7.1.6 -> Kind Donstry Estimation

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- Awar stratesy is to complete the policy and ternal doubly estimation

Def to fames function , 1663, is a policy a parameter of the special function's destribution as bounded to the second function's destribution of the second function's destribution.

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d integration -) bond width to betweeterm depends on the Kill Closen

-) Baye Idea - Il Charle a divisity forms out Ki.) -> Rectangular, triangular, or province -> 1) Explanate first as to auromate of K.(100, ..., Kulter)

-> 7) Explants
$$f(x)$$
 => The survey! of $K_1(x)$, ..., $K_n(x)$

-> Thus, the Kennel density explants of $f(x)$ = $\frac{1}{2}$ $\frac{2}{3}$ $K_1(x)$ (disordensity we have $K_1(x)$)

 $K_1(x)$

- Rectangular Kennal-(unlform)

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$$| f = h/E$$

$$\frac{1}{\sqrt{2}} = \frac{1}{\sqrt{2}} \left[\frac{1}{\sqrt{2}} \left(\frac{1}{\sqrt{2}} \right) + \frac{1}{\sqrt{2}} \left(\frac{1}{\sqrt{2}} \right) + \frac{1}{\sqrt{2}} \left(\frac{1}{\sqrt{2}} \right) \right]$$

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$$\Rightarrow \gamma \neq (1,2) = \sqrt{\frac{1}{2}} \Rightarrow 0 \text{ followe} \Rightarrow 0 \text{ followe}$$

$$\Rightarrow \frac{1}{2} \left(\frac{1}{2} + 1 + \frac{1}{2}\right) = 0 \text{ for}$$

-> Triangular Kernel -> assumes 13. sceles frianche for the kernel Kanthan





