COSC 2753 | Machine Learning

Week 4 Lab Exercises: Polynominal Regression and k-fold Cross Validation

Introduction

Last weeks we learned how to read the data, do exploratory data analysis (EDA), split data, feed the data to a learning algorithm.

The lab assumes that you have completed Week 02 lab: Reading data & Exploratory Data Analysis (EDA) and Week 03 lab: Training a Regression Model. If you haven't yet, please do so before attempting this lab.

In this lab, we will practise performing k-fold cross validation and use it to find the best regularisation parameter for a lasso polynomial regression model.

△ Warning: Starting this week, we will progressively provide less code, and would like you to use previous labs and what you know to perform the tasks. This will help you to become proficient at this.

The lab can be executed on either your own machine (with anaconda installation) or computer lab.

Please refer canvas for instructions on installing anaconda python

Objective

- Continue to familiarise with Python and other ML packages
- · Practice polynomial regression
- Practice performing k-fold cross validation
- Use validation set to find best regularisation parameter

Dataset

We contineously examine two regression based datasets in this lab. The first one is to do with house prices, some factors associated with the prices and trying to predict house prices. The second dataset is predicting the amount of share bikes hired every day in Washington D.C., USA, based on time of the year, day of the week and weather factors. These datasets are available in housing.data.csv and bikeShareDay.csv in the code repository.

First, ensure the two data files are located within the Jupyter workspace.

• If you are on the local machine copy the two data data directories (BostonHousingPrice, Bike-Sharing-Dataset) to your current folder.

In this course we mostly use datasets that are collected by a third party. If you are interested in collecting your own data for your project, some useful information can be found at: Introduction to Constructing Your Dataset

Problem Formulation

The first step in developing a model is to formulate the problem in a way that we can apply machine learning. To reiterate, the task in the Boston house price dataset is to predict the house price (MEDV), using some attributes of the house and neighbourhood.

- Observe the data and see if there is a pattern that would allow us to predict the house price using the attributes given? You can use the observations from the EDA for this.
- What category does the task belong to?

✓ Task category:

- supervised, univariate/multivariate regression
- We should use the insights gained from observing the data (EDA) in selecting the performance measure. e.g. are there outliers in target?

Load dataset

```
1 import pandas as pd
2 import matplotlib.pyplot as plt
3 import numpy as np
5 ## TOD0
6 bostonHouseFrame = pd.read_csv("housing.data.csv", delimiter="\s+")
7 print(bostonHouseFrame)
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   505
           21.0 396.90
                          7.88 11.9
   [506 \text{ rows } \times 14 \text{ columns}]
```

Univariate Regression

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We will first study how to do univariate regression.

If you recall from the last lab, we found that possibly the 'RM' (number of rooms) and 'LSTAT' (unsure) variables seem to have a linear relationship with the house price ('MEDV'). Hence, we will try these variables as the independent variable to predict the house price, i.e., the dependent variable.

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Hold-out Validation

As we have discussed in the lecture, in supervised learning we are interested in learning a model using our dataset that can predict the target value for unseen data (Not in the training set). This is called **generalization**. How can we test if the model we developed with our training data would generalize? One approach we can use is to hold some data from the training process - hold-out validation (Hypothetical unseen data). This hold out data subset (split) is called the "Test set" and the remaining data is called the "Training set". The training set may be further subdivided, but more on this later in the regularization lecture. We can use the "Test set" at the end of the development phase to test our model and see if it generalizes.

- Training set: Is applied to train, or fit, your model. For example, you use the training set to find the optimal weights, or coefficients, for linear regression, logistic regression, or neural networks.
- Test set: Needed for an unbiased evaluation of the final model.

riangle Warning: The test set should be independent and identically distributed with respect to the training data

- Should make sure that there is no leakage between the two sets (overlapped train and test instances). This will give unrealistically high performance metric values for your model. e.g. In house price prediction, there may be a house that was sold multiple times and, you might include some instances of this house in the train set and some in the test set. This will result in data leakage.
- There should be no underlying differences between the two distributions. In other words the characteristics of the test set should not be different to that of the train set. For example all the houses sold in winter in train set and all the houses sold on summer in another set (generally, there is a difference in house prices sold in winter vs summer).

More on this in the lectures.

△ Warning: The test data should NOT be used for any aspect of the model development process (training).

This includes hyper parameter tuning and model selection (a separate validation set should be used for them).

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Regularization - Lasso Polynomial Regression

** Goal: Do some regularization techniques on polynomial regression.

We will be using the Lasso polynomial regression model. Recall that Lasso regularisation (L1) has a regularisation weight that determines the weighting placed on regularisation. We use the following regularisation weights to evaluate which one is best for the regularisation weight in your constructed lasso polynomial regression.

- alpha = 0.01
- alpha = 0.05
- alpha = 0.1
- alpha = 0.25
- alpha = 0.5
- alpha = 0.75
- alpha = 1

Refer to the documentation about L1 regularisation to understand how to modify the polyminal regression model with the alpha parameter: https://scikit-learn.org/stable/modules/generated/sklearn.linear_model.Lasso.html

- Task: Build seven different Lasso polynomial regression models with the above alpha parameters and evaluate which one works best (based on MSE).
- Question: Keep the order of polynomial the same (i.e., 4). What is the alpha parameter that leads to the best model?

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> Exercise: Work on the Bike Share Data

Task: Do the linear regression on the Bike Share Data.

Now you seen how to do this task for the house price dataset. Repeat the same process for the Daily Bike Share rental data.

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