CLydonAssignment2

March 1, 2022

1 Assignment 1

- 1) Read chapters 2-4 in your textbook and review the coding examples we went over in class
- 2) Review the Keras documentation for things like the Layer types and Optimizer types to better familiarize yourself
- 3) Redo the coding examples and do the "Further experiments" in chapter 3 of your book with datasets you find interesting and may want to use for further assignments and projects
- 4) Provide a brief write up of the experiment and analysis.

2 table of contents

- 1. import libraries
- 2. data prep
 - 1. reading data
 - 2. finding summary data
 - 3. dummyizing data
 - 4. creating predictor & outcome attribute lists
 - 5. transforming data into numpy arrays
 - 6. creating training and testing data
 - 7. standardizing the data (z-scoring)
- 3. modeling
 - 1. initial model
 - 1. building layers
 - 2. fitting model on training data
 - 3. predicting with test data
 - 2. further experiments
 - 1. model using one hiddden layer
 - 2. model using more hidden units
 - 3. model using mae loss
 - 4. model using tanh activation
 - 3. kfold optimization
 - 1. build model function definition
 - 2. defining k-fold variables
 - 3. k-fold loop
 - 4. plotting k-fold results
 - 5. building model from validation

2.1 1 import libraries

```
[250]: # data prep
from sklearn.preprocessing import StandardScaler
from sklearn.model_selection import train_test_split

import numpy as np
import pandas as pd

# keras imports
from keras import models
from keras import layers
from keras import optimizers

# random seed for pseudo-random operations
random_seed = 100
```

2.2 2 data prep

2.1 reading dataset

2.2 summary info about data

[252]: math_data.head

	_												
[252]:	<box< td=""><td>d met</td><td>hod NI</td><td>)Frame.h</td><td>ead of</td><td>sc</td><td>hool se</td><td>ex age</td><td>address</td><td>fams</td><td>ize</td><td>Pstatus</td><td>Medu</td></box<>	d met	hod NI)Frame.h	ead of	sc	hool se	ex age	address	fams	ize	Pstatus	Medu
	Fedu Mjob H		Fjo	b \									
	0	GP	F	18	U	GT3	I	A 4	4	at_h	ome	teache	r
	1	GP	F	17	U	GT3	7	Γ 1	1	at_h	ome	othe	r
	2	GP	F	15	U	LE3	7	Γ 1	1	at_h	ome	othe	r
	3	GP	F	15	U	GT3	7	Γ 4	2	hea	lth	service	S
	4	GP	F	16	U	GT3	7	Г 3	3	ot	her	othe	r
		•••		•••	•••	•••			•••	•			
	390	MS	М	20	U	LE3	I	A 2	2	servi	ces	service	S
	391	MS	М	17	U	LE3	7	Г 3	1	servi	ces	service	S
	392	MS	М	21	R	GT3	7	Γ 1	1	ot	her	othe	r
	393	MS	М	18	R	LE3	7	Г 3	2	servi	ces	othe	r
	394	MS	M	19	U	LE3	7	Γ 1	1	ot	her	at_hom	e
		… fam	rel fi	reetime	goout	Dalc	Walc h	nealth	absences	G1	G2	G3	
	0		4	3	4	1	1	3	6	_	6	6	
			5	3	3	1	1	3	4	_	5	6	
		···	4	3	2	2	3	3	10		8	10	
	3		3	2	2	1	1	5	2		14	15	
	4	•••	4	3	2	1	2	5	4	6	10	10	

390	•••	5	5	4	4	5	4	11	9	9	9
391	•••	2	4	5	3	4	2	3	14	16	16
392	•••	5	5	3	3	3	3	3	10	8	7
393	•••	4	4	1	3	4	5	0	11	12	10
394	•••	3	2	3	3	3	5	5	8	9	9

[395 rows x 33 columns]>

[253]: math_data.info()

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 395 entries, 0 to 394
Data columns (total 33 columns):

Data	COLUMNS (CO	tar .	os corumns).	
#	Column	Non-	-Null Count	Dtype
0	school	395	non-null	object
1	sex	395	non-null	object
2	age	395	non-null	int64
3	address	395	non-null	object
4	famsize	395	non-null	object
5	Pstatus	395	non-null	object
6	Medu	395	non-null	int64
7	Fedu	395	non-null	int64
8	Mjob	395	non-null	object
9	Fjob	395	non-null	object
10	reason	395	non-null	object
11	guardian	395	non-null	object
12	traveltime	395	non-null	int64
13	studytime	395	non-null	int64
14	failures	395	non-null	int64
15	schoolsup	395	non-null	object
16	famsup	395	non-null	object
17	paid	395	non-null	object
18	activities	395	non-null	object
19	nursery	395	non-null	object
20	higher	395	non-null	object
21	internet	395	non-null	object
22	romantic	395	non-null	object
23	famrel	395	non-null	int64
24	freetime	395	non-null	int64
25	goout	395	non-null	int64
26	Dalc	395	non-null	int64
27	Walc	395	non-null	int64
28	health	395	non-null	int64
29	absences	395	non-null	int64
30	G1	395	non-null	int64
31	G2	395	non-null	int64
32	G3	395	non-null	int64

dtypes: int64(16), object(17)
memory usage: 102.0+ KB

```
[254]: math_data.dtypes
[254]: school
                      object
       sex
                      object
                       int64
       age
       address
                      object
       famsize
                      object
       Pstatus
                      object
       Medu
                       int64
       Fedu
                       int64
       Mjob
                      object
       Fjob
                      object
       reason
                      object
       guardian
                      object
       traveltime
                       int64
       studytime
                       int64
       failures
                       int64
       schoolsup
                      object
       famsup
                      object
       paid
                      object
       activities
                      object
                      object
       nursery
       higher
                      object
                     object
       internet
                      object
       romantic
       famrel
                       int64
       freetime
                       int64
       goout
                       int64
       Dalc
                       int64
       Walc
                       int64
       health
                       int64
       absences
                       int64
       G1
                       int64
       G2
                       int64
       G3
                       int64
       dtype: object
[255]: math_data.columns
[255]: Index(['school', 'sex', 'age', 'address', 'famsize', 'Pstatus', 'Medu', 'Fedu',
              'Mjob', 'Fjob', 'reason', 'guardian', 'traveltime', 'studytime',
              'failures', 'schoolsup', 'famsup', 'paid', 'activities', 'nursery',
              'higher', 'internet', 'romantic', 'famrel', 'freetime', 'goout', 'Dalc',
              'Walc', 'health', 'absences', 'G1', 'G2', 'G3'],
             dtype='object')
```

```
[256]: math_data.shape
[256]: (395, 33)
[257]: # observe the different values used for species - 2 different values: 0, 1
       def print_range(data):
           print(f"range of {data.min()} to {data.max()}\n")
       print("First test")
       print_range(math_data["G2"])
       print("Second test")
       print_range(math_data["G1"])
       print("Final test")
      print_range(math_data["G3"])
      First test
      range of 0 to 19
      Second test
      range of 3 to 19
      Final test
      range of 0 to 20
[258]: print("total null values")
      math_data.isnull().sum(axis=0).sum()
      total null values
[258]: 0
[259]: print("num duplicates")
       math_data.duplicated().sum(axis=0)
      num duplicates
[259]: 0
      2.3 dummyizing data
[260]: categorical_cols = {}
       for col in math_data.columns:
           if(math_data[col].dtype == "object"):
               categorical_cols[col] = list(math_data[col].unique())
```

2.4 model variables removing g1, g2, g3 because they would be highly autocorrelary. someone who does good on one test is likely t odo good on another.

```
[261]: predictors = list(math_data_dummy.columns)
predictors.remove("G1") # first exam
predictors.remove("G2") # second exam
predictors.remove("G3") # third exam

outcome = "G3"
```

2.5 transforming data into numpy arrays this is because keras won't take pandas dataframes

```
[262]: X = np.array(math_data_dummy[predictors])
y = np.array(math_data_dummy[outcome])
```

2.6 creating training and testing data

```
[263]: X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.20, ⊔ ⇒shuffle=True, random_state=random_seed)
```

2.7 standardizing the data (z-scoring) to avoid wildy wiferent values in the model

```
[264]: z = StandardScaler() # standard scaling object

# fitting scaler object to training data then outputting it
X_train = z.fit_transform(X_train)

# fit the testing data on the distributions found in the training data
X_test = z.transform(X_test)
```

2.3 3 modeling

3.1 building initial model

```
[265]: model = models.Sequential()
model.add(layers.Dense(32, activation='relu', input_shape=(X_train.shape[1],)))
model.add(layers.Dropout(0.3, seed=random_seed)) # adding dropout layers to
→help with overfitting
model.add(layers.Dense(16, activation='relu'))
model.add(layers.Dense(1)) # adding this layer because it is a regression
→problem
```

3.1.1 compiling model loss

```
3.1.2 fitting model on training data
[267]: | model_output = model.fit(X_train, y_train, batch_size=20, epochs=20)
 Epoch 1/20
 9.9906
 Epoch 2/20
 9.1572
 Epoch 3/20
 8.4750
 Epoch 4/20
 7.6959
 Epoch 5/20
 6.8205
 Epoch 6/20
 6.0455
 Epoch 7/20
 5.1757
 Epoch 8/20
 4.3849
 Epoch 9/20
 4.1440
 Epoch 10/20
 3.9596
 Epoch 11/20
 3.8782
 Epoch 12/20
 3.7079
 Epoch 13/20
 3.5563
 Epoch 14/20
```

```
3.6028
   Epoch 15/20
   3.5211
   Epoch 16/20
   3.5992
   Epoch 17/20
               ========] - Os 62us/step - loss: 19.7602 - mae:
   316/316 [======
   3.4783
   Epoch 18/20
   3.4555
   Epoch 19/20
   3.4493
   Epoch 20/20
   3.3783
   3.1.3 predicting with test data
[268]: predicted = model.evaluate(X_test, y_test)
   print(f"test: mean squared error loss {predicted[0]}")
   print(f"test: mean absolute error loss {predicted[1]}")
   79/79 [========] - 0s 934us/step
   test: mean squared error loss 15.240999076939836
```

3.2 further experiments The following experiments will help convince you that the architecture choices you've made are all fairly reasonable, although there's still room for improvement: 1. You used two hidden layers. Try using one or three hidden layers, and see how doing so affects validation and test accuracy. 2. Try using layers with more hidden units or fewer hidden units: 32 units, 64 units, and so on. 3. Try using the mae loss function instead of mse. 4. Try using the tanh activation (an activation that was popular in the early days of neural networks) instead of relu.

3.2.1 model using one hidden layer

test: mean absolute error loss 3.09421443939209

```
model_slim.compile(optimizer='rmsprop',
   loss='mse',
   metrics=['mae'])
model_slim_output = model_slim.fit(X_train, y_train, batch_size=20, epochs=20)
Epoch 1/20
9.7166
Epoch 2/20
9.4300
Epoch 3/20
8.9687
Epoch 4/20
8.4870
Epoch 5/20
8.1444
Epoch 6/20
7.7717
Epoch 7/20
7.3437
Epoch 8/20
6.9774
Epoch 9/20
6.5678
Epoch 10/20
6.0871
Epoch 11/20
5.8310
Epoch 12/20
5.6728
Epoch 13/20
5.0216
Epoch 14/20
4.8642
```

```
Epoch 15/20
    4.4988
    Epoch 16/20
    4.4444
    Epoch 17/20
    4.3034
    Epoch 18/20
    4.0470
    Epoch 19/20
    3.9314
    Epoch 20/20
    3.9243
[270]: predicted_slim = model_slim.evaluate(X_test, y_test)
    print(f"test: mean squared error loss {predicted_slim[0]}")
    print(f"test: mean absolute error loss {predicted_slim[1]}")
    79/79 [=======] - Os 851us/step
    test: mean squared error loss 22.277899392043487
    test: mean absolute error loss 3.940617799758911
    underfitting here, and not capturing the real values in the data.
    3.2.2 model using more hidden units
[271]: model_fat = models.Sequential()
    model_fat.add(layers.Dense(256, activation='relu', input_shape=(X_train.
     \hookrightarrowshape[1],)))
    model_fat.add(layers.Dropout(0.3, seed=random_seed)) # adding dropout layers to_
     →help with overfitting
    model_fat.add(layers.Dense(128, activation='relu'))
    model_fat.add(layers.Dropout(0.3, seed=random_seed))
    model_fat.add(layers.Dense(1)) # adding this layer because it is a regression ⊔
     \rightarrow problem
    model_fat.compile(optimizer='rmsprop',
              loss='mse',
              metrics=['mae'])
    model_fat_output = model_fat.fit(X_train, y_train, batch_size=20, epochs=20)
    Epoch 1/20
```

```
6.4724
Epoch 2/20
3.7171
Epoch 3/20
316/316 [================== ] - Os 251us/step - loss: 17.6542 - mae:
3.2800
Epoch 4/20
316/316 [=============== ] - Os 260us/step - loss: 17.3445 - mae:
3.3105
Epoch 5/20
3.1216
Epoch 6/20
3.0420
Epoch 7/20
3.0478
Epoch 8/20
2.7721
Epoch 9/20
2.7830
Epoch 10/20
316/316 [=============== ] - Os 241us/step - loss: 11.2297 - mae:
2.6013
Epoch 11/20
316/316 [============== ] - Os 239us/step - loss: 12.4494 - mae:
2.7967
Epoch 12/20
2.5223
Epoch 13/20
2.4208
Epoch 14/20
316/316 [================= ] - Os 236us/step - loss: 10.1783 - mae:
2.4969
Epoch 15/20
2.5408
Epoch 16/20
2.3872
Epoch 17/20
```

```
2.3864
    Epoch 18/20
    Epoch 19/20
    Epoch 20/20
    2.2292
[272]: predicted_fat = model_fat.evaluate(X_test, y_test)
    print(f"test: mean squared error loss {predicted fat[0]}")
    print(f"test: mean absolute error loss {predicted_fat[1]}")
    79/79 [======== ] - Os 1ms/step
    test: mean squared error loss 15.176022903828681
    test: mean absolute error loss 2.9776809215545654
    model performs good here, better than the original geometry
    3.2.3 model using mae loss
[273]: model_mae = models.Sequential()
    model_mae.add(layers.Dense(32, activation='relu', input_shape=(X_train.
     \rightarrowshape[1],)))
    model_mae.add(layers.Dropout(0.3, seed=random_seed)) # adding dropout layers to⊔
    →help with overfitting
    model_mae.add(layers.Dense(16, activation='relu'))
    model_mae.add(layers.Dense(1)) # adding this layer because it is a regression_
     \hookrightarrow problem
    model_mae.compile(optimizer='rmsprop',
              loss='mae',
              metrics=['mse'])
    model_mae_output = model_mae.fit(X_train, y_train, batch_size=20, epochs=20)
    Epoch 1/20
    122.1471
    Epoch 2/20
    101.8730
    Epoch 3/20
    85.0169
    Epoch 4/20
```

```
69.8086
Epoch 5/20
53.3596
Epoch 6/20
41.4658
Epoch 7/20
34.3769
Epoch 8/20
29.7655
Epoch 9/20
316/316 [================== ] - Os 64us/step - loss: 4.2765 - mse:
27,2567
Epoch 10/20
24.7270
Epoch 11/20
24.1783
Epoch 12/20
23.8684
Epoch 13/20
21.7358
Epoch 14/20
22,9980
Epoch 15/20
21.3374
Epoch 16/20
20.5292
Epoch 17/20
20.0993
Epoch 18/20
18.6605
Epoch 19/20
20.0430
Epoch 20/20
```

```
[274]: predicted_mae_model = model_mae.evaluate(X_test, y_test)
    print(f"test: mean squared error loss {predicted_mae_model[1]}")
    print(f"test: mean absolute error loss {predicted mae_model[0]}")
    79/79 [========] - Os 933us/step
    test: mean squared error loss 16.141311645507812
    test: mean absolute error loss 3.067770185349863
    the model performs about the same in this case with a little bit better scores overall
    3.2.4 model using tanh activation
[275]: model_tanh = models.Sequential()
    model_tanh.add(layers.Dense(32, activation='tanh', input_shape=(X_train.
     \rightarrowshape [1],)))
    model_tanh.add(layers.Dropout(0.3, seed=random_seed)) # adding dropout layers_
    →to help with overfitting
    model_tanh.add(layers.Dense(16, activation='tanh'))
    model_tanh.add(layers.Dense(1)) # adding this layer because it is a regression_
     \rightarrow problem
    model_tanh.compile(optimizer='rmsprop',
              loss='mse'.
              metrics=['mae'])
    model_tanh_output = model_tanh.fit(X_train, y_train, batch_size=20, epochs=20)
    Epoch 1/20
    10.2410
    Epoch 2/20
    10.0862
    Epoch 3/20
    9.9677
    Epoch 4/20
    9.7880
    Epoch 5/20
    9.6679
    Epoch 6/20
    9.4378
    Epoch 7/20
```

```
Epoch 8/20
  8.9889
  Epoch 9/20
  8.7832
  Epoch 10/20
  8.4938
  Epoch 11/20
  8.1885
  Epoch 12/20
  7.9221
  Epoch 13/20
  7.5801
  Epoch 14/20
  7.2732
  Epoch 15/20
  6.8081
  Epoch 16/20
  6.4695
  Epoch 17/20
  6.1439
  Epoch 18/20
  5.7813
  Epoch 19/20
  5.5089
  Epoch 20/20
  5.1028
[276]: predicted tanh = model tanh.evaluate(X test, y test)
  print(f"test: mean squared error loss {predicted_tanh[0]}")
  print(f"test: mean absolute error loss {predicted_tanh[1]}")
  79/79 [========] - 0s 923us/step
  test: mean squared error loss 44.83786131460455
  test: mean absolute error loss 5.621185779571533
```

9.2530

lots more loss in a model that uses a tanh actuvation vs relu activation for this neural network geometry

 $3.3 \ k \ fold \ validation$ the code here is taken out of the textbook for the regression examples

3.3.1 build model function definition

3.3.2 defining k-fold variables

```
[278]: n_folds = 10
num_epochs = 20
num_val_samples = len(X_train) // n_folds
all_mae_histories = []
```

3.3.3 k-fold loop

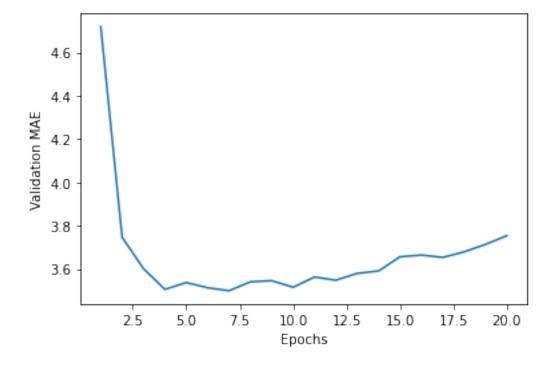
```
[279]: for i in range(n_folds):
           print("processing fold #", i)
           val_data = X_train[i * num_val_samples : (i + 1) * num_val_samples]
           val_targets = y_train[i * num_val_samples : (i + 1) * num_val_samples]
           partial_train_data = np.concatenate(
               [X_train[:i * num_val_samples],
                X_train[(i + 1) * num_val_samples:]],
               axis = 0)
           partial_train_targets = np.concatenate(
               [y_train[:i * num_val_samples],
                y_train[(i + 1) * num_val_samples:]],
               axis = 0)
           model = build model()
           history = model.fit(partial_train_data, partial_train_targets,
               validation_data=(val_data, val_targets),
               epochs=num_epochs, batch_size=1, verbose=0)
           mae_history = history.history['val_mae']
           all mae histories.append(mae history)
```

```
processing fold # 0
processing fold # 1
processing fold # 2
processing fold # 3
processing fold # 4
processing fold # 5
processing fold # 6
processing fold # 7
processing fold # 8
processing fold # 9
```

3.3.4 plotting k-fold results

```
[280]: average_mae_history = [
          np.mean([x[i] for x in all_mae_histories]) for i in range(num_epochs)]
```

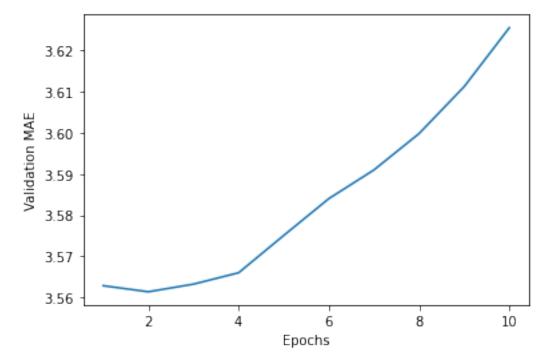
```
[281]: import matplotlib.pyplot as plt
   plt.plot(range(1, len(average_mae_history) + 1), average_mae_history)
   plt.xlabel('Epochs')
   plt.ylabel('Validation MAE')
   plt.show()
```



looks like validation mean absolute error is minimized at around 10 epochs or so

```
[282]: def smooth_curve(points, factor=0.9):
    smoothed_points = []
```

```
for point in points:
    if smoothed_points:
        previous = smoothed_points[-1]
        smoothed_points.append(previous * factor + point * (1 - factor))
    else:
        smoothed_points.append(point)
    return smoothed_points
smooth_mae_history = smooth_curve(average_mae_history[10:])
plt.plot(range(1, len(smooth_mae_history) + 1), smooth_mae_history)
plt.xlabel('Epochs')
plt.ylabel('Validation MAE')
plt.show()
```



this shows the average validation score vs number of epochs. it goes up over the epochs, but is not that different in absolute terms.

3.3.5 building model from validation

Epoch 1/10

```
10.0735
Epoch 2/10
9.5152
Epoch 3/10
8.9209
Epoch 4/10
8.2291
Epoch 5/10
7.4199
Epoch 6/10
6.5491
Epoch 7/10
5.6553
Epoch 8/10
4.8664
Epoch 9/10
4.1737
Epoch 10/10
3.7080
79/79 [========] - Os 666us/step
testing mean absolute error 3.905726909637451
```

the mean absolute error for the testing error is 3.3 grade units out of 20. this model does pretty well and is not far off from the training data. 3.26 mae in training and 3.3 in testing. epochs of 10 are a good way to normalize it for this network geometry.