$\begin{array}{c} {\rm Jintao~Cui} \\ {\rm Multigrid~Methods~for~Two-Dimensional~Maxwell's} \\ {\rm Equations~on~Graded~Meshes} \end{array}$

Institute for Mathematics and Its Applications
University of Minnesota
114 Lind Hall
207 Church St SE
Minneapolis
MN 55455
jcui@ima.umn.edu

In this work we investigate the numerical solution for two-dimensional Maxwell's equations on graded meshes. The approach is based on the Hodge decomposition. The solution \boldsymbol{u} of Maxwell's equations is approximated by solving standard second order elliptic problems. The quasi-optimal error estimates for both \boldsymbol{u} and $\nabla \times \boldsymbol{u}$ in the L_2 norm are obtained on graded meshes. We prove the uniform convergence of the W-cycle and full multigrid algorithms for the resulting discrete problem. The performance of these methods is illustrated by numerical results.