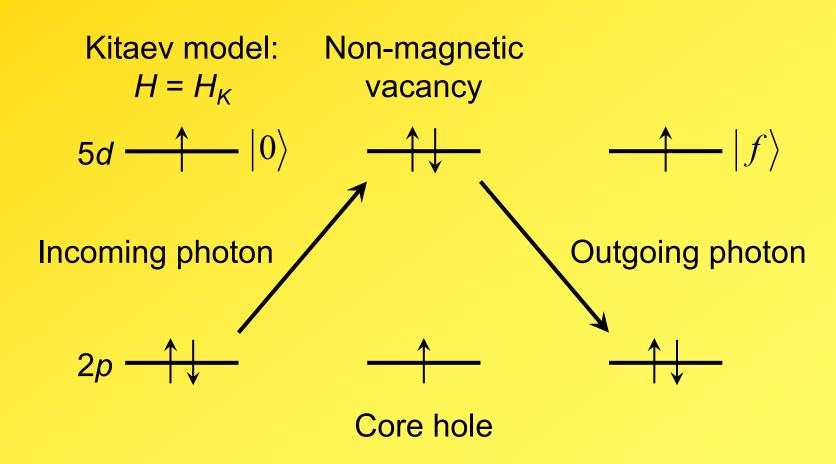
$$H = H_K + \text{(other terms)}$$
 [Jackeli & Khaliullin, PRL 2009]

Resonant inelastic X-ray scattering



Resonant inelastic X-ray scattering

 $(Na,Li)_2IrO_3$ with Ir^{4+} in $5d^5$ configuration [L_3 edge]:

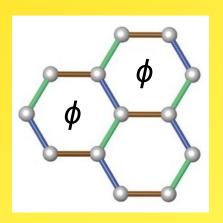


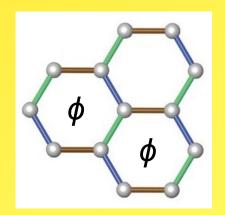
Resonant inelastic X-ray scattering

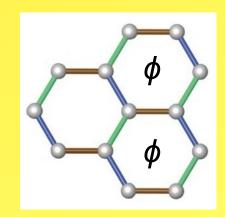
Four fundamental channels → No interference

Spin-conserving (SC) channel creates two fermions

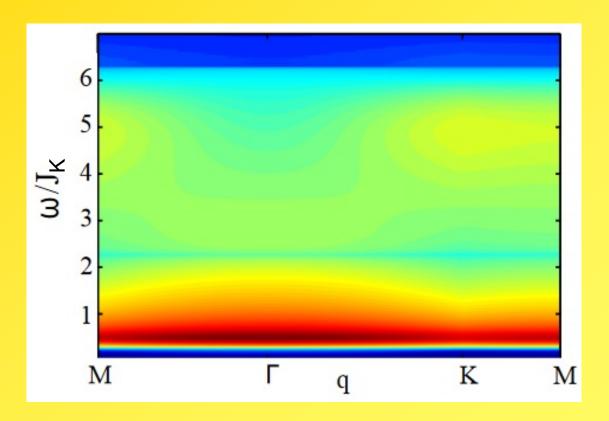
Three non-spin-conserving (NSC) channels create two fluxes and one fermion:





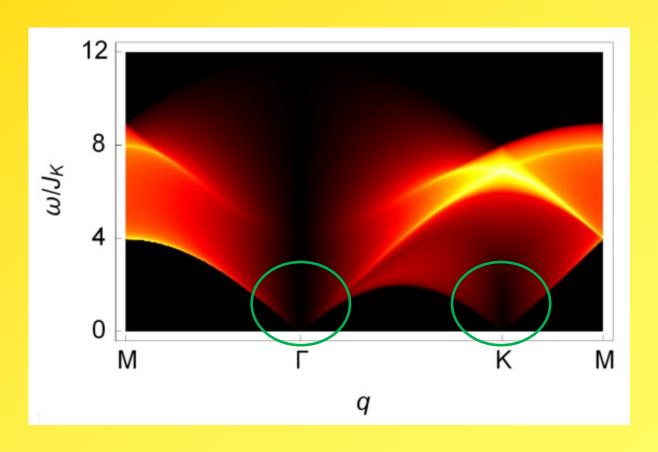


NSC channels ~ Inelastic neutron scattering response:



Knolle, Kovrizhin, Chalker, Moessner, PRL 2014

SC channel → Lowest-order inelastic response:

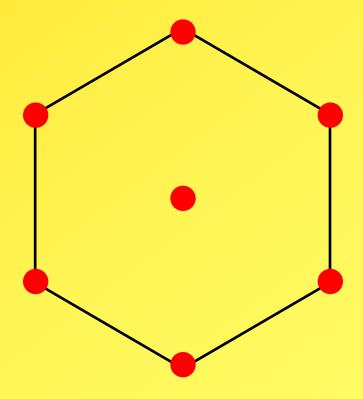


Dirac points

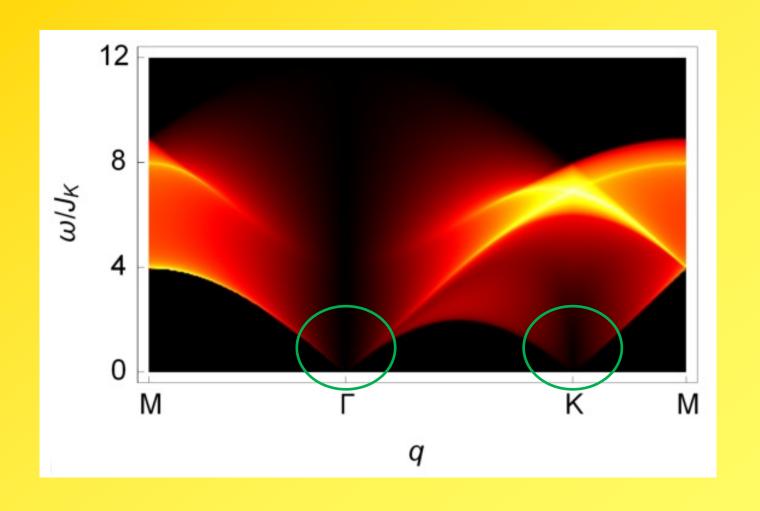
K M

K points

Gapless response

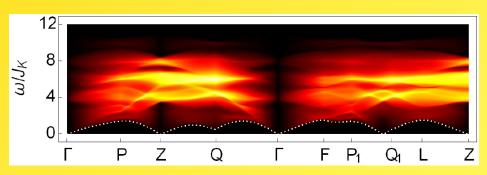


Γ and K points

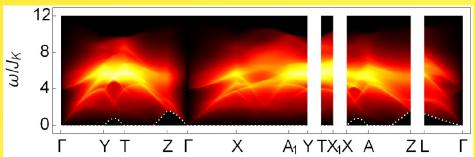


3D Kitaev models

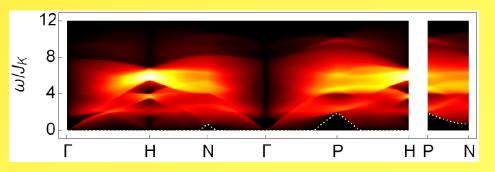
Hyperhexagon model:



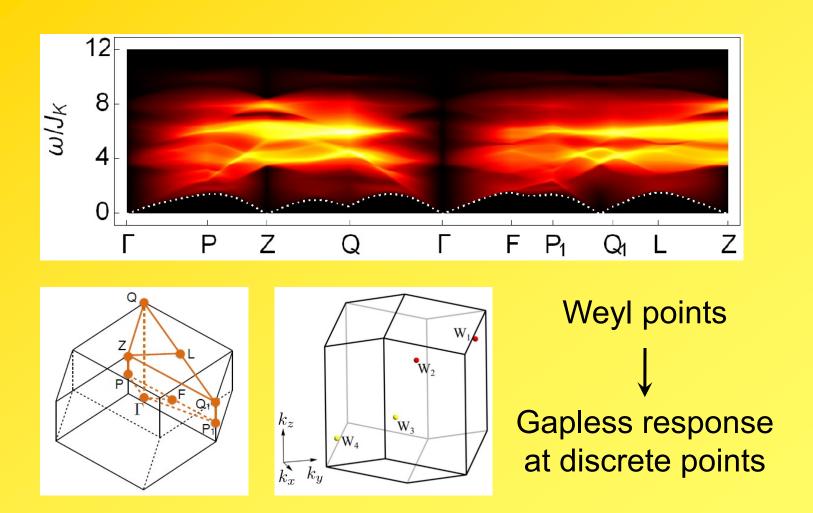
Hyperhoneycomb model:



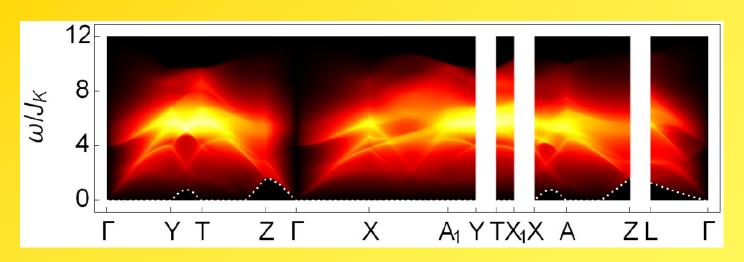
Hyperoctagon model:

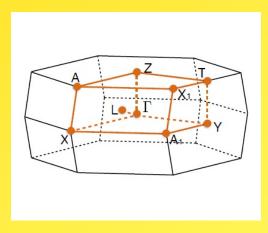


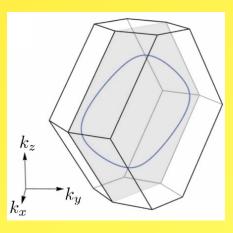
Hyperhexagon model



Hyperhoneycomb model



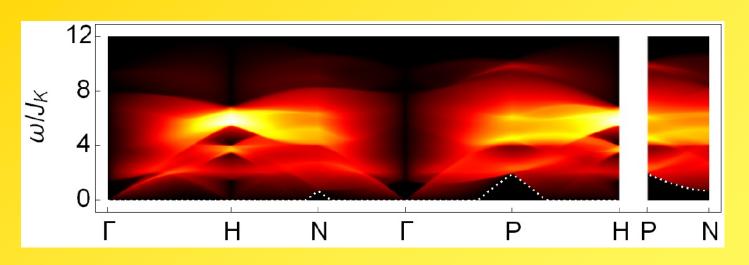


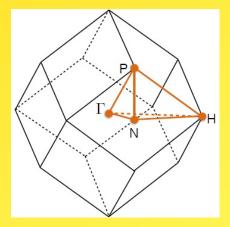


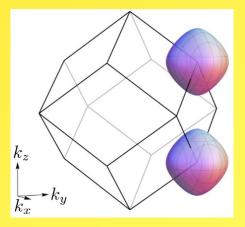
Nodal line

Gapless
response within high-symmetry planes

Hyperoctagon model

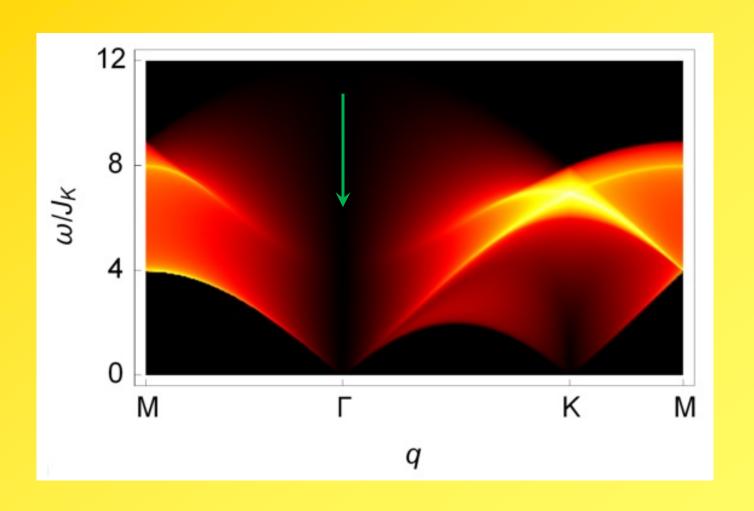






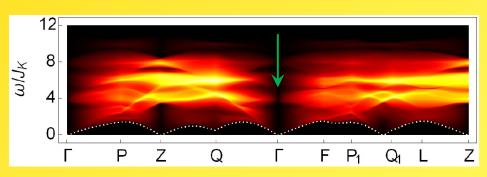
Fermi surfaces

Gapless response in a finite fraction of the Brillouin zone

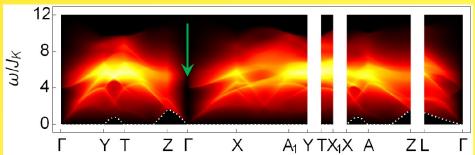


3D Kitaev models

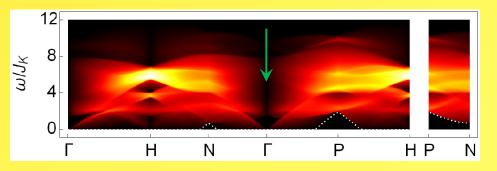
Hyperhexagon model:



Hyperhoneycomb model:



Hyperoctagon model:



Summary

Exact RIXS responses of Kitaev spin liquids

→ Probe fractionalized excitations separately

NSC channels pick up fluxes and recover INS response

SC channel picks up Majorana fermions

- → Pronounced momentum dispersion
- → Distinct fingerprints of different nodal structures
- Strong suppression around the Γ point

