

## APPLICATION

# Simulating animal space use from fitted integrated Step-Selection Functions (iSSF)

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## Abstract

1. A standing challenge in the study of animal movement ecology is the capacity to predict where and when an individual animal might occur on the landscape, the so-called, utilisation distribution (UD). Under certain assumptions, the steady-state UD can be predicted from a fitted exponential habitat selection function. However, these assumptions are rarely met. Furthermore, there are many applications that require the estimation of transient dynamics rather than steady-state UD (e.g. when modelling migration or dispersal). Thus, there is a clear need for computational tools capable of predicting UD based on observed animal movement data.
2. Integrated Step-Selection Analyses (iSSAs), which integrates movement of the animal into habitat selection analyses, are widely used to study habitat selection and movement of wild animals, and result in a fully parametrised individual-based model of animal movement, which we refer to as an integrated Step Selection Function (iSSF). An iSSF can be used to generate stochastic animal paths based on random draws from a series of Markovian redistribution kernels, each consisting of a selection-free, but possibly habitat-influenced, movement kernel and a movement-free selection function. The UD can be approximated by a sufficiently large set of such stochastic paths.
3. Here, we present a set of functions in R to facilitate the simulation of animal space use from fitted iSSFs. Our goal is to provide a general purpose simulator that is easy to use and is part of an existing workflow for iSSAs (within the **amt** R package).
4. We demonstrate through a series of applications how the simulator can be used to address a variety of questions in applied movement ecology. By providing functions in **amt** and coded examples, we hope to encourage ecologists using iSSFs

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to explore their predictions and model goodness-of-fit using simulations, and to further explore mechanistic approaches to modelling landscape connectivity.

#### KEYWORDS

habitat selection, integrated step selection analysis, movement ecology, space use

## 1 | INTRODUCTION

Integrated step selection analysis (iSSA; Avgar et al., 2016; Fieberg et al., 2021) has emerged as a powerful and unifying methodological framework for quantifying different aspects of animal space use, including habitat selection patterns, movement behaviour, and transient and steady-state utilisation distributions (UDs). An iSSA results in a fully parametrised individual-based movement model that can be broadly classified as a locally biased correlated random walk (Duchesne et al., 2015) which we refer to as an integrated step selection function (iSSF). In an iSSF, movement emerges from the product of a movement-free habitat selection function (MF-HSF; i.e. how would the animal select habitat if it were not constrained by movement) and a selection-free movement kernel (SF-MK; i.e. how would the animal move if it were not constrained by habitat selection). Note that the latter may include various habitat or environmental effects on movement, just not selection per se. Conceptually, the iSSF can be thought of as estimating a two-dimensional probability density function for the animal's position after the next step (a redistribution kernel), given the environmental conditions and the animal's current position and recent path. It provides a mechanistic model that can be fitted to data and used to simulate emerging patterns, the most basic of which is the UD (e.g. Hofmann et al., 2023; Potts & Börger, 2023; Signer et al., 2017).

Simulations from iSSFs have been used to investigate emergent patterns of space use from fitted iSSFs (Potts & Schlägel, 2020; Signer et al., 2017), to model connectivity between different animal populations or habitat patches (Aiello et al., 2023; Hofmann et al., 2023; Whittington et al., 2022), and to evaluate and validate fitted models (Fieberg et al., 2023; Potts et al., 2022; Sells et al., 2023). Although analytical approximations of various estimation targets exist for some situations (Potts & Börger, 2023; Potts & Schlägel, 2020), simulations are more intuitive, flexible, and applicable to a wider range of problems. Despite the already widespread use and interest in simulations in movement ecology (Aiello et al., 2023; Whittington et al., 2022; Zurell et al., 2010), a general simulation routine is missing from available software, requiring analysts to write custom code. We address this gap by providing a user-friendly tool that can be used to address the various use cases described above.

We implemented two main functions, `redistribution_kernel()` and `simulate_path()`, in the **amt** package (Signer et al., 2019) for the programming language R (R Core Team, 2023). The first function computes a dynamic redistribution kernel from a fitted iSSF given a set of initial conditions (i.e. previous and current positions in geographic and environmental space). The second

function is used to simulate movement paths by iteratively sampling a new position from a redistribution kernel and then updating this kernel to reflect the individual's new position (i.e. this function iteratively calls the `redistribution_kernel()` function). We illustrate how simulations can be used to visualise different redistribution kernels, to generate data for various testing purposes, and to validate models and compute derived quantities (e.g. space use maps) in a case study using tracking data from an African buffalo. Finally, we discuss other applications that may be of interest to a wide range of ecologists.

## 2 | METHODS

### 2.1 | Background

The iSSF can be used to calculate a redistribution kernel that gives the probability of moving to position  $s$  at time  $t + \tau$  ( $\tau$  being a constant time step), given the animal is at position  $s'$  at time  $t$  and was at position  $s''$  at time  $t - \tau$ . More formally following Avgar et al. (2016), the value of the redistribution kernel  $u(\cdot)$  for a tentative position  $s$  at time  $t + \tau$  is given by

$$u(s, t + \tau) = \frac{w(h(s, t + \tau); \beta) \phi(s, s', s''; \gamma)}{\int_{s \in G} w(h(s, t + \tau); \beta) \phi(s, s', s''; \gamma) ds},$$

where  $w(\cdot)$  is the MF-HSF and  $\phi(\cdot)$  is the SF-MK. The denominator normalises the redistribution kernel over all possible positions  $s$  within the spatial domain  $G$ . The selection parameters,  $\beta$ , weigh different habitat attributes (sometimes referred to as 'resources'),  $h$ , at position  $s$  and time  $t + \tau$ , and the movement parameters,  $\gamma$ , are used to model the distribution of step lengths and turn angles.

When step lengths and turn angles are modelled using distributions from the exponential family, and an exponential MF-HSF is used, the numerator can be rewritten in log-linear form as

$$u(s, t + \tau) \propto \exp \left( \sum_{i=1}^k \beta_i h_i(s, t + \tau) + \sum_{j=1}^q \gamma_j \theta_j(s, s', s'', h(s')) \right),$$

where  $h_i(s, t + \tau)$  is the value of the  $i$ -th (out of  $k$ ) habitat attribute,  $h_i$ , at position  $s$  and time  $t + \tau$ , and  $\theta_j$  the  $j$ -th (out of  $q$ ) geometrical attribute of the step (e.g. the cosine of the turn angle, the step lengths, or the log of the step length, which are movement characteristics that depend on the assumed step-length and turn-angle distributions). The  $\theta_j$  can also consist of, e.g. the product of the step length and the value of a certain habitat attribute at  $s'$  to model environmental effects on movement. The parameters of the model can be estimated using different approaches (Michelot

et al., 2023). The most common method is a two-step procedure, estimating first tentative parameters for the SF-MK and using these to estimate the  $\beta_i$  while simultaneously updating parameters of the SF-MK (see Avgar et al., 2016; Fieberg et al., 2021, in particular appendix C).

## 2.2 | Implementation

We introduce a set of functions that facilitate simulations (Table 1 gives an overview of all associated functions). The

`redistribution_kernel()` function creates a redistribution kernel from the object returned by `fit_issf()`, which can be used to fit an iSSF to data using the two-step procedure. In situations where the parameters have been estimated in some other way (e.g. using Poisson regression Muff et al., 2020; or a full likelihood approach Schlägel & Lewis, 2016), or when simulating from scratch based on user-defined parameter values, the necessary object can be created with the `make_issf_model()` function. The `redistribution_kernel()` function requires additional arguments, especially: `map`, `fun`, and `landscape` (Table 1). The argument `map` must be a `SpatRast` from the `terra` package (Hijmans, 2023) and

TABLE 1 Overview of the main functionality of the amt-simulator.

Argument	Description
<b><code>redistribution_kernel()</code></b>	<b>Function to create a redistribution kernel</b>
<code>x = make_issf_model()</code>	A fitted iSSF or the result of <code>make_issf_model()</code>
<code>start = make_start()</code>	The first step. <code>make_step()</code> helps to create a first step
<code>map</code>	A 'SpatRast' with all environmental covariates
<code>fun<sup>a</sup></code>	A function executed at each time step. The function expects two arguments: <code>xy</code> (all points of the redistribution kernel at a given time) and the <code>map</code> provided before
<code>max.dist = get_max_dist(x)</code>	The truncation distance of the redistribution kernel
<code>n.control = 1e6</code>	The number of steps, if <code>landscape = "continuous"</code>
<code>n.sample = 1</code>	The number of points that will be sampled from the redistribution kernel
<code>landscape = "continuous"</code>	Indicates if the redistribution kernel uses continuous or "discrete" space
<code>normalize = TRUE</code>	Should the redistribution kernel be normalised to 1?
<code>as.rast = TRUE</code>	Whether or not the results should be returned as a 'SpatRast'
<code>tolerance.outside = 0</code>	The fraction of the redistribution kernel allowed outside the <code>map</code>
<b><code>simulate_path()</code></b>	<b>Function to iteratively update the redistribution kernel and simulate a path</b>
<code>x</code>	A redistribution kernel
<code>n_steps = 500</code>	The number of time steps that will be simulated
<code>start = x\$start</code>	The start position of the simulation
<b><code>make_issf_model()</code></b>	<b>Function to emulate a fitted iSSF</b>
<code>coefs = c("sl_" = 0)</code>	The coefficients of the movement-free selection function and the correction coefficients of the selection-free movement kernel
<code>sl = make_exp_distr()</code>	The statistical distribution for the step lengths. Defaults to an exponential distribution but others are possible
<code>ta = make_unif_distr()</code>	The statistical distribution for the turn angles
<b><code>make_start.default()</code></b>	<b>Function create a starting position</b>
<code>x = c(0, 0)</code>	The x and y coordinate of the starting point
<code>ta_ = 0</code>	The direction of the first step
<code>time = System.time()</code>	Timestamp for the first step
<code>dt = lubridate::hours(1)</code>	The duration of a step
<b><code>make_start.steps_xyt()</code></b>	<b>Function to crate a starting position from an observed track</b>
<code>x</code>	Object of class <code>steps_xyt</code>
<b><code>get_max_dist()</code></b>	<b>Function to obtain the truncation distance</b>
<code>x</code>	A fitted iSSF model
<code>p = 0.99</code>	Quantile of the step-length distribution

Note: Function names are in bold. The most important arguments are listed below with their default values in italics.

<sup>a</sup>The default function used here is: `function(xy, map) extract_covariates(xy, map, where = "both")`.

must contain all environmental covariates included in the model; its extent determines the extent of the simulation landscape. The argument `fun` is a function that is executed at each time step of the simulation to extract (and possibly manipulate) the values from `map`. Often, the default function—`extract_covariates()`—to extract covariates at the start and end of steps is sufficient. However, in situations when covariates change over time, transformations are needed, or it is necessary to extract covariate values along the step, this function can be adjusted by the user. Finally, the argument `landscape` controls whether the redistribution kernel is implemented in continuous space and approximated using Monte Carlo sampling (`landscape="continuous"`) or in discrete space (`landscape="discrete"`). Generally, a stochastic redistribution kernel in continuous space is preferable; a discrete-space approximation can lead to a biased step length distribution, since the smallest step length is then given by the resolution of the environmental covariate raster. A continuous redistribution kernel can use the tentative step length and turning angle distributions as proposal distributions for stochastic simulations from the selection-free movement kernel. For visualisation purposes, however, we may be interested in a discrete approximation of the redistribution kernel. In this case, we need to: (1) update the tentative step length and turning angle distributions to the SF-MK using coefficients associated with movement characteristics; and (2) account for the transformation from polar to Euclidean coordinates (see Data S1), the function `redistribution_kernel()` takes care of this.

Once multiple paths are simulated (each a stochastic realisation of the same iSSF), they can be used to approximate either a transient UD or a steady-state UD (Signer et al., 2017). A transient UD is a probability surface of animal occurrence at the end of all possible paths starting from a given point in space and time, and lasting a given duration. A transient UD is thus spatially and temporally specific—it takes different forms depending on the starting conditions and the sampling duration. For a given starting position (in space and time) and duration (= number of steps), the transient UD is approximated as the intensity of the point pattern formed by the endpoints of many simulated paths (the more simulated paths, the better the approximation). A steady-state UD is the probability surface of animal occurrence at the limit of an infinitely long path—it is independent of the initial conditions. A steady-state UD is thus approximated by simulating paths so long that the resulting point pattern of step endpoints is no longer sensitive to the starting point. Note that, since a steady-state UD is independent of duration, all simulated step endpoints are included in the summary (rather than just the last endpoint of each simulated path as in the transient UD). In cases where a single path cannot be expected to effectively visit all locations within the spatial domain in a computationally feasible time frame, multiple (long) paths should be simulated, each starting from a different starting point across the domain. Both types of UDs could be further smoothed using a kernel density estimator applied to the resulting point pattern (Potts & Börger, 2023).

### 3 | CASE STUDY

#### 3.1 | Simulating movement from scratch

First, we show how our simulator can be used to visualise different redistribution kernels and simulate from them. For our model of step lengths, we used a gamma distribution with parameter values  $\text{shape}=\text{scale}=2$ . To model turning angles, we used a von Mises distributions with two different concentration parameters, 0 (no directional persistence) or 4 (strong positive directional persistence). Lastly, we allowed the individual to select for or against a spatially varying habitat attribute (grey square in Figure 1). The overall redistribution kernel  $u(s, t + \tau)$  for any steps starting at  $s'$  and ending at  $s$  can be described as

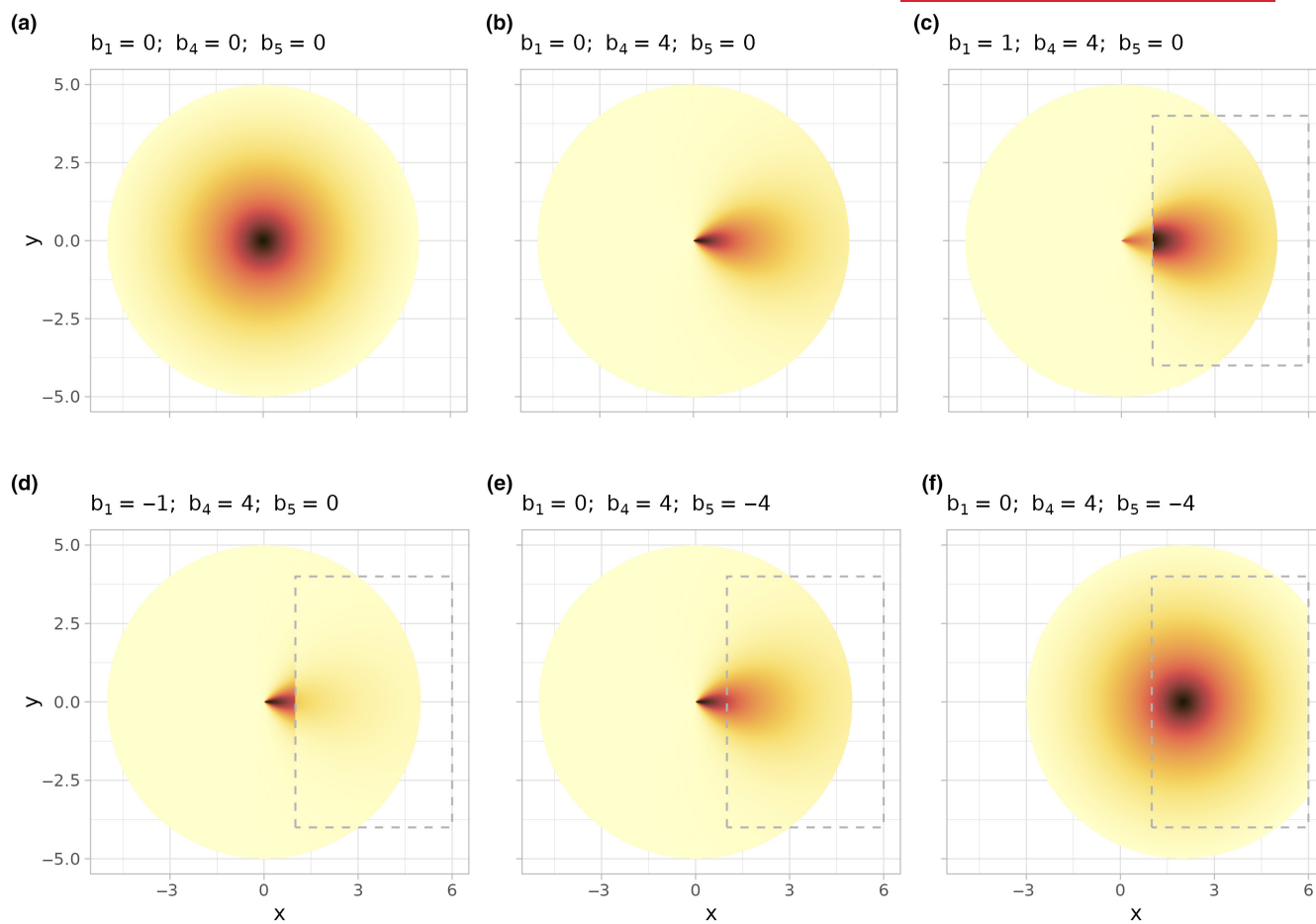
$$u(s, t + \tau) \propto \exp(b_1 h(s) + b_2 |s, s'| + b_3 \log(|s, s'|) + b_4 \cos(\alpha(s, s') - \alpha(s', s'')) + b_5 \cos(\alpha(s, s') - \alpha(s', s'')) h(s')),$$

where  $b_1$  is a selection coefficient of the MF-HSF;  $b_2$ ,  $b_3$ ,  $b_4$  and  $b_5$  are parameters in the SF-MK that link the parameters of the statistical distributions to the log-linear form of the iSSA (Avgar et al., 2016; Fieberg et al., 2021),  $|s, s'|$  is the Euclidean distance from  $s'$  to  $s$  (step length),  $\alpha(s, s')$  is the angular heading from  $s$  to  $s'$ ,  $(\alpha(s, s') - \alpha(s', s''))$  is thus the turning angle relative to the previous step, and  $h(s)$  is the habitat value at a given position  $s$ . Note that we can allow the SF-MK to vary as a function of habitat at the start of the movement step by including interaction terms (e.g. the last term and coefficient  $b_5$ ). First, we generated six different redistribution kernels on a discrete landscape by varying the values of  $b_4$  and  $b_5$  to illustrate different SF-MKs (Figure 1a,b,e,f) and  $b_1$  to illustrate different MF-HSFs (Figure 1c,d).

Second, we simulated 50 paths for 30 time steps each by repeatedly sampling from successive redistribution kernels (Figure 2a). We assumed that the animal had little directional persistence and selected for habitat within the grey dashed rectangle (Figure 2b). We then applied a kernel density estimator to the endpoints of these 50 paths (Figure 2c) to obtain a smooth estimate of the transient UD (Potts & Börger, 2023).

#### 3.2 | African buffalo

We used tracking data from Cilla, an African buffalo, previously used to introduce the local-convex-hull home range estimator and freely available from Movebank (Cross et al., 2016; Getz et al., 2007). We fitted three iSSF models of increasing complexity. In the first, we modelled habitat selection as a function of distance to the nearest river at a spatial resolution of 90m. Next, to model home ranging behaviour, we added the  $x$  and  $y$  coordinates of the endpoint of each step and the sum of their squares (see appendix S3 of Alston et al., 2023). Finally, we included the river as a potential barrier to movement. For each step, we compared whether or not the start and



**FIGURE 1** Different redistribution kernels resulting from different parametrisations of the selection-free movement kernel (SF-MK) and the movement-free habitat selection function (MF-HSF). In the simplest case, there is no habitat selection and movement is constrained only by the SF-MK, which excludes (a) or includes (b) directional persistence. An environmental covariate (grey rectangle within which  $h(s') = 1$ , as opposed to outside the rectangle where  $h(s') = 0$ ) can lead to preference (c) or avoidance (d). Furthermore, the SF-MK can also depend on the habitat the animal is in at the start of the movement step through the coefficient for the interaction term,  $b_5$ . We show redistribution kernels for cases where the animal exhibits different directional persistence depending on where a step starts. When  $h(s') = 0$  at the start of a step, the interaction term with  $b_5$  vanishes and directional persistence is controlled only by  $b_4$  (e), and when  $h(s') = 1$  the two terms with coefficients  $b_4$  and  $b_5$  cancel each other out, leading to no directional persistence (panel f).

end of a step were on the same side of a river. We extracted covariates for observed steps (these are the steps that were recorded by the tracking device) and control steps (these are random draws from the fitted step length and turn angle distribution). Data and reproducible code for all three models can be found on Zenodo (<https://doi.org/10.5281/zenodo.10160168>).

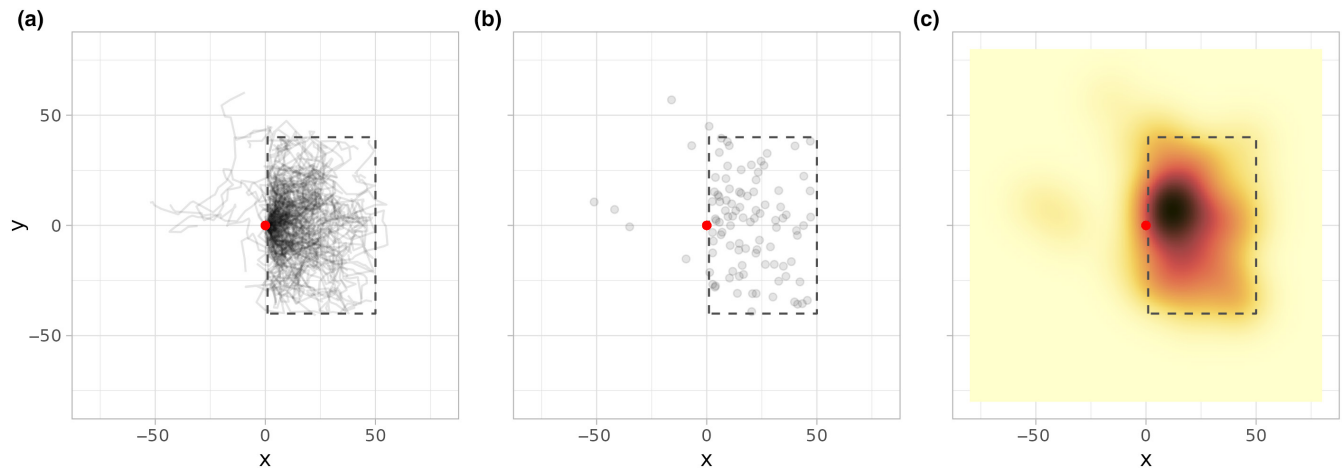
The African buffalo case study illustrates how simulations can be used to visually check model fit (Figure 3). In Model 1, movement is unconstrained and the animal frequently leaves the area where it was tracked (Figure 3; left panel). In Model 2, the inclusion of home ranging behaviour constrains the animal to never leave the area where it was tracked, but it does not prevent the animal from crossing the river even though river crossings were never observed in the data (Figure 3; middle panel). In Model 3, the parameterised iSSF produces a much more realistic movement path (Figure 3; right panel). Note that there are still unexplained patterns in the observed path (e.g. elevation could also

be important), but we conclude that Model 3 is already a significant improvement over Model 1. Many realisations of this simulation could be used to formally measure the predictive power of each model (Potts et al., 2022) and to formally evaluate model goodness-of-fit (Fieberg et al., 2023).

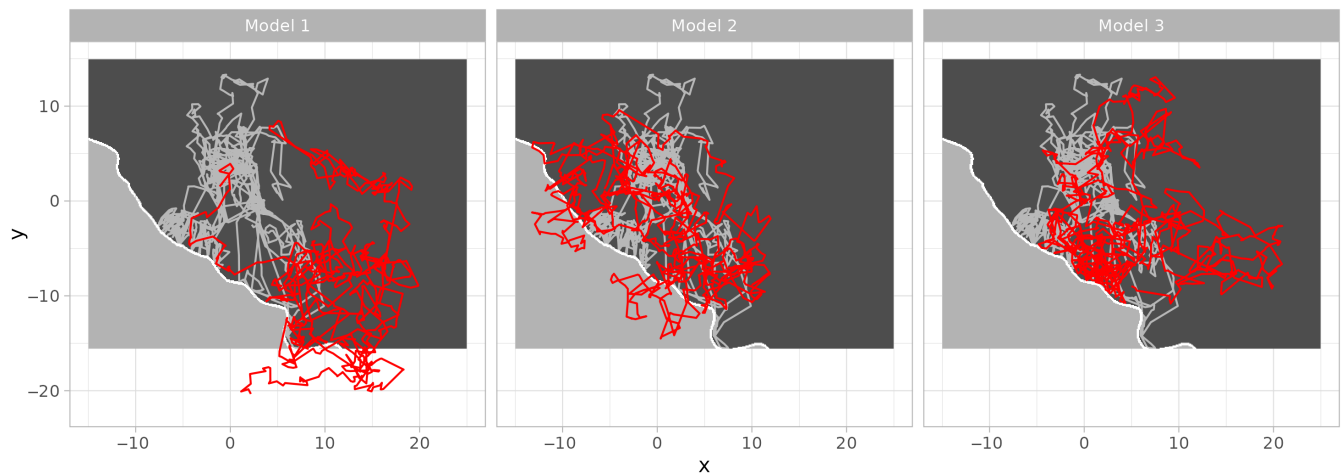
## 4 | DISCUSSION

We have developed functions in R that enable users to simulate animal space use directly from fitted iSSFs using redistribution kernels that are dynamic in space and in time. Our approach builds on an established workflow for data analysis.

We see several different applications for such a simulator, including model evaluation, prediction, and estimation of space use metrics (such as landscape connectivity) to inform conservation. First, simulated and observed paths can be visually compared



**FIGURE 2** Simulated movement paths of 50 animals for 30 time steps (a). We then used the end positions (b) to generate a smoothed map representing the transient utilisation distribution at  $t = 30$  (c). The start point is marked with a red dot.



**FIGURE 3** Observed (light grey) and simulated (red) movement paths of an African buffalo. All models included distance to water as a covariate. Model 2 and Model 3 also included the coordinates at the end of each step to account for home ranging behaviour. Model 3 also included whether the start and end points of each step were on the same side of the river (shown in white).

(Figure 3). If the model has been specified in a way that describes the data-generating process reasonably well, the observed path should not stand out when compared to simulated paths (Fieberg et al., 2023). Similar to our case study, one can evaluate whether the observed and simulated paths exhibit similar behaviour near roads, rivers, or other prominent environmental features. Second, our simulator can be used as a way to develop a null distribution to test for evidence of site fidelity and/or memory (Picardi et al., 2023). One can, for example, simulate movement in the absence of home-ranging behaviour and/or absence of habitat selection and contrast emerging patterns with more complex models. Third, predicting the steady-state or transient UD of an animal is often of interest. When the redistribution kernel is static (i.e. does not change spatially), other approaches are available to generate steady-state UDs (Potts & Börger, 2023; Signer et al., 2017). However, if the goal is to predict short-term, transient UDs or if there is no steady-state UD (e.g. if the redistribution kernel is periodic in time), the simulator presented here offers a natural way

forward. Finally, animal movement is of interest for many conservation applications and questions that require quantification of landscape connectivity. Unlike many current approaches, our simulator provides a way to explore connectivity via a mechanistic model of animal movement.

The simulations we have described here are parametrically informed by the observed data, but the simulated paths are not restricted to the spatial proximity of the observed trajectory in any way; they are unanchored. Several applications allow the user to generate spatially anchored simulations (sometimes referred to as path reconstruction or interpolation; e.g. Fleming et al., 2016; Horne et al., 2007; Johnson et al., 2008). We note, however, that such spatially anchored UDs are not informed by the habitat (they lack a MF-HSF component).

We have described the simulator in the context of simulating from a fitted iSSF, but it is also possible to simulate paths from scratch (as we did in the first case study). This requires the analyst to define step length and turning angle distributions for the movement model and selection coefficients for the selection functions. This



feature makes our approach useful for exploring research questions via simulation or for evaluating different sampling designs.

We expect the recent interest in simulations from integrated step selection functions to continue. Recent extensions to iSSAs that include memory (Rheault et al., 2021), behavioural states (Klappstein et al., 2022; Pohle et al., 2023) or irregular sampling rates (Kim et al., 2023; Munden et al., 2021) could eventually be incorporated into the simulator for even greater realism.

## AUTHOR CONTRIBUTIONS

J. Signer, T. Avgar, B. Reineking and U. Schlägel conceived the simulator. U. Schlägel derived the transformation from polar to Euclidean coordinates. All authors contributed to the application of the simulator. J. Signer led the writing with support from all others. J. Signer, B. Smith and B. Reineking implemented and tested the simulator in R.

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## CONFLICT OF INTEREST STATEMENT

All authors declare that they have no conflicts of interest.

## PEER REVIEW

The peer review history for this article is available at <https://www.webofscience.com/api/gateway/wos/peer-review/10.1111/2041-210X.14263>.

## DATA AVAILABILITY STATEMENT

Data and code used in the manuscript are available from Zenodo (Signer et al., 2023).

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## SUPPORTING INFORMATION

Additional supporting information can be found online in the Supporting Information section at the end of this article.

**Data S1:** Transformation from polar to Euclidean coordinates.

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