

第五题 20200119 李俊

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预算限制式 $2300 = 20x + 2y$
 偏好 $U = f(x, y) = x^2 y^3$
 求最大值 $\Rightarrow \max U = 8(x, y) = x^2 y^3$
 sub to $300 = 10x + 12y$

最速下降条件
 $MRS_{xy} = \frac{\frac{\partial U}{\partial x}}{\frac{\partial U}{\partial y}} = \frac{2x}{3y^2} = \frac{p_x}{p_y} = \frac{10}{12}$
 $\Rightarrow 20x \times 12 = 300 \times 10 \Rightarrow x = 12.5$

$U = f(x, y) = x^2 y^3$
 $\max U = 8(x, y) = x^2 y^3$ s.t. $20x + 2y = 3000$
 $MRS_{xy} = \frac{2x}{3y^2} = \frac{10}{12} = \frac{5}{6}$

本问题以约束条件的最大值直到所有预算都耗尽(资源耗尽)
 $\Rightarrow x = 12.5$ 若出现非0并不等于1个变量

6 $\max x^2 y^3$ s.t. $5x + 12y = 400$
 $\Rightarrow x = 12.5$
 $\int \frac{2x^2 y^3}{3x^2 y^2} = \frac{2y}{3}$
 $\Rightarrow y = \frac{2}{3}x = 10$

② $x = 10$ $y = 20$ \Rightarrow 15小时 12小时

7 $\max x^2 y^3$ s.t. $12x = 400x + 60y = 0$ $20 = 2x$

(本问题是(0,0)) $20 = 2x$
 迅速下降条件 $MRS_{xy} = \frac{2x}{3y^2} = \frac{p_x}{p_y} \rightarrow 20 = 2x$
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