

Score: 10 of 10 pts

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2.1.5

Find the average rate of change of the function over the given interval.

$$R(0) = \sqrt{40+1}; \quad [2, 6]$$

$$\frac{\Delta R}{\Delta \theta} = \frac{1}{2}$$
 (Simplify your answer.)

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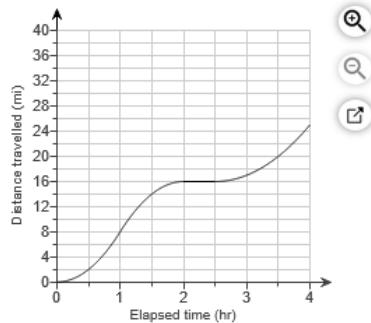
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Test Score: 95.56%, 238.89 of 250

2.1.21

Question Help

The accompanying graph shows the total distance s traveled by a bicyclist after t hours.



Using the graph, answer parts (a) through (c).

(a) Which of the following is the bicyclist's average speed, in mph, over the time interval $[0, 1]$?

- A. 58 mph B. 8 mph
 C. -8 mph D. -58 mph

Which of the following is the bicyclist's average speed, in mph, over the time interval $[1, 2.5]$?

- A. -5.3 mph B. -30 mph
 C. 30 mph D. 5.3 mph

Which of the following is the bicyclist's average speed, in mph, over the time interval $[2.5, 3.5]$?

- A. -4 mph B. 4 mph
 C. -54 mph D. 54 mph

(b) Which of the following is the bicyclist's instantaneous speed, in mph, at $t = \frac{1}{2}$ hr?

- A. 8 mph B. -8 mph
 C. 58 mph D. -58 mph

Which of the following is the bicyclist's instantaneous speed, in mph, at $t = 2$ hrs?

- A. 2 mph B. 1 mph
 C. 0 mph D. -1 mph

Which of the following is the bicyclist's instantaneous speed, in mph, at $t = 3$ hrs?

- A. -21 mph B. 29 mph
 C. 4 mph D. -29 mph

(c) Which of the following choices gives the maximum speed, in mph, and the time at which it occurs?

- A. The maximum speed of the bicyclist is 41 mph and it occurs when $t = 3.5$ hrs.
- B. The maximum speed of the bicyclist is 16 mph and it occurs when $t = 1$ hr.
- C. The maximum speed of the bicyclist is 16 mph and it occurs when $t = 3.5$ hrs.
- D. The maximum speed of the bicyclist is 41 mph and it occurs when $t = 1$ hr.

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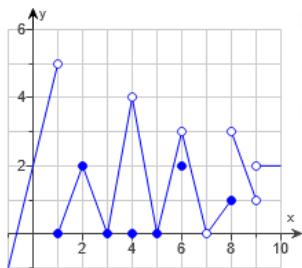
2.2.1

Question Help



For the graph $g(x)$ graphed below, find the following limits, if they exist.

- a) $\lim_{x \rightarrow 2} g(x)$ b) $\lim_{x \rightarrow 1} g(x)$ c) $\lim_{x \rightarrow 6} g(x)$



a) Find $\lim_{x \rightarrow 2} g(x)$. Select the correct choice below and fill in any answer boxes in your choice.

- A. $\lim_{x \rightarrow 2} g(x) = 2$

- B. The limit does not exist.

b) Find $\lim_{x \rightarrow 1} g(x)$. Select the correct choice below and fill in any answer boxes in your choice.

- A. $\lim_{x \rightarrow 1} g(x) =$

- B. The limit does not exist.

c) Find $\lim_{x \rightarrow 6} g(x)$. Select the correct choice below and fill in any answer boxes in your choice.

- A. $\lim_{x \rightarrow 6} g(x) = 3$

- B. The limit does not exist.

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2.2.14

Evaluate the following limit.

$$\lim_{x \rightarrow -3} (3x^3 - 4x^2 + 5x + 3)$$

$$\lim_{x \rightarrow -3} (3x^3 - 4x^2 + 5x + 3) = -129 \text{ (Simplify your answer.)}$$

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2.2.23

Find $\lim_{x \rightarrow 1} \frac{x-1}{x^2 - 1}$.

$$\lim_{x \rightarrow 1} \frac{x-1}{x^2 - 1} = \frac{1}{2}$$

(Type an integer or a simplified fraction.)

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2.2.43

Find the limit.

$$\lim_{x \rightarrow 0} (2 \sin x - 1)$$

$$\lim_{x \rightarrow 0} (2 \sin x - 1) = -1 \quad (\text{Type an integer or a simplified fraction.})$$

Score: 10 of 10 pts



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2.2.45

Find the limit.

$$\lim_{x \rightarrow 0} \sec x$$

$$\lim_{x \rightarrow 0} \sec x = 1 \quad (\text{Type an integer or a simplified fraction.})$$

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Test Score: 95.56%, 2

2.2.51

Question Help

Suppose $\lim_{x \rightarrow 0} f(x) = 1$ and $\lim_{x \rightarrow 0} g(x) = -7$. Name the rule or limit law that is used to accomplish each step of the following calculation.

$$\lim_{x \rightarrow 0} \frac{4f(x) - g(x)}{(f(x) + 7)^{1/3}} = \frac{\lim_{x \rightarrow 0} (4f(x) - g(x))}{\lim_{x \rightarrow 0} (f(x) + 7)^{1/3}}$$

Quotient rule

$$\begin{aligned} &= \frac{\lim_{x \rightarrow 0} 4f(x) - \lim_{x \rightarrow 0} g(x)}{\left(\lim_{x \rightarrow 0} (f(x) + 7) \right)^{1/3}} \\ &= \frac{4 \lim_{x \rightarrow 0} f(x) - \lim_{x \rightarrow 0} g(x)}{\left(\lim_{x \rightarrow 0} f(x) + \lim_{x \rightarrow 0} 7 \right)^{1/3}} \\ &= \frac{4(1) - (-7)}{(1+7)^{1/3}} \\ &= \frac{11}{2} \end{aligned}$$

Difference rule and power rule

Constant multiple rule and sum rule

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Test Score:

2.2.57

Limits of the form $\lim_{h \rightarrow 0} \frac{f(x+h) - f(x)}{h}$ occur frequently in calculus. Evaluate this limit for the given value of x and function f .

$$f(x) = x^2, \quad x = 3$$

The value of the limit is 6. (Simplify your answer.)

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2.3.5

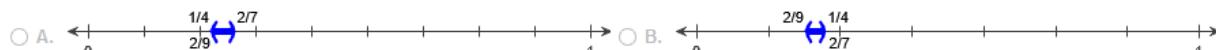
Question Help



Sketch the interval (a, b) on the x -axis with the point c inside. Then find the largest value of $\delta > 0$ such that for all x , $0 < |x - c| < \delta$ implies $a < x < b$.

$$a = \frac{2}{9}, \quad b = \frac{2}{7}, \quad c = \frac{1}{4}$$

Choose the correct sketch below.



The largest possible value for δ is $\frac{1}{36}$.

(Type a simplified fraction.)

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2.3.37

Give an ϵ - δ proof of the limit fact.

$$\lim_{x \rightarrow 0} (7x - 6) = -6$$

Let $\epsilon > 0$ be given.

- A. Choose $\delta = \frac{\epsilon}{6}$. Then $0 < |x - 0| < \delta \Rightarrow |(7x - 6) - 7x| = |-6x| = 6|x| < 6\delta = \epsilon$.
- B. Choose $\delta = \epsilon$. Then $0 < |x - 0| < \delta \Rightarrow |(7x - 6) - (-6)| = |7x| < \delta = \epsilon$.
- C. Choose $\delta = \frac{\epsilon}{7}$. Then $0 < |x - 0| < \delta \Rightarrow |(7x - 6) - (-6)| = |7x| = 7|x| < 7\delta = \epsilon$.
- D. Choose $\delta = 7\epsilon$. Then $0 < |x - 0| < \delta \Rightarrow |(7x - 6) - (-6)| = |7x| = 7|x| < \frac{\delta}{7} = \epsilon$.
- E. None of the above proofs is correct.

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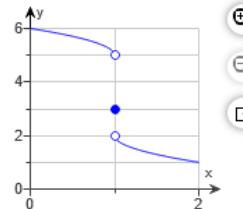
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2.3.59

Question Help

For the function graphed to the right, explain why $\lim_{x \rightarrow 1} f(x) \neq 2$.



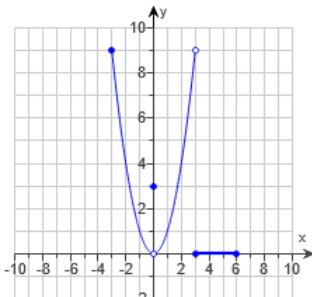
Choose the correct reason below.

- A. The limit of $f(x)$ as x approaches 1 is 3.
- B. The limit of $f(x)$ as x approaches 1 is $\frac{7}{2}$.
- C. The limit of $f(x)$ as x approaches 1 does not exist.
- D. The limit of $f(x)$ as x approaches 1 is 5.

2.4.1

Question Help

Use the graph below to determine whether the statements about the function $y = f(x)$ are true or false.



True or false: $\lim_{x \rightarrow -3^+} f(x) = 9$.

False

True

True or false: $\lim_{x \rightarrow 0^-} f(x) = 3$.

False

True

True or false: $\lim_{x \rightarrow 0^-} f(x) = \lim_{x \rightarrow 0^+} f(x)$.

True

False

True or false: $\lim_{x \rightarrow 0} f(x)$ exists.

True

False

True or false: $\lim_{x \rightarrow 0} f(x) = 0$.

False

True

True or false: $\lim_{x \rightarrow 3} f(x) = 9$.

True

False

True or false: $\lim_{x \rightarrow 6^-} f(x) = 6$.

False

True

2.4.11

Find the following limit.

$$\lim_{x \rightarrow -0.25^-} \sqrt{\frac{x+9}{x+2}}$$

$$\lim_{x \rightarrow -0.25^-} \sqrt{\frac{x+9}{x+2}} = \sqrt{5}$$

Score: 10 of 10 pts

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2.4.21

Use the relation $\lim_{\theta \rightarrow 0} \frac{\sin \theta}{\theta} = 1$ to determine the limit of the given function.

$$f(\theta) = \frac{2 \sin \sqrt{11}\theta}{\sqrt{11}\theta}$$

$$\lim_{\theta \rightarrow 0} \frac{2 \sin \sqrt{11}\theta}{\sqrt{11}\theta} = 2$$

(Type an integer or a simplified fraction.)

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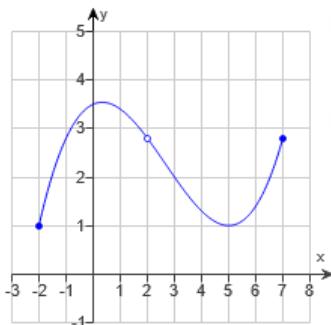
Test Score: 95.56%, 238.8

2.5.1

Question

Say whether the function graph below is continuous on $[-2, 7]$. If not, where does it fail to be continuous?

Select the correct answer below and, if necessary, fill in the answer to complete your choice.



- A. The graph is not continuous on the interval .
(Type your answer in interval notation.)
- B. The graph is not continuous at $x = 2$.
(Use a comma to separate answers as needed.)
- C. The graph is continuous on $[-2, 7]$.

Score: 0 of 10 pts

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2.5.15

At what points is the function $y = \frac{x+3}{x^2 - 7x + 12}$ continuous?

Describe the set of x-values where the function is continuous, using interval notation.

$(-\infty, 3) \cup (3, 4) \cup (4, \infty)$

(~~Sim~~ ~~If your answer is correct, Type your answer in interval notation.~~)

You answered: $(-\infty, 2) \cup (2, 5) \cup (5, \infty)$

[Get answer feedback](#)

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2.5.25

Determine the point(s) at which the given function $f(x)$ is continuous.

$$f(x) = \sqrt{4x + 28}$$

Describe the set of x -values where the function is continuous, using interval notation.

[-7, ∞)

(Use interval notation.)

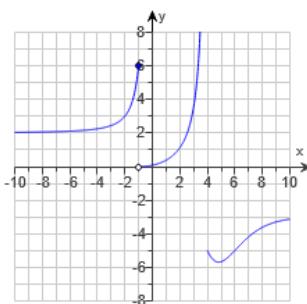
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2.6.1

Using the following graph of the function f , evaluate the limits (a) through (i).



(a) Select the correct choice below and fill in the answer box within the choice.

A. $\lim_{x \rightarrow 6^-} f(x) =$ 5

B. $\lim_{x \rightarrow 6^-} f(x)$ does not exist.

(b) $\lim_{x \rightarrow -1^+} f(x) =$ 0

(c) $\lim_{x \rightarrow -1^-} f(x) =$ 6

(d) Select the correct choice below and fill in the answer box within the choice.

A. $\lim_{x \rightarrow -1} f(x) =$

B. $\lim_{x \rightarrow -1} f(x)$ does not exist.

(e) $\lim_{x \rightarrow 4^+} f(x) =$ -5

(f) $\lim_{x \rightarrow 4^-} f(x) =$ ∞

(g) Select the correct choice below and fill in the answer box within the choice.

A. $\lim_{x \rightarrow 4} f(x) =$

B. $\lim_{x \rightarrow 4} f(x)$ does not exist.

(h) $\lim_{x \rightarrow \infty} f(x) =$ -3

(i) $\lim_{x \rightarrow -\infty} f(x) =$ 2

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[Next Question](#)

2.6.13

Find the limit of $f(x) = \frac{4x+2}{5x+3}$ as x approaches ∞ and as x approaches $-\infty$.

$$\lim_{x \rightarrow \infty} f(x) = \frac{4}{5}$$

(Type a simplified fraction.)

$$\lim_{x \rightarrow -\infty} f(x) = \frac{4}{5}$$

(Type a simplified fraction.)

Score: 10 of 10 pts

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2.6.19

Find the limit of $f(x) = \frac{7x^8 + 4x^7 + 6}{6x^9}$ as x approaches ∞ and as x approaches $-\infty$.

$$\lim_{x \rightarrow \infty} f(x) = 0$$

∞

(Type a simplified fraction.)

$$\lim_{x \rightarrow -\infty} f(x) = 0$$

$-\infty$

(Type a simplified fraction.)

Score: 10 of 10 pts

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2.6.37

Find the limit.

$$\lim_{x \rightarrow 0^+} \frac{-1}{14x}$$

$$\lim_{x \rightarrow 0^+} \frac{-1}{14x} = -\infty$$

(Simplify your answer.)

Score: 10 of 10 pts

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2.6.49

Find the limit.

$$\lim_{x \rightarrow (15\pi/2)^+} -8 \tan x$$

$$\lim_{x \rightarrow (15\pi/2)^+} -8 \tan x = \infty$$

(Simplify your answer.)

Score: 10 of 10 pts

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Test Score: 95.56%, 238.89 of

2.6.67

Question Help

Find the horizontal and vertical asymptotes of $f(x)$. Then graph $f(x)$.

$$f(x) = \frac{x+7}{x+5}$$

If there is a horizontal asymptote, what is it? Select the correct choice below and fill in any answer boxes within your choice.

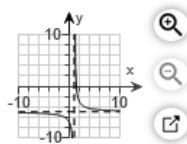
- A. The horizontal asymptote is $y = 1$. (Type an equation.)
 B. There is no horizontal asymptote.

If there is a vertical asymptote, what is it? Select the correct choice below and fill in any answer boxes within your choice.

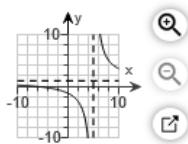
- A. The vertical asymptote is $x = -5$. (Type an equation.)
 B. There is no vertical asymptote.

Choose the correct graph of $f(x)$.

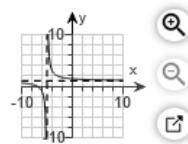
A.



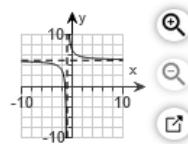
B.



C.



D.



2.6.73

Find a function that satisfies the given conditions and sketch its graph.

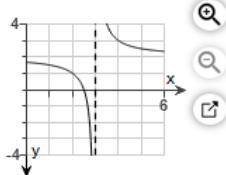
$$\lim_{x \rightarrow \pm\infty} f(x) = 2, \quad \lim_{x \rightarrow 3^-} f(x) = \infty, \quad \lim_{x \rightarrow 3^+} f(x) = \infty$$

Which of the following functions satisfies the given conditions?

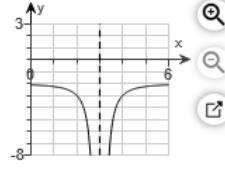
- A. $\ln(x - 6)$
- B. $\frac{1}{x - 3} + 2$
- C. $-\frac{1}{(x - 3)^2} + 2$
- D. $\frac{1}{(x - 3)^2} + 2$

Graph this function. Choose the correct graph below.

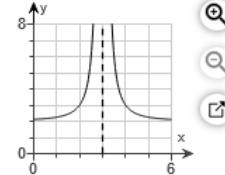
A.



B.



C.



D.

