Query Embedding Strategy

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1 Sub-graph Generation

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Algorithm 1: get\_subgraphs(\mathcal{G}, n)
 input: \mathcal{G} = (\mathcal{V}, \mathcal{E}): Directed acyclic graph from which sub-graphs have
            to be generated
           n: Node which acts as the root of the sub-graph
 output: joins: A list of tuples representing the join node and the
           tables involved with that join
            terminals: A list representing the tables present in a graph
 n := root
 joins := []
 terminals := []
 \mathcal{N}_n := \{ n' \mid (n, n') \in \mathcal{E} \}
 if len(\mathcal{N}_n) > 1 then
     foreach n' \in \mathcal{N}_n do
         joins', terminals' = get\_subgraphs(\mathcal{G}, n')
         joins := joins \cup joins'
        terminals := terminals \cup terminals'
     joins := joins \cup [(n, terminals)]
 end
 if len(\mathcal{N}_n) == 0 then
  | terminals := terminals \cup [n]
 end
 return joins, terminals
```

2 Embedding

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Algorithm 2: embedding_process

input: \mathbb{G} = \{G_1, G_2, ..., G_n\}: Set of graphs for which embeddings are desired

D: The maximum number of tables to consider for a sub-graph \delta: number of dimensions in the latent space

\epsilon: number of training epochs

\alpha: learning rate

output: \Phi \in \mathbb{R}^{\|\mathbb{G}\| \times \delta}: Matrix of graph representation vectors

Initialize \Phi with random values

for e \leftarrow 0 to \epsilon do

| foreach G_i \in \mathbb{G} do
| sg<sub>n</sub> = get_subgraphs(G<sub>i</sub>, 0)
| J(\Phi) := -logPr(sg_n \mid \Phi(G_n))
| \Phi = \Phi - \alpha \frac{\partial J}{\partial \Phi}
| end

end

return \Phi
```