

### 2.3.2 → Developing Premiums

→ Any need to develop premiums for when 1) an incomplete year of data is used or 2) 600+ of audits

### 2.3.3 → Determining Losses

→ Summary → claim ladder method (development technique) steps

- 1) Define claim data
- 2) Calculate age-to-age factors
- 3) Calculate averages
- 4) Select claim development factors
- 5) Select tail factor
- 6) Calculate claim development factors
- 7) Project ultimate claims

→ Ideas to keep in mind when selecting: smooth progression, stability, credibility of experience, change in patterns, applicability of the historical period, check losses / cut losses

⇒ Note on selecting factors ⇒ JUSTIFY EVERY SELECTION

You can select anything that seems reasonable, whether that's an average, a particular age-to-age factor, or anything else. Use your actuarial judgement when selecting factors. And remember, you don't have to make the same type of selection at each maturity either. If the age-to-age factors look unstable at 12 months but fairly stable for other maturities, it might be reasonable to select the medial average at 12 months and the straight average for other maturities.

On the exam in general, there are no strict rules for what factor to select as long as you make a reasonable choice. The default selection would be the straight average, but if there's a reason to not do that, make a different selection and explain your reasoning for doing so.

→ If given selections for LDFs, choose from only them ⇒ don't freestyle

### 2.4 → Trending

#### 2.4.1 → Actuarial standards of practice No. 13

→ Read this later exam

→ Definitions →

- Experience period: the time period in which the historical data occurs.
- Forecast period: the future time period to which historical data is projected.
- Social influences: the impact on insurance costs of changes in claim consciousness, court practices, legal precedents, and other non-economic factors.
- Trending period: the time over which the trend is applied when projecting from the experience period to the forecast period.
- Trending procedure: a process that involves estimating future values by analyzing changes between exposure periods that can impact claim costs and frequencies, exposures, premiums, expenses, retention rates, marketing/solicitation response rates, and economic indices.

#### 2.4.2 → Selecting data for trending

→ Exposure data → from LDFs rely on exposure measures, such as payroll or sales revenue, which can be influenced by time-related factors like inflation. May need to account for this w/ exposure trends

→ Premium data → the average premium level can change over time due to inflationary pressure as well. Another type of change over time is distributional change, which is a change in the characteristics of the policies written. Assuming change in the premium level is known as premium trend.

→ 6/12 rates characteristic with no amount of influence for a homeowners policy increases w/ inflation ⇒ avg premium increases

shifts or deductions at renewals causes premium shift (ex. SGD)

→ Loss data → changes over time in the exposure levels and claim frequency & severity are known as loss trends. Loss trends can be driven by many different factors, such as: inflation, increasing medical costs, advancements in safety tech, distributional changes (like a growing population) (or other reasons)

→ Can be estimated by averaging most premium diversity or lag/avg separately (as they may have different drivers)

→ Order of operations → Trending is typically performed after adjusting the data for anomalies like catastrophes & rate or benefit changes, ensuring any adjustments to the true trend are eliminated.

→ Additionally, trending can be applied either before or after the data is developed to ultimate values

#### 2.4.3 → Estimating a trend

→ Methods for determining trends

→ There are multiple methods for calculating trends. The choice of method depends on the stability of the data & the type of trend being measured.

→ Simple average of recent changes → This can be for premium trends that are stable

→ Linear & exponential trend fitting → - - - loss trends - - - variable

→  $(1 + \text{pure premium trend}) = (1 + \text{frequency trend}) * (1 + \text{severity trend})$  ⇒ If estimating pp trend, esp w/ claims like auto, then divide by exposure at end & calculate  $\Delta\% \rightarrow$  pure trend

→  $b = \ln(\frac{\text{last point}}{\text{first point}}) \rightarrow$  (e.g.  $\frac{2037.01}{2024.01} - 1$ )

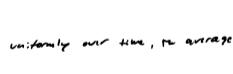
Calendar Quarter	WP at Current Rate Level	Written Exposures	Avg WP at Current Rate Level	Quarterly % Change	Annual % Change
2016Q1	68,409.73	132	518.26		
2016Q2	69,933.21	134	521.89	0.7%	
2016Q3	70,910.48	135	525.26	0.6%	
2016Q4	72,977.61	138	528.82	0.7%	
2017Q1	74,634.01	140	533.10	0.8%	2.9%
2017Q2	75,774.76	141	537.41	0.8%	3.0%
2017Q3	77,435.68	143	541.51	0.8%	3.1%
2017Q4	78,323.20	144	543.91	0.4%	2.9%
2018Q1	80,263.03	146	549.75	1.1%	3.1%
2018Q2	81,959.37	148	553.78	0.7%	3.0%
2018Q3	83,634.55	150	557.56	0.7%	3.0%
2018Q4	84,526.43	151	559.78	0.4%	2.9%

Use these to get the trend of XX that we apply later

→ Example → You are given the following information:

• The annual premium exponential trend fit based on data for the 12 months ending each quarter evaluated through December 31, 2017 is:

Renewals begin to ↑ deductible  
All policies have ↑ deductible  
B/C of new deductible  
policy w/ old deductible  
not affected by old deductible



$b = \ln(\frac{\text{last point}}{\text{first point}}) \rightarrow \frac{2037.01}{2024.01} - 1$

• All policies are annual.

• Proposed rates will be in effect from January 1, 2019 to January 1, 2020.

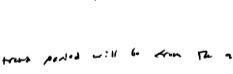
• Starting with July 1, 2015 renewals, the minimum deductible was increased from \$500 to \$1,000.

Select the trend to be applied to CY2017 earned premium. Include justification of the premium trend selection.

→ What given selections for linear/exponential fits, can be more creative & select values in between the fits if appropriate

→ If chose to trend first or few separately, compare result w/ given pure premium trends to see if its supported

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All policies have ↑ deductible  
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not affected by old deductible



$b = \ln(\frac{\text{last point}}{\text{first point}}) \rightarrow \frac{2037.01}{2024.01} - 1$

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Select the trend to be applied to CY2017 earned premium. Include justification of the premium trend selection.

→ Since the deductible change was implemented starting w/ policies renewing on July 1, 2015, the last possible date a policy could be written w/ the old deductible is June 30, 2015. So, there will be policies w/ the old deductible earning premium as late as June 30, 2015.

→ The trend will be applied to CY2017 EP, so we want to select a trend that is not as affected by the deductible change. However, we also want to include as much data as possible.

→ B/c the 6-point trend avoids most of the influence of the deductible change, & the data points stabilize at this point, select a trend of 4.1%.

→ Since all of the trends use at least 4 data points, all will still be impacted by the old deductible. So, we want to choose a value where the impact is minimal as the data has stabilized.

→ Effects of humility on trend

→ In general, for a positive severity trend, basic limits trend & excess loss trend

→ On the other hand, if the severity trend is increasing its relationship becomes excess loss trend & total limit trend & basic limits trend

→ Less cut trend = pure premium trend

→ Excludes w/ claims like auto

→ Divide by reserves at end

→ Calculate excess to total trend

→ More drop-off impact than basic limits loss trend

(in the direction of the total limits loss trend)

→ Basic limits & excess loss trend

→ Total limits loss

→ = min(a, b) - min(c, d)

→ Total limits loss

→ = max(e, f) - max(g, h)

→ Total limits loss

→ = max(i, j) - max(k, l)

→ Total limits loss

→ = max(m, n) - max(o, p)

→ Total limits loss

→ = max(q, r) - max(s, t)

→ Total limits loss

→ Total limits loss