

# An Efficient Reconciliation Algorithm for Social Networks



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CS35L Lab 3

# OUTLINE

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- Introduction
- Model
- Algorithm
- Experiment
- Conclusions

# INTRODUCTION: Context

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- In the 21st century, social life is online
- Connects people and stimulates interaction via the internet



# INTRODUCTION: The Problem

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- Social Network Reconciliation Problem:
  - Each network represents a subset of your “real” ego-network
  - We want to identify you across all social media platforms





# INTRODUCTION: Goals

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- We want to create an algorithm that is:
  - simple
  - parallelizable
  - robust to malicious users



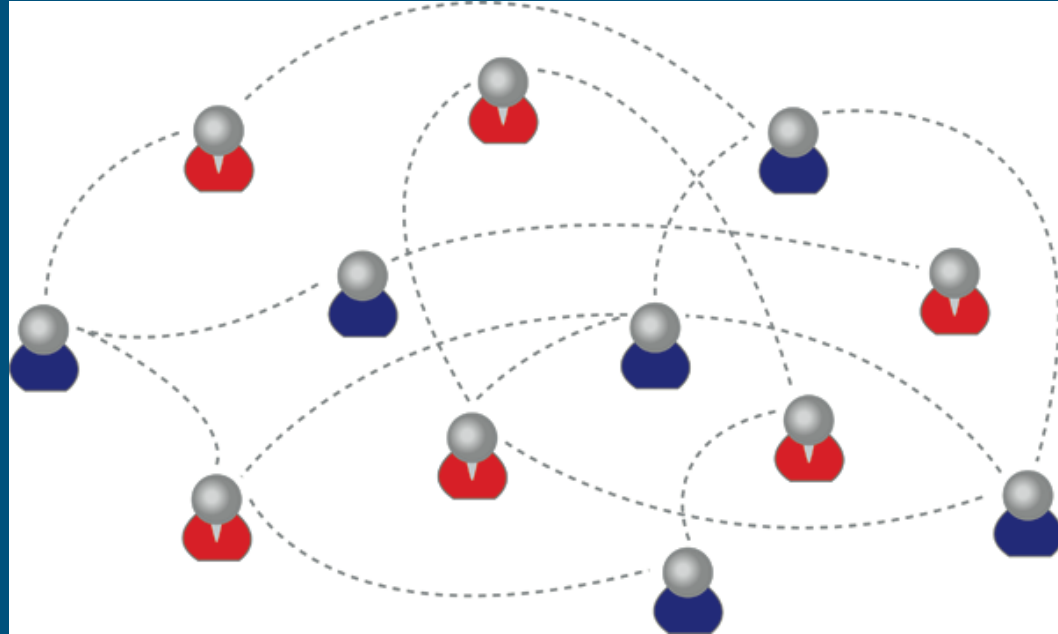
# MODEL

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- BASIC GRAPH THEORY

- Ideally, we want to create a “true” unifying graph  $G(V, E)$ .

- Start with  $G_1(v_1, e_1)$ ,  
 $G_2(v_2, e_2)$ , ...  $G_n(v_n, e_n)$



# ALGORITHM

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1. Match users from social network  $G_1(v_1, e_1)$  to social network  $G_2(v_2, e_2)$  using the User-Matching algorithm.
2. Delete duplicates and consolidate edges.
3. Repeat process for  $n$  social networks.



**Input:**

$G_1(V, E_1), G_2(V, E_2), L$  a set of initial identification links across the networks,  $D$  the maximum degree in the graph a minimum matching score  $T$  and a specified number of iteration  $k$ .

**Output:**

A larger set of identification links across the networks.

**Algorithm:**

For  $i = 1, \dots, k$

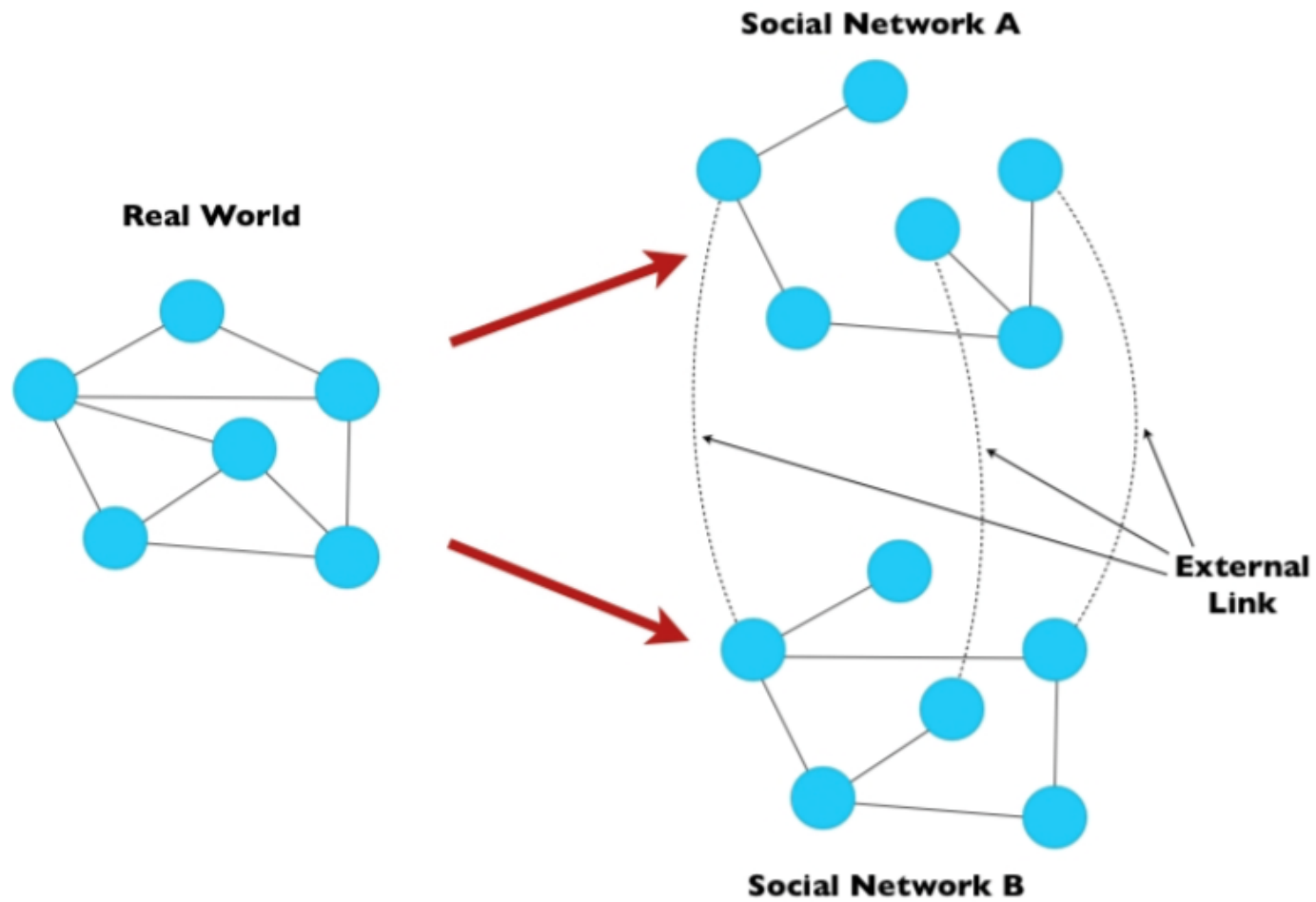
    For  $j = \log D, \dots, 1$

        For all the pairs  $(u, v)$  with  $u \in G_1$  and  $v \in G_2$   
        and such that  $d_{G_1}(u) \geq 2^j$  and  $d_{G_2}(v) \geq 2^j$

            Assign to  $(u, v)$  a score equal to the number  
            of similarity witnesses between  $u$  and  $v$

        If  $(u, v)$  is the pair with highest score in which  
        either  $u$  or  $v$  appear and the score is above  $T$   
        add  $(u, v)$  to  $L$ .

Output  $L$



# EXPERIMENT

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| Network              | Number of nodes | Number of edges |
|----------------------|-----------------|-----------------|
| PA [5]               | 1,000,000       | 20,000,000      |
| RMAT24 [7]           | 8,871,645       | 520,757,402     |
| RMAT26 [7]           | 32,803,311      | 2,103,850,648   |
| RMAT28 [7]           | 121,228,778     | 8,472,338,793   |
| AN [19]              | 60,026          | 8,069,546       |
| Facebook [30]        | 63,731          | 1,545,686       |
| DBLP [1]             | 4,388,906       | 2,778,941       |
| Enron [16]           | 36,692          | 367,662         |
| Gowalla [8]          | 196,591         | 950,327         |
| French Wikipedia [2] | 4,362,736       | 141,311,515     |
| German Wikipedia [2] | 2,851,252       | 81,467,497      |

# EXPERIMENT

[ thefacebook ]

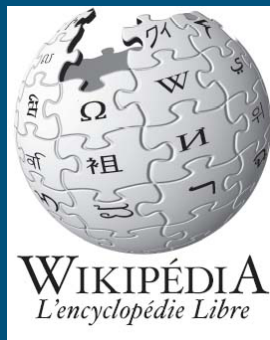
| Pr  | Threshold 5 |     | Threshold 4 |     | Threshold 2 |     |
|-----|-------------|-----|-------------|-----|-------------|-----|
|     | Good        | Bad | Good        | Bad | Good        | Bad |
| 20% | 23915       | 0   | 28527       | 53  | 41472       | 203 |
| 10% | 23832       | 49  | 32105       | 112 | 38752       | 213 |
| 5%  | 11091       | 43  | 28602       | 118 | 36484       | 236 |

| Pr  | Threshold 5 |     | Threshold 4 |     | Threshold 3 |     |
|-----|-------------|-----|-------------|-----|-------------|-----|
|     | Good        | Bad | Good        | Bad | Good        | Bad |
| 10% | 3426        | 61  | 3549        | 90  | 3666        | 149 |



TABLE 1: Results for Facebook (top) and Enron (bottom).

# EXPERIMENT



| Pr | Threshold 5 |      | Threshold 3 |       |
|----|-------------|------|-------------|-------|
|    | Good        | Bad  | Good        | Bad   |
| 10 | 108343      | 9441 | 122740      | 14373 |

TABLE 2: Combined results for the French and German Wikipedia pages.

# CONCLUSIONS

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- Practical Applications:
  - better understanding of social dynamics
  - improved personalized content
  - essentially creating a worldwide phonebook
- Algorithm can be used on other similar databases
- Privacy Issues?