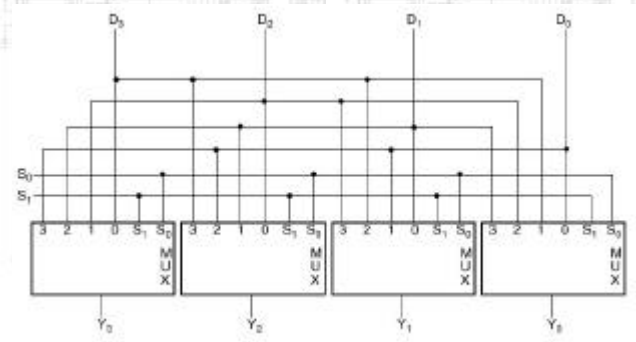


Shift Operations

- By controlling IR and IL with multiplexers it is straightforward to adapt this circuit to perform arithmetic shifts, constructive and destructive shifts, Rotates and rotate-then-carry operation

4-Bit Barrel Shifter



Multiple Shifts

- If multiple shifts are required we wire them into multiplexers that have an input for every bit on the bus to obtain a Barrel shifter (Previous slide).

$S_1 S_2$	$Y_3 Y_2 Y_1 Y_0$	Micro-ops
0 0	$D_3 D_2 D_1 D_0$	No Rotate
0 1	$D_2 D_1 D_0 D_3$	Rotate One
1 0	$D_1 D_0 D_3 D_2$	Rotate Two
1 1	$D_0 D_3 D_2 D_1$	Rotate Three

Problem 1-24

- Please do problem 1-24 at the end of chapter 7 in the Mano and Kime textbook.
- Seven out of these 24 problem will be demonstrated during the tutorial.
- Make sure you have read page 148 to 158 chapter 3 and page 224 to 231 chapter 4. The VHDL aspect was not covered in 1BA4. The rest of chapters 1-6 are prerequisites.





Controlling a Datapath

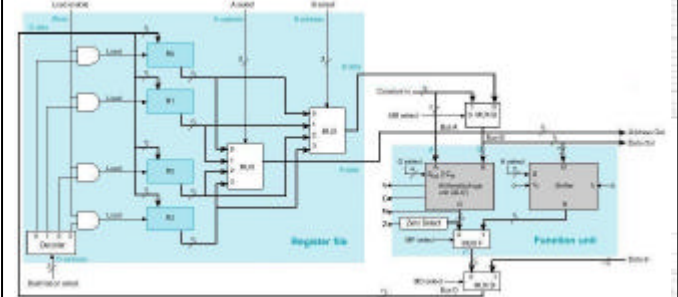
The Control Word

- ▶ The figure on the next slide is an updated version of our introductory datapath (4th Lecture, Page 12) where the register file has been expanded to a more realistic eight n-bit registers.
- ▶ Consequently the destination decoder and A and B bus MUX require three-bit select input.
- ▶ The Function Unit still requires five bits to select ALU/Shift micro-ops.
- ▶ Three more bits are required to control:
 - ▶ Writing to the registers (RW)
 - ▶ MUX B (MB)
 - ▶ MUX D (MD)

6th Lecture, Part II, M. Mancke, Page: 5



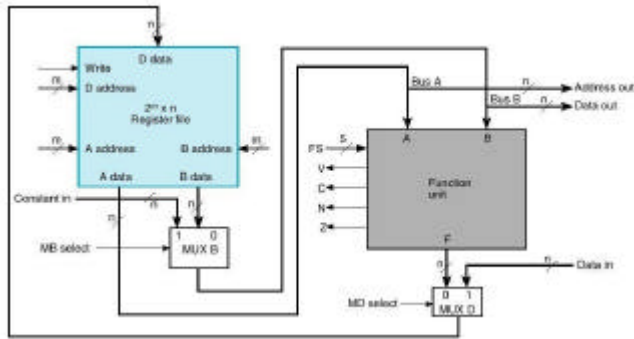
4th Lecture - Page 12



6th Lecture, Part II, M. Mancke, Page: 6



Updated Datapath



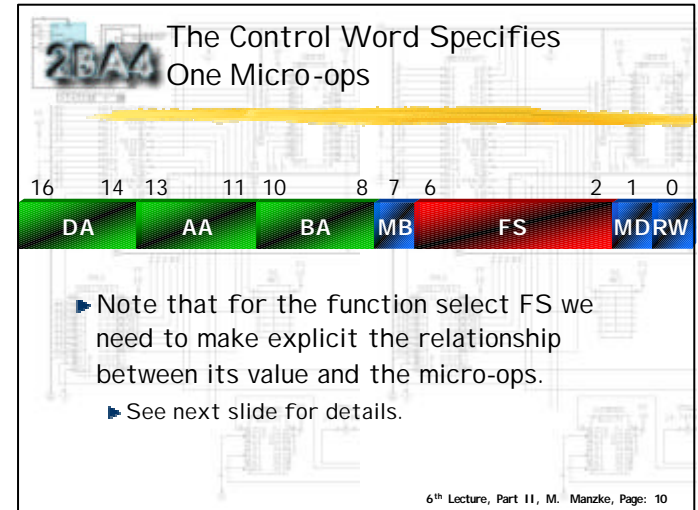
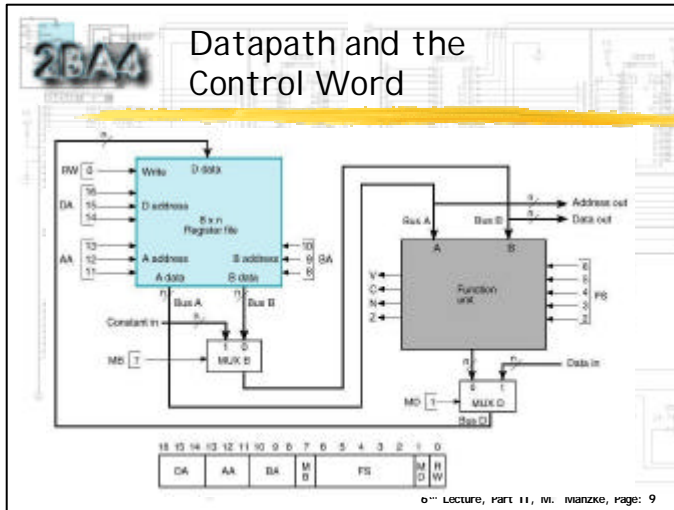
6th Lecture, Part II, M. Mancke, Page: 7



Control Word

- ▶ The schematic on the next slide identifies all these control inputs and arranges them in a 17-bit vector called the Control Word.

6th Lecture, Part II, M. Mancke, Page: 8



G Select, H Select and MF Select determine the FS code

FS	MF Select	G Select	H Select	Output
00000	0	0000	XX	$G = A$ TRANSFER
00001	0	0001	XX	$G = A + 1$ INCREMENT
00010	0	0010	XX	$G = A + B$ ADD
00011	0	0011	XX	$G = A + B + 1$ ADD WITH C
00100	0	0100	XX	$G = A + B - 1$ A plus 1's C.B
00101	0	0101	XX	$G = A + B + 1$ SUBTRACT
00110	0	0110	XX	$G = A - 1$ DECREMENT
00111	0	0111	XX	$G = A$ TRANSFER
01000	0	1000	XX	$G = A \cup B$ AND
01010	0	1010	XX	$G = A \cup B$ OR
01100	0	1100	XX	$G = A \bar{A} B$ XOR
01110	0	1110	XX	$G = A$ NOT
10000	1	XXXX	00	$G = B$ TRANSFER
10100	1	XXXX	01	$G = sr B$ SHIFT RIGHT
11000	1	XXXX	10	$G = sl B$ SHIFT LEFT

6th Lecture, Part II, M. Manzke, Page: 11

