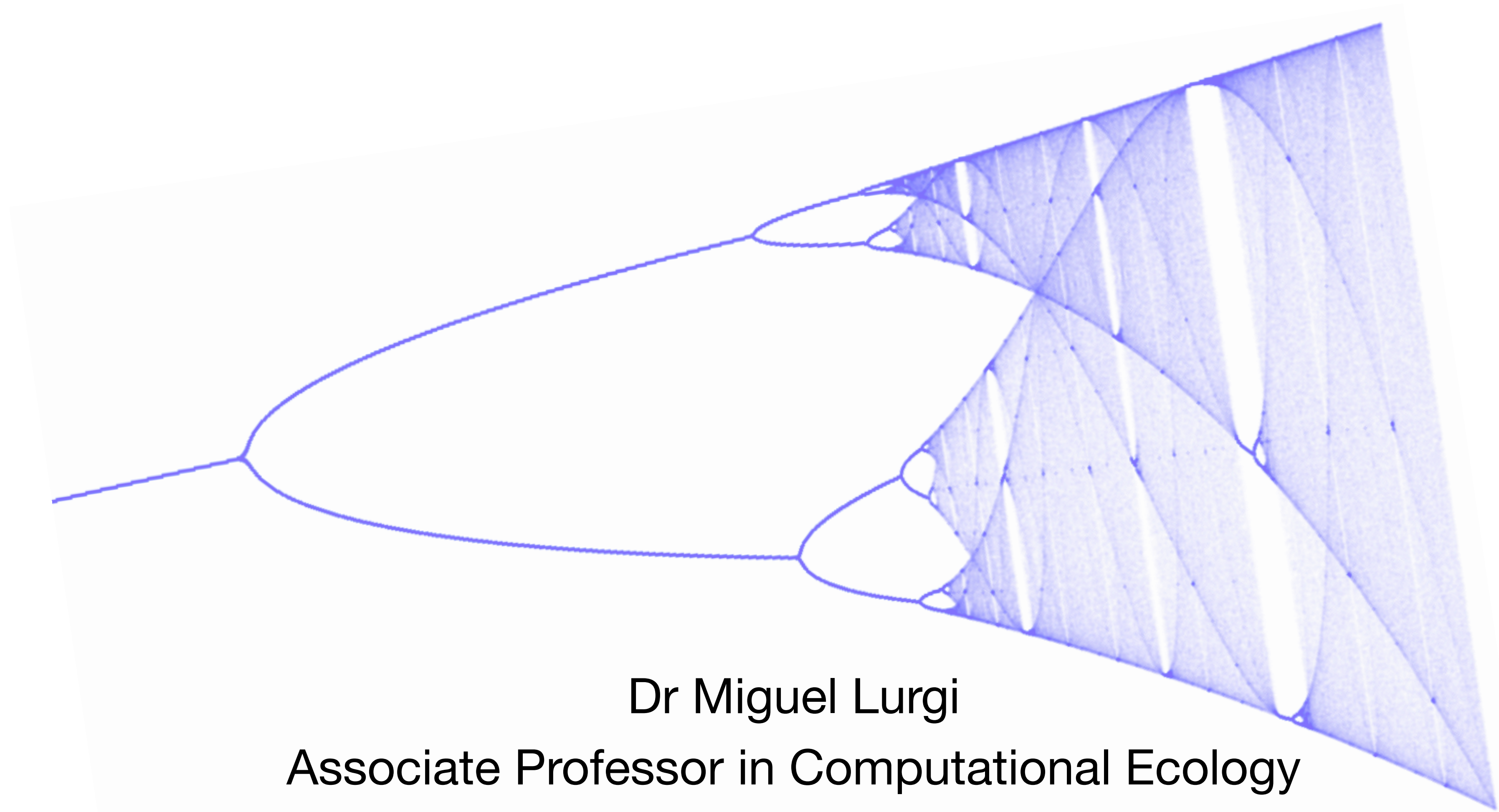


Single species population dynamics



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Associate Professor in Computational Ecology

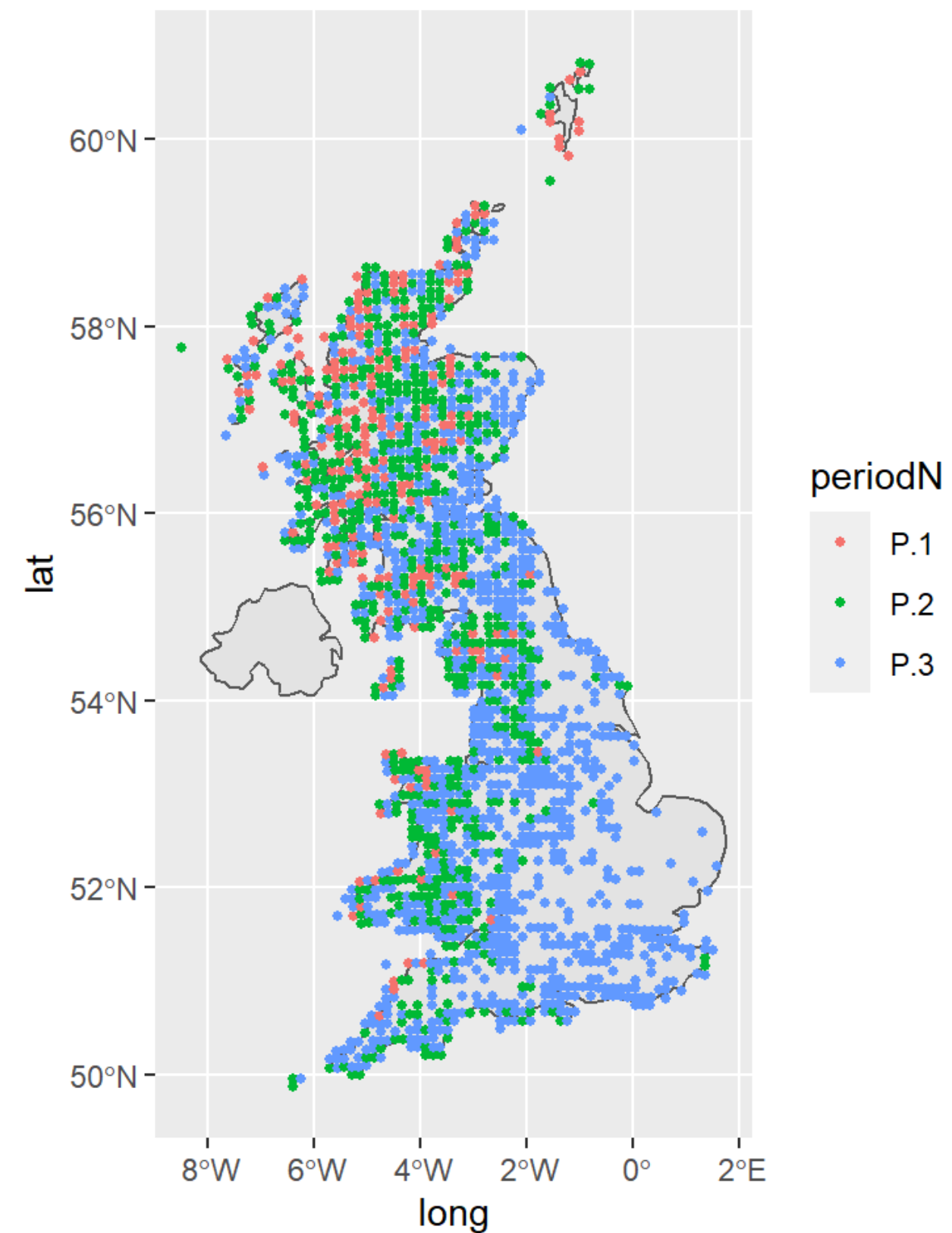
Computational Ecology Lab - <https://computational-ecology-lab.github.io/>

What we will cover

- Remember what ecology is about: with a focus on populations
- How do populations grow and change over time
- Exponential growth
- Density-dependent growth

Ecology

Describe the patterns of abundance and distribution of species and identify the mechanisms that give rise to these patterns



Population ecology

The study of changes in the size of a population (e.g. number of individuals) of a given species through time (or space) and the factors (mechanisms) that regulate it

Definition - Population: Group of individuals of a single species that occupy the same general area

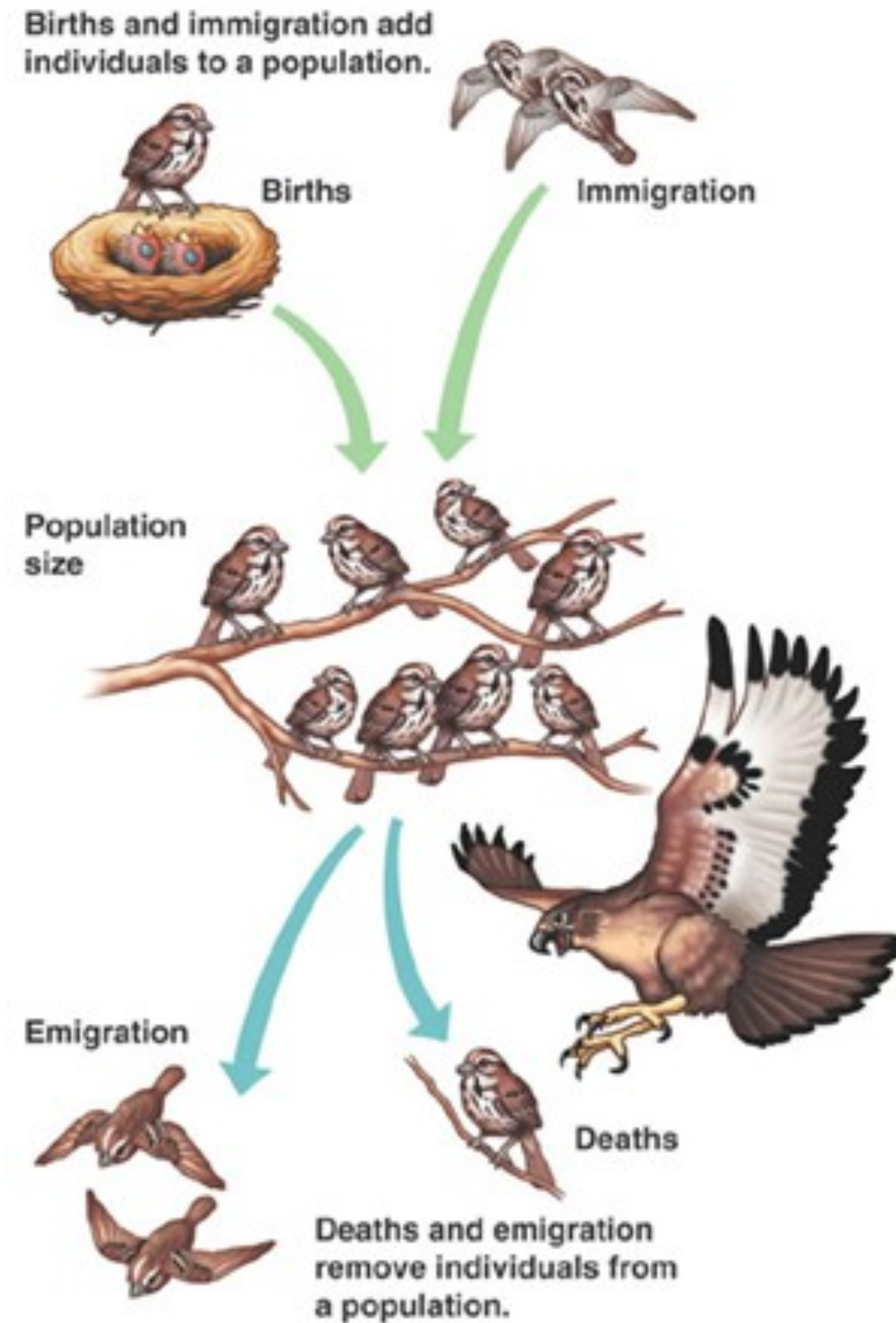
This means that individuals:

- Rely on the same resources
- Are influenced by the same biotic and abiotic factors
- Have a high probability of interacting, e.g. competing, co-operating, breeding with other individuals in the group

Characterising populations

1. How many individuals / density / biomass
2. How fast it grows
3. Limits to its growth

Factors influencing growth



Limits to growth

$$N_{t+1} = N_t + B_t + I_t - D_t - E_t$$

Number of individuals

How fast it grows

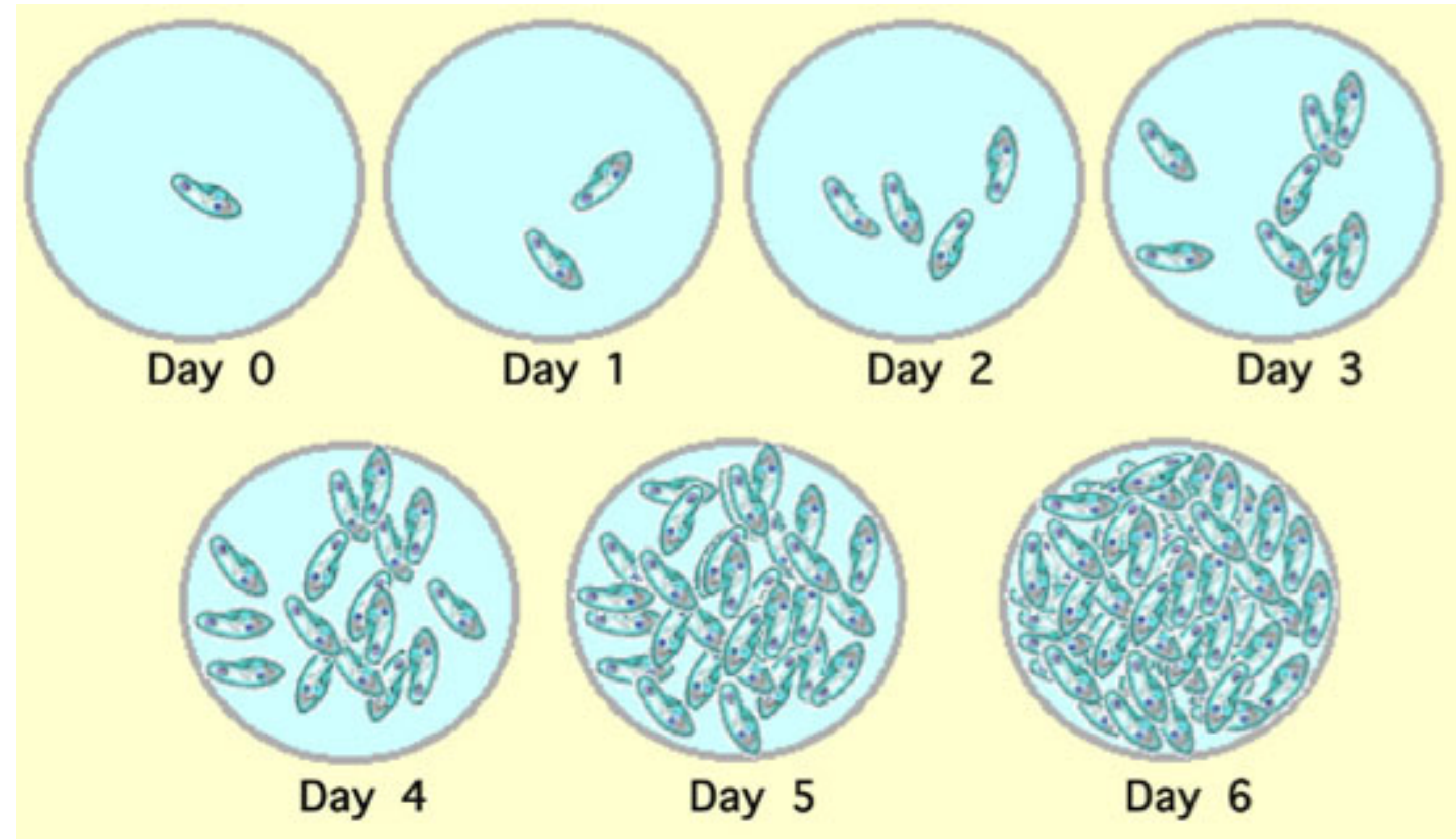
Functional forms

- Density independent growth (e.g. exponential)
- Density dependent growth

Exponential growth

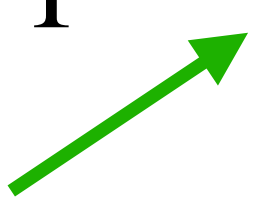
Populations growth exponentially if:

- Birth and death rates are constant
- More births than deaths
- There are no limiting resources

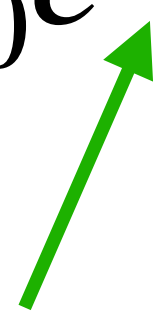


For local, closed populations

Discrete time equation

$$N_{t+1} = \textcircled{R} N_t$$


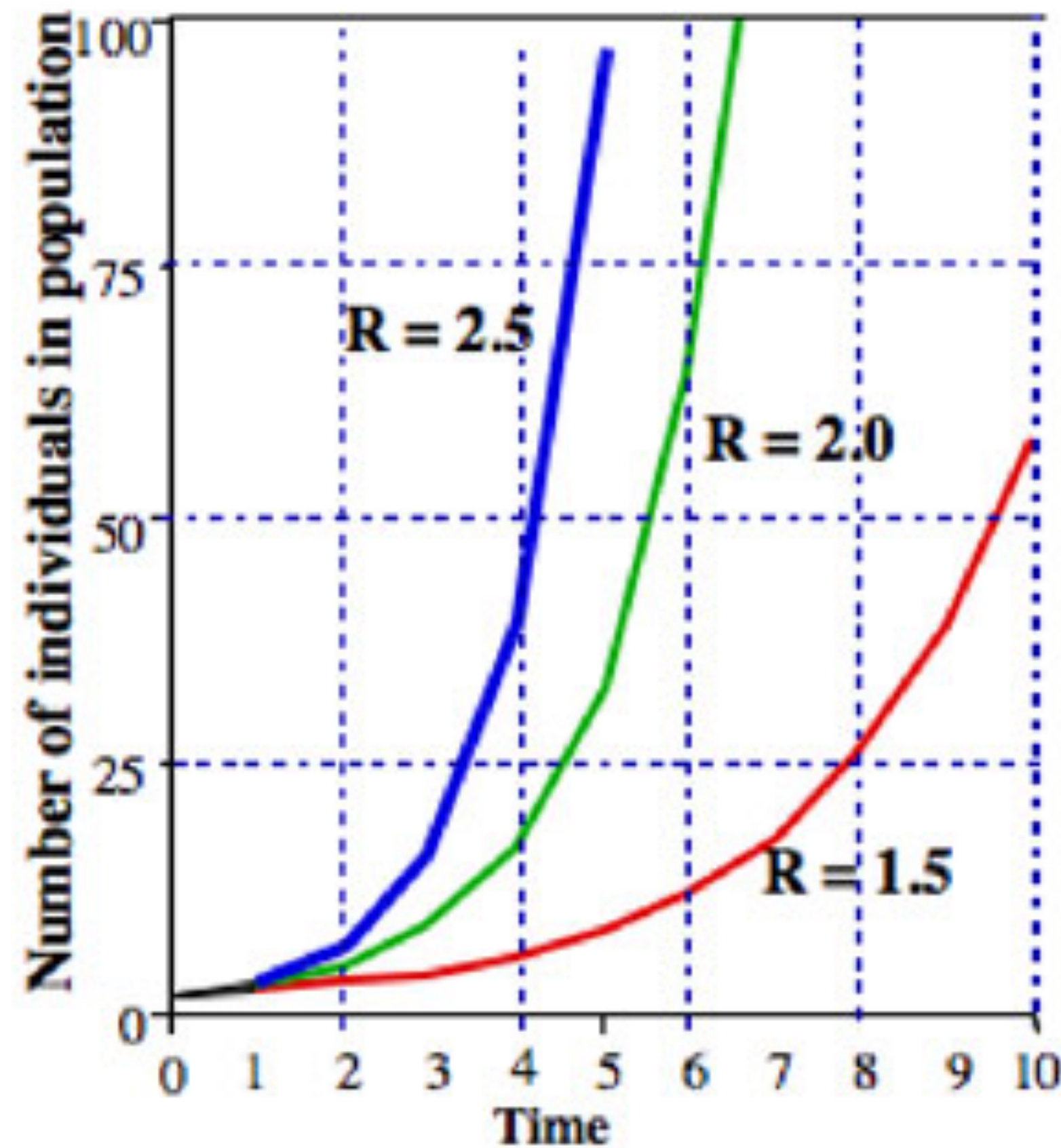
Finite rate of population increase

$$N_t = N_0 e^{\textcircled{rt}}$$


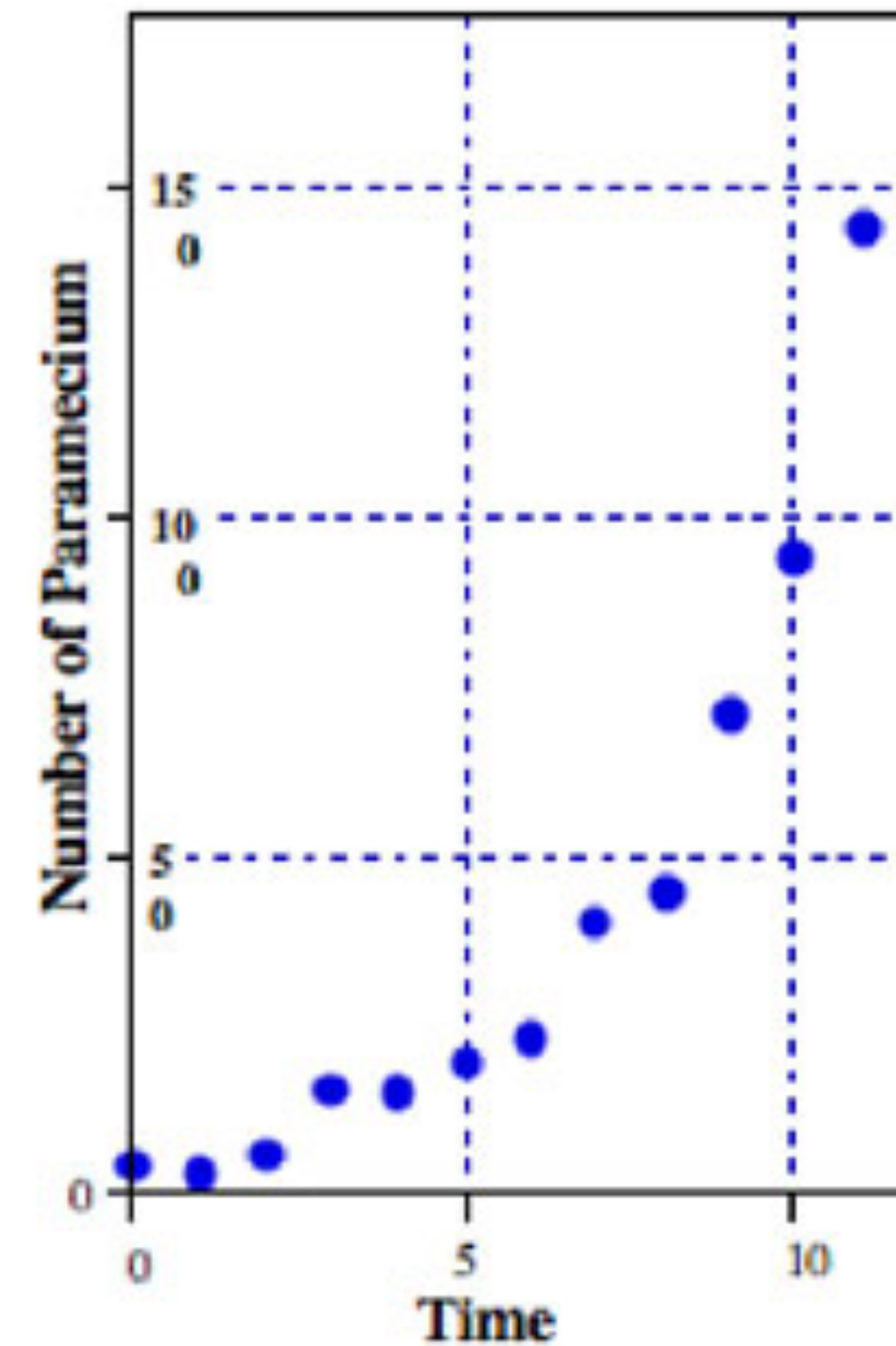
Intrinsic rate of increase

Idealised models help us understand population growth, BUT! they don't exist in Nature

Exponential growth

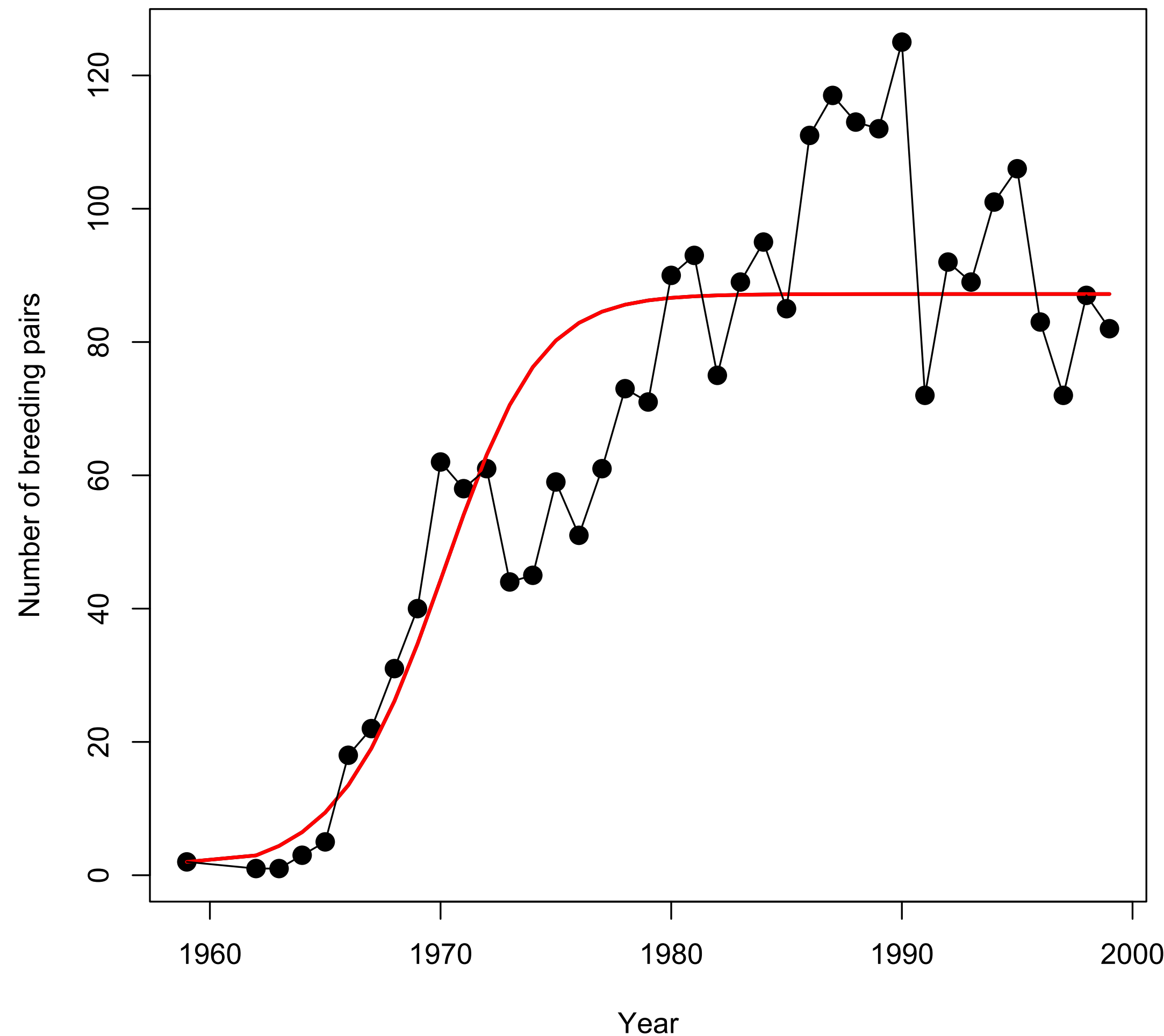


Modeled output



Empirical data

Density-dependent growth



Density dependence:

- Birth and death rates vary through time and depend on the density of individuals
- There is at least a limiting resource
- This generates competition between individuals

Density-dependent growth

The Ricker model

$$N_{t+1} = N_t * e^{r(1 - \frac{N_t}{K})}$$

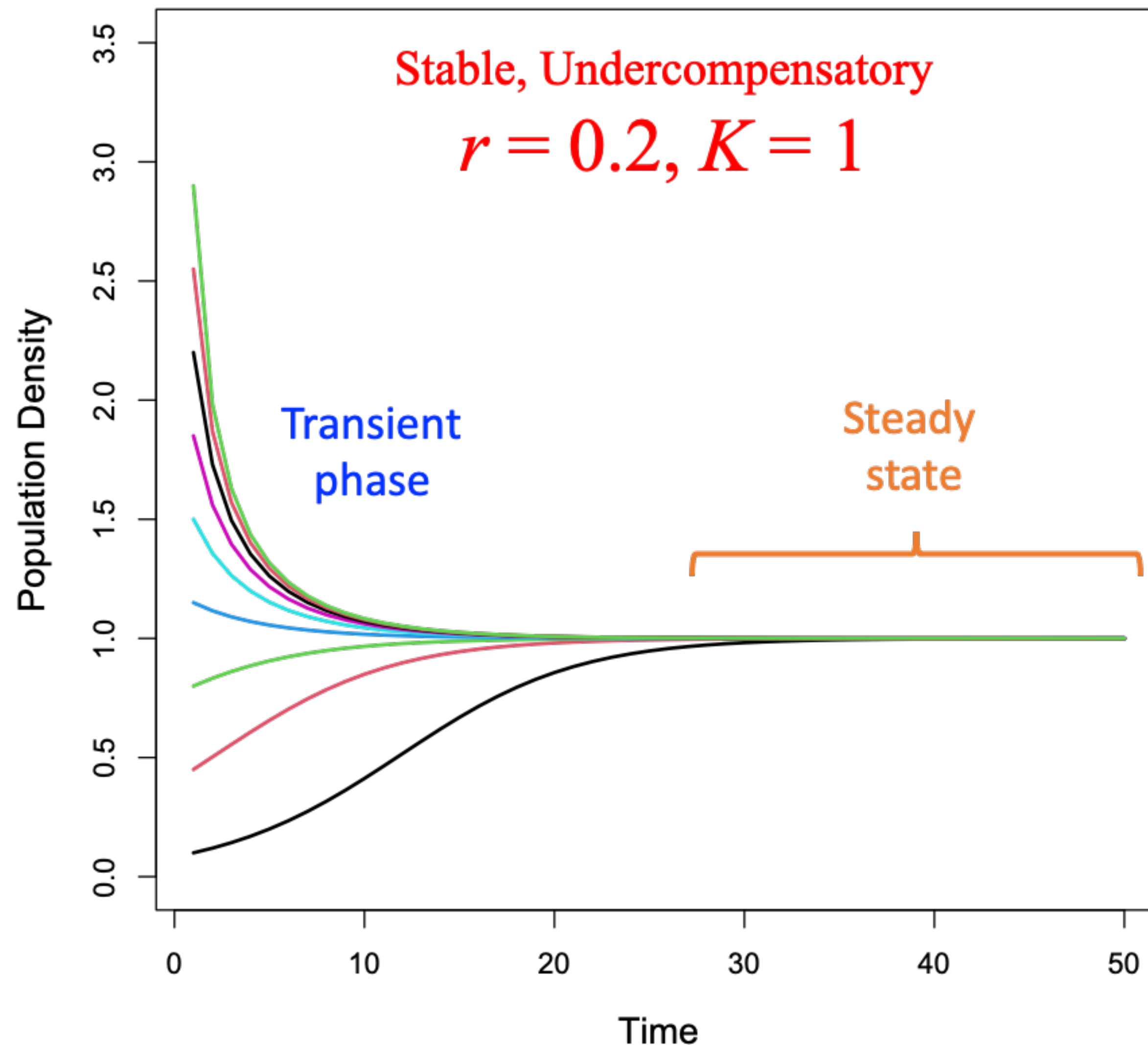
Density-dependent growth rate

Intrinsic growth rate

Carrying capacity

The diagram shows the Ricker model equation $N_{t+1} = N_t * e^{r(1 - \frac{N_t}{K})}$. A red box highlights the exponential term $e^{r(1 - \frac{N_t}{K})}$, with a red arrow pointing to it from the text 'Density-dependent growth rate'. Inside this box, the parameter r is circled in green, with a green arrow pointing to it from the text 'Intrinsic growth rate'. Similarly, the carrying capacity K in the denominator is circled in green, with a green arrow pointing to it from the text 'Carrying capacity'.

Density-dependent growth



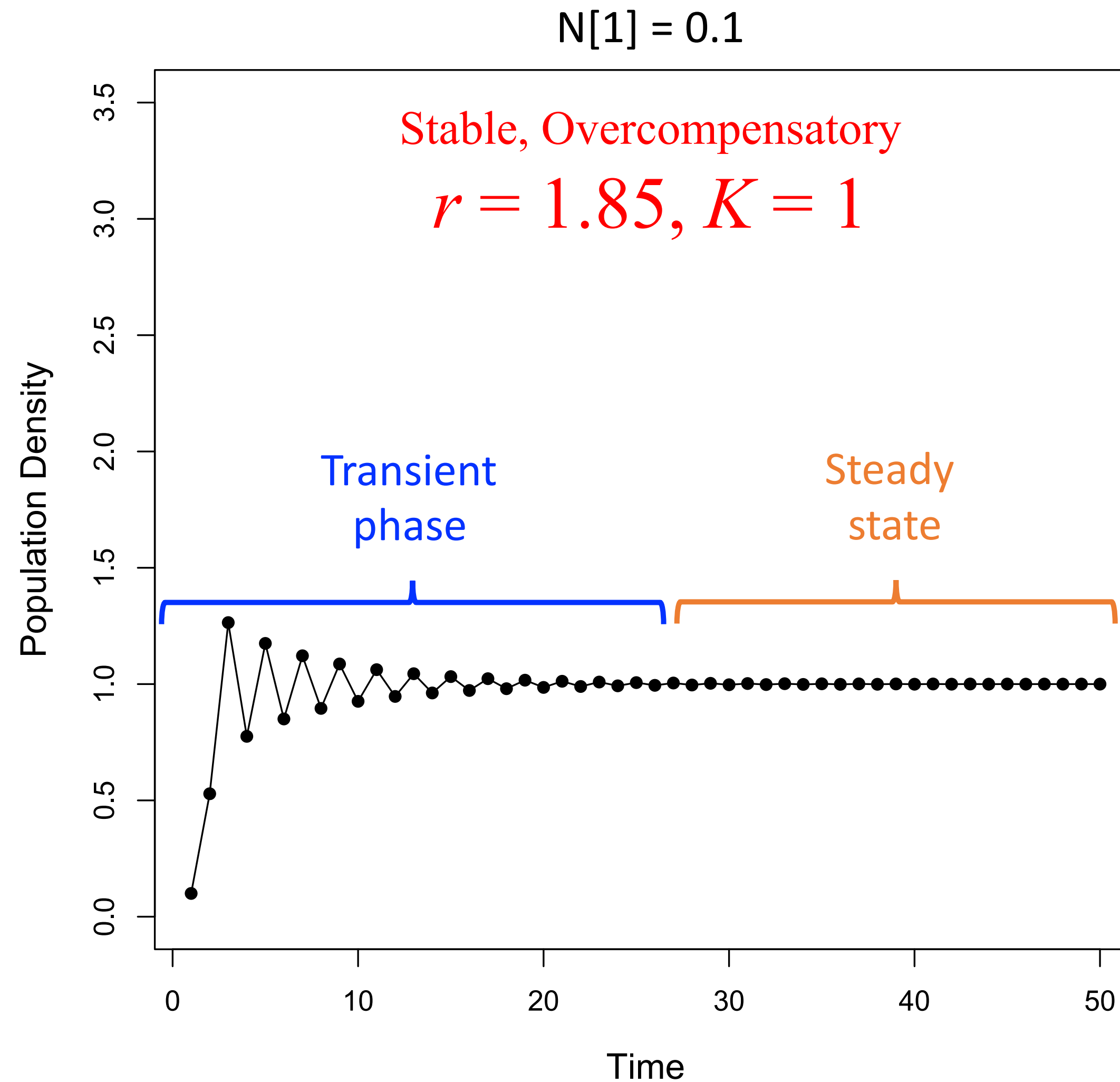
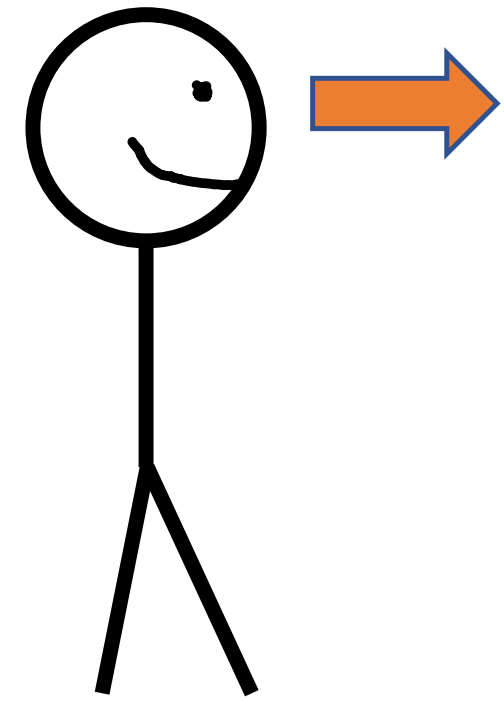
$$N_{t+1} = N_t e^{r \left(1 - \frac{N_t}{K}\right)}$$

Gradual increase if $N_1 < K$

More rapid decrease if $N_1 > K$

No obvious change in dynamics

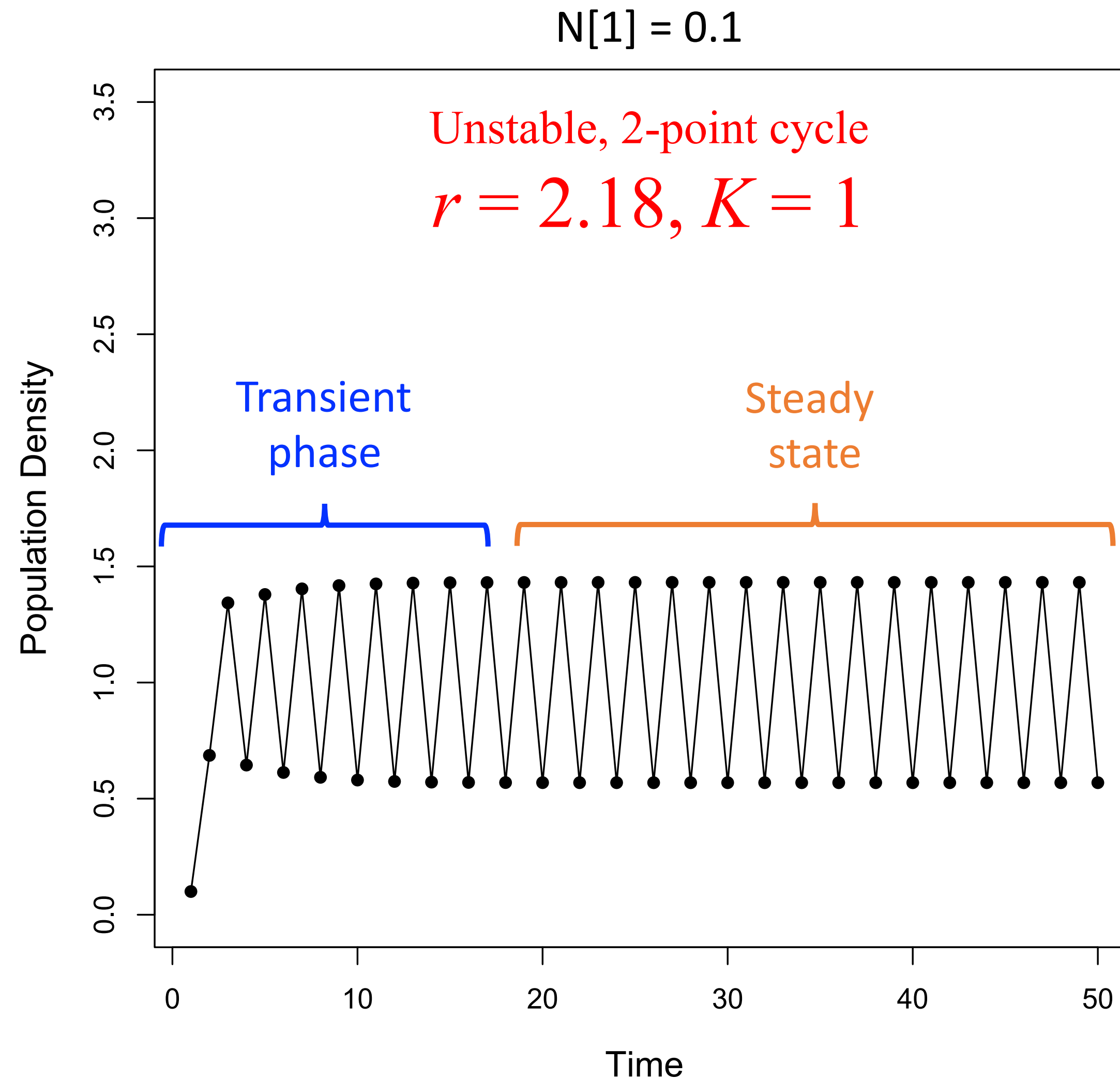
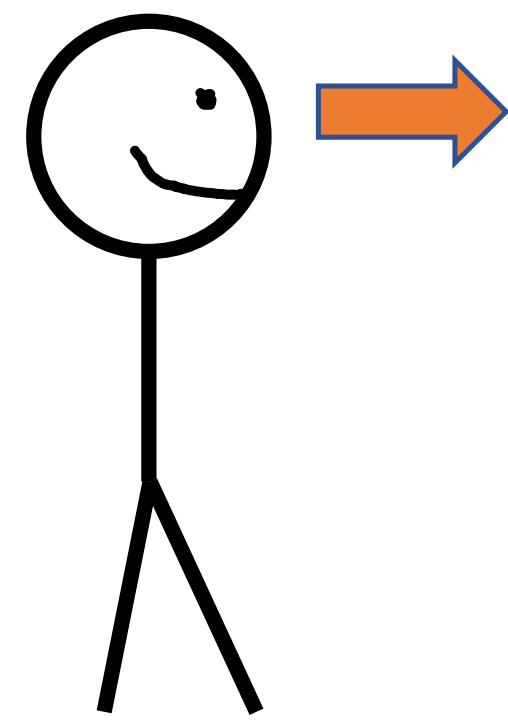
Discrete time dynamics: vary intrinsic growth rate r



$$N_{t+1} = N_t e^{r\left(1 - \frac{N_t}{K}\right)}$$

Damped Oscillations

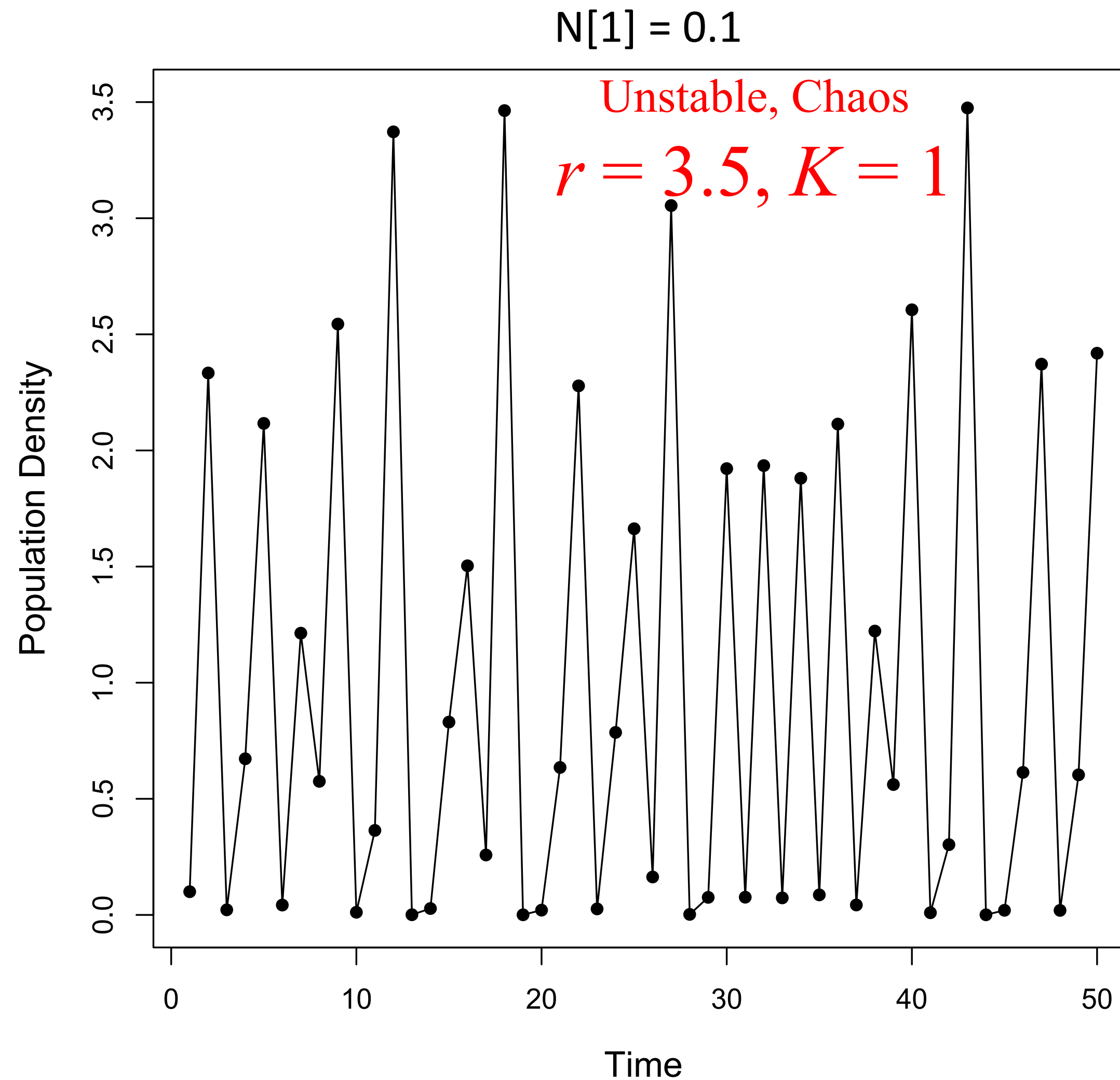
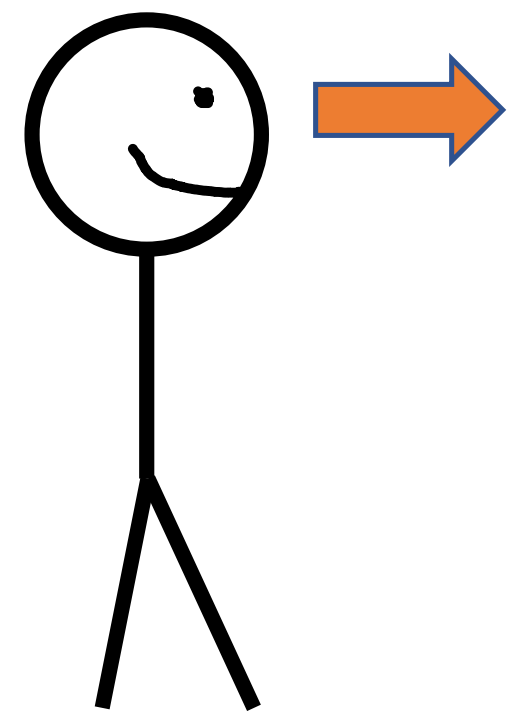
Discrete time dynamics: vary intrinsic growth rate r



$$N_{t+1} = N_t e^{r \left(1 - \frac{N_t}{K}\right)}$$

2-point cycle

Discrete time dynamics: vary intrinsic growth rate r



$$N_{t+1} = N_t e^{r \left(1 - \frac{N_t}{K}\right)}$$

Chaos!

Bifurcation plot: Period doubling route to chaos

Stability (populations return to this point after disturbance)

VS

Instability (something else... cycles, chaos)

