## vectorCrypt

This set of functions is used to encrypt data. The actual encryption occurs with encrypt() and private\_encrypt(). encrypt() uses a non reversible function discovered in linear algebra to create a unique vector that maps to a point in the dimension when multiplied by a square matrix of plaintext.

For example, assume someone enters in a credit card number:

Convert it into 4x4 matrix:

1 4 5 2

2 1 0 0

3 1 7 4

2 6 3 0

Check if its independent, if not, make it independent:

1 4 5 2 0

2 1 0 0 0

3 1 7 4 0

2 6 3 0 0

Set that matrix equal to a random point in R4 space:

1 4 5 2 | -300912

2 1 0 0 8764

3 1 7 4 21

2 6 3 0 8449372

There is a guaranteed unique linear combination of the vectors that generate the random point.

Grab the coefficients of the vectors, this is your new encrypted data:

-243 0 0 0   -300912	-243	-300912
0 2833 0 0 8764	2833	8764
0 0 2811 0 21	2811	21
0 0 0 3100 8449372	3100	8449372

Store the coefficients and the random point.

This information is now encrypted, and if a hacker gains access to both sets of data, there is no mathematical way to generate the original matrix. Thus, this is a one way encryption/hash.

To validate a password entry, encrypt the data using the previous random point.

If the encryptions match, the password is correct.

A more secure version of encryption is achieved when vectorCrypt is used in tandem with a private key.

Take a private key of 50 characters long:

Split that into 2 smaller keys:

Keya={a, 6, 3, 8.....} size 25

Keyb={S, 2, D, a....} size 25

Convert each into a 5x5 matrix:

(These characters are stored as ascii values)

КеуА КеуВ

a 6 3 8 2 c 1 4 w a

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2 s I & # a B #! 7
! B C q C z B @ & s
d @ X d S C S B A s
# s C 2 a b 8 * % 2
Now add a unique combination of KeyA and KeyB to the original points:
1 \times X \times Y + (a + 6 + 3 + 8 + 2) + (c + a + z + C + b) (Row 1 of KeyA + Column 1 of KeyB)
X \times X \times X
\times \times \times
\times \times \times
Now multiply the new matrix points by the sum of the row and column:
(# is the result of the previous calculation)
* x x x * (a + 6 + 3 + 8 + 2) + (c + a + z + C + b) (Row 1 of KeyA + Column 1 of KeyB)
X \times X \times X
\times \times \times
\times \times \times
Do this for every point on the matrix, and you will have a new, privately encrypted
matrix:
(Where each letter represents the previous calculations)
abcde
fghij
k 1 m n o
pqrst
u v w x y
```

This is your new matrix, now you complete vectorCrypt on the matrix.

In terms of collision:

The operation, mathematically, generates a unique vector for every single point in Rn. However, as the computer stores the values as a decimal, some entropy is lost and some collision can occur on very close values. However, I have mathematically proven that the

radius of collision is directly proportional to the precision of storage the computer

With the precision of a double, a collision is impossible.

In terms of security:

The highest processing GPU can generate 250 billion passwords per second, we will use this as our standard.

Assume a user entered a 16 digit credit card number.

Using vectorCrypt only:

It would take 46.296 days to generate the total password space

Using vectorCrypt with 50 digit (approximately 325 bit) Private Key:

It would take  $2.88 \times 10^92$  years to generate every possible combination of credit card number and Key

Using vectorCrypt with 50 digit (approximately 325 bit) Private Key:

It would take 1.175 x  $10^83$  years to generate all possible combinations of the resultant matrix after the private key has been used (Assuming the hacker bypasses the key and outputs all possible matrices that are a result of multiplying by a Private Key to the encryption function)

Impervious to collisions

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