WARP: Revisiting GFN for Lightweight 128-bit Block Cipher

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Abstract. In this article, we present WARP, a lightweight 128-bit block cipher with a 128-bit key. It aims at small-footprint circuit in the field of 128-bit block ciphers, possibly for a unified encryption and decryption functionality. The overall structure of WARP is a variant of 32-nibble Type-2 Generalized Feistel Network (GFN), with a permutation over nibbles designed to optimize the security and efficiency. We conduct a thorough security analysis and report comprehensive hardware and software implementation results. Our hardware results show that WARP is the smallest 128-bit block cipher for most of typical hardware implementation strategies. A serialized circuit of WARP achieves around 800 Gate Equivalents (GEs), which is much smaller than previous state-ofthe-art implementations of lightweight 128-bit ciphers (they need more than 1,000 GEs). While our primary metric is hardware size, WARP also enjoys several other features, most notably low energy consumption. This is somewhat surprising, since GFN generally needs more rounds than substitution permutation network (SPN), and thus GFN has been considered to be less advantageous in this regard. We show a multi-round implementation of WARP is quite low-energy. Moreover, WARP also performs well on software: our SIMD implementation is quite competitive to known hardware-oriented 128-bit lightweight ciphers for long input, and even much better for small inputs due to the small number of parallel blocks. On 8-bit microcontrollers, the results of our assembly implementations show that WARP is flexible to achieve various performance characteristics.

Keywords: Lightweight Block Cipher, 128-bit Block Cipher, Generalized Feistel Network, Unified Encryption and Decryption

1 Introduction

Lightweight Block Cipher. Due to the increasing need for encryption and authentication on constrained devices, lightweight cryptography has grown to be one of the central topics in symmetric-key cryptography. Among various symmetric-key primitives, the development of lightweight block cipher probably has the longest history. As demonstrated by PRESENT [27], the first generation of lightweight block ciphers, such as KATAN [34], PRINTCIPHER [46] or LED [39], mainly focused on hardware footprint in the standard, round-based constructions. The block size is typically 64 bits or even smaller to reduce the size. Combined with hardware-oriented components (such as a 4-bit S-box and a bit permutation), they achieved a very small hardware footprint compared to the standard AES. Although small-footprint serial AES implementations are possible [7,52], there is still a gap between what can be done with lightweight block ciphers.

The second generation ciphers aimed at various goals, such as low-latency (Prince [28] and QARMA [2]) or low-energy consumption (MIDORI [3]) or side-channel/fault attack resistance (LS-designs [38], CRAFT [16]), while mostly trying to achieve an equivalent hardware footprint of the first generation ciphers.

Importance of 128-bit Cipher. In this paper, we focus on lightweight block ciphers with 128-bit block size and 128-bit key. The usefulness of such a primitive is obvious as it can be used as a direct replacement of AES (more precisely AES-128), without changing the mode of operation. Most of the popular block cipher modes currently used with AES, such as GCM, have birthday bound security, meaning that $O(2^{64})$ input blocks are sufficient to break the scheme. This also implies a certain limitation on 64-bit block ciphers. It is clear that 64-bit block ciphers have been playing the central role in the development of lightweight cryptography. Having said that, birthday attacks with $O(2^{32})$ data complexity can be a real threat¹. To thwart them, keys must be renewed very frequently, however this is not trivial in practice (e.g., Sweet32 [21]).

Tweakable block cipher (TBC) of 64-bit block size, such as SKINNY, is another promising way to prevent the birthday attacks of $O(2^{32})$ complexity. It still requires a change of outer modes (though beyond-birthday-bound (BBB) secure modes for TBCs are typically simpler than those for block ciphers) and hence, it generally does not realize a direct replacement of AES.

Consequently, we think lightweight 128-bit block ciphers have their own value. In fact, replacements of AES by lightweight 128-bit ciphers often occur in the development of lightweight authenticated encryption (AE) schemes. For example, COFB [31] and SUNDAE [4] are modern block cipher-based AE modes that were initially specified with AES. Later they were submitted [5,9] to the ongoing NIST lightweight cryptography project² with a 128-bit-block version of GIFT, a family

¹ Alternatively, we could use BBB secure modes, however they are generally more complex than the birthday-secure ones, and using complex modes may nullify the merit of using lightweight primitive.

https://csrc.nist.gov/Projects/lightweight-cryptography

of lightweight block ciphers proposed by Banik et al. [11]. Both submissions [5,9] are included in the second-round candidates.

As a lightweight replacement of AES, the size of unified encryption and decryption (ED) circuit is important, since some standard/popular block cipher modes, e.g. CBC, OCB [49] and XTS [42], need a block cipher decryption (inverse) circuit as well as an encryption circuit. Besides, when a block cipher is implemented as a co-processor of general-purpose CPUs, we naturally expect the support of both encryption and decryption, as the co-processor is agnostic to the operating modes. Needless to say, an encryption-only circuit is generally smaller and enough for implementing "inverse-free" modes such as CTR or GCM. From these observations, we set our primary goal to build a lightweight 128-bit block cipher that is significantly smaller than prior arts for both encryption-only and unified ED circuits.

Our Design. When we look at the current list of lightweight block ciphers, the majorities are Substitution-Permutation Network (SPN) ciphers, such as [14, 27, 28, 39]. However, an SPN is inherently not perfect to our goal, because the decryption circuit generally needs to invert the confusion and diffusion layers. Despite the great research effort on concrete SPN designs using involutory S-boxes and MDS matrices, such as NOEKEON [33], MIDORI, and QARMA, designing an ultimately lightweight SPN cipher with fully involutory components still seems challenging, when unified ED circuit is a primary target. In particular, if we adopt a serialized datapath, we need recursively defined MDS matrices to be efficient with respect to area [39]. However, it is well known that in fields of characteristic 2, such an MDS matrix can never be involutory [40].

A potential alternative is Generalized Feistel Network (GFN) [55,68], because it is involutory in nature. The classical Type-2 GFN [68] has been adapted by many ciphers, such as HIGHT [41], Clefia [60], and Piccolo [59]. However it has a slow diffusion, which is problematic when the number of sub-blocks (branches) is large. Suzaki and Minematsu [62] (hereafter SM10) proposed a way to greatly improve the diffusion of GFN by just changing the permutation of branches from the rotation originally used by Type-2 GFN. They also showed r-branch permutations achieving the fastest diffusion up to r = 16. Indeed, TWINE [63] and LBlock [66] are 64-bit block, 16-branch GFN ciphers that can be seen as concrete instantiations of SM10. It is interesting to note that, GFN ciphers of larger-than-16 branches have been actively studied from the viewpoint of permutation design (see below), however no concrete, purely GFN-based block ciphers have been proposed, to the best of our knowledge³. In this paper, we revisit GFN to investigate if it fulfills our needs. Specifically, we extend the idea of SM10 to build a 128-bit, 32-branch (nibble) GFN cipher with 128-bit key, named WARP⁴. As observed by SM10, one can achieve the diffusion round (the number of rounds needed for diffusing any input difference to the whole output)

³ Liliput [19] is a 128-bit TBC built on a variant of GFN (EGFN [20]). It has a different linear layer structure from GFN and has 16 branches.

⁴ The name comes from the resemblance of the cipher structure to strings in a loom.

as low as $2\log_2 r$, which implies that a good 128-bit, 32-nibble GFN cipher may only need two more rounds from the case of 64-bit, 16-nibble GFN ciphers. The big challenge is to determine a 32-branch permutation. The diffusion property of r-branch permutations for r > 16 has been recently studied, and made a significant progress since SM10 [30, 36]. However, these studies do not give a direct answer to us, as we need a permutation having not only a fast full diffusion but also a high immunity against known attacks (differential/linear/impossible differential/integral/division etc). Because an exhaustive search over all 32-branch permutations is computationally infeasible, we define a subset of permutations that are suitable to serial circuits and search over it with an Mixed Integer Linear Programming (MILP) solver, based on the development of MILP-aided security evaluation initiated by Mouha et al. [53]. Notably, we found that the 32-branch permutations with 9-round full diffusion (which is 1 round smaller than what SM10 showed) by Derbez et al. [36] are not suitable because the number of active S-box grows very slowly. Our permutation has 10-round full diffusion, however performs much better in terms of the number of active S-boxes (see Appendix C).

We adopt an S-box of MIDORI for its small delay and area. It is also very efficient for threshold implementations which is very important when side-channel attacks are possible.

The key schedule of WARP is ultimately simple: the 128-bit key is divided into two 64-bit halves and they are alternately used, i.e. the parity of the round number determines which half is used. This removes a need of additional register. Such permutation-based key scheduling schemes have been employed by a number of recent block ciphers, e.g, LED [39], Piccolo [59] and CRAFT [16] as well as stream ciphers [10,51]. In addition, every sub-key is XORed after S-box is applied to avoid the complement property of Feistel-Type Structures [26], following the idea of Piccolo [59].

Implementation Results. Combining these components, we achieved 763 GE for the bit-serial encryption-only circuit, which is, to our knowledge, the lowest number of 128-bit block cipher hardware implementation to date. Moreover, due to the low-energy and low-delay S-box, the 2-round unrolled implementation of WARP achieved significantly better energy consumption as compared to MIDORI, which is the current state-of-the-art design as a 128-bit low-energy cipher. For the unrolled (Enc-only) implementations, WARP is smaller than QARMA, while keeping relatively small delay, around 1.6 of QARMA-128₁₁. We also conducted threshold implementations of WARP for protection against first-order side-channel attacks. The results are quite impressive (Table 10 at Appendix D). All in all, WARP has pretty good performance for multiple hardware metrics not only in size.

For software metrics on microcontrollers, the design of WARP makes it flexible to make different trade-offs. We report performance characteristics of our assembly implementations on 8-bit AVR following various methods. The results show that, for WARP, it is possible to achieve competitively small code size and extremely low RAM consumption, with acceptable execution time.

Finally, thanks to the software-friendly structure of GFN, we report a very efficient software implementation of WARP on modern high-end CPUs equipped with

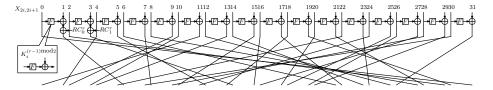


Fig. 1: Round Function of WARP.

SIMD instructions. Unlike known bitslice implementation of recent lightweight ciphers, which need many block to be processed in parallel, we use a vector permutation (vperm) instruction, in a similar manner to TWINE [18]. This allows us to work with small (or no) parallelism. Surprisingly, the results on modern Intel processors are very competitive to the bitslice implementations of several state-of-the-art lightweight ciphers (GIFT, SKINNY and SIMON [12]). This gives another advantage to WARP when the operating mode is serial, say CBC-MAC or lightweight, serial authenticated encryption mode such as CLOC [44], SAEB [54], or COFB [31].

Organization. This paper is organized as follows. We first present the specification of our cipher in Section 2. We provide our design rationale, such as 32-branch permutation and S-box, at Section 3. Section 4 describes the details of security evaluations against major cryptanalysis methods. Section 5 and Section 6 provide our hardware and software implementations. Finally, we conclude at Section 7.

2 Specification

WARP is a 128-bit block cipher with a 128-bit key. The general structure of WARP is a variant of the 32-branch Type-2 GFN. A 128-bit plaintext M and a ciphertext C are loaded into a 128-bit internal state in encryption and decryption processes, respectively. The internal state is expressed as 32 nibbles, $X = X_0 \parallel X_1 \parallel \ldots \parallel X_{31}$, where $X_i \in \{0,1\}^4$. A 128-bit secret key K is denoted as two 64-bit keys K^0 and K^1 , i.e. $K = K^0 \parallel K^1$, where $K^i \in \{0,1\}^{64}$. K^0 and K^1 are also expressed as 16 nibbles, $K^0 = K_0^0 \parallel K_1^0 \parallel \ldots \parallel K_{15}^0$, where $K_i^0 \in \{0,1\}^4$, and $K^1 = K_0^1 \parallel K_1^1 \parallel \ldots \parallel K_{15}^1$, where $K_i^1 \in \{0,1\}^4$, respectively.

Round Function. The round function of WARP consists of a 4-bit S-box $S: \{0,1\}^4 \to \{0,1\}^4$, a nibble XOR: $\{0,1\}^4 \times \{0,1\}^4 \to \{0,1\}^4$, and a shuffle operation $\pi: \{0,\ldots,31\} \to \{0,\ldots,31\}$ applied to 32 nibbles. The round function applies a non-linear unit transformation involving a single S evaluation and round-key addition for each of two consecutive nibbles, adds a round constant, and applies π to all 32 nibbles. See Fig. 1. The S-box S is described in Table 1. The shuffle π and its inverse π^{-1} are described in Table 2.

Encryption and Decryption. The number of rounds of WARP is 41, where the nibble shuffle operation π in the last round is omitted. For $i = 1, \ldots, 41$, the *i*-th

Table 1: 4-bit S-box S.

\overline{x}																
$\overline{S(x)}$	С	a	d	3	е	b	f	7	8	9	1	5	0	2	4	6

Table 2: Shuffle π on 32 nibbles.

\overline{x}	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
$\pi(x)$	31	6	29	14	1	12	21	8	27	2	3	0	25	4	23	10
$\pi^{-1}(x)$	11	4	9	10	13	22	1	30	7	28	15	24	5	18	3	16
\overline{x}	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31
$\pi(x)$	15	22	13	30	17	28	5	24	11	18	19	16	9	20	7	26
$\pi^{-1}(x)$	27	20	25	26	29	6	17	14	23	12	31	8	21	2	19	0

round uses a 64-bit (16 nibbles) round key RK^i . Then, an *i*-th round key RK^i is given as $RK^i = K^{(i-1) \bmod 2}$.

The encryption algorithm of WARP is given in Fig. 2. The decryption algorithm is omitted here. It is obtained by just changing π to its inverse π^{-1} .

WARP uses LFSR-based round constants. A state of 6-bit LFSR is written as $(\ell_5, \ell_4, \ell_3, \ell_2, \ell_1, \ell_0)$ and is initialized to 000001. It is updated in each round as

$$(\ell_5, \ell_4, \ell_3, \ell_2, \ell_1, \ell_0) \leftarrow (\ell_4, \ell_3, \ell_2, \ell_1, \ell_0, \ell_0 \oplus \ell_5).$$

Using this LFSR, we define two nibbles $RC_0 = (\ell_5, \ell_4, \ell_3, \ell_2)$ and $RC_1 = (\ell_1, \ell_0, 0, 0)$. RC_0 and RC_1 are xored to the first and third nibbles of the state (note that the numbering of the nibbles is from 0 to 31) after the $X_{2i+1} \leftarrow S(X_{2i}) \oplus K_i^{(r-1) \mod 2} \oplus X_{2i+1}$ operation. Let RC_0^r and RC_1^r be the r-th round constants. For completeness, we list (RC_0^r, RC_1^r) for all $r = 1, \ldots, 41$ in Table 3.

Claimed Security. WARP claims single-key security, and does not claim any security in related-key and known/chosen-key settings.

Table 3: Round constants (listed in hexadecimal).

r		1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20
RC_0^r		0	0	1	3	7	f	f	f	е	d	a	5	a	5	Ъ	6	С	9	3	6
RC_1^r		4	С	С	С	С	С	8	4	8	4	8	4	С	8	0	4	С	8	4	С
\overline{r}	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41
RC_0^r	d	Ъ	7	е	d	b	6	d	a	4	9	2	4	9	3	7	е	С	8	1	2
						i	8	0	4	8	0	4	c	İ	8	0	0	4	8	i	

```
Algorithm Encryption(K, M)
  1. (K_0^0 \parallel K_1^0 \parallel \ldots \parallel K_{15}^0, K_0^1 \parallel K_1^1 \parallel \ldots \parallel K_{15}^1) \leftarrow K
  2. X_0 || X_1 || \dots || X_{31} \leftarrow M
  3. for r = 1 to 40 do
          for i = 0 to 15 do
              X_{2i+1} \leftarrow S(X_{2i}) \oplus K_i^{(r-1) \bmod 2} \oplus X_{2i+1}
  5.
  6.
          X_1 \leftarrow X_1 \oplus RC_0^r, X_3 \leftarrow X_3 \oplus RC_1^r
  7.
  8.
          X_0' \parallel X_1' \parallel \ldots \parallel X_{31}' \leftarrow X_0 \parallel X_1 \parallel \ldots \parallel X_{31}
          for i = 0 to 31 do
  9.
               X_{\pi[j]} \leftarrow X'_j
10.
           end for
11.
12. end for
13. for i = 0 to 15 do
          X_{2i+1} \leftarrow S(X_{2i}) \oplus K_i^0 \oplus X_{2i+1}
16. X_1 \leftarrow X_1 \oplus RC_0^{41}, X_3 \leftarrow X_3 \oplus RC_1^{41}
17. C \leftarrow X_0 \| X_1 \| \dots \| X_{31}
18. return C
```

Fig. 2: Encryption algorithm of WARP.

3 Design Rationale

As described, the goal of WARP is a 128-bit block cipher enabling small hardware implementation, both for encryption-only and unified ED circuits, and both for round-based and serial architectures. We detail the rational of our design choice for each component of GFN below.

3.1 Branch Size and Permutation

We choose to use 32-nibble GFN with a 4-bit S-box, instead of 16-byte GFN with an 8-bit S-box. Although the latter option allows to reuse most of the known design/cryptanalytic results on 16-branch GFN (SM10, TWINE or LBlock and their cryptanalysis such as [25]), 8-bit S-box is much inferior to 4-bit S-box in terms of size/delay/energy.

We need a r=32-branch permutation that is good in terms of diffusion round and resistance to the major attacks, such as differential and linear attacks. Despite the recent research on many-branch GFN [20, 30, 62], this remains a hard problem, simply because the number of permutation quickly grows (r!). When $r=2^s$, SM10 shows an r-branch permutation of diffusion round being 2s based on de Bruijin graph, however, according to our random search, there is a huge number of 32-branch permutations having diffusion round of $2\log_2 32=10$. Besides, the differential/linear Active S-box (AS-box) counts are very different among them, which suggests that we need another criteria before searching.

After some experiments, we limit ourselves to permutations allowing efficient serial hardware implementations, which is our main focus (See Section 5 for hardware implementation). In more detail, we searched all permutations of LBlock-like structure that consists of one 16-branch permutation composed of two identical 8-branch permutations, and one rotation on 16 branches with an amount of rotation from 0 to 15 nibbles as shown in Fig. 3. The resulting search space has size $8! \times 16 \approx 2^{19.3}$. The search over this space found 152 candidates of diffusion round 10. We conducted MILP-based differential AS-box counting for them. This evaluation requires about 2 days on a computer equipped with 44 cores and 64 GB RAMs. Among them, 21 candidates achieved AS-box of ≥ 64 (which is needed for security) at 19 rounds (and no candidates achieved it at 18 rounds), and 8 out of 21 achieved AS-box of 66, which was the largest among them. These 8 permutations are not isomorphic, however as far as we investigated, the attack characteristics for other attacks (linear AS-box, impossible differential characteristics etc) are identical for all of them.

Our investigation implies that they are equivalently secure in practice. Moreover, there is no difference from the implementation aspects either. Thus, we arbitrarily chose one among them. A LBlock-like equivalent round function of WARP is shown in Figure 4.

Recently, Derbez et. al [36] showed four equivalent classes of 32-branch permutations achieving full diffusion after 9 rounds, while WARP requires 10 rounds. However, our MILP-based evaluation revealed that the number of active S-boxes of these grows much slower than ours. Indeed, these require at least 32 rounds for achieving AS-box of \geq 64. Since WARP achieves it with only 19 rounds, the permutation of WARP is better than them as a 32-branch permutation.

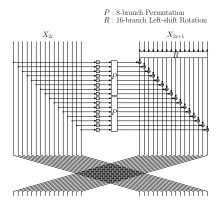


Fig. 3: General LBlock-like round function.

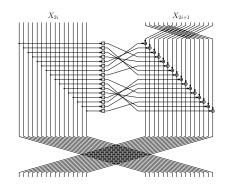


Fig. 4: Equivalent round function of WARP in LBlock-like structure.

3.2 S-box

According to [3], the small path delay and the small gate area lead to low-energy implementation. We searched a small-delay and lightweight 4-bit S-box which fulfills the following requirements: (1) the maximal probability of a differential is 2^{-2} , (2) the maximal absolute bias of a linear approximation is 2^{-2} and (3) preferably belonging one of the 30 cubic classes (as given in [24]) that allows decomposition into two quadratic s-boxes, so that it can be used to implement a 1st order threshold implementation with 3 shares. This helps us have a very lightweight threshold circuit as well. As a result, we decide to use S-box of MIDORI (Sb₀). Note that other S-boxes used in low-latency ciphers such as Prince and QARMA do not satisfy requirement (3).

3.3 Key Schedule

The key schedule uses alternately the upper and lower half of the 128-bit key in alternate rounds. This requires only a multiplexer to filter appropriate portions of the round key in each round. As already outlined in [3,17], an elaborate key schedule function requires a register element to store and update the key, which is costly in terms of area and energy consumption. Moreover, a simple key schedule is particularly beneficial to unified ED circuits, because additional hardware is not required to construct an inverse key schedule function. A key alternating cipher like WARP with odd number of rounds, uses the same upper half of the key in the first and the last encryption round (and indeed in all odd rounds) which implies that the decryption routine would also use the upper half of the key in the first, last and all odd rounds. Thus, the order of upper/lower half of keys used in successive rounds is exactly the same for encryption and decryption, thus no additional overhead is imposed to implement decryption alongside the encryption in hardware. In addition, the key XOR operation is applied after the S-box to avoid the complement property of Feistel-Type Structures [26], following the idea of Piccolo [59].

3.4 Round Constants

We use LFSR-based round constants as it is simple and efficient to implement in hardware. We use 6-bit LFSR with a primitive connection polynomial, which has a period of 63, and hence sufficient to cover 41 rounds used in WARP.

4 Security Evaluation

We evaluate the security of WARP against differential, linear, integral, impossible differential, invariant and meet-in-the-middle attacks. Among them, the 21-round impossible differential attack is considered to be the most efficient for WARP. In our evaluation, we do not expect an effective key-recovery attack on up to 32 rounds of WARP by using this 21-round impossible differential distinguisher or even using other ones. Consequently, we conclude that the full-round of WARP is expected to be resistant to those attacks. The details are given in Appendix B.

5 Hardware Performance

One of the principal objectives for our design was efficiency in constrained platforms with respect to multiple metrics of lightweight cryptography. Hence we looked at area, energy and latency which are widely acknowledged to be factors that determine the quality of a design. We first convert the round function to an LBlock-type architecture that helps us construct an efficient serial hardware architecture for WARP. Consider a 2-branch Feistel network, with a 128-bit block composed of $X_a||X_b$ (each of 64 bits). Further let $X_a[i], X_b[i], K[i], \forall i \in [0, 15]$ denote the individual nibbles of the branches, and the roundkey respectively. Then the LBlock-type function defined below in Fig 5, can also be used to define the specifications of WARP.

Round Function (X_a, X_b, K)

```
for i = 0 to 15 do
  T[\pi[i]] \leftarrow S(X_a[i]) \oplus K[\pi[i]],
                                       -- Sbox, shuffle left branch, addkey
  U[i] \leftarrow X_b[6+i \bmod 16],
                                        -- Rotate 6 nibbles (right branch)
end for
for i = 0 to 15 do
  U[i] \leftarrow U[i] \oplus T[i],
                                                    -- Add left, right branches
end for
U[0] \leftarrow U[0] \oplus RC_0, U[1] \leftarrow U[1] \oplus RC_1
                                                                -- Round const add
for i = 0 to 15 do
  X_b[i] \leftarrow X_a[i], X_a[i] \leftarrow U[i]
                                                  -- Swap left, right branches
end for
```

Fig. 5: Alternative definition of Round Function

In this definition, π is a permutation which maps i to the i-th element of the following set: $\{3,7,6,4,1,0,2,5,11,15,14,12,9,8,10,13\}$. It is elementary to show that the encryption routine defined by 41 iterations of the round function in Fig 5 (with the left-right swap omitted in the last round) is equivalent to the definition of the encryption algorithm of WARP up to a shuffle of nibbles.

5.1 Nibble Serial Architecture

Figure 6 shows the architecture for WARP. Each storage element colored yellow/white in the figure is a 4-bit scan/normal flip-flop respectively. Apart from 4-bit xor gates required for round key addition, left-right branch addition, and round-constant addition, we have used a few multiplexers to manoeuvre data through the circuit. The circuit uses only one S-box, and in addition we have a key-multiplexer that filters roundkey nibbles from the 128-bit master key (which is not shown in the figure for space constraints). The circuit computes one round

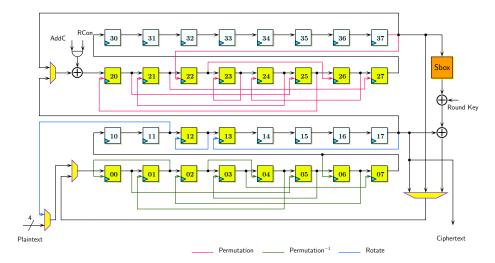


Fig. 6: Nibble serial architecture for WARP. The filter that feeds the permuted roundkey is omitted in the diagram.

function of WARP in 48 cycles. Following is the cycle-by-cycle description of the circuit operations.

Cycle 0-31: In the first 32 cycles, the plaintext nibbles are loaded on to the state register. After this, the round counter resets to 0, and the following operations are repeated 41 times.

Cycle 0-15: Before this set of cycles start, the left branch of the state, resides in the storage elements marked 37 to 20, and the right branch in those marked 17 to 00, as shown in Figure 6. In 17 to 00, we need to rotate the right branch by 6 nibbles. This is done as follows: a circular shift is performed for 16 cycles, which is somehow arrested for 10 cycles, to achieve the equivalent functionality of 6 nibble rotation. The 16 nibble flip-flops are divided into 3 groups of 10, 1, 5 (00 to 11, 12 and 13 to 17). An internal circular rotation of nibbles takes place for 10 cycles within each group. Since 10, 1 and 5 are divisors of 10, this rotation effectively executes the identity transformation on the right branch. Thereafter, a normal circular rotation over the entire set of 16 nibbles (00 to 17) occurs for the next 6 cycles, thus achieving the required functionality.

In the upper half, the shuffling denoted by the permutation π is performed on the left branch (note that the order of shuffle and addkey/sbox is interchangeable). We further take advantage of the fact that π can be defined in terms of the 8-element permutation function $\pi' = \{3,7,6,4,1,0,2,5\}$ over [0,7] and [8,15] (i.e. $\pi[i] = \pi'[i]$ if i < 8 and $8 + \pi'[i-8]$ otherwise). This being so, only the nibbles marked 20-27 need to be scan flip-flops. We perform a circular motion over the left branch nibbles (20 to 37) for these 16 cycles (AddC is set to 0 for this purpose), with the select signal controlling the scan flip-flops

being SET at cycles 7 and 15. At cycle 7, the most significant nibbles of the left branch reside at the flip-flops marked 26 to 20 and 37. When the scan flip-flops are SET during this cycle, the wiring ensures that at cycle 8, these nibbles are shuffled by π' and stored in 27 to 20. A similar logic applies to the shuffle in cycle 15. At this cycle, the least significant nibbles of the left branch reside at the flip-flops marked 26 to 20 and 37. The SET signal of the scan flip-flops in this cycle ensures shuffling by π' in the next cycle.

Cycle 16-31: The left branch nibbles are driven out of 37 input to the S-box and then xored with the corresponding key nibble. The output is added with the right branch nibbles which are driven out of 17. The nibbles driven out from 37 are driven back into 20 (thereby causing a circular shift of 16 nibbles which is essentially the identity function). The output of the final xor is driven into 00. Thus after cycle 31, the lower flip-flops (17 to 00) thus contain the output of the round function. The upper flip-flops (37 to 20) continue to hold the left branch of the current round (however the nibbles are shuffled with the permutation π executed in cycles 0 to 15).

Cycle 32-47: We need to undo the shuffling of the left branch and then swap the 2 branches. This is done serially over 16 cycles, by a circular rotation over the 32 flip-flop nibbles (37 to 00). The nibbles driven out of 17 are driven into 20, and thus after this set of 16 cycles, the flip-flops in the upper half (37 to 20) will contain the round function output. The nibbles out of 37 are driven into 00 and it is here that the π^{-1} is performed to undo the shuffle. Note that in the bottommost row, the scan flip-flops are wired to perform π^{-1} . The select signals are SET in cycles 40 and 47 to perform π^{-1} over the lower and upper set of 8 nibbles exactly as in cycles 16-31. This not only moves the left branch nibbles to the lower flip-flops but also undoes the shuffle performed in cycles 0-15, and so we are ready to perform the next round computations. Note that the round constants are added to the register 17 in cycles 32 and 33. This completes the round function. Note that since the left-right swap is omitted in the last round, the ciphertext is output from the flip-flop marked 17 rather than 37.

More circuit details of bit-serial and unified architecture for encryption and decryption are presented in Appendix D.

5.2 Performance Results

In Table 4, we compare the hardware performances of the serial implementations of WARP with other lightweight ciphers, with 128-bit block size and providing 128-bit security. Unless otherwise specified, for all the designs in the table, the following design flow was adhered to. The ciphers were first implemented in VHDL and a functional simulation was done using the *Mentorgraphics Modelsim* software. Thereafter the design was synthesized using the Standard cell library of the STM 90nm CMOS logic process (CORE90GPHVT v 2.1.a) with the Synopsys Design Compiler, with the compiler flag set to compile_ultra. A timing simulation was done on the synthesized netlist with 1000 test vectors. The switching activity of

each gate of the circuit was collected while running post-synthesis simulation. The average power was obtained using Synopsys Power Compiler, using the back annotated switching activity.

Serial implementations are deployed when area is one of the primary metrics to be optimized. As can be seen from Table 4, WARP performs well as far as area is concerned, when compared with other ciphers with similar security level. As in [3,17], we used multiplexers to filter round keys, instead of a register, which saves us 100 to 150 GE of silicon area. The encrypt-only (E) bit-serial version of WARP occupies only 763 GE which is the lowest reported at this security level. Note that for a fair comparison, all the designs in Tables 4, 5 were implemented from scratch except the ones marked by an asterisk.

Table 4: Comparison of performance metrics for serial implementations synthesized with STM 90nm Standard cell library. Figures separated by / indicate corresponding metrics for encryption/decryption. *Synthesized with the IBM 130 nm process/Power at 100 KHz

	Degree of	Area	Delay	Cycles	TP_{MAX}	Power (μW)	Energy
	Serialization	(GE)	(ns)		(MBit/s)	(@10MHz)	(nJ)
GIFT-128-128	4/32	1455	2.25	714	76.0	61.7	4.40
GIFT-128-128	1	1213	2.46	6528	7.6	40.3	26.30
SKINNY-128-128	8	1638	1.95	840	74.5	79.1	6.64
SKINNY-128-128	1	1110	0.81	6976	21.6	53.8	37.53
SIMON 128/128	1	1077	1.17	4480	23.3	60.5	27.10
MIDORI 128 (E)	8	1308	4.94	415	62.4	54.4	2.26
MIDORI 128 (ED)	8	1401	6.08	415/463	50.7/45.5	54.6	2.27/2.53
AES 128 (ED)	8	2060	5.79	246/326	85.7/64.7	129.7	3.19/4.23
AES 128 (E) [45] *	1	1560	-	1776	-	0.823	14.61
AES 128 (ED) [45]*	1	1738	-	1776/2512	-	0.852	14.61/15.13
WARP (E)	4	871	2.97	2032	20.2	33.2	6.76
WARP (E)	1	763	2.01	8128	7.5	28.4	23.04
WARP (ED)	4	925	2.58	2032	23.3	34.6	7.03
WARP (ED)	1	806	2.13	8128	7.1	29.0	23.59

5.3 Round Based and Round Unrolled Designs

While serial implementations are useful to construct low area architectures, round based and round unrolled architectures offer a lot of benefits such as good energy performances, in addition with reasonably good area and throughput performances. In [6], the authors studied a number of block ciphers and came to the conclusion that round based or 2-round unrolled implementations tend to be the most energy efficient configurations for block ciphers.

For WARP, the round based configuration would need to filter the upper or the lower key half in successive rounds. Thus a multiplexer is necessary for this filtering. In contrast a 2-round unrolled configuration performs 2 round function computations in a single clock cycle. Such a configuration would have circuits for 2 round functions placed serially one after the other. This obviates the use of a multiplexer to filter any round keys, as it is clear that the first round function block can simply use the upper key half and the second block can similarly use the lower half. Thus a 2-round unrolled circuit would consume proportionately

lesser resources than a round based circuit both in terms of area and energy. Similar arguments can be made about odd and even round unrolled circuits for WARP. We experimented with 3 configurations for WARP: the round based, the 2 round and the 4 round unrolled circuits. The simulation results along with a comparison with other lightweight block ciphers is presented in Table 5. Indeed, in terms of energy, the 2-round unrolled configuration is the best and is around 30% better with respect to the one round configuration of MIDORI 128, a block cipher, which is the most energy efficient block cipher reported in literature. Note that WARP has odd number of rounds: this means that any even round unrolled implementation will do some redundant computation in the final cycle. For example, a 2-round unrolled implementation will need to operate 21 cycles, to execute 41 round functions: the final cycle performs one additional round function. This amounts to wastage of energy in the final cycle: however this is a small fraction of the total energy consumed (for WARP it is less than 1% of the total energy consumed). Figure 7 further shows a breakdown of area occupied by the corresponding components of the circuit. Appendix D also describes a 1st order threshold implementation of the WARP circuit.

Table 5: Comparison of performance metrics for round based implementations synthesized with STM 90nm Standard cell library (1R, 2R, 4R refer to 1, 2, and 4 round unrolled circuits).

	Area (GE)	Delay (ns)	Cycles	TP_{MAX} (GBit/s)	$\mathrm{TP}_{MAX}/\mathrm{Area}$ $\mathrm{MBit}/(\mathrm{s}\cdot\mathrm{GE})$	Power (μW) (@10MHz)	Energy (pJ)
GIFT-128-128	1997	1.85	41	1.611	0.826	116.6	478.1
SKINNY-128-128	2104	1.85	41	1.611	0.784	132.5	543.3
SIMON 128/128	2064	1.87	69	0.937	0.465	105.6	728.6
MIDORI 128(E)	2522	2.25	21	2.649	1.076	89.2	187.3
MIDORI 128(ED)	3661	2.44	21	2.443	0.683	108.7	228.3
AES 128	7215	3.83	11	3.113	0.442	730.3	803.3
WARP (1R) (E)	1187	2.05	42	1.418	1.223	55.5	233.2
WARP (1R) (ED)	1390	1.74	42	1.671	1.231	59.5	250.0
WARP (2R) (E)	1456	1.95	22	2.911	2.047	58.4	128.5
WARP (2R) (ED)	1824	2.67	22	2.126	1.193	69.9	153.7
WARP (4R) (E)	2223	3.25	12	3.334	1.536	117.5	141.0
WARP (4R) (ED)	3075	3.93	12	2.758	0.918	177.4	212.9

6 Software Performance

6.1 On 8-bit AVR Microcontrollers

The design of WARP makes it flexible to make trade-offs to achieve various performance characteristics on 8-bit AVR. Applying different implementation choices results in different trade-offs between ROM, RAM, and execution time. Appendix E.1 presents the details of our implementations. Table 11 summarizes the results and comparison with available results of existing designs with same parameters. It can be seen, on one end of the spectrum, WARP consumes minimized RAM and competitively low ROM; On the other end, it achieves relatively good performance regarding CPU cycles without consuming too much ROM.

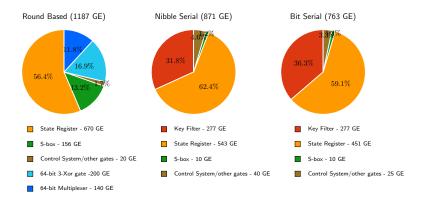


Fig. 7: Breakdown of component-wise area figures for 3 versions of WARP. Nibble and Bit-serial circuits require lesser scan flip-flops which require more area

6.2 On High-end Processors

The nibble-orientate character of WARP enables implementations of it fit neatly with a Single Instruction Multiple Data (SIMD) instruction commonly seen on modern CPUs. This SIMD instruction performs a vector permutation providing a look up table representation of the permutation offsets, which are called Vector Permutation Instruction (VPI) [63]. For Intel and AMD x86-64 CPUs, the concrete VPI is named (v)pshufb (which were used in our implementations). Both the parallel 4-bit S-box and the nibble shuffle operation can be implemented using (v)pshufb. Thus, the round function of WARP can be fully implemented using a few (v)pxor and (v)pshufb. In Appendix E.2, we present the details of our implementations of WARP using SIMD instructions on x64 CPUs. Our benchmark results of WARP, together with that of two ciphers that are also designed targeted at hardware, i.e., SIMON and SKINNY, are reported in Figure 10.

The software performance of WARP on high-end processors has the following advantages. First, apart from mode of operations that can be parallelized, for those that cannot, WARP also provides competitive performance, because the single-block implementation of WARP can be very fast. Besides, for those modes that can be parallelized, the latency of WARP can be very small, because the required number of message blocks to achieve the optimal performance is relatively small. Second, in the scenario where a server communicates with many sensors using different keys, WARP can be very fast, because there is no heavy key schedule.

The source codes for our software implementations can be found via https://www.dropbox.com/sh/u7fu6tqh932cxuf/AADyceHbj3xkRX5YGIVWs4bSa?dl=0.

7 Conclusion

We have presented a 128-bit lightweight block cipher WARP. The design of WARP is based on a variant of Type-2 GFN, combined with an improved shuffle over 32

nibbles to boost the diffusion. The primary goal is to achieve a small-footprint 128-bit block cipher, both for encryption-only and unified ED circuits. This has been achieved by carefully choosing the components of GFN. We provided a comprehensive hardware implementation results. They show that WARP is the smallest 128-bit block cipher in the most of typical implementation strategies. Moreover, WARP is very competitive in energy-efficient implementation. Besides, the software of WARP on 8-bit microcontrollers can achieve competitively small code size and extremely low RAM consumption, with acceptable execution time. Finally, WARP is very efficient on software implementation using SIMD on high-end processors. Indeed, our experimental results suggest that, for relatively short inputs, WARP is faster than other hardware-oriented lightweight ciphers, which is a desirable feature when the block cipher is operated in a serial mode.

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A Test Vector

Table 6 shows the test vectors of WARP.

Table 6: Test vectors.

B 0 1 2 3 4 5 6 7 8 9	9 10 1	l1 12	13 1	14 15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31
K 0 1 2 3 4 5 6 7 8 9 M 0 1 2 3 4 5 6 7 8 9 C 2 4 C E 0 A 8 E F 1	9 A I	B C B C F 3	D	E F E F D E	F F 5		D D 9	C C D	B B 5	A A F	9 9 D	8 8 F	7 7 4	6 6 5	5 5 7	4 4 0	3 3 3	2 2 A	1 1 8	0 0 D
K 0 1 2 3 4 5 6 7 8 9 M 0 0 1 1 2 2 3 3 4 4 C 9 2 3 C 6 4 F 9 2 8	A 1 1 5 3 2	B C 5 6 7 E	D 6 E	E F 7 7 6 2	F 8 B	E 8 9	D 9 6	C 9 6	B A 7	A A D	9 B D	8 B 2	7 C 5	6 C 4	5 D 8	4 D F	3 E B	2 E 1	1 F 2	0 F C
K O A C D O 2 2 F 6 8 M A F 6 C D D 9 0 F 6 C 6 1 2 3 9 9 5 F 1 9	5 5	A 5 A 6 4 D	Ē	7 F A A 1 4	E 8 2	E 9 5	0 7 6	3 B 4	C C 1	O D A	8 1 C	6 2 D	7 0 D	B 8 0	0 D 5	9 3 8	E 9 D	3 1 D	D E 4	7 1 6

B: Branch Index K: Master key M: Plaintext C: Ciphertext

B Security Evaluation

In this section, we provide the security evaluations of WARP against differential, linear, integral, impossible differential, invariant and meet-in-the-middle attacks.

B.1 Differential/Linear Attack

Differential cryptanalsis [23] and linear cryptanalsis [50] are among the most powerful techniques available for block ciphers. To evaluate the security against differential and linear attacks, we compute the lower bound for the number of differentially and linearly active S-boxes with a MILP-aided automatic search method, which was proposed by Mouha et al. [53]. We use Gurobi [43] as the solver and search for all nibble-wise truncated differential and linear characteristics.

Table 7 shows the minimum number of differentially and linearly active S-boxes for up to 19 rounds in the single-key setting, where AS_D and AS_L denote the number of differentially and linearly active S-boxes, respectively. It can be observed from Table 7 that WARP has more than 64 active S-boxes after 19 rounds. Since the maximum differential probability and absolute linear bias of the S-box of WARP are both 2^{-2} and the nibble-wise full diffusion requires 10 rounds, even with a 19-round differential distinguisher, we expect that an effective key-recovery attack cannot reach up to 19+12=31 rounds. In a word, the full-round WARP is secure against differential and linear attacks.

B.2 Impossible Differential Attack

Generally, an impossible differential attack [22] is one of the most powerful attacks against Feistel-type ciphers. The impossible differential attack exploits a pair of

Table 7: The lower bound for the number of differentially and linearly active S-boxes in the single-key setting.

#Rounds	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19
$\overline{AS_D/AS_L}$	0	1	2	3	4	6	8	11	14	17	22	28	34	40	47	52	57	61	66

input-output difference denoted by Δ_{in} and Δ_{out} such that Δ_{in} will never reach Δ_{out} after several rounds.

As mentioned in Section 3, WARP achieves the full diffusion after 10 rounds at both the encryption and decryption sides in nibble-wise. Based on a more detailed investigation, we found that the full diffusion requires 12 rounds at both the encryption and decryption sides in bit-wise. Hence, there should be no probability-1 bit-wise impossible differential over 24 rounds.

In order to obtain the longest impossible differential distinguisher, we utilize an impossible differential search tool based on MILP designed by Sasaki and Todo [58]. Specifically, we evaluate the search space such that the plaintext difference and ciphertext difference activate only one bit, respectively. To model the propagation of differences through the 4-bit S-box, we take into account the differential distribution table for the 4-bit S-box. Based on the method as proposed in [61], it can be modeled with the linear inequalities. As a result, we find the following 21-round impossible differential distinguisher.

According to Boura et al's work [29] in ASIACRYPT 2014 and the corresponding interpretation [35] by Derbez in FSE 2016, when extending the 21-round impossible differential distinguisher for 10 rounds, the required time complexity of the key-recovery attack is almost close to a pure exhaustive key search. Therefore, we do not expect an effective key-recovery attack on up to 32 rounds of WARP by using this 21-round impossible differential distinguisher. In a word, we expect that the full-round WARP is secure against the impossible differential attack.

B.3 Integral Attack

The integral attack was first proposed by Daemen et al. [32] and it was later formalized to the integral property by Knudsen and Wagner [47]. We define the four states for a set of 2^n *n*-bit cell: **A**: if $\forall i, j \ i \neq j \Leftrightarrow x_i \neq x_j$, **C**: if $\forall i, j \ i \neq j \Leftrightarrow x_i = x_j$, **B**: $\bigoplus_{i=1}^{2^n-1} x_i$, and **U**: Other. The integral attack was further generalized to the division property by Todo [64], which can exploit the hidden feature between **A** and **B** states.

To evaluate the nibble-based division property, we use a MILP-aided automatic search method proposed by Xiang et al. [67], which enables us to efficiently explore the propagation of the division property. Specifically, we evaluate all the cases where 1, 2, 3

nibbles out of 32 nibbles are **C** and the others are all **A** in plaintexts. Thus, we need to evaluate $2^{23.2} \left(= \binom{32}{1} + \binom{32}{2} + \binom{32}{3} \right)$ nibble-wise patterns. In this way, we find the following 20-round integral distinguisher.

However, due to the high data complexity of this integral distinguisher, one can extend only 1 round to achieve a key-recovery attack and its time complexity is almost close to an exhaustive key search. One may find an integral distinguisher by using a lower data complexity, but the number of rounds will be reduced. Considering that the nibble-wise full diffusion requires 10 rounds and that a common integral distinguisher covering larger rounds always requires a higher data complexity, we expect that the full-round WARP is secure against integral attacks.

B.4 Meet-in-the Middle Attack

We evaluate the security against the meet-in-the-middle attack following the method appeared in the self-evaluation of MIDORI [3] and CRAFT [16]. The 10-round full diffusion property guarantees that any inserted key-bit non-linearly affects all branches after the 10 rounds in the forward and the backward directions, respectively. Thus, the possible number of rounds used for the partial matching (PM) [57] is estimated as 19 (= (10-1)+(10-1)+1). The condition for the initial structure (IS) [57] is that key differential trails in the forward direction and those in the backward direction do not share active non-linear components. For WARP, since any key differential affects all 16 S-boxes after at least 10 rounds in the forward and the backward directions, there is no such differential which shares active S-box in more than 10 rounds. Thus, the number of rounds used for IS is upper bounded by 9. Assuming that the splice-and-cut technique allows an attacker to add more 3 rounds in the worst case, at most 32-round (19 + 10 + 3) MitM attack may be feasible. However, because of the iterated key insertions of K_0 and K_1 for every two round, we consider that it is difficult to mount a 32-round attack on WARP.

B.5 Invariant Subspace Attack

We use LFSR-based round constants in each round. Following the notions presented in [13], we first tried to find the smallest L-invariant subspace that contains all roundkey differences. Here, L denotes the transformation that describes the linear layer in WARP. Since WARP adds two key halves in an alternating fashion, the master keys repeat every other round, the set of roundkey differences in the even/odd rounds are given by

$$D_{even} = \{ \mathbf{RC}^r \oplus \mathbf{RC}^{r+2} : i \in \{0, 2, \ldots\} \}, \ D_{odd} = \{ \mathbf{RC}^r \oplus \mathbf{RC}^{r+2} : i \in \{1, 3, \ldots\} \},$$

where \mathbf{RC}^r is the 128-bit vector defined as $(0^4 \parallel RC_0^r \parallel 0^4 \parallel RC_1^r \parallel 0^{112})$. Denoting $D = D_{even} \cup D_{odd}$, we try to find $W_L(D)$, which denotes the smallest L-invariant subspace containing D. We found that $W_L(D)$ is a subspace of dimension 124, which does not automatically guarantee resistance to subspace attacks. As the invariant attack applies only if there is a non-trivial invariant g for the S-box layer such that $W_L(D) \subset LS(g)$, where LS(g) is the subspace of all linear structures of the function g. We ran Algorithm 1 of [13] on $Z = W_L(D)$ first to see if S(Z) hits all the cosets of Z. Experimentally we found that it does indeed, leading us to conclude that g is the constant function which guarantees security against subspace attacks.

C 32-branch Permutations with 9-round Full Diffusion [36]

Table 8 shows four equivalent classes of 32-branch permutations of $\pi'_0(x)$, $\pi'_1(x)$, $\pi'_2(x)$, and $\pi'_3(x)$ achieving 9-round full diffusion found by Derbez et. al [36].

Table 9 is a comparison of lower bounds on the number of active S-boxes for WARP and four permutations by our MILP-based Active S-boxes counting. As shown in Table 9, the number of active S-boxes of $\pi'_0(x)$, $\pi'_1(x)$, $\pi'_2(x)$, and $\pi'_3(x)$ grows much slower than WARP. Specifically, $\pi'_0(x)$, $\pi'_1(x)$ and $\pi'_2(x)$, $\pi'_3(x)$ require at least 32 and 48 rounds for achieving AS-box of ≥ 64 , respectively.

Table 8: Four equivalent classes of 32-branch permutations with 9-round full diffusion [36].

\overline{x}	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
$\pi'_0(x)$	3	4	5	12	7	24	9	20	11	2	1	26	15	8	17	30
$\pi_1^{\gamma}(x)$	3	10	5	12	7	26	9	20	11	8	1	24	15	18	17	30
$\pi_2^{\prime}(x)$	3	4	5	2	7	24	9	16	11	14	1	28	15	10	17	8
$\pi_3^{r}(x)$	3	14	5	12	7	28	9	18	11	22	1	30	15	2	17	24
\overline{x}	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31
													20	23	50	0.1
$\pi'_0(x)$	19	14	21	18	23	28	13	10	27	16	29	6	25	22	31	0
$\pi_0'(x)$ $\pi_1'(x)$	19 19	14 4	21 21	18 2	23 23	28 28	13 13	10 14		-	-	-	-	-		-
9 > 1	-			9		_	_	-	27	16	29	6	25	22	31	0

Table 9: Lower bounds on the number of Active S-boxes for WARP and four permutations of $\pi'_0(x)$, $\pi'_1(x)$, $\pi'_2(x)$, and $\pi'_3(x)$

# of rounds	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19
WARP	0	1	2	3	4	6	8	11	14	17	22	28	34	40	47	52	57	61	66
$\pi'_{0}(x)$ [36]	0	1	2	3	4	6	8	11	14	19	22	24	26	28	30	32	34	36	38
$\pi_1'(x)$ [36]	0	1	2	3	4	6	8	11	14	19	22	24	26	28	30	32	34	36	38
$\pi_2'(x)$ [36]	0	1	2	3	4	6	8	10	12	12	14	16	16	18	20	20	22	24	24
$\pi_3^7(x)$ [36]	0	1	2	3	4	6	8	10	12	12	14	16	16	18	20	20	22	24	24

D More Details about Hardware Implementations

D.1 Bit Serial Architecture

The nibble serial architecture can be converted to a bit serial architecture, with some simple circuit-level transformations. The first is explained in Figure 8. Any nibblewise scan flip-flop can be serialized as shown in Figure 8, so that only one scan flip-flop per nibble is utilized. Whereas in the nibble serial architecture, the circuit can transfer one of the 2 nibble signals in one clock cycle, the same can be done over 4 cycles in the

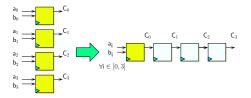


Fig. 8: Nibble to bit serial transformations

bit-serial architecture. Thus the bit-serial circuit can perform the same set of round operations in $48 \times 4 = 192$ cycles, in 3 sets of 64 cycle operations as in the nibble serial circuit. We save $18 \times 3 = 54$ scan flip-flops in the bit-serial architecture, and also 4-bit xor gates and multiplexers can be replaced with corresponding single bit gates.

D.2 Unified Circuit for Encryption and Decryption

Implementing the functionalities of encryption and decryption (ED) on the same circuit can be beneficial in some instances. Various modes of operations like CBC, XTS, OCB and COLM [1], that use block ciphers as the underlying primitive, require access to both its encryption and decryption functionalities. Thus it is useful to have an implementation that achieves both functionalities of a block cipher with minimal overhead. There are several features in the Feistel network structure, that make it easier to construct the ED architecture. Some of them are as follows:

- 1. SPN structures generally require involutive S-boxes to ensure efficient ED implementation [3,17]. If not, they require the circuits for the forward and inverse S-box to be implemented together, which increases area [8]. However the inverse round function in Feistel networks can be described with the forward S-box only. This gives us more freedom to search for S-boxes with lightweight characteristics.
- 2. Some SPN block ciphers, e.g., [17] require the decryption key to be equal to $L \cdot K$, where L denotes the matrix that forms the linear layer of the cipher. Thus additional circuit for matrix multiplication is required. Also a multiplexer is required to filter these keys for encryption/decryption. In the architecture for WARP, this is not necessary.
- 3. Let F_K denote the function that performs S-box function and the roundkey addition on the left branch. Then by slight abuse of notation we can write the round function as

$$Y_a = P(F_K(X_a)) \oplus (X_b \ll 6), Y_b = X_a \tag{1}$$

where P is the function that performs the nibblewise shuffle of the left branch by moving the i-th nibble to $\pi[i]$. Then it is easy to see that the inverse round function is $X_a = Y_b, X_b = (P(F_K(Y_b)) \oplus (Y_a)) \gg 6$. However we do omit the left-right swap in the last round, and as a result, decryption can be computed by iterating the following round function 40 times, followed by a "swapless" final round:

$$X_a = (P(F_K(Y_a)) \oplus (Y_b)) \gg 6, X_b = Y_a.$$
 (2)

Equations (1) and (2) are similar except that in encryption, the right branch is left rotated by 6 nibbles before addition, whereas in decryption, rotation done is after xoring left and right branches, this time by 6 nibbles towards the right. Since WARP uses each half of the master key in alternate rounds for key addition, it has been designed to have odd number of rounds. This means the first and last round

encryption keys are the same, which implies that the encryption and decryption uses the left and right halves of the key in the same order.

Thus the only real overhead in the ED circuit for WARP is to accommodate left and right rotation by six nibbles in different times of the decryption cycle, and arrange for round constants to be generated in the reverse direction, which only requires some strategically placed multiplexers to accommodate the timing of these operations in the decryption cycle.

In essence, one approach would be to not rotate the right branch during cycles 0 to 15, and do rotation only during cycles 31 to 47 when the xoring of right and left branches has been completed. However, this approach is slightly problematic to adopt, as cycles 31 to 47 are used to not only swap left and right branches but also to apply π^{-1} to the left branch as it is being moved to bottom rows of flip-flops. In such a situation the bottom rows cannot accommodate two different types of permutation operations at the same time.

As a result, we need to exercise some fine-grained control over the ED circuit. For decryption, we rotate the right branch by 10 nibbles left in cycles 0-15 (same as 6 nibbles right rotation), although this rotation is not required as per Equation (2). Thus to maintain functionality, in cycles 16-31, we drive nibbles out through register 11 to do xor between left and right branches (this was done through flip-flop 17 during encryption). After xor, the incoming nibbles are driven in through flip-flop 12 (this was done through 00 during encryption). This method has the added advantage that after round 31, the flip-flops 17-00 already contain $(P(F_K(Y_a)) \oplus (Y_b)) \gg 6$. This allows us to have the decryption operations in cycles 32-47 exactly the same in encryption.

For completeness, we discuss two more issues. First, for decryption we choose, cycles 0 and 1 for round constant addition, as this operation has to precede the non-linear operations. To rotate left by 10 nibbles, we need to freeze rotation for 6 cycles. Like in encryption, we divide the bottom row into groups of 6, 6, 2, 2 flip-flops and do internal rotation in these for 6 cycles. To accommodate this operation we need to replace 3 normal flip-flop nibbles with scan flip-flop nibbles.

D.3 Threshold Implementations

The S-box belongs to the cubic class C_{266} as per the classification in [24] and as such it can be decomposed into 2 quadratic S-boxes $F \circ G$, where

$$G = [0, f, 6, 1, 3, 8, d, e, 4, b, 2, 5, 7, c, 9, a],$$

 $F = [c, 3, 1, e, 8, 5, d, 0, b, 4, 6, 9, 2, f, 7, a]$

Since a minimum of d+1 shares are required to implement the 1st order threshold implementation (TI) of a degree d S-box, we can thus implement a 3 share 1st-order TI in the manner shown in [56]. The idea is to implement the TI of G and F separated by a register bank in between, which suppresses the glitches produced by the TI of G.

Since the S-box has degree 3, a straightforward 4-share TI can also be implemented using a direct sharing approach. With regards to circuit architecture, the 4 share versions would only consist of 4 copies of the unshared circuit combined through a shared S-box. The 3-share circuit is slightly complicated owing to the fact that the shared G, F functions have to be executed one after the other. We implemented it in the manner shown in Figure 9. In the unprotected circuit described earlier, the S-box layer is computed in cycles 16 to 31. And so in the shared circuit, we implement the

shared function G in cycles 15 to 30 and the shared function F in cycles 16 to 31. However this creates another problem, as the entire left branch is overwritten by the output of the shared G layer before being fed back into register 20. Since the current left branch is required to serve the role of the right branch in the subsequent round, we need to invert the G layer before we proceed to the next round. This is done by implementing a shared implementation of the quadratic S-box G^{-1} between registers 20 and 21, which is operated from cycles 17 to 32.

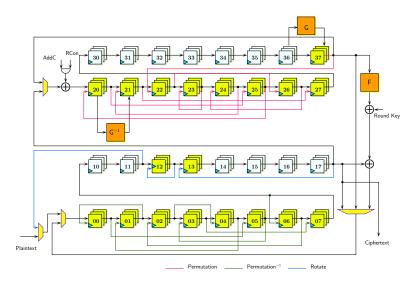


Fig. 9: Sketch of the 3-share nibble serial architecture for WARP

Table 10 shows the performance results for the 3-share and 4-share implementations of WARP. The smallest 3-share implementation stands at 1964 GE which is smaller than known implementations of SKINNY and PRESENT (although these are computed at different level of serialization).

E More Details of Software Implementations

E.1 Details of Software Implementations on 8-bit AVR

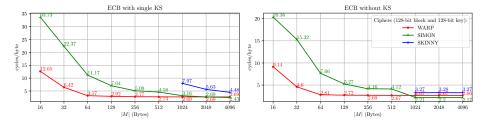
Our implementations of WARP on 8-bit AVR are in assembly and compiled using AVR macro assembler 2.2.7 in Atmel Studio 7.0. All implementations use the LBlock-type structure (see Figure 4). Detailed implementation choices are: 1) One-round or two-round unrolling: combining two rounds save the shuffle operation between left and right branches, trading ROM for CPU cycles; 2) One-S-box or two-S-box: combining two S-boxes can reduce times of memory accesses, trading ROM or RAM for CPU cycles; 3) Storing the LUT of the S-box in RAM or ROM. Table 11 presents the results and comparisons.

Table 10: Comparison of performance metrics for serial implementations synthesized with STM 90nm Standard cell library. (RB denotes round based circuit, 3s, 4s denotes circuits with 3, 4 shares respectively) *Synthesized with the UMC 180nm process/Power at 100 KHz. **Synthesized with the IBM 130nm process/Power at 100 KHz

	Degree of Serialization	Area (GE)	Delay (ns)	Cycles	$\begin{array}{c} \mathrm{TP}_{MAX} \\ \mathrm{(MBit/s)} \end{array}$	Power (μW) (@10MHz)	Energy (nJ)
PRESENT-80 (3s)* [56]	4	2282	_	547	_	5.1	28.16
SKINNY-128-128** (3s) [15]	8	3780	1.63	872	90.0	-	-
WARP (3s)	4	2288	3.11	2032	19.3	99.9	20.29
WARP (3s)	1	1964	2.54	8128	5.9	87.0	70.72
WARP (3s)	RB	6033	2.73	83	545.3	232.5	1.93
WARP (4s)	4	3363	3.12	2032	19.3	145.7	29.61
WARP (4s)	1	3060	3.26	8128	4.6	136.6	111.03
WARP (4s)	RB	15761	3.38	42	880.9	703.3	2.95

E.2 Details of Software Implementations on x64 CPUs

Similar to TWINE [63], WARP can be transformed into an equivalent form, in which only half branches go through a nibble shuffle per round. Accordingly, our SIMD implementations use this equivalent form. Besides, to take advantage of the pipelined execution unit on modern CPUs, we provide additional options on parallelism besides the double-block using 256-bit registers – compute each atomic step on quadruple/octuple data blocks. Our benchmark results of WARP, together with that of SIMON and SKINNY, are reported in Figure 10.



Source code for SKINNY and SIMON (versions with 128-bit block and 128-bit key) were adapted from [48, 65]. Because that of SKINNY only support 64-block parallel processing, results for short message are not available. We used GNU g++ 5.5.0 with -03-mavx2 options to compile. The processor is Intel(R) Core(TM) i7-6700 (Skylake). We turned off hyper-threading and disabled Turbo Boost. The timing method used was that in http://github.com/BrianGladman/AES. The instruction is rdtsc. We used time_enc16() evaluating the average time using 10000 samples of messages of a particular length.

Fig. 10: Software performance of WARP, SIMON and SKINNY on the same processor.

Table 11: Software performance of WARP on 8-bit AVR.

(a) Different performance characteristics of WARP on 8-bit AVR

Unroll	Features	Function	ROM [B]	RAM [B]	Time [cyc.]	$\rm Speed~[cpB]$
One- Round	One-Sbox RAM Two-Sbox	ENC DEC ENC+DEC ENC	(956 - 46) 910 (962 - 46) 916 (1044 - 46) 998 (1084 - 46) 1038	(176 - 160) 16 (176 - 160) 16 (176 - 160) 16 (160 - 160) 0	50554 50908 101462 40664	394.95 397.72 792.67 317.69
	ROM	DEC ENC+DEC	(1090 - 46) 1044 (1172 - 46) 1126	(160 - 160) 0 (160 - 160) 0	41018 81682	320.45 638.14
Two-	Two-Sbox ROM	ENC DEC ENC+DEC	(1404 - 46) 1358 (1406 - 46) 1360 (1516 - 46) 1470	(160 - 160) 0 (160 - 160) 0 (160 - 160) 0	36504 36506 73010	285.19 285.20 570.39
Round	Two-Sbox RAM	ENC DEC ENC+DEC	(1264 - 46) 1218 (1266 - 46) 1220 (1376 - 46) 1330	(416 - 160) 256 (416 - 160) 256 (416 - 160) 256	34348 34350 68698	268.34 268.36 536.70

(b) Performance of block ciphers (128-bit block and 128-bit key) on 8-bit AVR

Cipher	Block [b]	Key [b]	ROM [B]	RAM [B]	Time [cyc.]
AES LEA SKINNY SPARX WARP [1R] WARP [2R]	128	128	3000	(406 - 160) 246	58973
	128	128	1650	(629 - 160) 469	61755
	128	128	1124	(545 - 160) 385	77451
	128	128	1726	(751 - 160) 591	84390
	128	128	1126	(160 - 160) 0	81682
	128	128	1330	(416 - 160) 256	68698

The target device is ATmega128; The scenario is encryption/decryption of 128 bytes of data in CBC mode [37]. For ROM, that consumed by the main function for initializing data and calling the enc/dec functions are subtracted. For RAM, that required for storing the data to be processed, the master key, and the initialization vector are subtracted. WARP [1R] is for the one-round-based implementation storing the LUT of two-S-box in ROM. WARP [2R] is for the two-round-unrolled implementation storing the LUT of two-S-box in RAM. Results of other ciphers are from https://www.cryptolux.org/index.php/FELICS_Block_Ciphers_Brief_Results.