This is a great title

This is an even greater subtitle

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Here I show a very basic example of how to use the problem environment I defined using the \tcolorbox package. Your titleproblem-label This is an example problem taken from [?]:

[(a)]Prove the following [label = ()]

 $\langle p'|x|\alpha\rangle=\hbar p'\langle p'|\alpha\rangle.$ $\langle \beta|x|\alpha\rangle=\int p'\phi_{\beta}^{*}(p')\hbar p'\phi_{\alpha}(p'),$ where $\phi_{\alpha}(p')=\langle p'|\alpha\rangle$ and $\phi_{\beta}(p')=\langle p'|\beta\rangle$ are momentum-space wave functions. What is the physical significance of

where x is the position operator and Ξ is some number with the dimension of momentum? Justify your answer.

Notice that the partial derivative and integral are smaller when used in a sentence compared with when you're wor Your titleproblem-label-2 This is an example problem taken from [?]:

[(a)]Prove the following [label = ()]

 $\langle p'|x|\alpha\rangle = \hbar p'\langle p'|\alpha\rangle.$

$$\langle \beta | x | \alpha \rangle = \int p' \phi_{\beta}^*(p') \hbar p' \phi_{\alpha}(p'),$$

where $\phi_{\alpha}(p') = \langle p' | \alpha \rangle$ and $\phi_{\beta}(p') = \langle p' | \beta \rangle$ are momentum-space wave functions.

I use the package physics which provides a great variety of commands for common operations and symbols. For in