Let us have an operation, 'concatenation' denoted by infix ++ so that if s and t are list then s ++ t is the concatenation of s and t. If x is an item then [x] is the list containing just x. So to 'add' an item x to a list s we use [x] ++ s. The empty list is denoted by []

Inorder Traversal

Using our list notation we re-write the routine Inorder.
Let us abbreviate BIN_NODE toTREE12+, (with the)Tj-13.111n -1.2**2**5TI



```
For non-empty t, we get,

Inorder(t)

= Inorder(t.left) ++ [t.value] ++ Inorder(t.right)

= Inorder(t.left) ++ Inorder(build(t.value, void, t.right))

= Inorder(b1) ++ Inorder(b2)

where b1 = t.left
b2 = build(t.value, void, t.right)
```

Diagram:

Morris_Inorder(t0:BIN_NODE[STRING]) is
local
rm,t:BIN_NODE[STRING]
do



morris_inorder (b: BST [G]): ARRAY [G]