

Section 1.8

18. Proof: $ax+b=c \rightarrow ax=c-b \rightarrow x=\frac{c-b}{a}$ since $a \neq 0$

$$ax+b = a\left(\frac{c-b}{a}\right) + b = c-b+b = c$$

$x=\frac{c-b}{a}$ is an unique solution of the equation $ax+b=c$

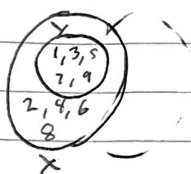
Section 2.1

6a.) The second is a subset of the first

6b.) The second is a subset of the first

6c.) Neither is a subset of each other

14.)

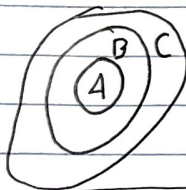


22.a) 0 22.b) 1 22.c) 2 22.d) 3

34a.) $= \{(a,x,0), (a,x,1), (a,y,0), (a,y,1), (b,x,0), (b,x,1), (b,y,0), (b,y,1), (c,x,0), (c,x,1), (c,y,0), (c,y,1)\}$

34c.) $= \{(0,a,x), (0,a,y), (0,b,x), (0,b,y), (0,c,x), (0,c,y), (1,a,x), (1,a,y), (1,b,x), (1,b,y), (1,c,x), (1,c,y)\}$

16.)



Section 2.2

4a.) $\{a, b, c, d, e, f, g, h\}$

4b.) $\{a, b, c, d, e\}$

4c.) $\{f\}$

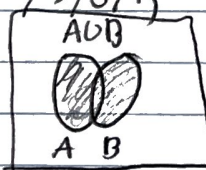
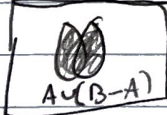
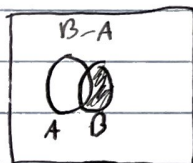
4d.) $\{f, g, h\}$

12. That's all of A

14. $A = \{1, 5, 7, 8, 3, 6, 9\}$

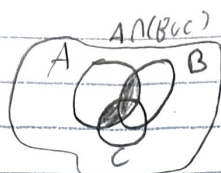
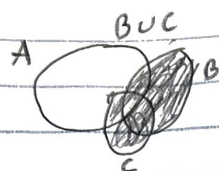
$B = \{2, 10, 3, 6, 9\}$

16.e)

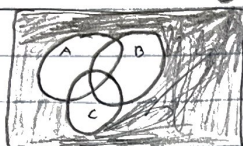


they are equal

28.a)

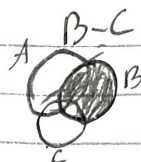
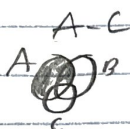
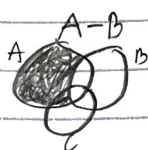


28.b)

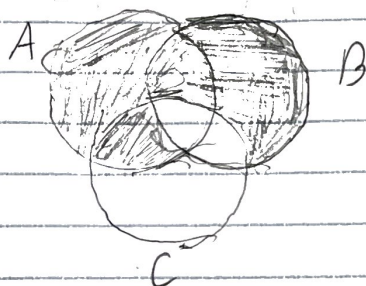


$$\bar{A} \cap \bar{B} \cap \bar{C}$$

28.c)



$$(A - B) \cup (A - C) \cup (B - C)$$



58.a) $\{3, 4, 5\} = 0011100000$

58.b) $\{1, 3, 6, 10\} = 1010010001$

58.c) $\{2, 3, 4, 7, 8, 9\} = 0111001110$