```
? ins.drawioTODO ? ins.drawioTODO ? ins.drawioTODO ? ins.drawioTODO ins.drawioTOD
                        F_{i}^{j}, j = 2, 3, 4, 5
                         X_{l} = softmax(Q_{l}K_{l}^{T})V_{l} + X_{l-1}
                       \begin{pmatrix} lX_l \in \\ R^{N \times C} \\ NCl^{th} \\ Q_l = \\ f_Q(X_{l-1}) \in \\ R^{N \times C} \\ X_0 \\ K_l, V_l \in \\ R^{H_lW_l \times C} \\ f_K(\cdot) f_V(\cdot) \\ H_lW_l \\ f_Q, f_K f_V \end{pmatrix} 
X_{l} = softmax(M_{l-1} + Q_{l}K_{l}^{T})V_{l} + X_{l-1}
(2)
                         (x,y)M_{l-1}
                         M_{l-1}(x,y) = \{ 0 \ if M_{l-1}(x,y) = 1 - \infty \ otherwise \}
                        M_{l-1} \in \{0, 1\}^{N \times H_l W_l} 
l-1
M_0
1/32, 1/1
                     M_0
1/32, 1/161/8
e_{pos} \in R^{H_lW_l \times C}
L3L
H_1 = H/32, H_2 = H/16, H_3 = H/8
W_1 = W/32, W_2 = W/16, W_3 = W/8HW
f_{CNN}v =
                        \begin{array}{l} W/\delta HW \\ f_{CNN}v = \\ f_{CNN}(I) \in \\ R^D \\ vI \\ I \end{array}
                         \mathcal{L}_{I}^{NCE} = -log \frac{exp(v \cdot v^{+}/\tau)}{exp(v \cdot v^{+}/\tau) + \sum_{v^{-} \in N_{I}} exp(v \cdot v^{-}/\tau)}
```