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A domain decomposition method for discontinuous Galerkin discretizations of Helmholtz problems with Lagrange multipliers

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A nonoverlapping domain decomposition method is described for Helmholtz problems discretized by a discontinuous Galerkin finite element method. The discretization uses plane wave basis functions and Lagrange multipliers to enforce a weak continuity of solution over element interfaces. A system of linear equations is formulated for the Lagrange multipliers on the subdomain interfaces. This poorly conditioned system is solved iteratively with a local preconditioner after it has been projected onto the complement of a coarse space in the same way as in the FETI-H method. Numerical experiments study the iterative solution of two-dimensional and three-dimensional model problems and compare the convergence and accuracy to the FETI-DPH method.