

## DERIVATIVES II (ATTENDANCE QUIZ)

COLTON GRAINGER (MATH 1300)

Print your **full name** and **three digit section number** in the top right corner. You are free to discuss these questions with others while making your attempt. Questions from [1] and [2].

1. If  $f(x)$  is a differentiable function, then  $f(x)$  is a continuous function.
  - TRUE
  - FALSE
2. If  $g$  is differentiable at  $x = a$  and  $f$  is differentiable at  $x = g(a)$ , then  $f \circ g$  is differentiable at  $x = a$ .
  - TRUE
  - FALSE
3. If  $f''(c) = 0$ , then  $f(x)$  has an inflection point at  $x = c$ .
  - TRUE
  - FALSE
4. True or false: The following function is differentiable at  $x = 0$ ,

$$f(x) := \begin{cases} x + 1, & x \leq 0 \\ 1 - x^2, & x > 0. \end{cases}$$

- TRUE
  - FALSE
5. Suppose  $f$  is a function defined on a closed interval  $[a, c]$ . Suppose that the left-hand derivative of  $f$  at  $c$  exists and equals  $\ell$ . Which of the following implications is **true in general**?
    - (A) If  $f(x) < f(c)$  for all  $a \leq x < c$ , then  $\ell < 0$ .
    - (B) If  $f(x) \leq f(c)$  for all  $a \leq x < c$ , then  $\ell \leq 0$ .
    - (C) If  $f(x) < f(c)$  for all  $a \leq x < c$ , then  $\ell > 0$ .
    - (D) If  $f(x) \leq f(c)$  for all  $a \leq x < c$ , then  $\ell \geq 0$ .
    - (E) None of the above is true in general.
  6. Suppose  $f$  and  $g$  are increasing functions from  $\mathbf{R}$  to  $\mathbf{R}$ . Which of the following functions is *not* guaranteed to be an increasing function from  $\mathbf{R}$  to  $\mathbf{R}$ ?
    - (A)  $f + g$
    - (B)  $f \cdot g$
    - (C)  $f \circ g$
    - (D) All of the above, i.e., none of them is guaranteed to be increasing.
    - (E) None of the above, i.e., they are all guaranteed to be increasing.

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Repo: <https://github.com/coltongrainger/pro19ta>.

#### REFERENCES

- [1] V. Naik, “Math 152 Course Notes” [Online]. Available: <https://vipulnaik.com/math-152/>
- [2] L. Roberson, “Math 1300 Exam Materials,” CU Boulder, Oct-2018 [Online]. Available: <https://math.colorado.edu/math1300/1300exams.html>