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The *BoolNet* package

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The BoolNet package

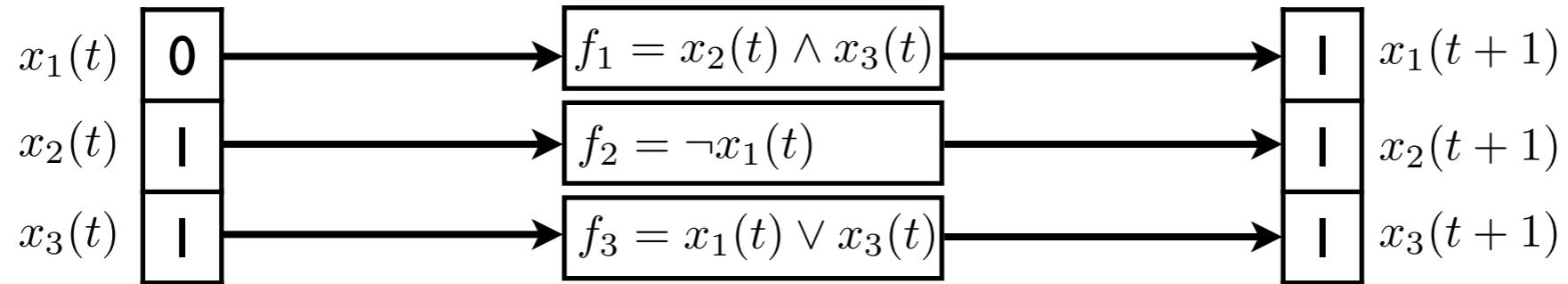
- R package for construction, analysis and simulation of Boolean networks
- Open-source and freely available at CRAN (cran.r-project.org)
- Main features:
 - supports synchronous, asynchronous and probabilistic Boolean networks
 - reconstruction of networks from time series
 - analysis of dynamic behaviour of networks (attractor search & Markov chain simulation)
 - visualization of static and dynamic network properties
 - generation of random networks & time series, hypothesis testing
 - import and export of several network formats (SBML qual, Biocluster, Pajek)

Why R?

- Widely used in biostatistics & systems biology
- Interface to a high number of extension packages, particularly for these research fields
(e.g., ~750 packages in the Bioconductor repository,
~5400 packages on CRAN)
- R and its packages are free and open-source
- Interactive prompt enables flexible combination of different commands
- Convenient functions to import and export various types of data
- Many preprocessing methods available (or being developed,
see later)

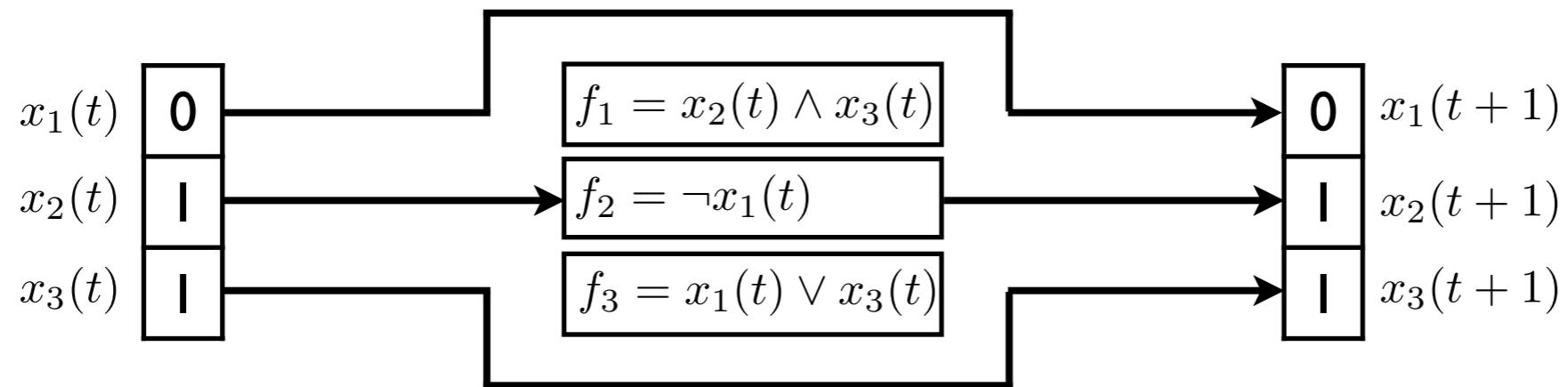
Network types supported by *BoolNet*

- **Synchronous Boolean networks [I]:**
all genes updated synchronously



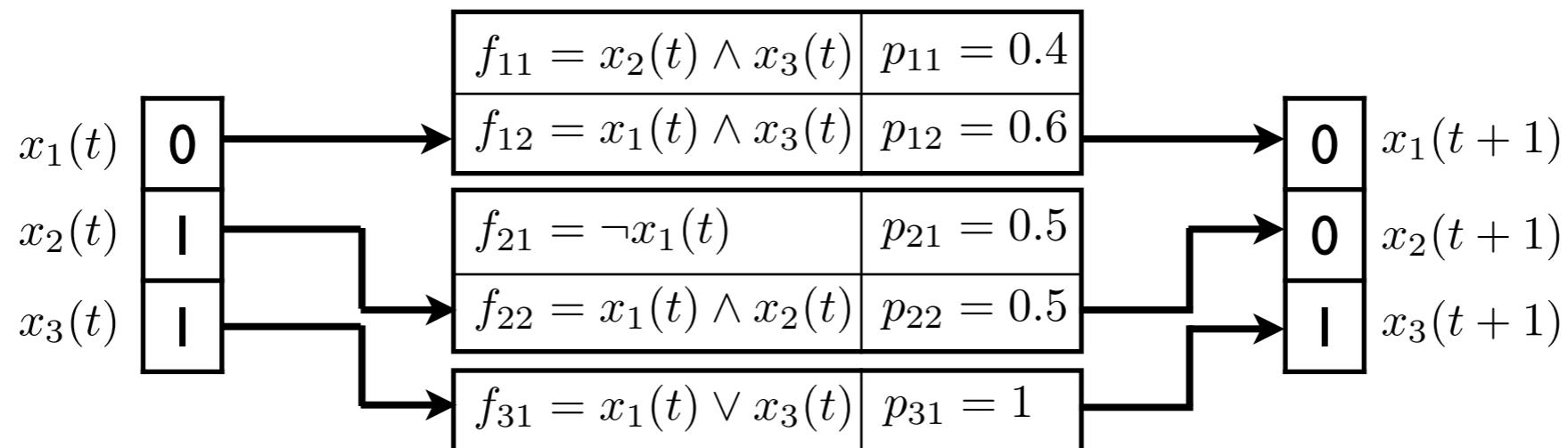
Network types supported by BoolNet

- **Asynchronous Boolean networks [2]:**
one gene updated in each time step



Network types supported by BoolNet

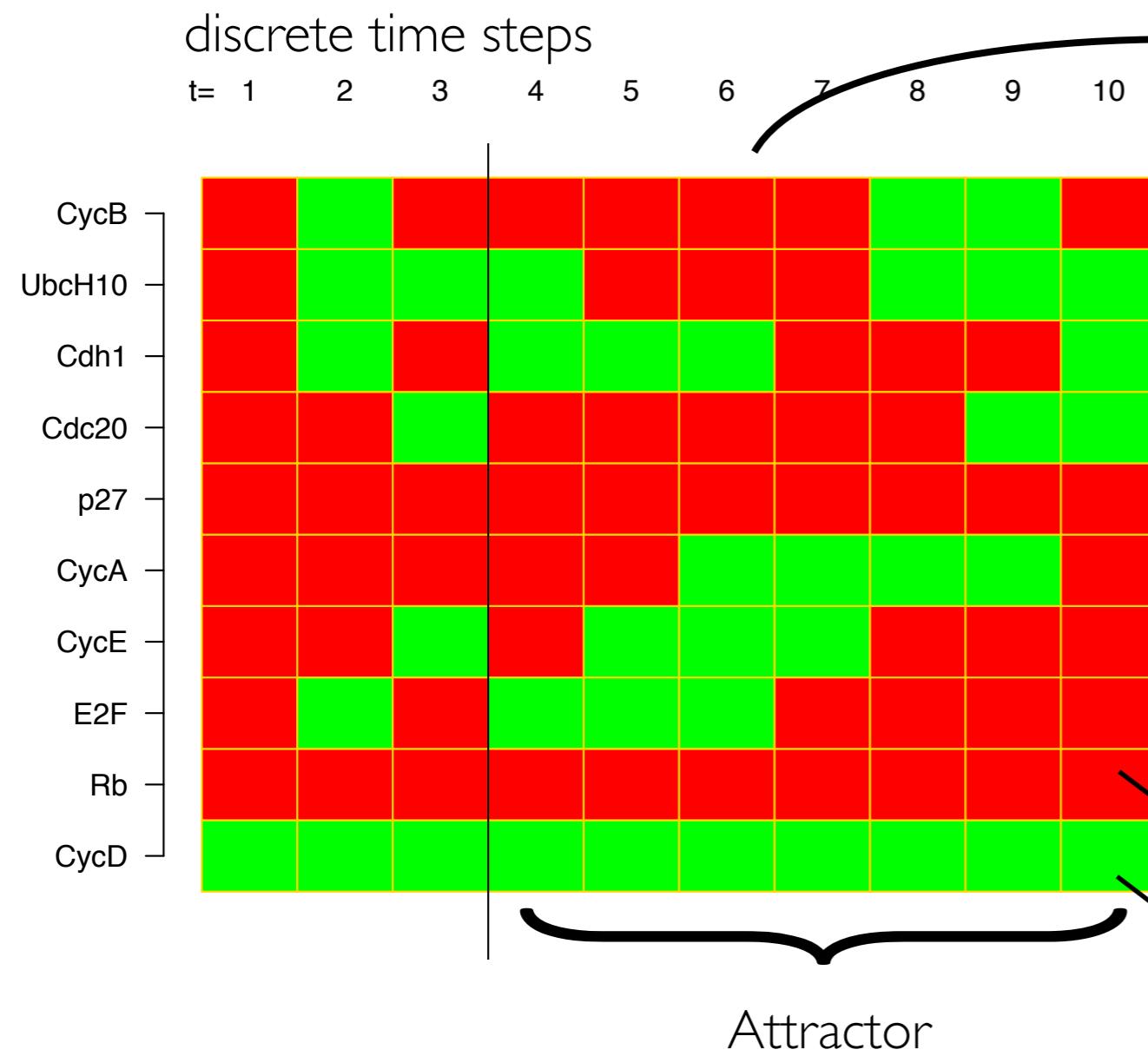
- **Probabilistic Boolean networks [3]:**
multiple transition functions per gene, random synchronous update



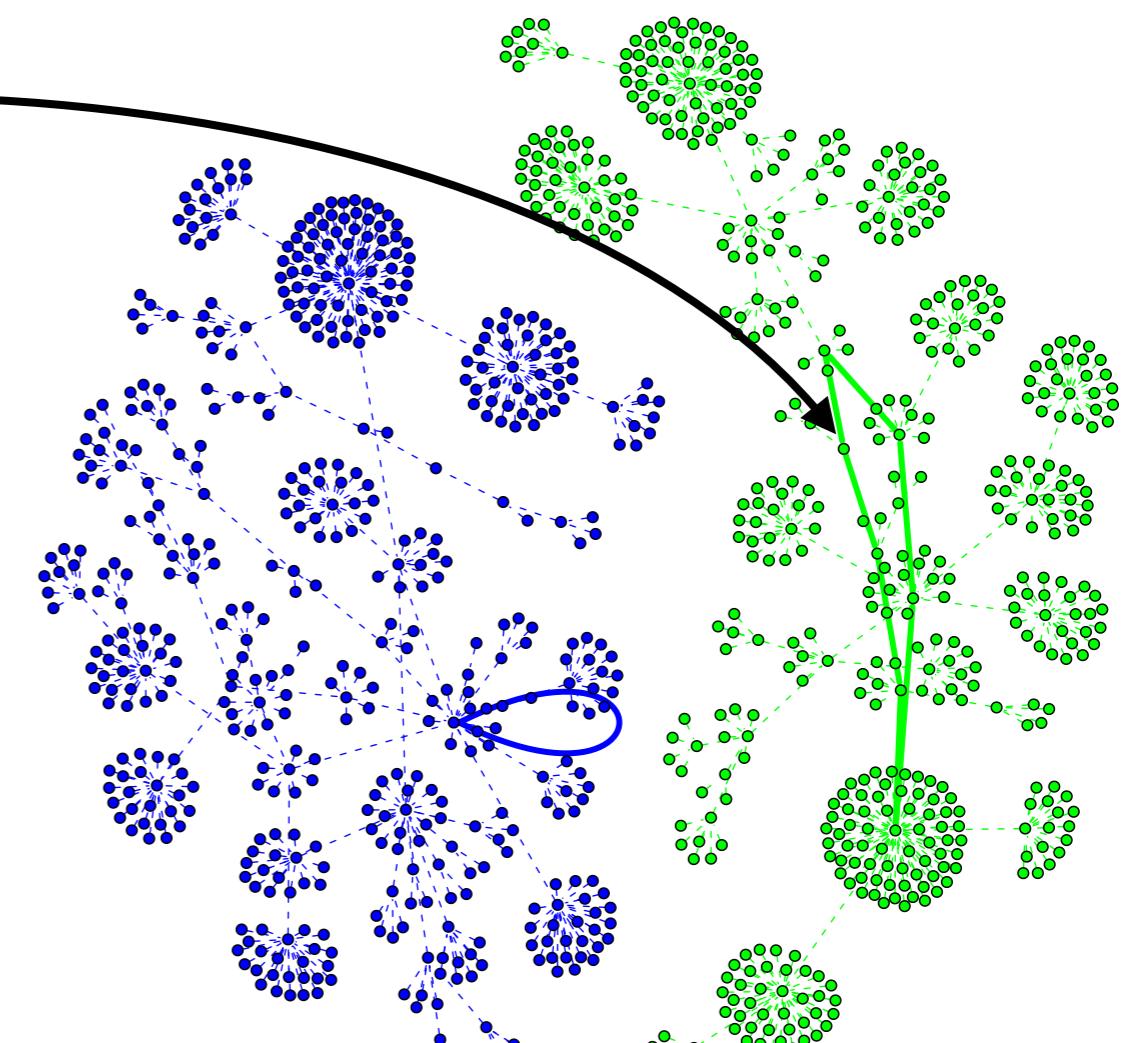
Dynamic analysis of Boolean networks

Simulation and attractor search for synchronous Boolean networks

Visualization of the 7 states of a cycle attractor:



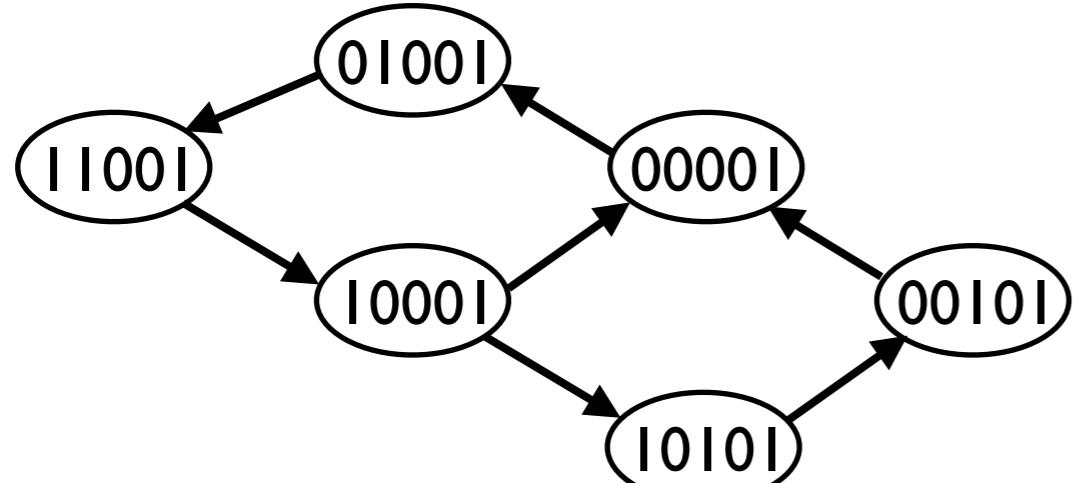
State transitions and basins of attraction:



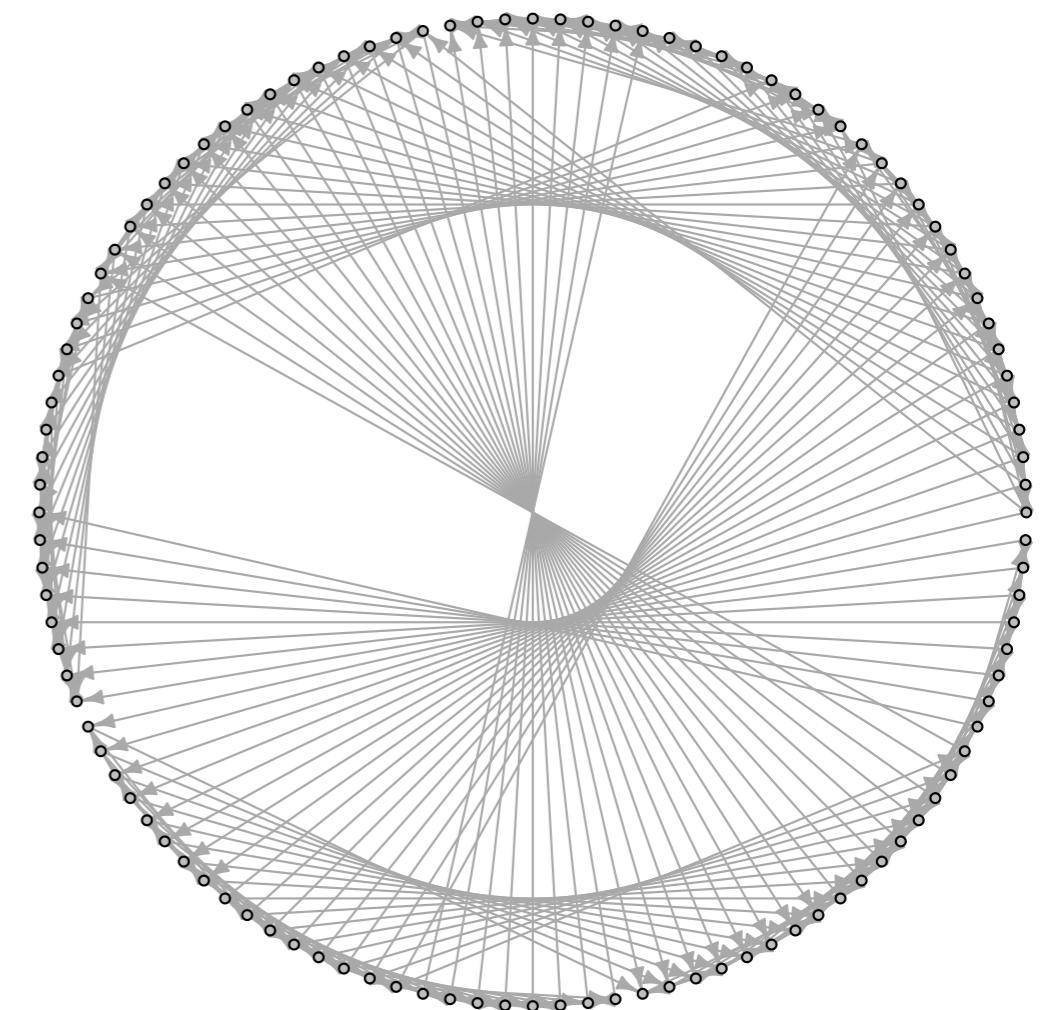
Dynamic analysis of Boolean networks

Identification of complex attractors in asynchronous Boolean networks

Complex attractors: all attractor states
reachable from all other attractor states



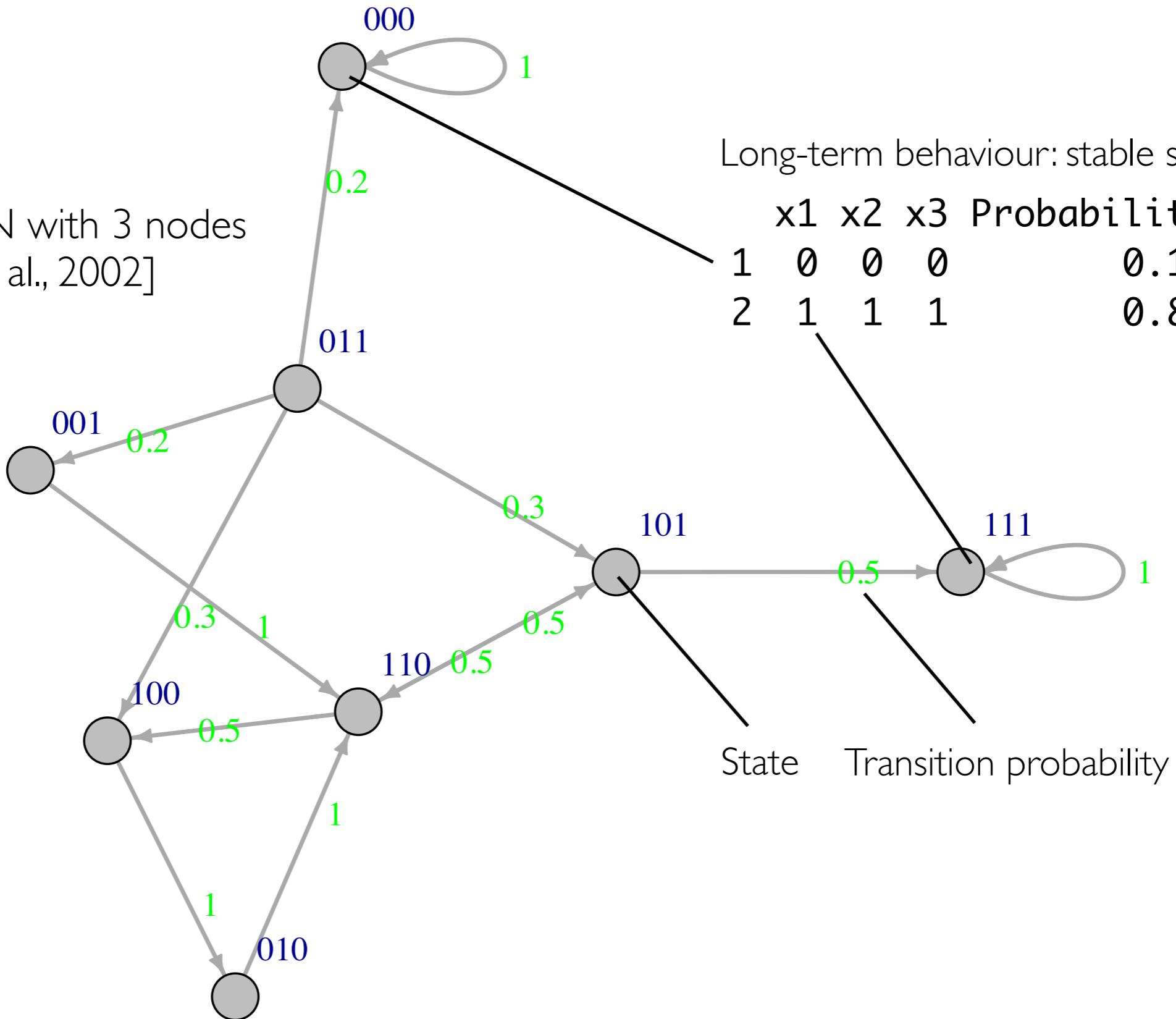
Visualization of an asynchronous
attractor in a cell cycle network model:



Dynamic analysis of Boolean networks

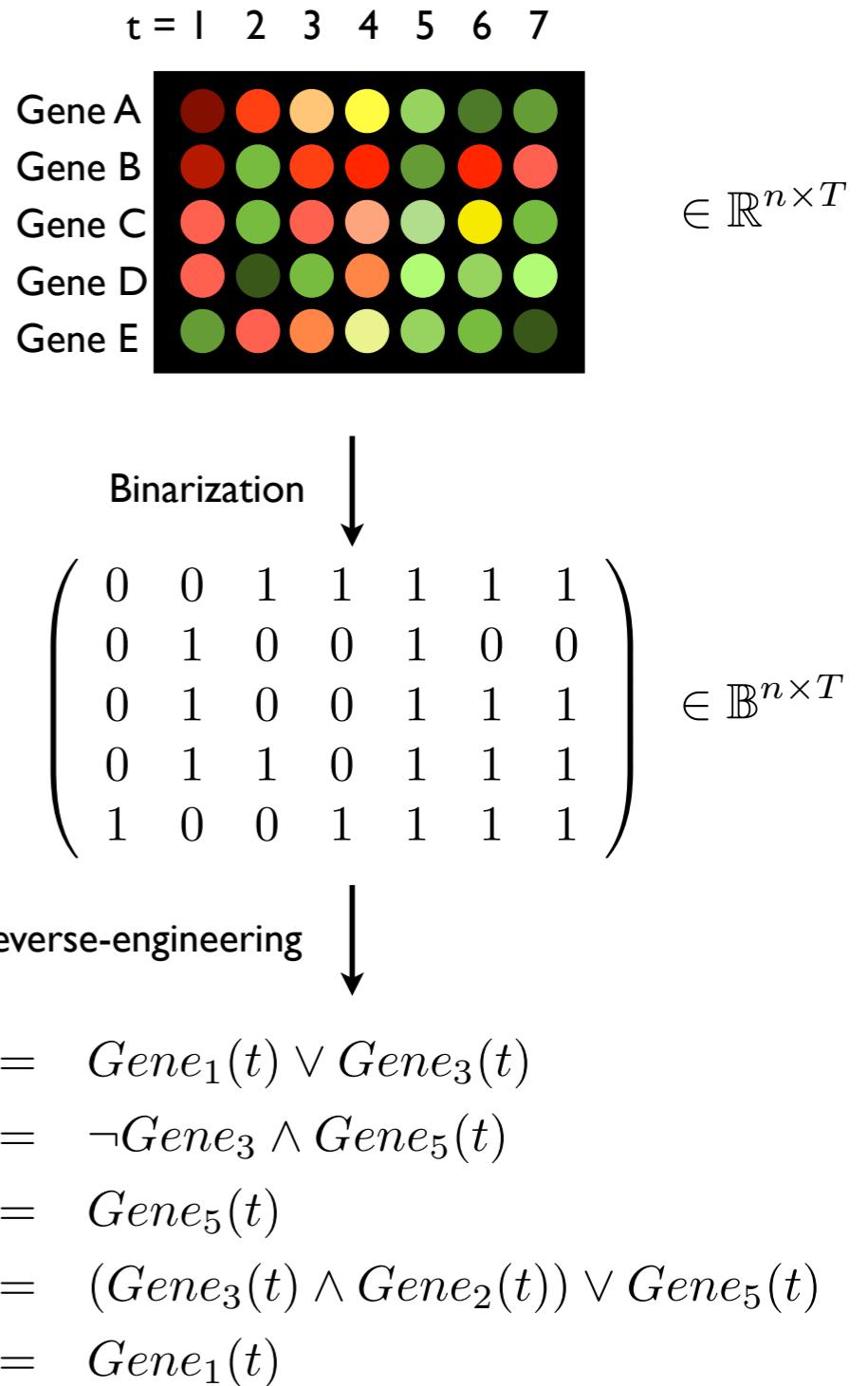
Markov chain simulations for probabilistic Boolean networks

Simulation of
exemplary PBN with 3 nodes
[Shmulevich et al., 2002]



Reverse-engineering of Boolean networks

- *BoolNet* includes two well-known algorithms for the inference of Boolean networks from time series:
 - REVEAL [1]
 - Best-fit extension [2]
- To convert real-valued measurements to binary vectors, simple binarization techniques are included.



[1] Liang et al, Pacific Symposium on Biocomputing, 1998

[2] Lähdesmäki et al, Machine Learning, 2003

Random Boolean networks

- Random Boolean networks have been proposed to study the overall behaviour of certain network types and to identify specific properties of biological systems [1,2]
- *BoolNet* includes a generic facility for the generation of random Boolean networks with different topological and dynamic properties
- Network models can be tested against populations of random networks to evaluate their biological plausibility

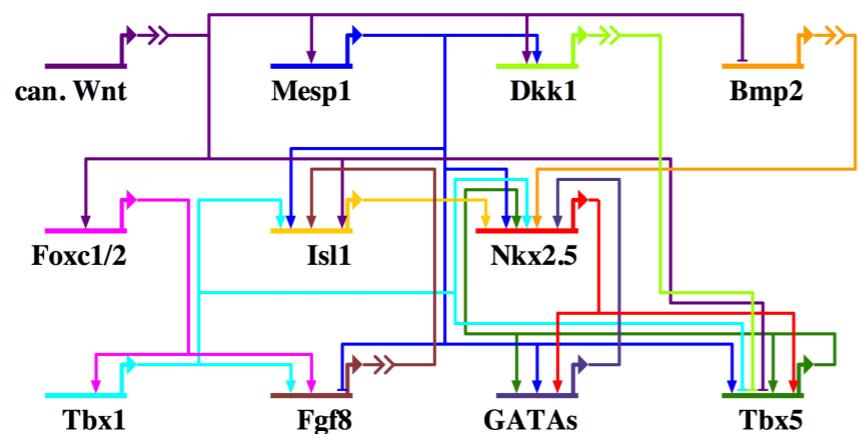
[1] Kauffman, J. Theor. Biol., 1969

[2] Kauffman, Oxford University Press, 1993

Import file formats

BoolNet can import from various formats:

- BoolNet network rule format (plain-text CSV, all types of networks):
targets, factors
p53, ATM & !Mdm2
Mdm2, !p53
- BioTapestry (synchronous and asynchronous Boolean networks)

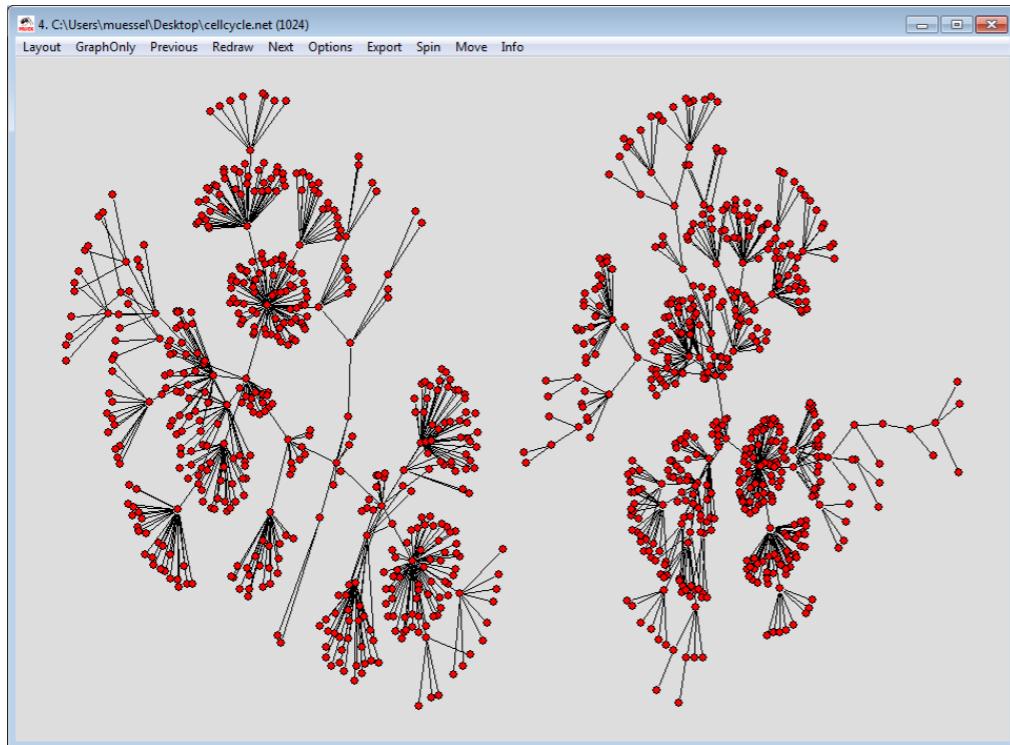


- SBML qual (synchronous and asynchronous Boolean networks)
 - General XML-based parser understanding the subset of SBML qual that describes logical models with binary genes only

Export file formats

Furthermore, different export formats are available:

- *BoolNet* network rule format
- Pajek (state transition graphs)



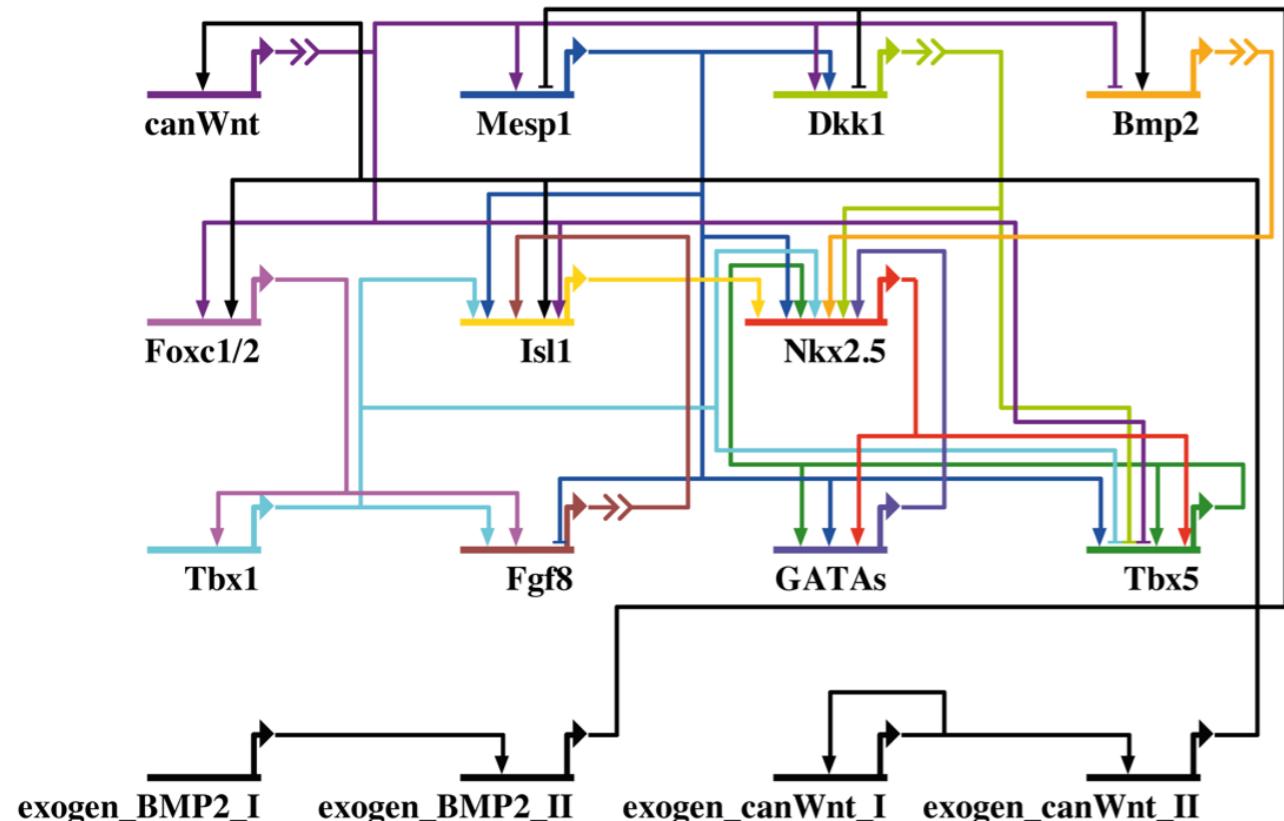
- SBML qual
 - Fully compliant with SBML validator and RelaxNG schema
 - Export and re-import of SBML in *BoolNet* is lossless

Applications

Several Boolean models have been/are currently being developed in our group:

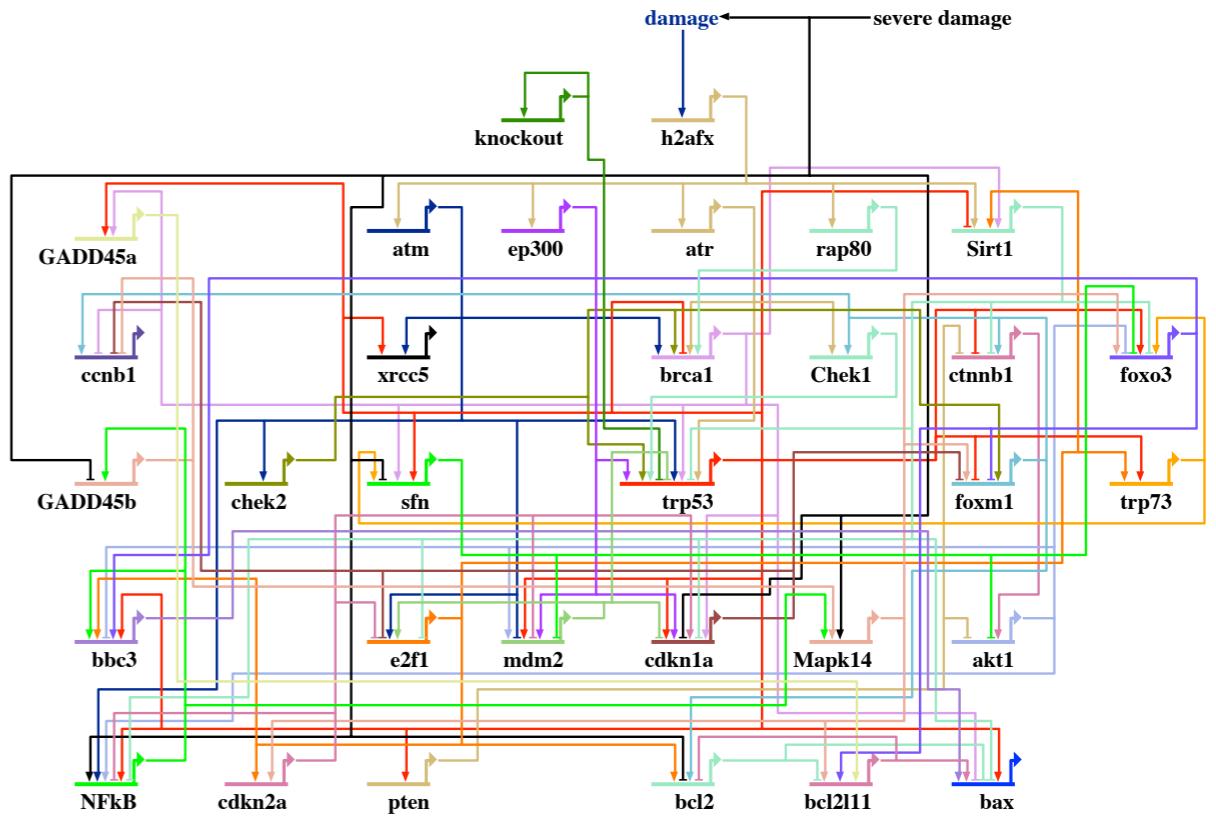
Murine cardiac development [1]:

Models early heart development (first/second heart field) using 11 genes and 4 inputs



DNA damage response:

Models the p53 signaling pathway using 31 genes and 3 inputs



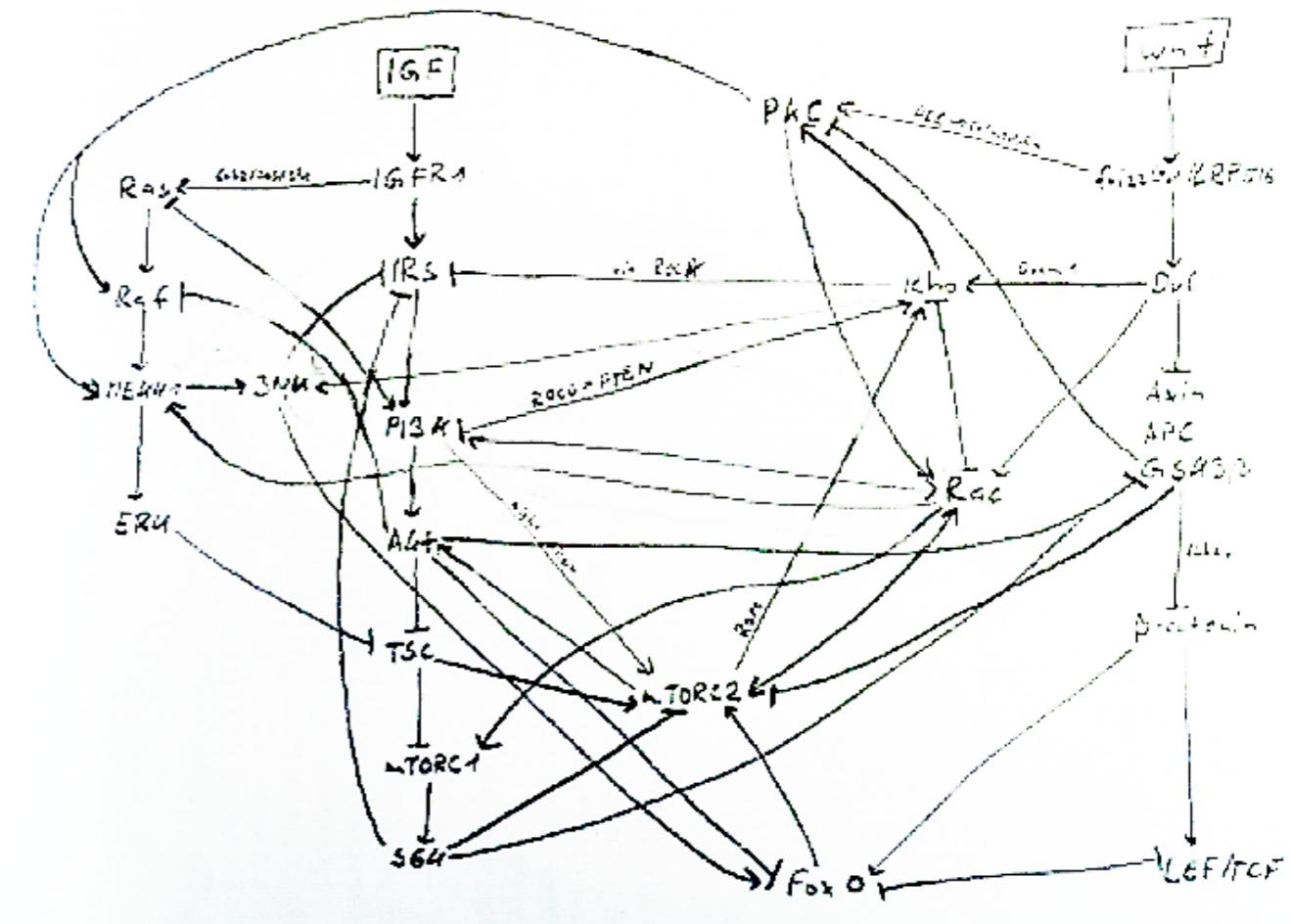
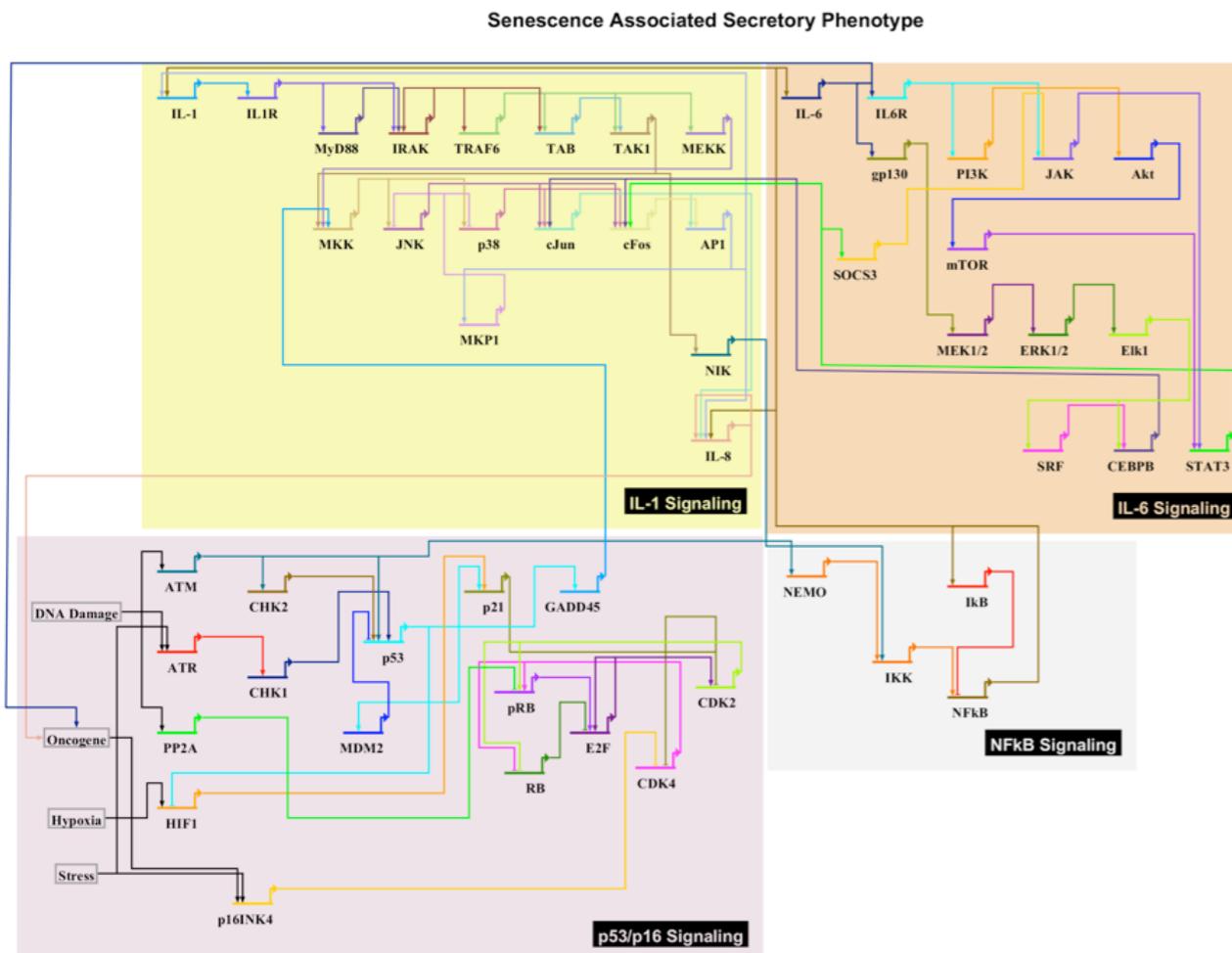
Applications

Several Boolean models have been/are currently being developed in our group:

Senescence-associated secretory phenotype:

Models NF κ B/IL-1/IL-6 signaling using 52 genes and 3 inputs

Interactions between Wnt signaling and IGF signaling (currently in an early stage):



Future developments I

New features are currently being integrated:

Extension of the supported model classes:

- support for temporal statements and delays
- additional operators (e.g. majority vote)
- implementation in a new simulator that is based on symbolic expression trees instead of truth tables

Examples:

- Gene A is activated two time steps after Gene C:
 $A, C[-2]$
- Gene A is active if Gene B or Gene C was present in the last three time steps:
 $A, \text{any}[t=-3..-1](B[t] \mid C[t])$
- Gene A is active if the majority of its regulators were present in the last two time steps:
 $A, \text{all}[t=-2..-1](\text{maj}(B[t], C[t]))$
- Gene A is inactivated after the first five time steps:
 $A, \text{timel}(6)$

SBML qual specification:

Since the concept of time is beyond the scope of this specification it is recommended that the csymbols “time” and “delay” that explicitly involve time are not used.

→ Support of time delays in SBML qual would be useful to be able to exchange such models

Future developments II

Extension of the integrated reconstruction methods:

- inclusion of prior knowledge, e.g.
 - known regulatory dependencies
 - dependencies identified by static methods
 - e.g. identification of regulators by higher-order correlations [1,2]
- direct support for perturbation data
(systematic knock-out/overexpression of upstream regulators)

Extension of the random network generator:

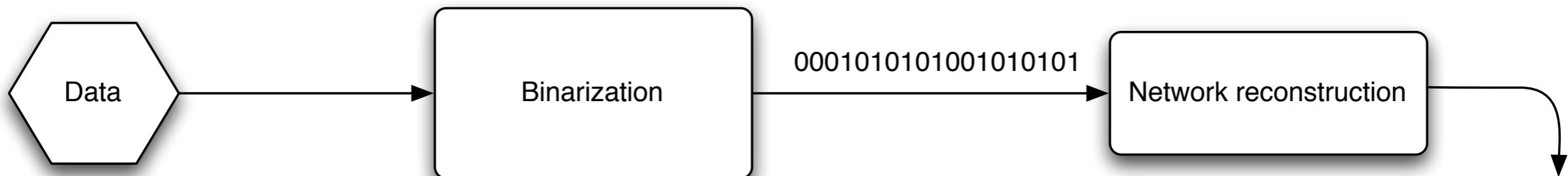
- integration of custom generation functions for specific function classes, e.g. canalyzing / nested canalyzing functions
- If you are interested in testing the new package (BoolNet 2.0),
feel free to ask!

[1] Maucher et al., Computational Statistics, 2014

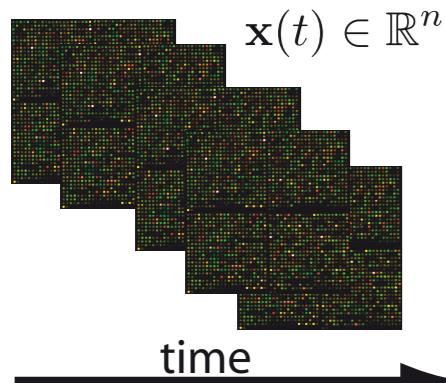
[2] Maucher et al., Bioinformatics, 2011

Future developments III - R package binarize

Conventional approach



Expression profiles



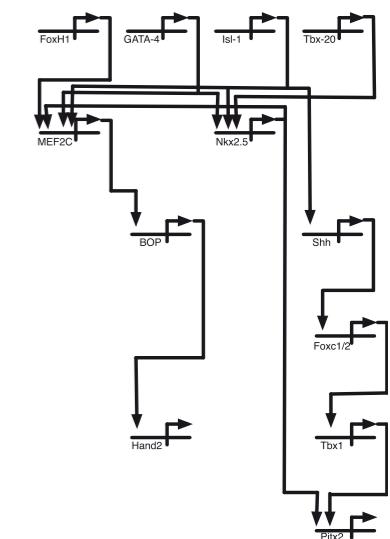
$$x(t) \in \{0, 1\}^n$$

time t

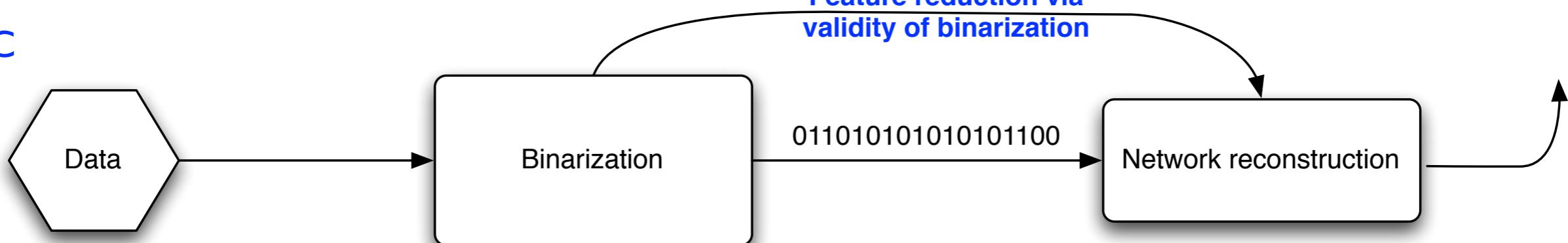
$x(t) \in \{0, 1\}^n$

genes

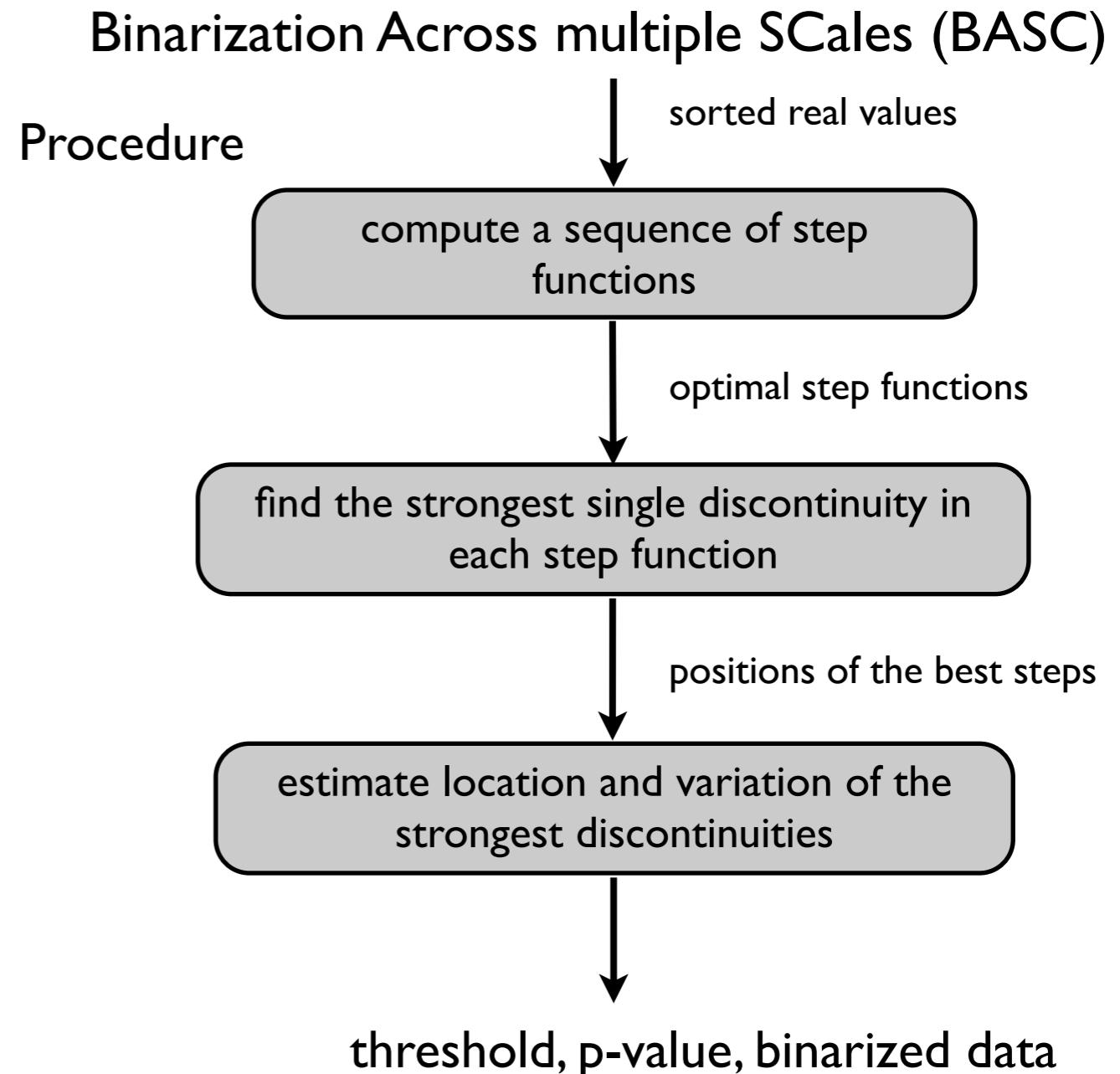
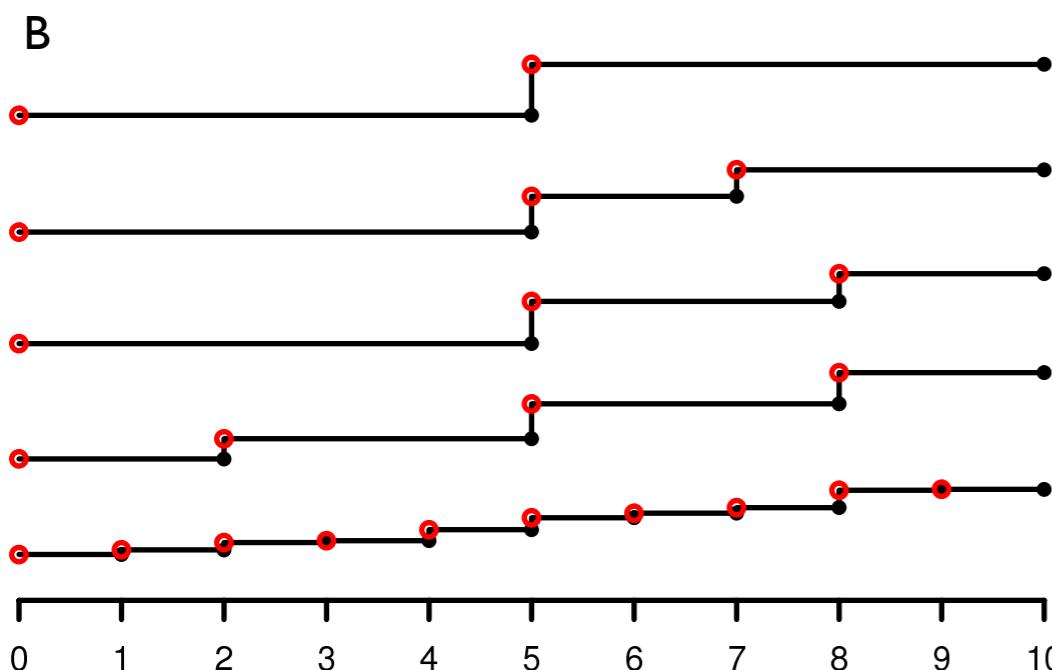
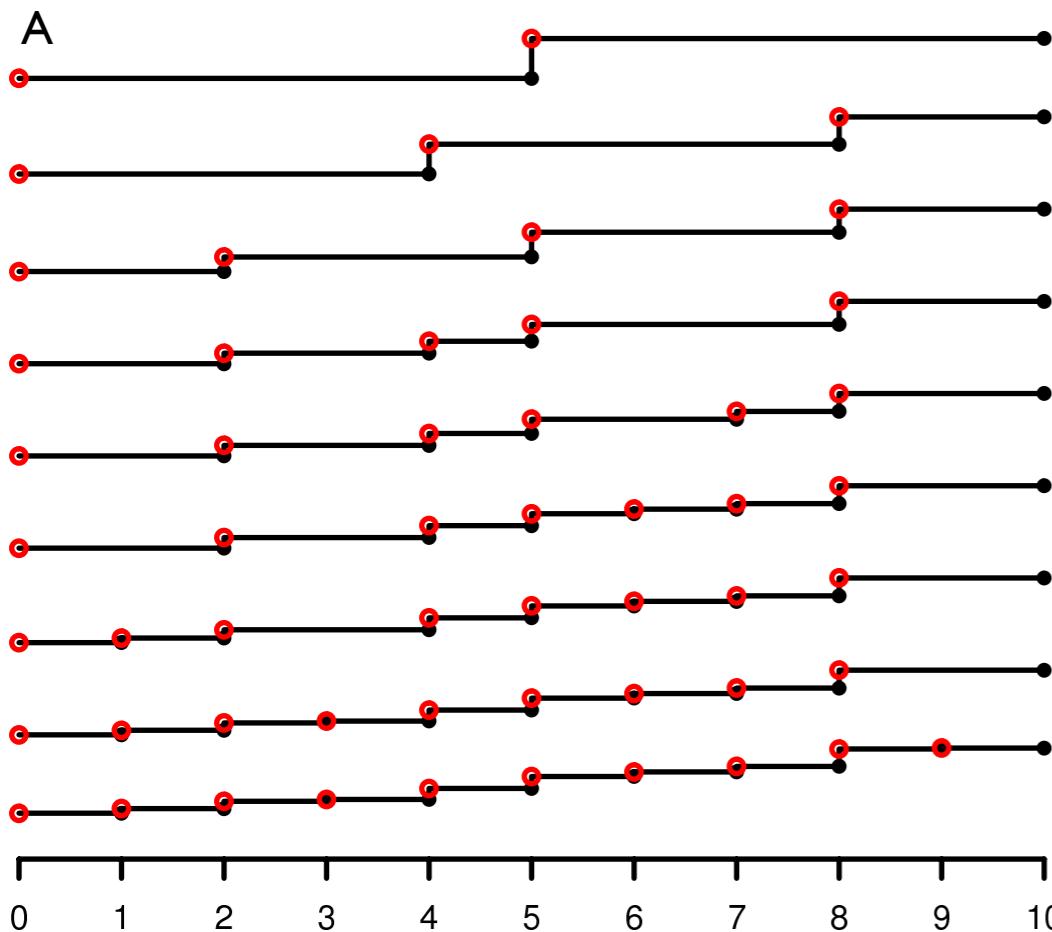
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1100110011001100110011001  
1110011100111001110011100  
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1010001100010111011010001  
0000011111000000111110000
```



BASC

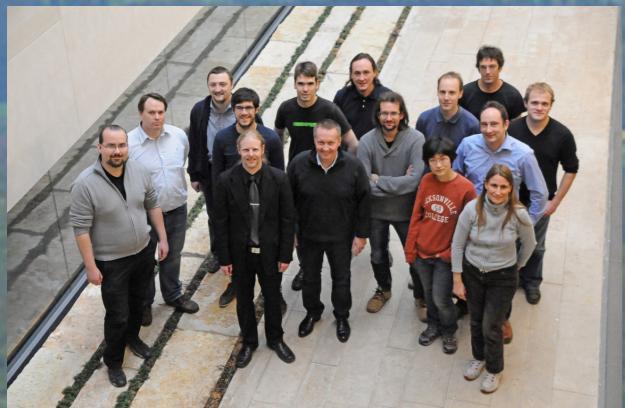


Future developments III - R package binarize



family of 1-D time series
A: minimizing Euclidean distance to original
B: scale space approximation

Bright views for logical modeling



Medical Systems Biology, Ulm University
<http://sysbio.uni-ulm.de>



Deutsche
Forschungsgemeinschaft



SYSTAR

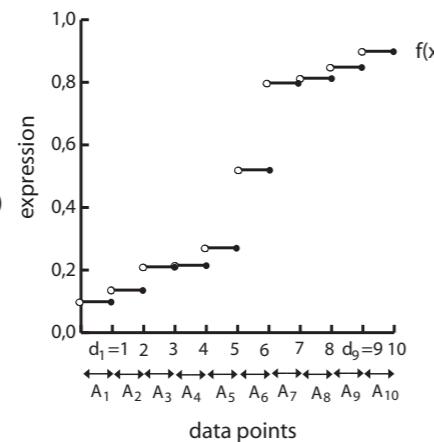


Binarization scenarios

Scenario A

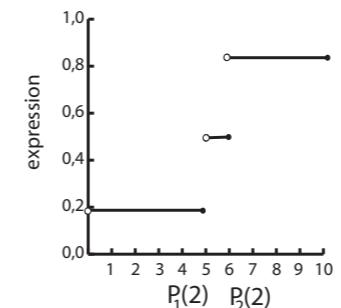
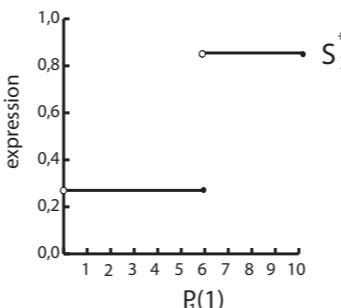
input vector:

$$u=(0.22, 0.29, 0.1, 0.13, 0.8, 0.9, 0.22, 0.85, 0.81, 0.5)$$

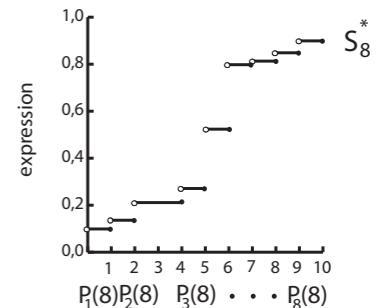


A: binarization

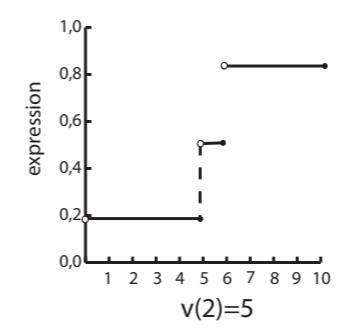
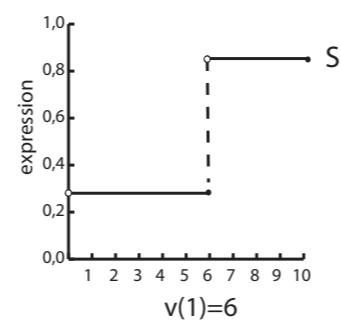
step 1:



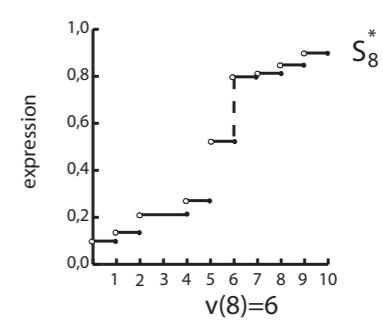
...



step 2:



...



step 3:

$$v=(6,5,6,5,6,6,6,6)$$



$$\text{AD}(v')=(0.02) \quad \overline{\tau}=(0.15)$$

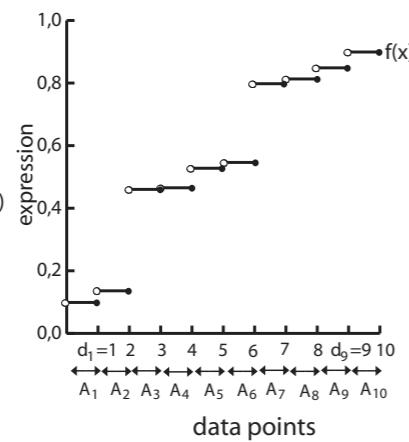


$p < 10^{-5}$
threshold $\tau=0.65$
and the binarized vector
 $\tilde{u}=(0,0,0,1,1,0,1,1,0)$

Scenario B

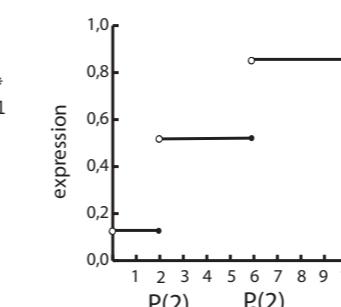
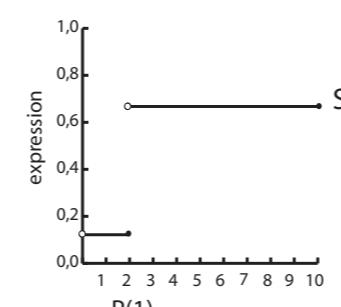
input vector:

$$u=(0.5, 0.57, 0.1, 0.13, 0.8, 0.9, 0.5, 0.85, 0.81, 0.58)$$

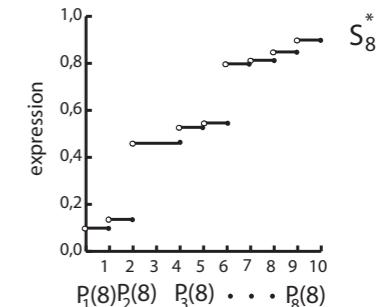


B: binarization

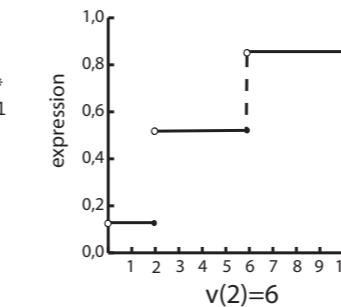
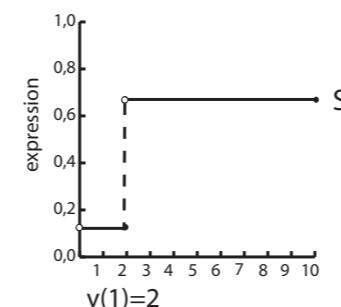
step 1:



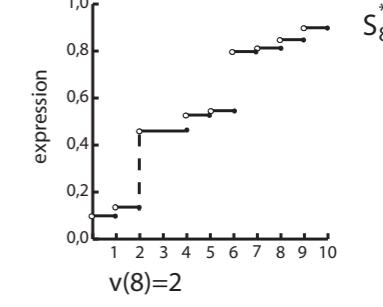
...



step 2:



...



step 3:

$$v=(2,6,6,2,2,6,2,2)$$



$$\text{AD}(v')=(0.21) \quad \overline{\tau}=(0.15)$$



$p = 0.61$
threshold $\tau=0.315$
and the binarized vector
 $\tilde{u}=(1,1,0,0,1,1,1,1,1)$