

Simulating Car Sales.
Excel Spreadsheet

Car Sales Simulation

	A	B	C	D	E	F	G
4		Sales	P(X=x)	P(X<x)	X		
5		0	0.1	0	0		
6		1	0.2	0.1	1		
7		2	0.4	0.3	2		
8		3	0.2	0.7	3		
9		4	0.1	0.9	4		
10							
11							
12	Date	Rand()	X	Average	Variance	If X=1	Est P(X=1)
13	01-Jan	0.933776	4	4	#DIV/0!	0	0
	02-Jan	0.825442	3	3.5	0.5	0	0
	03-Jan	0.880881	3	3.333333	0.333333	0	0
	04-Jan	0.342366	2	3	0.666667	0	0
	05-Jan	0.588556	2	2.8	0.7	0	0

Formulae

A13 = date

B13 = RAND()

C13==VLOOKUP(B19,\$D\$5:\$E\$9,2) just handy for random values

D13=AVERAGE(\$C\$13:C13) cumulative average of sales 1..n

E13= STDEV(\$C\$13:C13)^2

F13=IF(D13=1,1,0)

G13=AVERAGE(\$F\$13:F13) estimate of P(X=1) based on 1..n

Copy row 13 for 364 rows to get a full year.

VLOOKUP(x,table,k) scans column 1 of the table for row with largest $value \leq x$, it returns the value from the kth column in that row of the table.

So if RAND() < 0.1, the value from row 5 (row 1 in table) and Column E (column 2 of table) is Returned

$$P(\text{RAND}() < 0.1) = 0.1 \quad \text{so } P(X=0) = 0.1$$

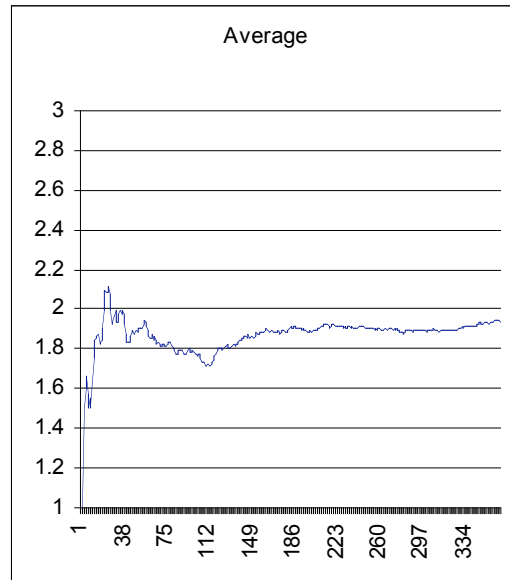
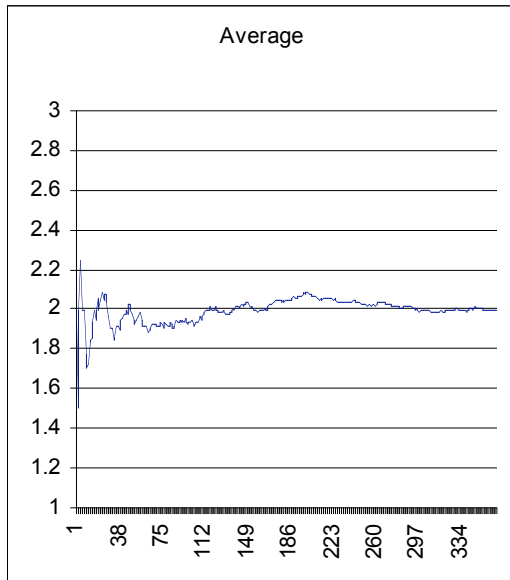
If $0.1 \leq \text{RAND}() < 0.3$ then value in E6 is returned X=1

$$P(0.1 \leq \text{RAND}() < 0.3) = 0.3 - 0.1 = 0.2 \quad \text{as required}$$

and so on.

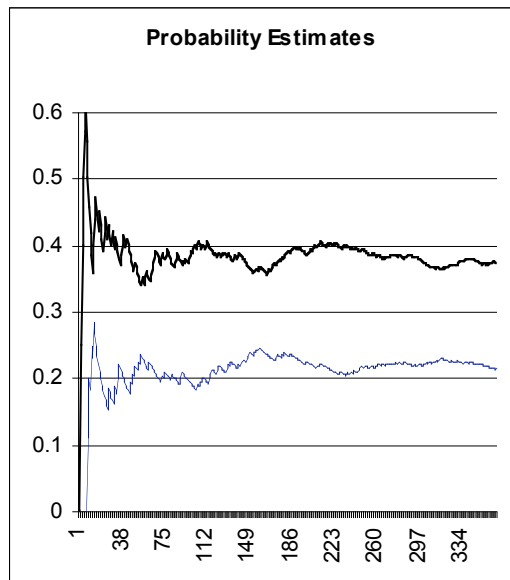
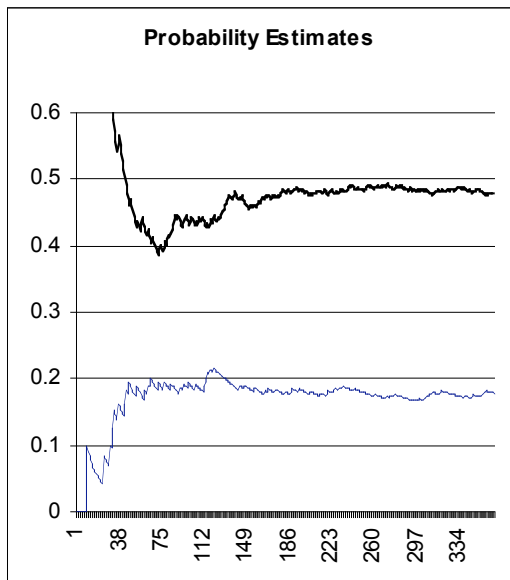
Charts

Cumulative averages over the year. $E(X)=2$



Plotted value $\bar{X} = \frac{1}{n} \sum_{i=1}^n x_i$ $n=1,2,..365$

Estimates of $P(X=1)=0.2$ $P(X=2)=0.4$



Estimates of mean settle down more quickly. From a small sample we might get a reasonable idea of what the mean is. We need larger samples to estimate probabilities.