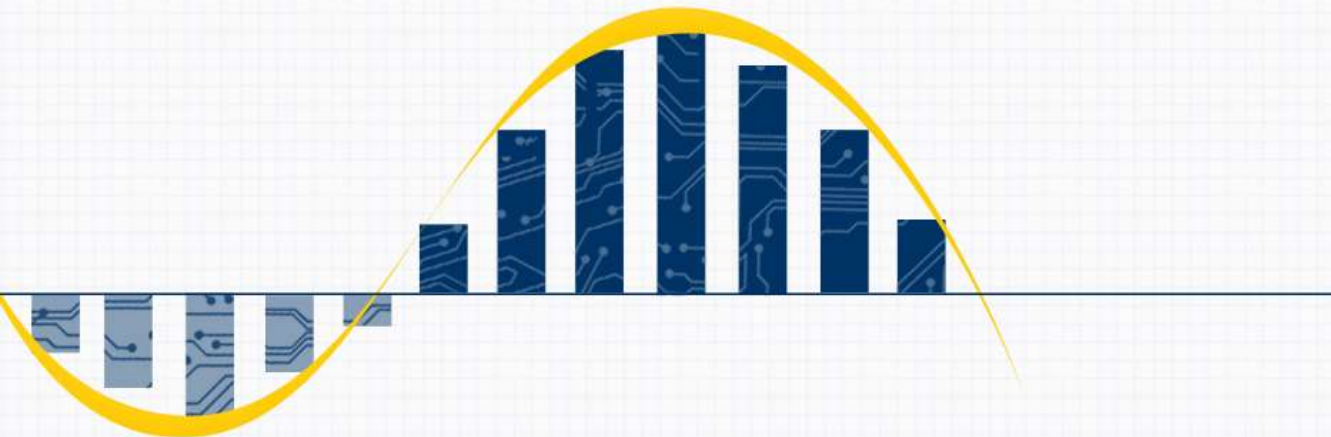




# Predicting Natural Gas Pipeline Alarms

Colin O. Quinn, Jaired R. Collins, Richard J. Povinelli

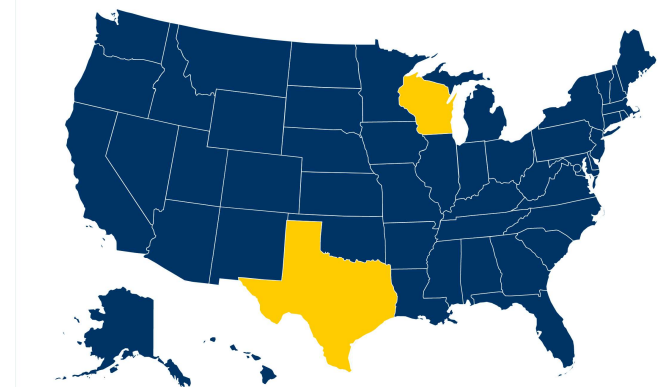
June 18 2019



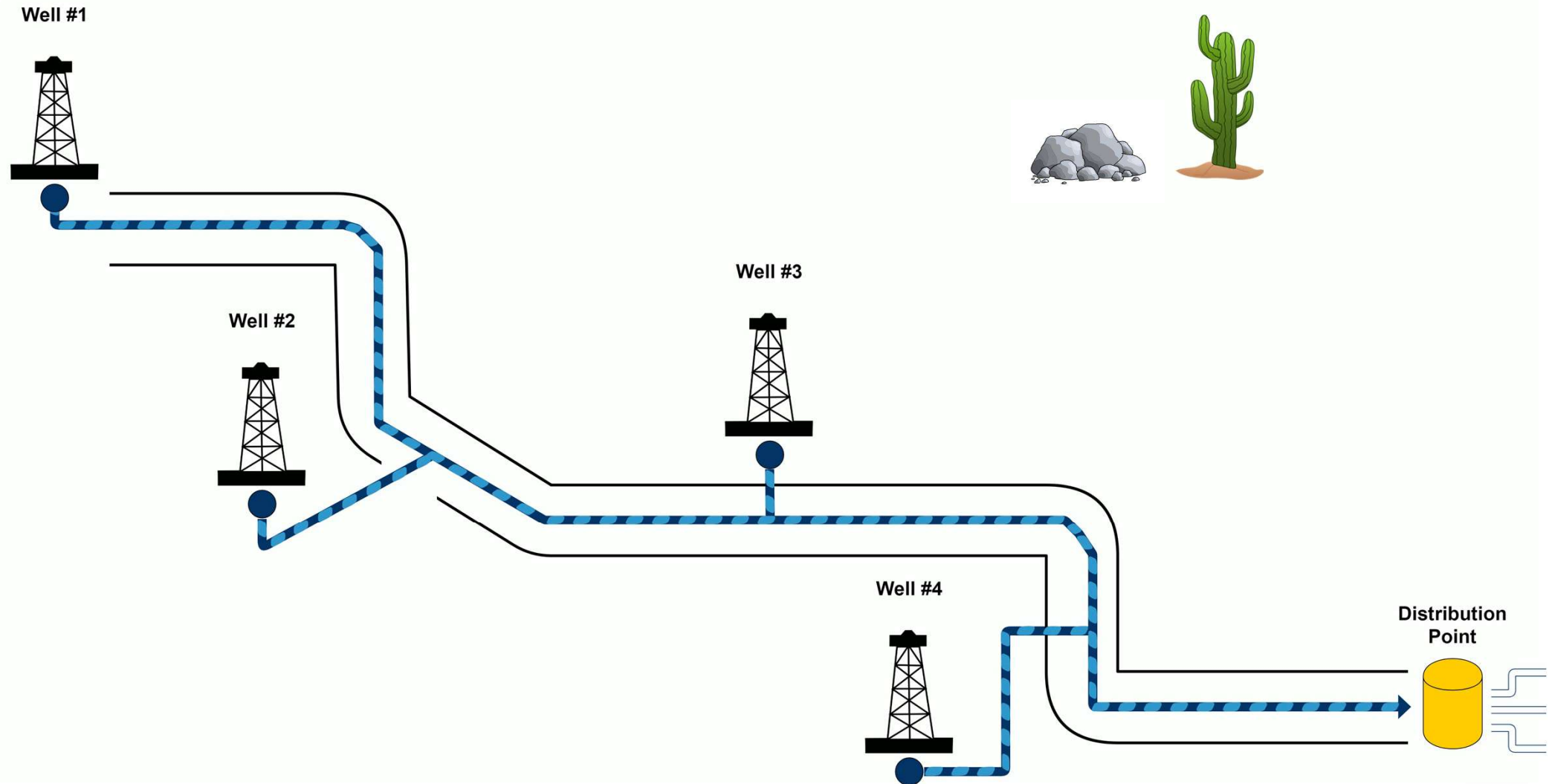
# Agenda

---

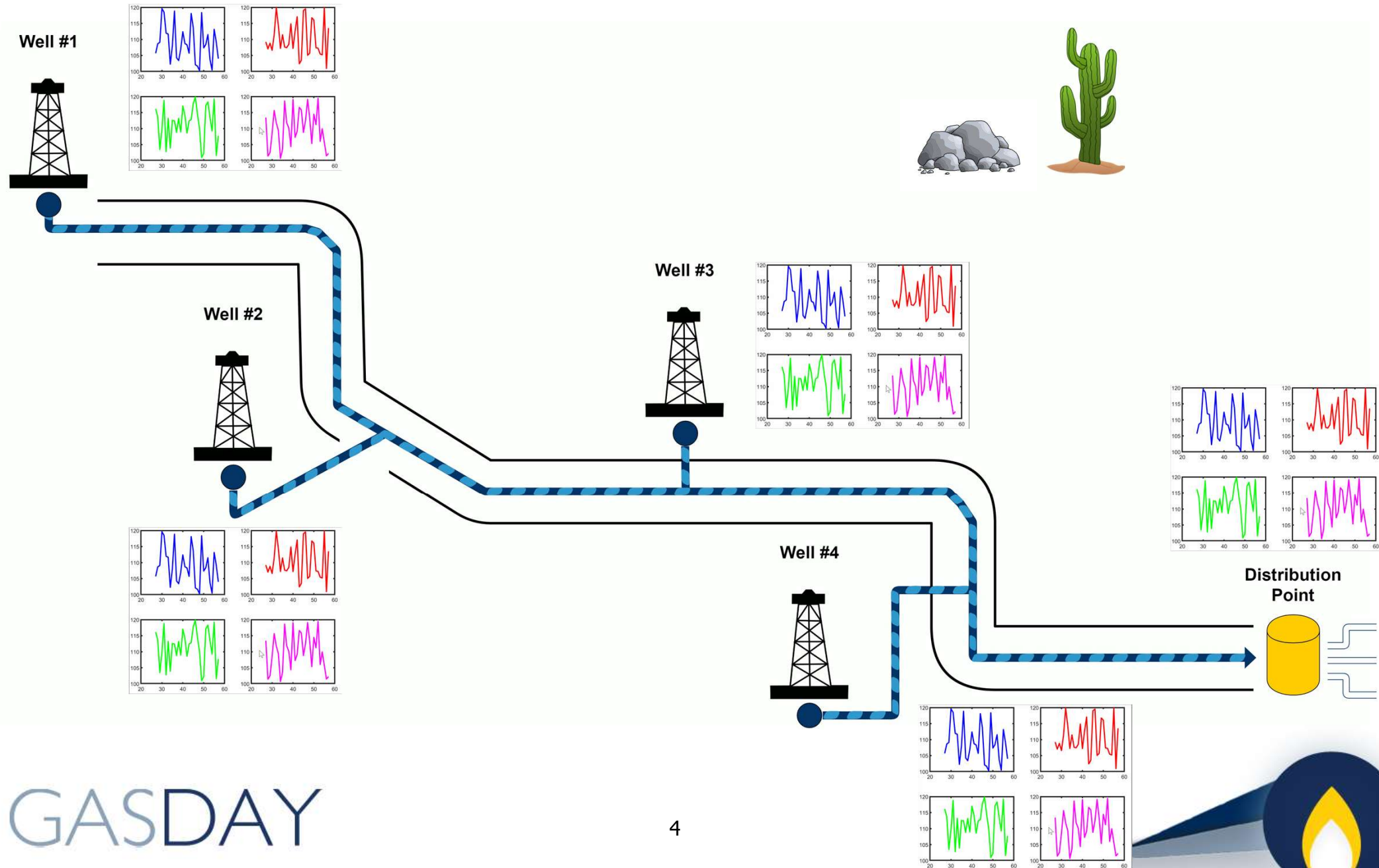
- Natural gas pipeline basics
  - Flow orientation
  - Control operators
- Signal data
  - Selection, preprocessing, transformation
- Linear autoregressive model
  - Forecasting alarms
- Alarm forecasting results
- Conclusion



# Problem Statement



# Problem Statement



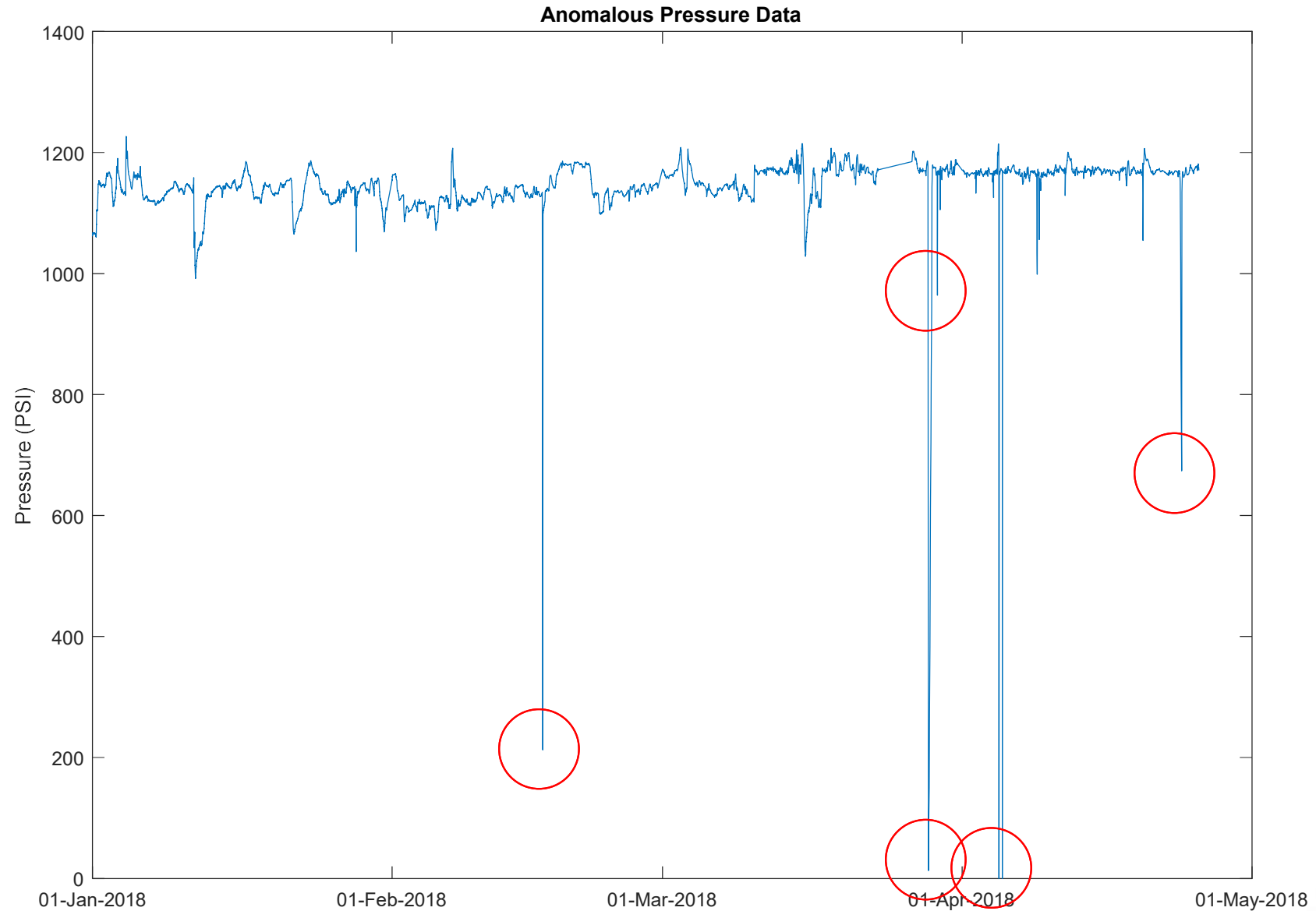
# Problem Statement

---

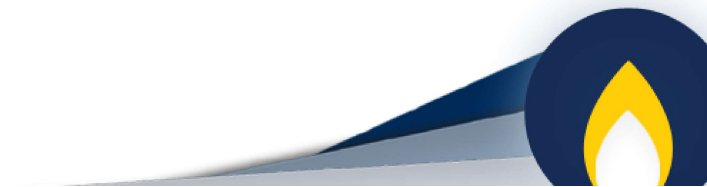
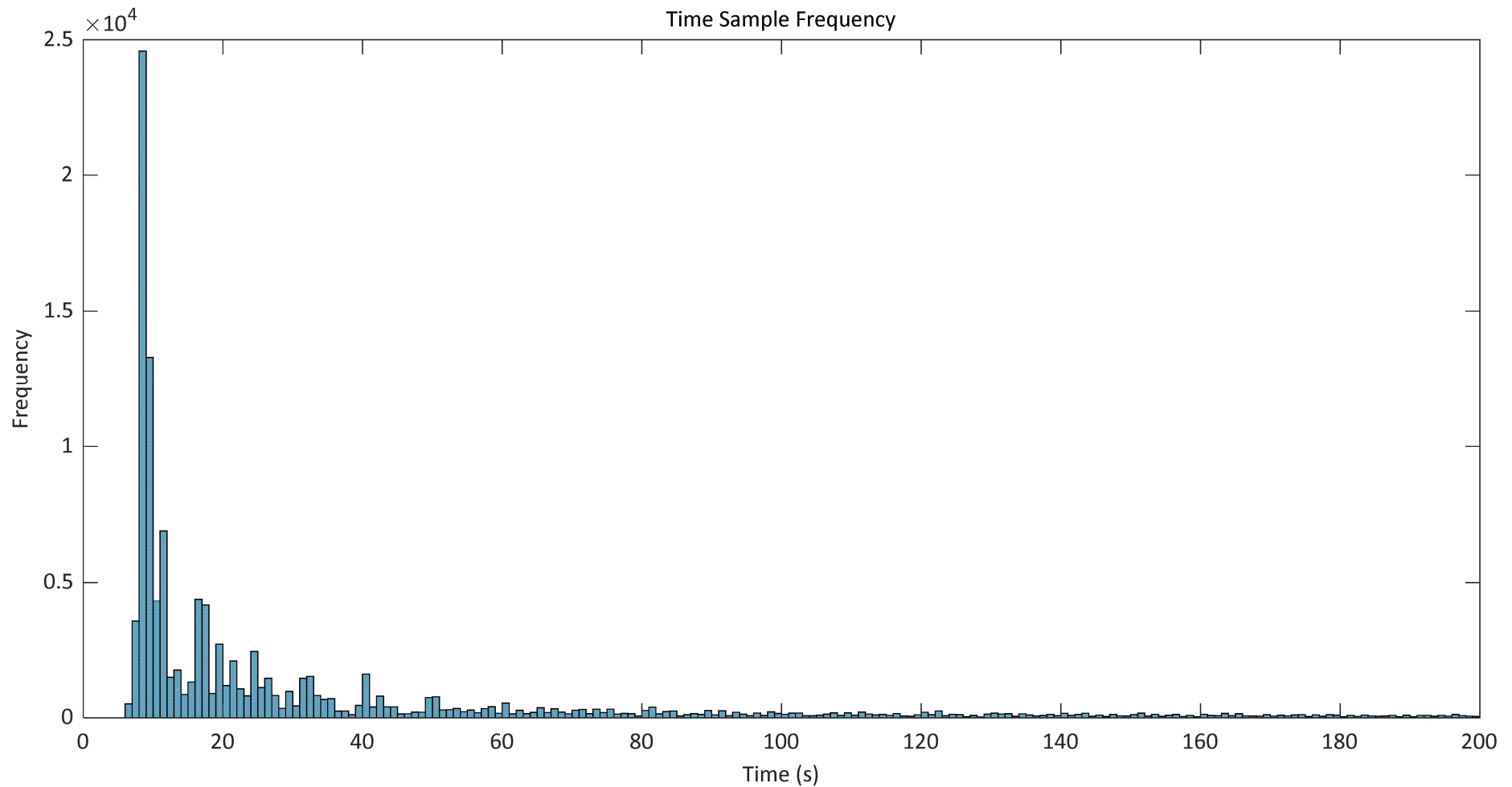
- Each central processing facility monitors:
  1. Pressure
  2.  $\text{H}_2\text{O}$
  3.  $\text{CO}_2$
  4.  $\text{H}_2\text{S}$
  5. Energy (British Thermal Units)



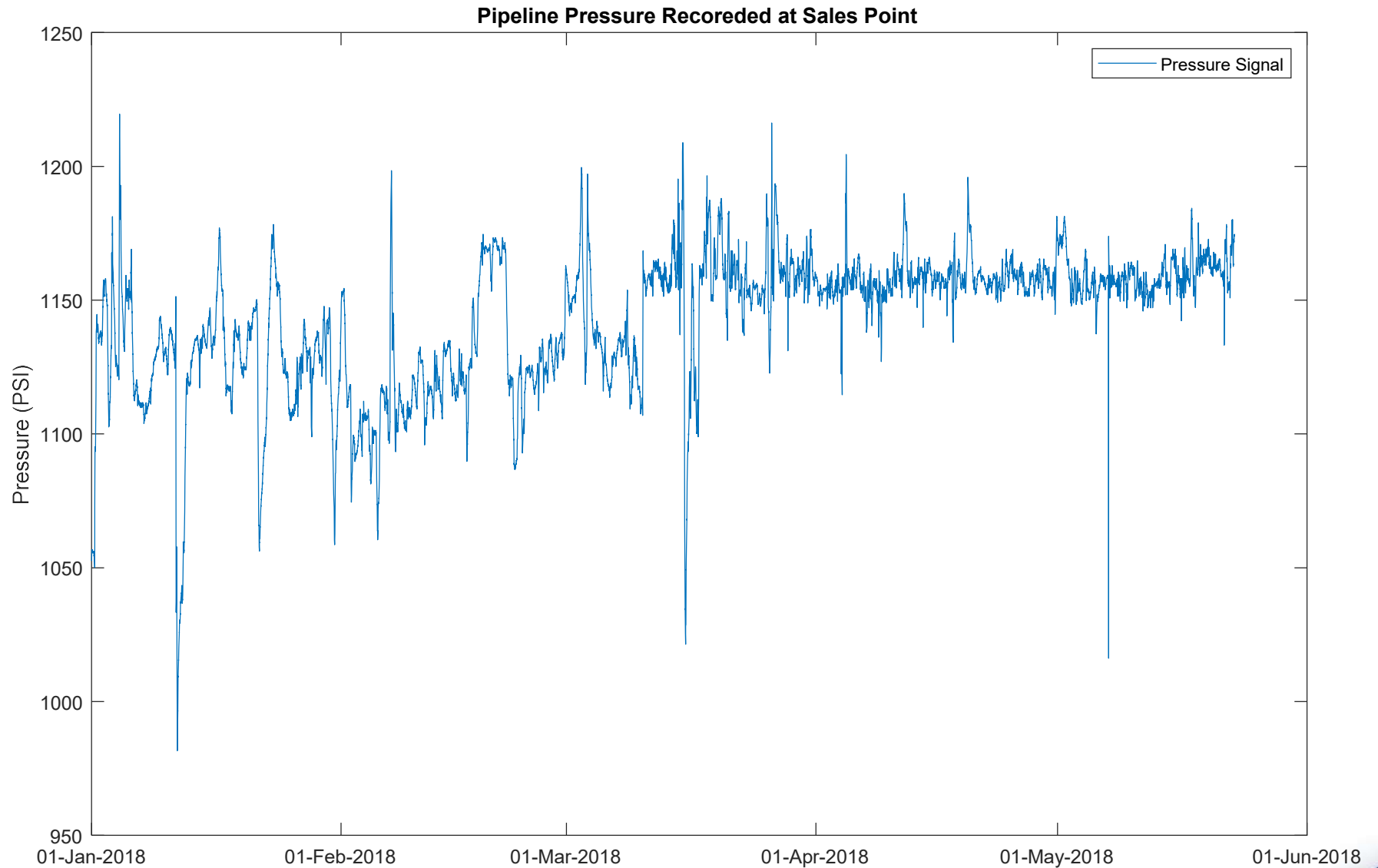
# Natural Gas Pipeline Data



# Natural Gas Pipeline Data

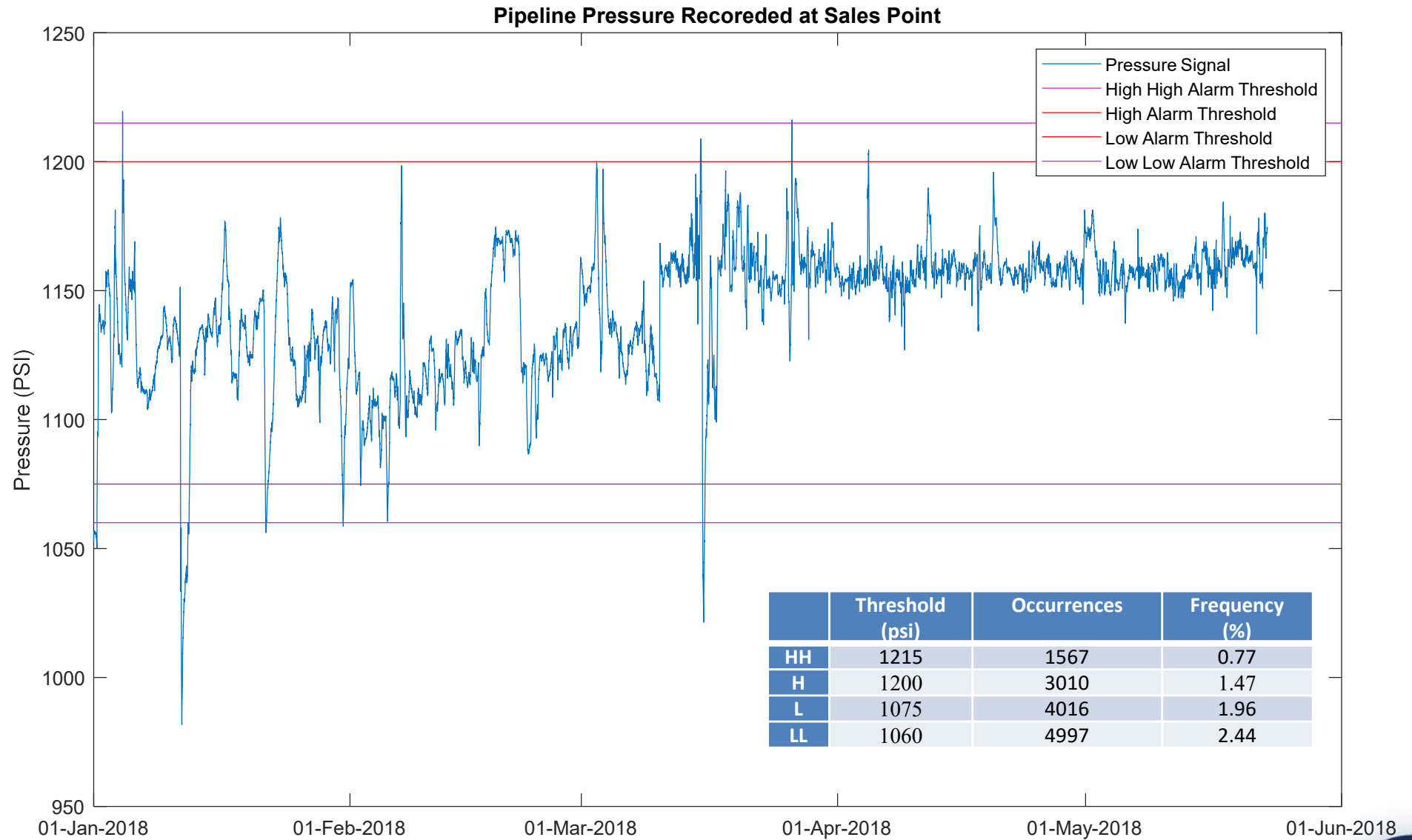


# Natural Gas Pipeline Data





# Natural Gas Pipeline Data



# Methods

---

- Linear autoregressive model implementation
  - Given a pressure time series  $p$ , with timestamps  $\vec{t}$  and pressure values  $\vec{y}$  ....
  - Build design matrix  $A$  using ten minutes of lagged  $\vec{y}$
  - Least squares regression
    - Using  $A$ , and targets  $\vec{b}$
    - 10 autoregressive coefficients
    - Used to forecast time horizons 1 – 30 minutes



# Methods

---

- Linear autoregressive model implementation
  - Direct forecasting
  - Regression vs classification



# Results

---

- Error Metrics

- **Forecasting time series values**

- Root mean square error =  $\sqrt{\frac{\sum_{i=1}^T (\hat{p}_t - p_t)^2}{T}}$

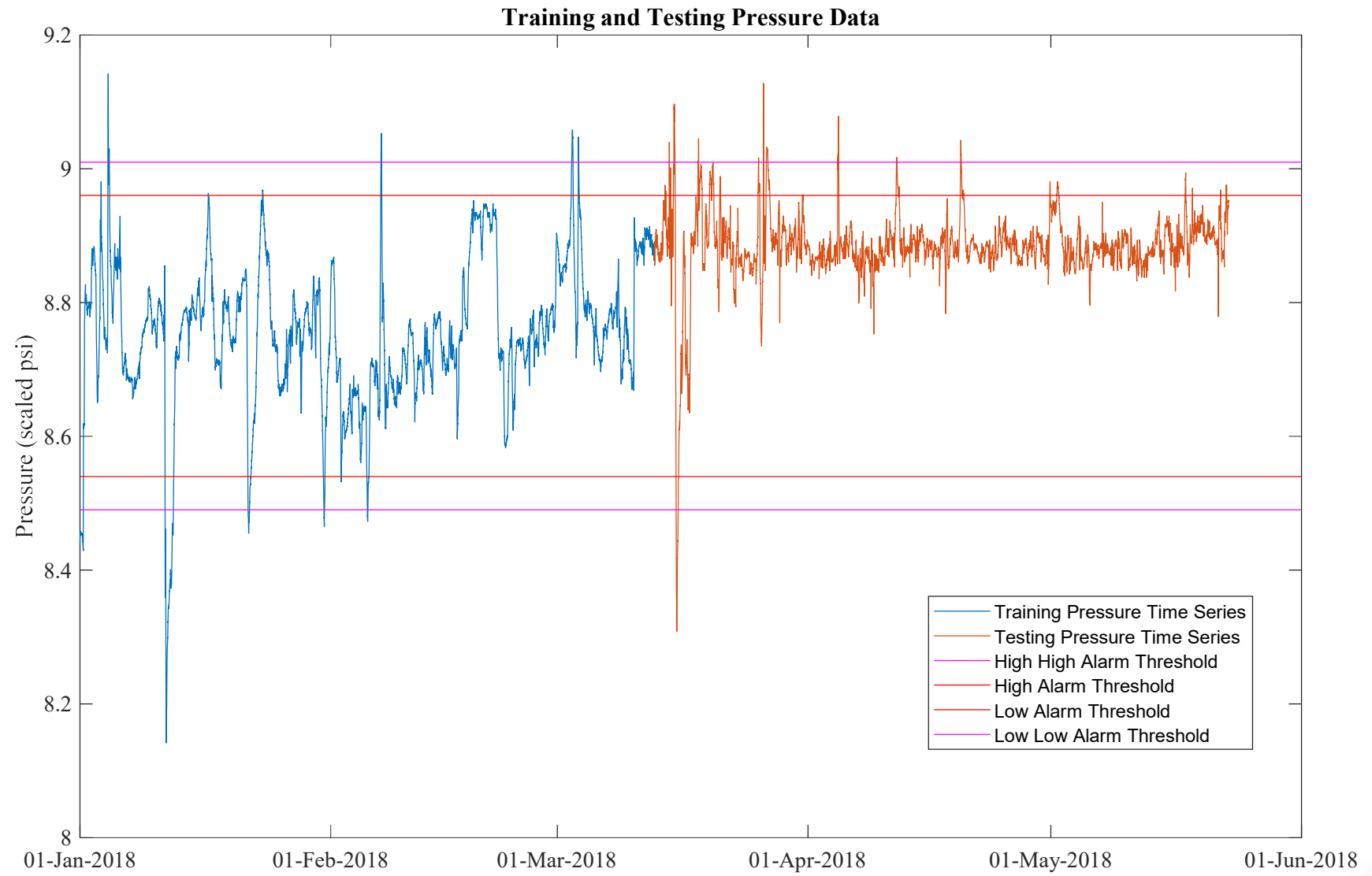
- Mean absolute percentage error =  $\frac{1}{T} \sum_{i=1}^T \frac{|(\hat{p}_t - p_t)|}{(p_t)}$

- **Forecasting Alarms**

- Sensitivity =  $\frac{TP}{TP+FN}$

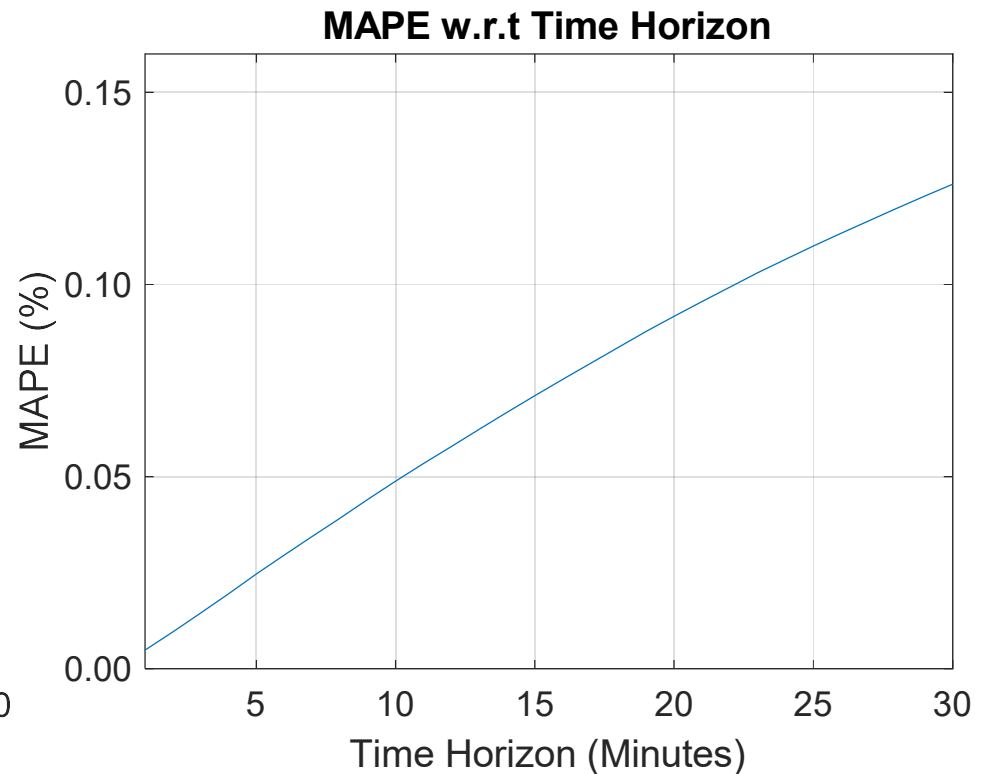
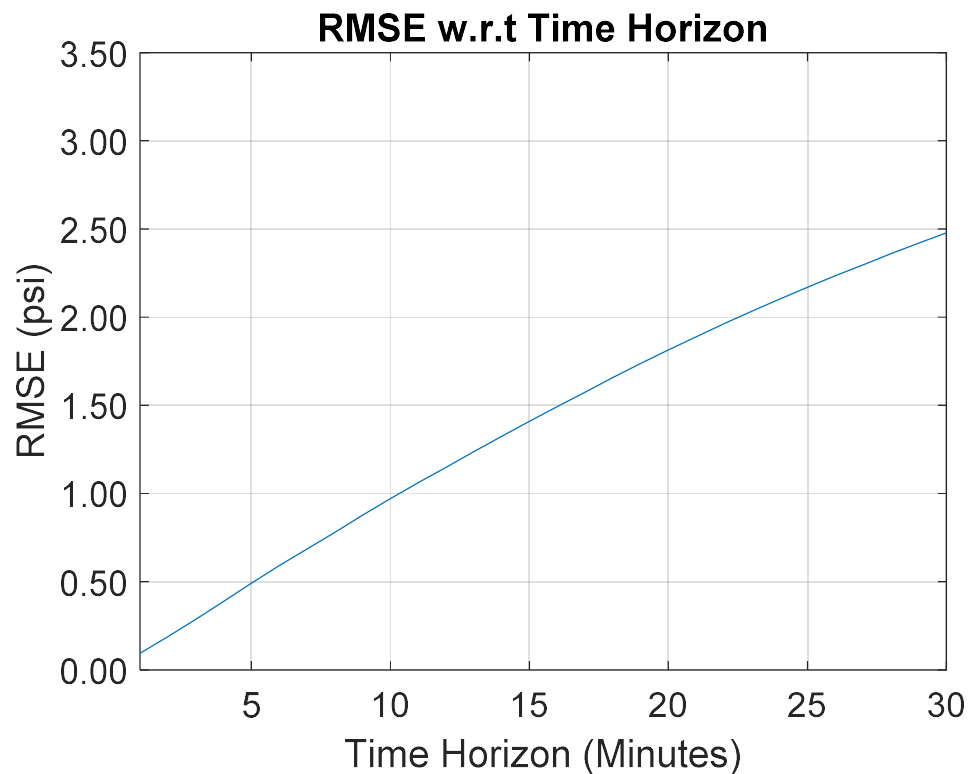


# Results



# Results

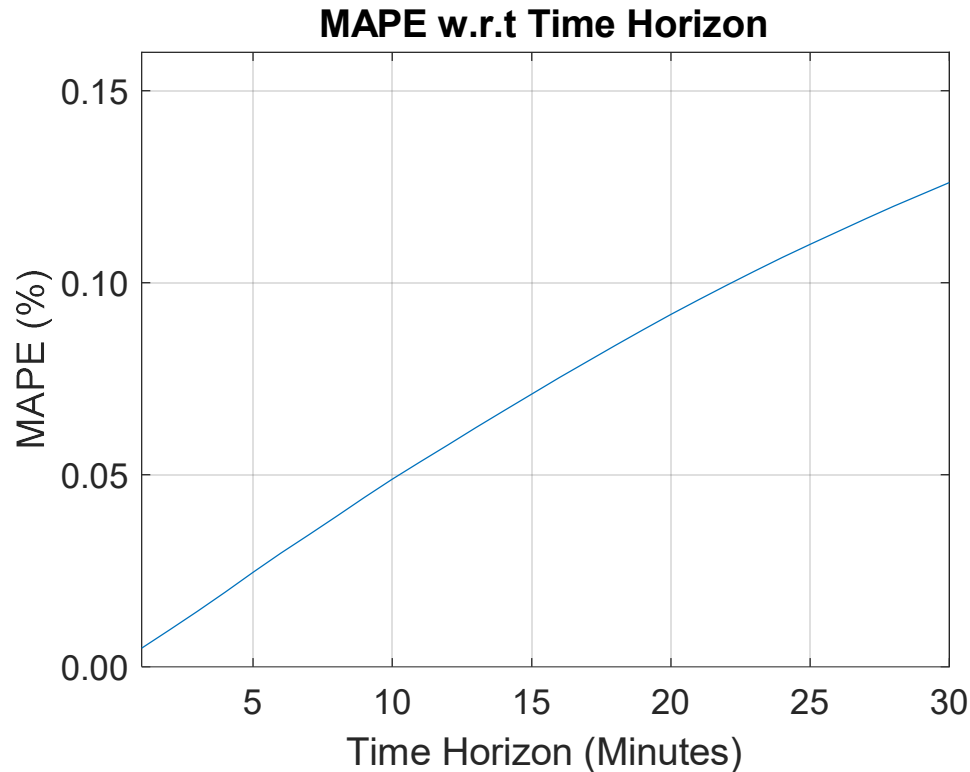
- Pressure value predictions



# Results

- Pressure value predictions

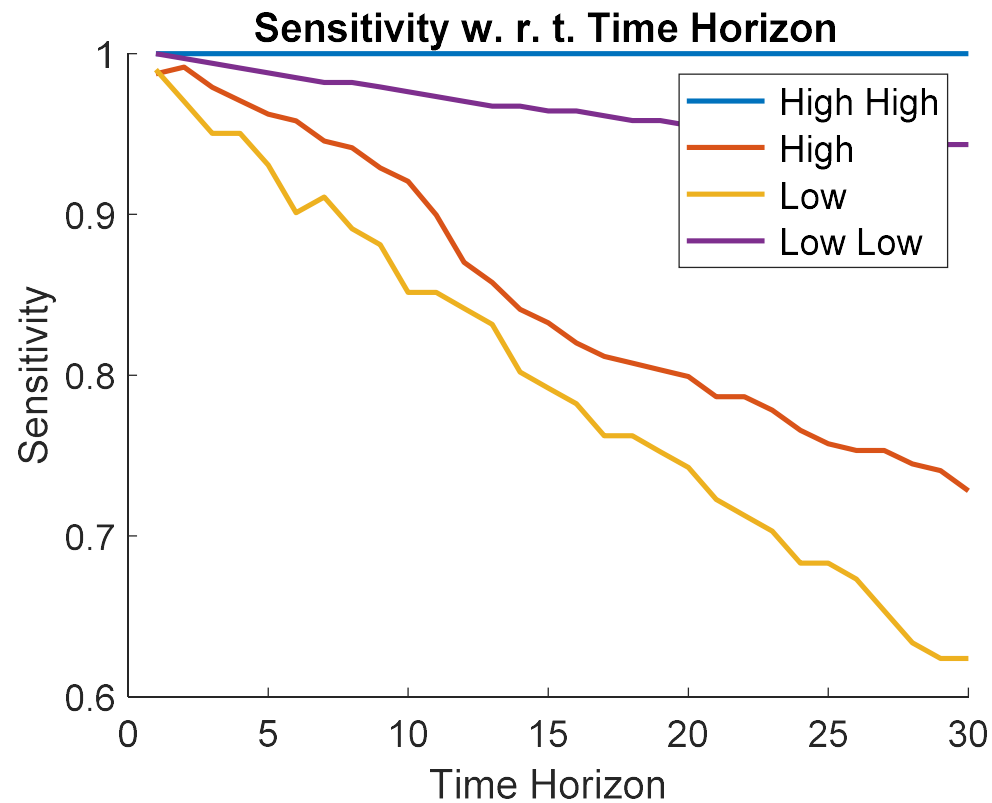
- Mean absolute percentage error =  $\frac{1}{T} \sum_{i=1}^T \frac{|(\hat{p}_t - p_t)|}{(p_t)}$



# Results

- Alarm Forecasting

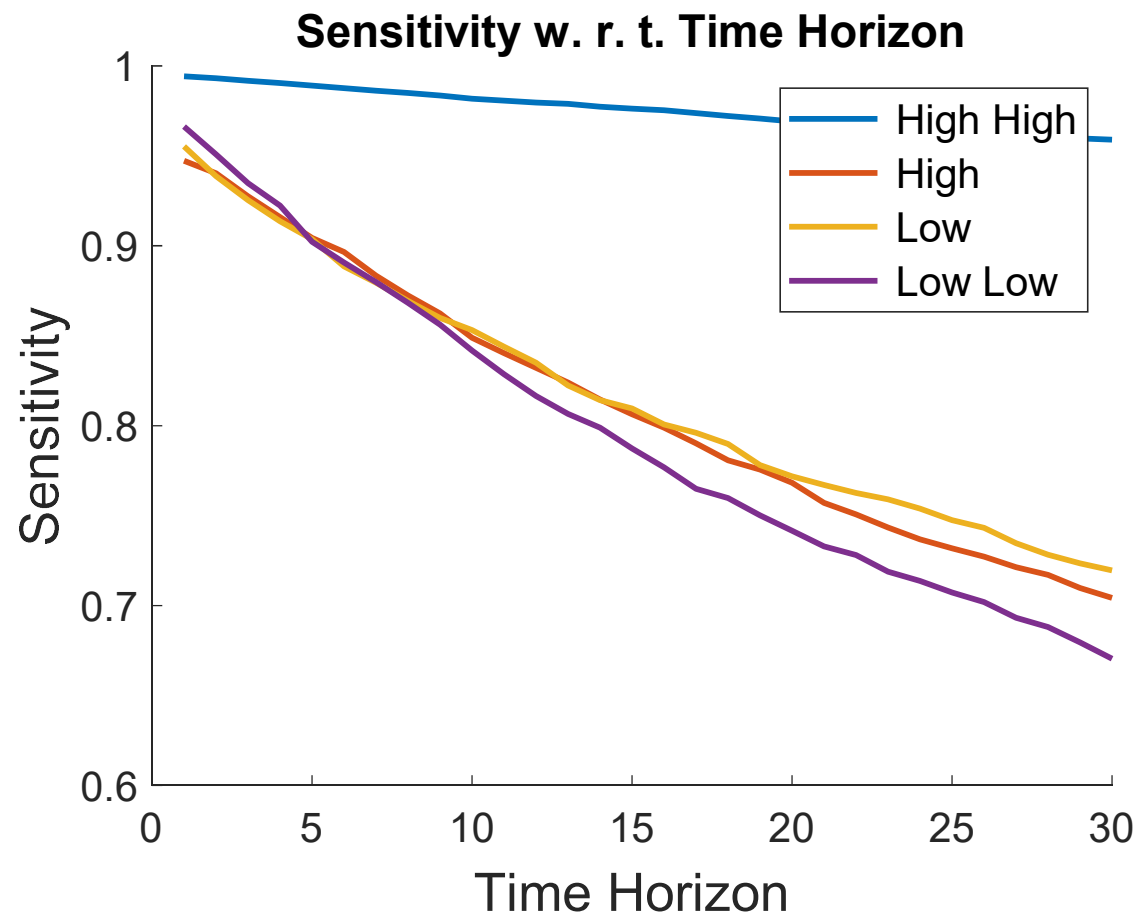
- $$\text{Sensitivity} = \frac{TP}{TP+FN}$$





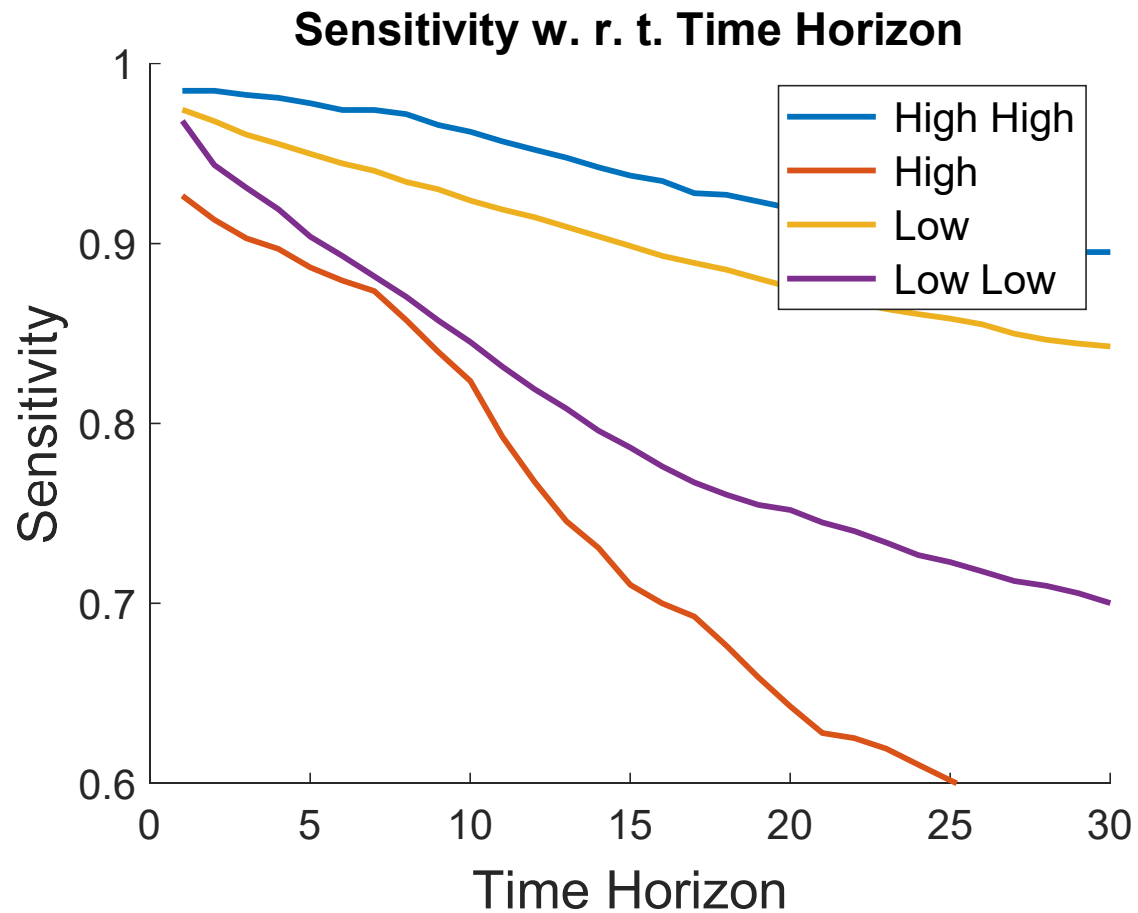
# Results

- CO<sub>2</sub>



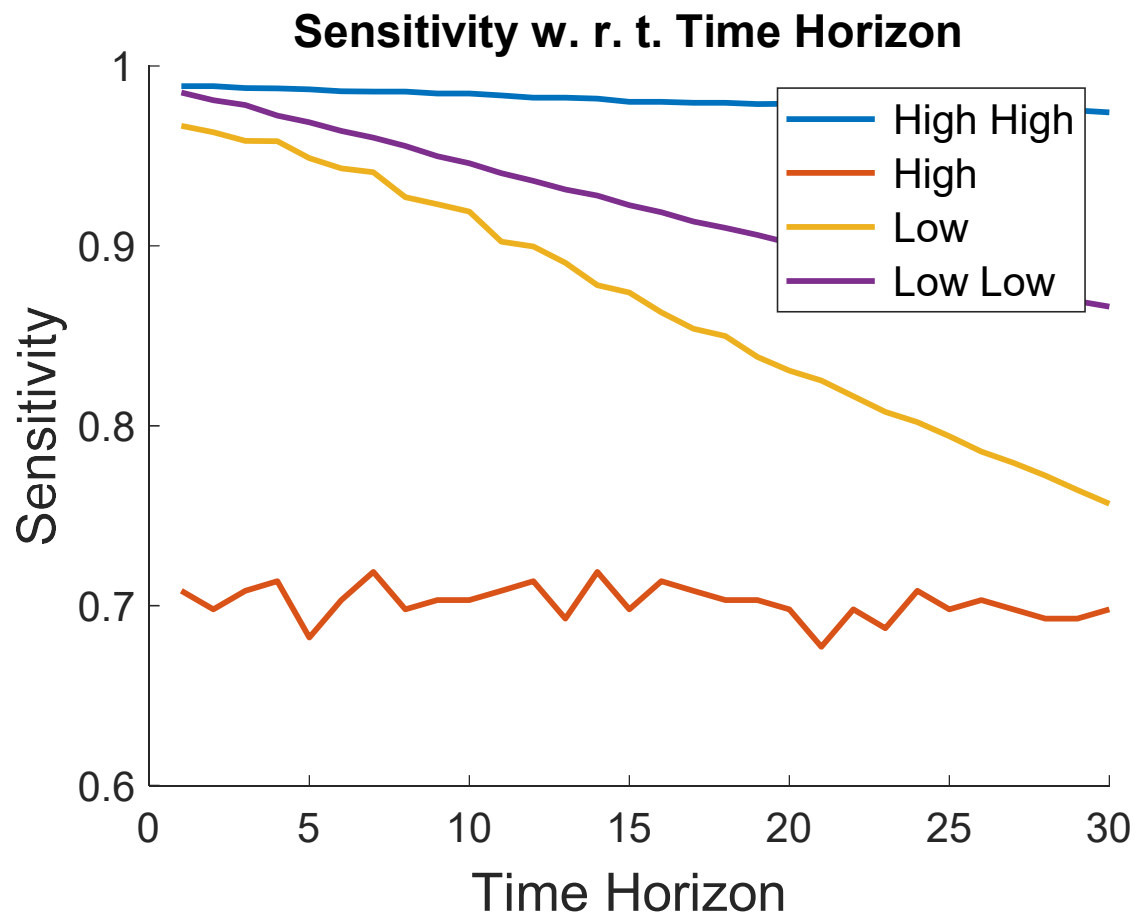
# Results

- Energy (British Thermal Units)



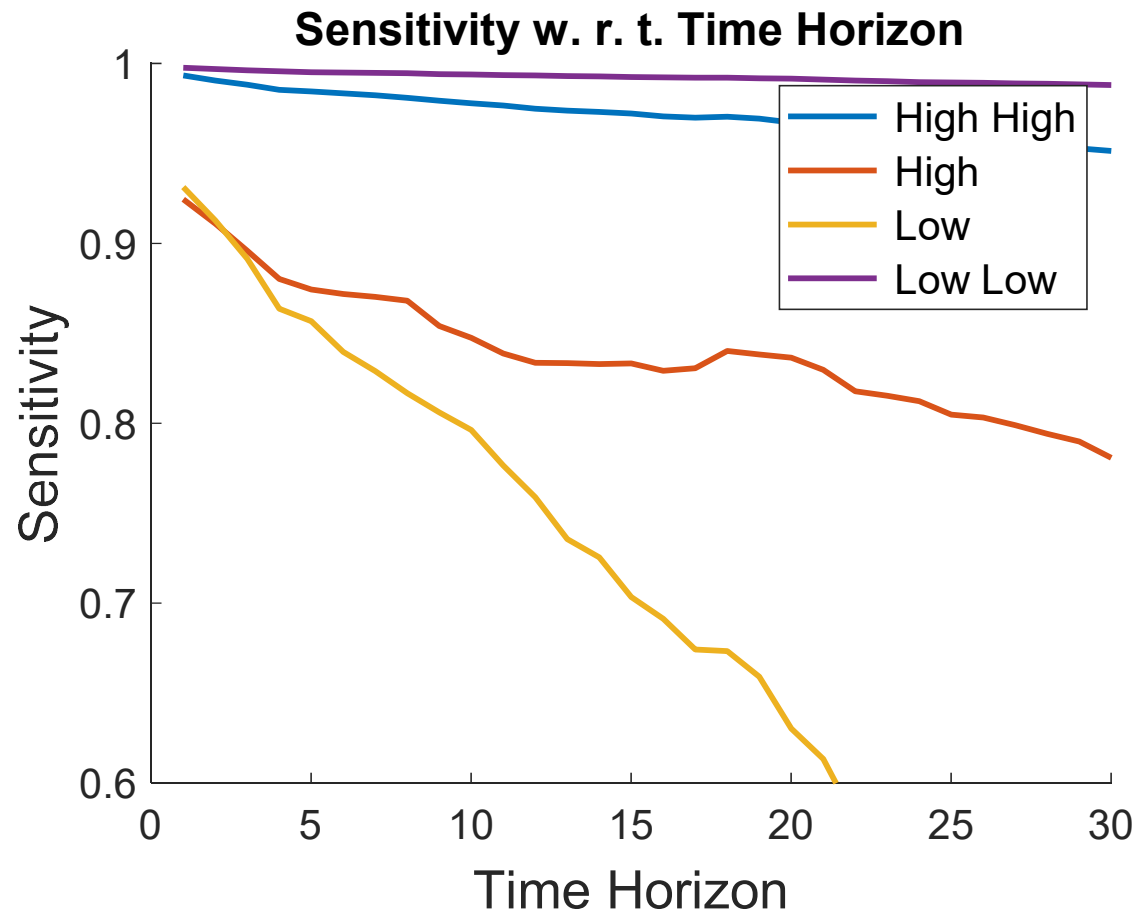
# Results

- H<sub>2</sub>O



# Results

- H<sub>2</sub>S



# Conclusion

---

- Linear autoregressive model
  - Accurately forecast pressure time series up to a 30-minute time horizon
  - 100% sensitivity at one minute to approximately 65% at a 30-minute forecast horizon
  - Speculation: sensitivity drops quickly due to our forecasts fluctuating back and forth over certain alarm thresholds



# Conclusion

---

- Additional Work
  - ARX
  - LS-SVM
  - ANN



# Questions?

---

- Colin O. Quinn
  - [colin.o.quinn@marquette.edu](mailto:colin.o.quinn@marquette.edu)
- Richard J. Povinelli
  - [richard.povinelli@marquette.edu](mailto:richard.povinelli@marquette.edu)

