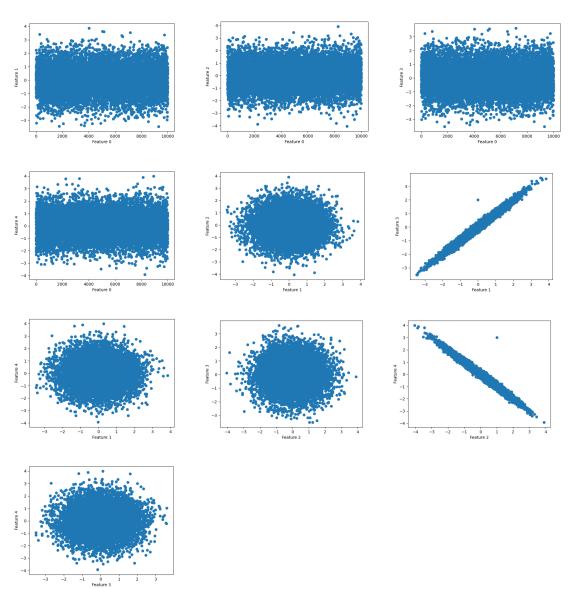
Lab 2

Problem 1 1)



As seen be the figure given columns (0,1,2,3,4) columns 1 and 3 are positively correlated and columns 2 and 4 are negatively correlated.

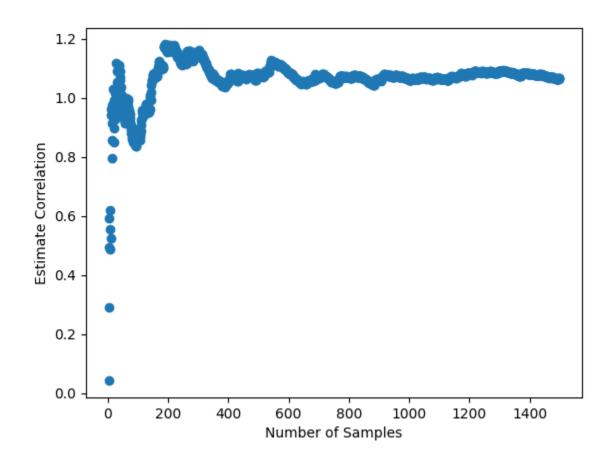
2)

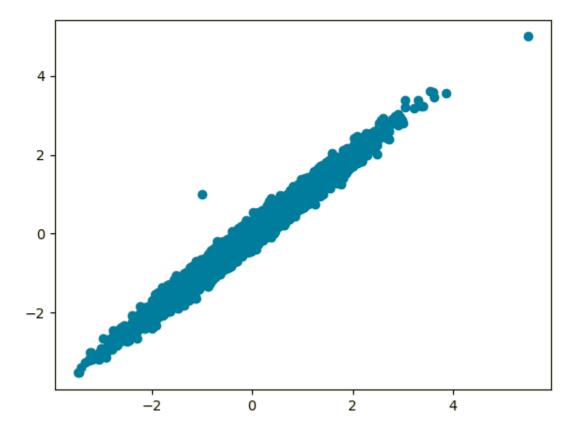
	0	1	2	3		
0	var(0)	cov(0,1)	cov(0,2)	cov(0,3)		
1	cov(1,0)	var(1)	cov(1,2)	cov(1,3)		
2	cov(2,0)	cov(2,1)	var(2)	cov(2,3)		

3	cov(3,0)	cov(3,1)	cov(3,2)	var(3)

```
0
                                                            4
  8.334167e+06 -11.530835
                             25.440172 -11.682650 -20.510169
1 -1.153084e+01
                  1.001458
                             -0.004012
                                         0.991523
                                                     0.004122
   2.544017e+01
                 -0.004012
                              1.005376
                                        -0.003901
                                                    -0.995059
 -1.168265e+01
                  0.991523
                                         1.001885
                                                     0.004680
                             -0.003901
 -2.051017e+01
                  0.004122
                                         0.004680
                             -0.995059
                                                     1.005973
```

The covariance matrix aligns with the plots above with feature 1 and feature 3 having a strong correlation which is positive and feature 2 and feature 4 having a strong correlation which is negative. The remaining features near zero correlations.



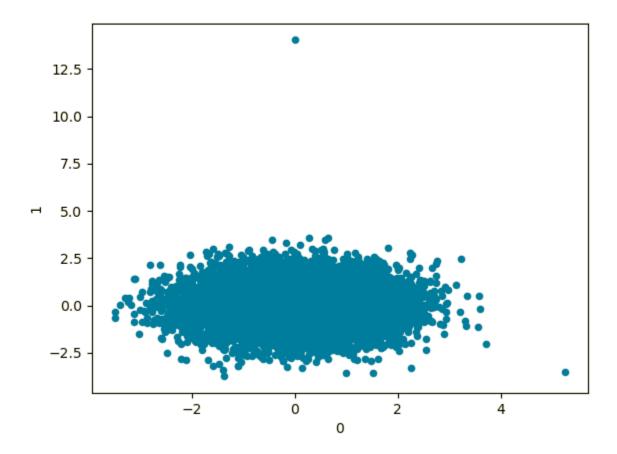


According to hint: The covariance matrix of z = (the covariance matrix of y)(Q)(Q^T) and since we know from the hint that the covariance matrix of y is a 2x2 identity matrix, the covariance matrix of z=(Q)(Q^T). Since if given z then $y = Q^{-1}z$. So we simply need to get Q^{-1} for ourselves using the eigenvalues and eigenvectors of z. Using eigendecomposition we can say that the covariance matrix of z = (the eigenvectors)(the eigenvalues)(the eigenvectors T) = $v\lambda v^T$ As v is a diagonal matrix and λ is orthogonal then $v^{-1} = v^T$ so since $cov(z) = v\lambda v^T = (v\lambda^{1/2})(\lambda^{1/2}v^T)$ then $(v\lambda^{1/2})^T = (v\lambda^{1/2})^{-1} = (\lambda^{-1/2}v^T)$ This is helpful as we want our transformed values to have an identity covariance matrix so that the values are decorrelated. So according to the equations above we multiply the data by the inverse square root of the eigenvalues and the transpose of the eigenvectors in a process known as whitening or sphereing

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt

df = pd.read_csv("DF2", index_col = 0)
```

```
cov = df.cov()
print(cov)
eigval,eigvec=np.linalg.eig(cov)
Q=np.dot(np.diag(1/np.sqrt(eigval)),eigvec.T)
white=Q@df.T
white = white.T
white.plot(x = 0, y = 1, kind= "scatter")
plt.show()
```



Problem 3

```
year = input("Enter a year: ")
k = input("Enter the number of names: ")

df = pd.read_csv("Names/yob%i.txt" % int(year), delimiter=",", header=None)
```

```
namesWithS = df[df[df.columns[0]].str.startswith("S")]
namesWithS.sort_values(by=[df.columns[2]])
print(namesWithS[:int(k)])
```

```
Enter a year: 1892
Enter the number of names: 7
        0 1
               2
     Sarah F 1799
27
58 Stella F 972
70
    Sadie F 724
     Susie F 669
74
83 Sallie F 582
     Susan F
122
              366
147
     Sara F 276
```

```
df = pd.read_csv("Names/yob1880.txt",delimiter=",",header=None)

for index in range(1881,2016):
    tempDf = pd.read_csv("Names/yob%i.txt" %

int(index),delimiter=",",header=None)
    df = pd.concat([df,tempDf])
    df =

df.groupby([df.columns[0],df.columns[1]])[df.columns[2]].sum().reset_index()

name = input("Enter a name: ")

print("The number of men with the name %s is: %i" %
    (name,df.iloc[df.index[(df[df.columns[0]] == name) & (df[df.columns[1]] == "M")]][2]))

print("The number of men with the name %s is: %i" %
    (name,df.iloc[df.index[(df[df.columns[0]] == name) & (df[df.columns[1]] == "F")]][2]))

bestLetterCount, bestLetter = 0,"A"
```

```
for letter in ascii_uppercase:
    tempTotal =

df[df[df.columns[0]].str.startswith(letter)][df.columns[2]].sum()
    if(tempTotal > bestLetterCount):
        bestLetter = letter
        bestLetterCount = tempTotal

print("The most common first letter of all names is %s with %i names" %
    (bestLetter, bestLetterCount))
```

Enter a name: Sarah

/home/Inpraire/4603/Labs/Labs/Inboblem3.py:32: FutureMarning: Calling int on a single element Series is deprecated and will raise a TypeError in the future. Use int(ser.iloc[0]) instead print("The number of men with the name %s is: %i" % (name,df:iloc[df.index[(df[df.columns[0]] == name) & (df[df.columns[1]] == "N")]][2]))

The number of men with the name Sarah is: 3311

Abome/Inpraire/4603/Labs/Labs/Problem3.py:33: FutureWarning: Calling int on a single element Series is deprecated and will raise a TypeError in the future. Use int(ser.iloc[0]) instead print("The number of men with the name %s is: %i" % (name,df.iloc[df.index[(df[df.columns[0]] == name) & (df[df.columns[1]] == "F")]][2]))

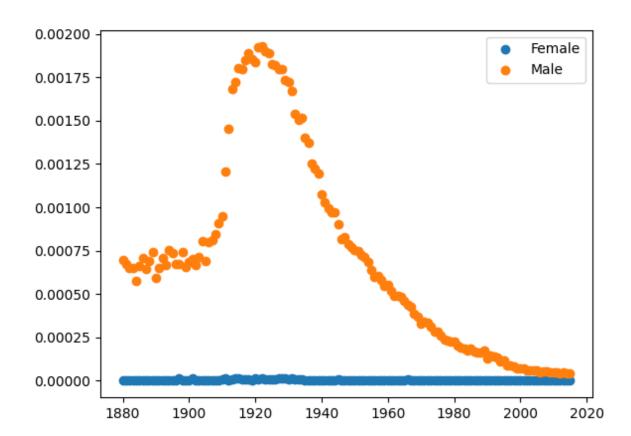
The number of men with the name Sarah is: 1085265

The most common first letter of all names is 3 with 43937781 names

```
name = input("Enter a name: ")
df = pd.read csv("Names/yob1880.txt",delimiter=",",header=None)
rel freq female = []
rel freq male = []
for index in range(1880,2016):
int(index), delimiter=",", header=None)
    female count = df.iloc[df.index[(df[df.columns[0]] == name) &
(df[df.columns[1]] == "F")]
   male count = df.iloc[df.index[(df[df.columns[0]] == name) &
(df[df.columns[1]] == "M")]]
    if len(female count) == 0:
   else:
        female count = int(female count[2])/df[df.columns[2]].sum()
   if len(male count) == 0:
   else:
        male count = int(male count[2])/df[df.columns[2]].sum()
   rel freq female.append(female count)
    rel freq male.append(male count)
```

```
plt.scatter(years, rel_freq_female, label="Female")
plt.scatter(years, rel_freq_male, label="Male")
plt.legend(loc="upper right")
plt.show()
```

When running on the name bernard we get the following.



4)

```
year = input("Enter a year: ")

df = pd.read_csv("Names/yob%i.txt" % int(year), delimiter=",", header=None)
```

```
df2 = pd.read csv("Names/yob%i.txt" % (int(year) -
1),delimiter=",",header=None)
dfGrouped = df.groupby(df.columns[0])[df.columns[2]].sum().reset index()
df2Grouped = df2.qroupby(df.columns[0])[df.columns[2]].sum().reset index()
results = pd.DataFrame(columns=["Name","Frequency"])
for index, row in dfGrouped.iterrows():
   previous = df2Grouped.loc[df2Grouped[df2Grouped.columns[0]] == row[0]]
   if len(previous) == 0:
   else:
       previous = int(previous[2])
    results = pd.concat([results,pd.DataFrame([[row[0],
row[2]-previous]], columns=["Name", "Frequency"])])
results = results.reset index()
maxid = results["Frequency"].idxmax()
print("The name with the largest surge is %s." %
results.iloc[maxid]["Name"])
```

/home/hprairie/4603/Labs/Labs/Labs/Problem3.py:98: FutureWarning: Calling int on a single element Series is deprecated and will raise a TypeError in the future. Use int(ser.iloc[0]) instead previous - int(previous[2])
The name with the largest surge is Robert.

Problem 4

```
# Import the data

test = pd.read_csv("HousePriceData/test.csv", delimiter=',')

train = pd.read_csv("HousePriceData/train.csv", delimiter=',')

all_data =

pd.concat((train.loc[:,'MSSubClass':'SaleCondition'], test.loc[:,'MSSubClass':'SaleCondition']))

# Data preprocessing

# Log transform the sale price
```

```
train["SalePrice"] = np.log1p(train["SalePrice"])
numeric feats = all data.dtypes[all data.dtypes != "object"].index
skewed feats = train[numeric feats].apply(lambda x: skew(x.dropna()))
skewed feats = skewed feats[skewed feats > 0.75]
skewed feats = skewed feats.index
all data[skewed feats] = np.log1p(all data[skewed feats])
all data = pd.get dummies(all data)
all data = all data.fillna(all data.mean()) # Chane this to trian mean.
train = all data[:train.shape[0]]
r = train.SalePrice
model ridge = Ridge(alpha=0.1).fit(X train,y)
solution = pd.DataFrame({"id":test.Id, "SalePrice":first pred})
```

 $\langle \rangle$

first_pred.csv

Complete · 12m ago · simple ridge pred

0.13564

```
def rmse_cv(model):
    rmse= np.sqrt(-cross_val_score(model, X_train, y,
scoring="neg_mean_squared_error", cv = 5))
    return(rmse)

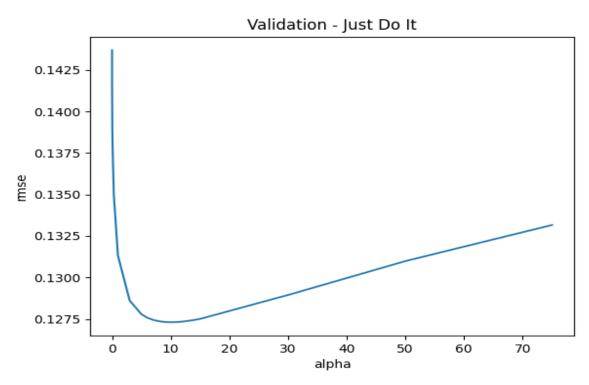
# RIDGE
alphas = [0.0005, 0.001, 0.05, 0.1, 0.3, 1, 3,
5,6,7,8,9,10,11,12,13,14,15, 30, 50, 75]
cv_ridge = [rmse_cv(Ridge(alpha = alpha)).mean() for alpha in alphas]
print(min(cv_ridge))
```

```
cv_ridge = pd.Series(cv_ridge, index = alphas)
cv_ridge.plot(title = "Validation - Just Do It")
plt.xlabel("alpha")
plt.ylabel("rmse")
plt.savefig("Ridge_MSE_Alpha.png")
plt.cla()

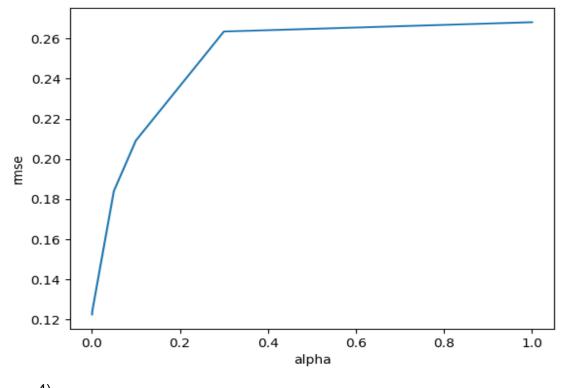
# LASSO
model_lasso = LassoCV(alphas = [1, 0.1, 0.001, 0.0005]).fit(X_train, y)
cv_lasso = rmse_cv(model_lasso).mean()
print(cv_lasso)

# (4603) hprairie@BESKTOP-CATZSOB:~/4603/Labs/Lab2$ /home/hprairie/miniconda3/envs/4603/bin/python /home/hprairie/4603/Labs/Lab2/Problem4.py
Best Ridge: 0.127312
Best Lasso: 0.122567
```

Ridge Plot

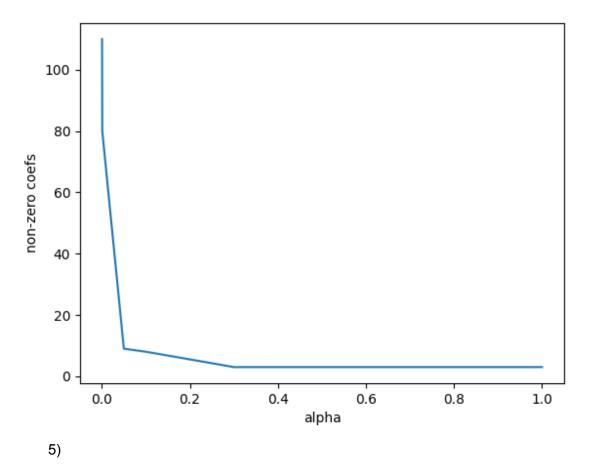


Lasso Plot



```
alphas = [0.0005, 0.001, 0.05, 0.1, 0.3, 1]

non_zero = [sum(Lasso(alpha=alpha).fit(X_train,y).coef_ != 0) for alpha in alphas]
plt.plot(alphas,non_zero)
plt.xlabel("alpha")
plt.ylabel("non-zero coefs")
plt.savefig("Lasso_NZCoef_Alpha.png")
```

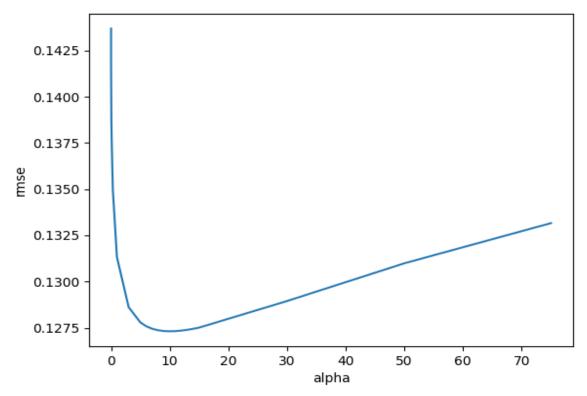


```
model_lasso = Lasso(alpha=0.005).fit(X_train,y)
model_lasso_data = model_lasso.predict(X_train)
model_lasso_data_test = model_lasso.predict(X_test)
X_train_temp = np.column_stack((X_train,model_lasso_data))
X_test_temp = np.column_stack((X_test,model_lasso_data_test))

model_ridge = Ridge(alpha=9).fit(X_train,y)
model_ridge_data = model_ridge.predict(X_train)
model_ridge_data_test = model_ridge.predict(X_test)
X_train_temp = np.column_stack((X_train_temp,model_ridge_data))
X_test_temp = np.column_stack((X_test_temp,model_ridge_data_test))

def rmse_cv2(model):
    rmse= np.sqrt(-cross_val_score(model, X_train_temp, y,
scoring="neg_mean_squared_error", cv = 5))
    return(rmse)
```

```
alphas = [0.0005, 0.001, 0.05, 0.1, 0.3, 1, 3,
5,6,7,8,9,10,11,12,13,14,15, 30, 50, 75]
cv_ridge = [rmse_cv(Ridge(alpha = alpha)).mean() for alpha in alphas]
plt.plot(alphas,cv_ridge)
plt.xlabel("alpha")
plt.ylabel("rmse")
plt.ylabel("rmse")
plt.savefig("Ridge_MSE_2_Alpha.png")
print("Best Ridge: %f" % min(cv_ridge))
```

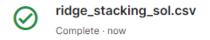


```
model_ridge = Ridge(alpha=9).fit(X_train_temp,y)

ridge_preds = np.expm1(model_ridge.predict(X_test_temp))

solution = pd.DataFrame({"id":test.Id, "SalePrice":ridge_preds})

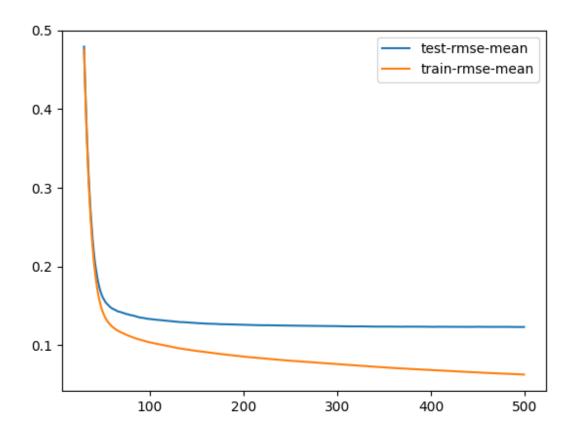
solution.to_csv("ridge_stacking_sol.csv", index = False)
```



```
dtrain = xgb.DMatrix(X_train,label=y)
dtest = xgb.DMatrix(X_test)

params = {"max_depth":2, "eta":0.1}
model = xgb.cv(params, dtrain, num_boost_round=500,
early_stopping_rounds=100)

model.loc[30:,["test-rmse-mean", "train-rmse-mean"]].plot()
plt.savefig("XGB_Boost.png")
```



```
model_xgb = xgb.XGBRegressor(n_estimators=360, max_depth=2,
learning_rate=0.1) #the params were tuned using xgb.cv
model_xgb.fit(X_train, y)
```

```
xgb_preds = np.expm1(model_xgb.predict(X_test))

solution = pd.DataFrame({"id":test.Id, "SalePrice":xgb_preds})
solution.to_csv("xgb_sol.csv", index = False)
xgb_sol.csv
```

xgb_sol.csv
Complete · now

0.13286

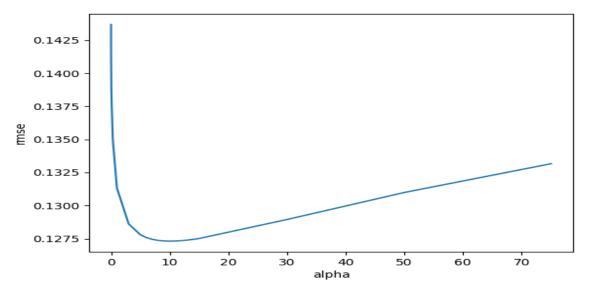
7)

First we can attempt stacking the XGB predictions into the model and then running either a lasso or ridge prediction.

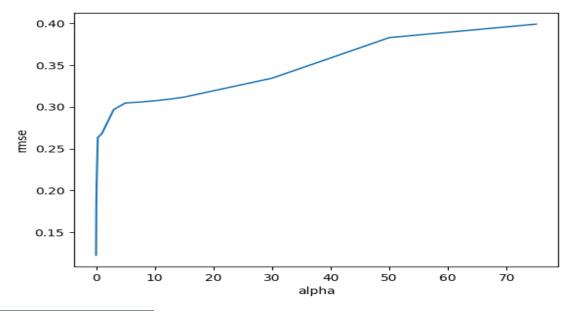
```
model lasso = Lasso(alpha=0.005).fit(X train,y)
model lasso data = model lasso.predict(X train)
model lasso data test = model lasso.predict(X test)
X train temp = np.column stack((X train, model lasso data))
( test temp = np.column stack((X test,model lasso data test))
model ridge = Ridge(alpha=9).fit(X train,y)
model ridge data = model ridge.predict(X train)
model ridge data test = model ridge.predict(X test)
K train temp = np.column stack((X train temp, model ridge data))
 test temp = np.column stack((X test temp, model ridge data test))
model xgb = xgb.XGBRegressor(n estimators=360, max depth=2,
learning rate=0.1) #the params were tuned using xgb.cv
model xgb.fit(X train, y)
xgb preds train = np.expm1(model xgb.predict(X train))
X test temp = np.column stack((X test temp,xgb preds test))
def rmse cv3(model):
scoring="neg mean squared error", cv = 5))
    return (rmse)
```

```
alphas = [0.0005, 0.001, 0.05, 0.1, 0.3, 1, 3,
cv ridge = [rmse cv3(Ridge(alpha = alpha)).mean() for alpha in alphas]
plt.plot(alphas,cv ridge)
plt.xlabel("alpha")
plt.ylabel("rmse")
plt.savefig("Ridge MSE 3 Alpha.png")
plt.show()
print("Best Ridge: %f" % min(cv_ridge))
alphas = [0.0005, 0.001, 0.05, 0.1, 0.3, 1, 3,
5,6,7,8,9,10,11,12,13,14,15, 30, 50, 75]
cv lasso = [rmse cv3(Lasso(alpha = alpha)).mean() for alpha in alphas]
plt.plot(alphas,cv lasso)
plt.xlabel("alpha")
plt.ylabel("rmse")
plt.savefig("Lasso MSE 2 Alpha.png")
plt.show()
print("Best Ridge: %f" % min(cv lasso))
```

The graph for Ridge alphas is below and we see that an alpha of 8 is the best with a MSE of 0.127312.



The graph for Lasso is below and we can see that with an alpha of 0.0005 we get a better MSE.

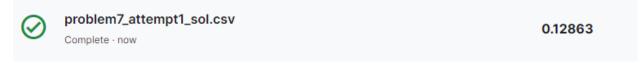


Best Ridge: 0.127312 Best Ridge: 0.122567

When we run the predictions on kaggle we get the following when using a Lasso Regression Model.



And we get the following when running a Ridge Regression model.



Not bad, but maybe we can get better. We got better results when stacking just the ridge and lasso before. Maybe instead of fitting it to another ridge we can fit it to a Lasso.

With a better ridge alpha we get the following.



And with the best lasso, we get the following.



These are slightly better. Now since these are independent, what if we took an average of their predictions.

```
model_ridge = Ridge(alpha=8).fit(X_train_temp,y)
model_lasso = Lasso(alpha=0.0005).fit(X_train_temp,y)

lasso_preds = np.expm1(model_lasso.predict(X_test_temp))
ridge_preds = np.expm1(model_ridge.predict(X_test_temp))
```



problem7_attempt2.3_sol.csv

0.12552

Complete · now

What if we also averaged in XGBoost?

```
model_ridge = Ridge(alpha=8).fit(X_train_temp,y)
model_lasso = Lasso(alpha=0.0005).fit(X_train_temp,y)

lasso_preds = np.expm1(model_lasso.predict(X_test_temp))
ridge_preds = np.expm1(model_ridge.predict(X_test_temp))

model_xgb = xgb.XGBRegressor(n_estimators=360, max_depth=2,
learning_rate=0.1) #the params were tuned using xgb.cv
model_xgb.fit(X_train_temp, y)
xgb_preds = np.expm1(model_xgb.predict(X_test_temp))

preds = (lasso_preds+ridge_preds+xgb_preds)/3
```

With that we get our best score yet.



problem7_attempt2.4_sol.csv

Complete · now

0.12378

What if we weight it differently?

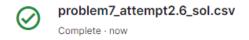
```
preds = (0.7)*(lasso_preds+ridge_preds)/2 + xgb_preds*(0.3)
```



problem7_attempt2.5_sol.csv

0.12387

The weights of each prediction didnt change much but got worse when lasso and ridge took over. So what if we gave more weight to xgb?



0.12367

With that we get the best prediction so far.