



# AC297R BITCOIN TRADING PROJECT

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## OBJECTIVES

The initial motivation of this project is to implement some bitcoin trading strategies and investigate its arbitrage opportunities. Here are the trading strategies implemented:

- Momentum trading
- Pairs Trading
- Markov Chain Monte Carlo
- Hidden Markov Model
- Pattern Recognition BackTesting

Two ways to explore arbitrage opportunities:

- Two Market Exchange
- Cross Currency Exchange

## TRADING STRATEGIES

**Momentum Trading** To participate in momentum investing, a trader will take a long position in an asset, which has shown an upward trending price, or short sell a security that has been in a downtrend.

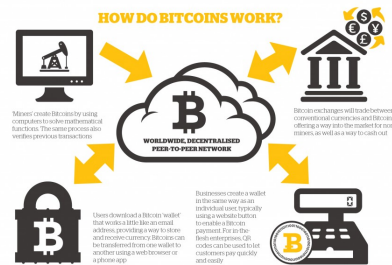
**Pairs Trading** In this project, we use Huobi and Okcoin. At a time  $t$ , given the 2 exchanges, 1 and 2, one can calculate  $D_t = F(ask_{1,t}) - bid_{2,t}$  and  $E_t = G(bid_{1,t}) - ask_{2,t}$  where  $F(p) = a * p + b$  where  $a$  and  $b$  are determined through regression on training times.

**MCMC** Asset price  $dlnS = udt + \sigma dW$ .  $Y_n = lnS_n - lnS_{n-1}$ . Denote  $m$  and  $v$  for the mean and variance of the return over the period  $\Delta t$  and get the equation as  $Y_n = m + \sqrt{v}w_n$ . Start from an initial guess of parameter value  $m_0$  and  $v_0$ . Make a random draw from the distribution for the parameters conditional on the observations.

## REFERENCES

- Patrik Idvall and Conny Jonsson** Algorithmic Trading: Hidden Markov Models on Foreign Exchange Data
- Mantas Landauskas** Modelling of stock prices by the markov chain monte carlo method

## BITCOIN INTRODUCTION



## PAIRS/MOMENTUM TRADING



Figure 1: Pairs Trading Performance

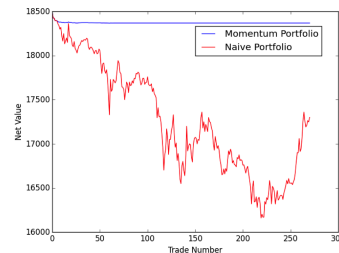
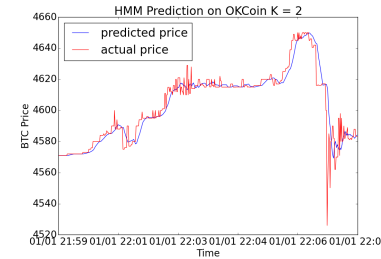


Figure 2: Momentum Trading Performance

## FUTURE RESEARCH

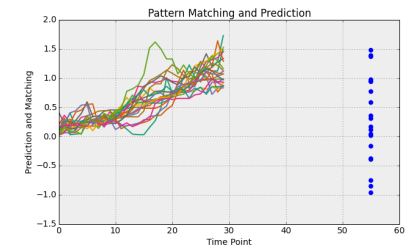
We are interested in developing an ensemble trading technique in the future. Given  $k$  trading strategies, one can dynamically weight the predicted returns of the strategies given a common trailing

## HIDDEN MARKOV MODELS AND PATTERN MATCHING



Pattern Matching saves the current trend of bitcoin prices and looks for similar patterns in historical trends by computing the similarity of two patterns. A pattern corresponding to a time point is defined as a list of length  $N$  that stores the percentage difference between the price of the time point and the price  $i$  time unit before that where  $i$  ranges from 1 to  $N$ . Similarity can be computed using normalized Euclidean distances or Pearson/Spearman Correlation Coefficient. The historical future prices of matched patterns are then collected to make predictions based on their dis-

tributions. Hidden Markov Models is a technique for inferring hidden states through observations when the structure of the model is known but the parameters are not. The parameters are estimated using a version of the Expectation Maximization (EM) algorithm known as the Baum and Lloyd algorithm. Formally, Hidden States:  $X = x_1, \dots, x_n$ . Observations:  $Y = y_1, y_2, \dots, y_n$ .  $P(X, Y)$  = Probability:  $P(X, Y) = \prod P(x_1) \prod P(x_i | x_{i-1}) (y_i | x_i)$



## CONCLUSION

Algorithm	Start	End	Percentage Change
Baseline	10000	10295.739	2.95%
MACD	10000	10848.446	8.48%
Momentum Trading(Shortsale)	10000	8188.88	-18.112%
Momentum Trading(No Shortsale)	10000	10080.279	0.80279%
Pairs Trading	10000	11251	12.51%
HMM(K=2)	10000	10534	5.34%
HMM(K=4)	10000	10841	8.41%
HMM(K=8)	10000	10499	4.99%
MCMC	10000	10235	2.35%

Table 1: Algorithm Performance Comparison

## ACKNOWLEDGEMENTS

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