

DEEPACTION



长按识别上方二维码关注

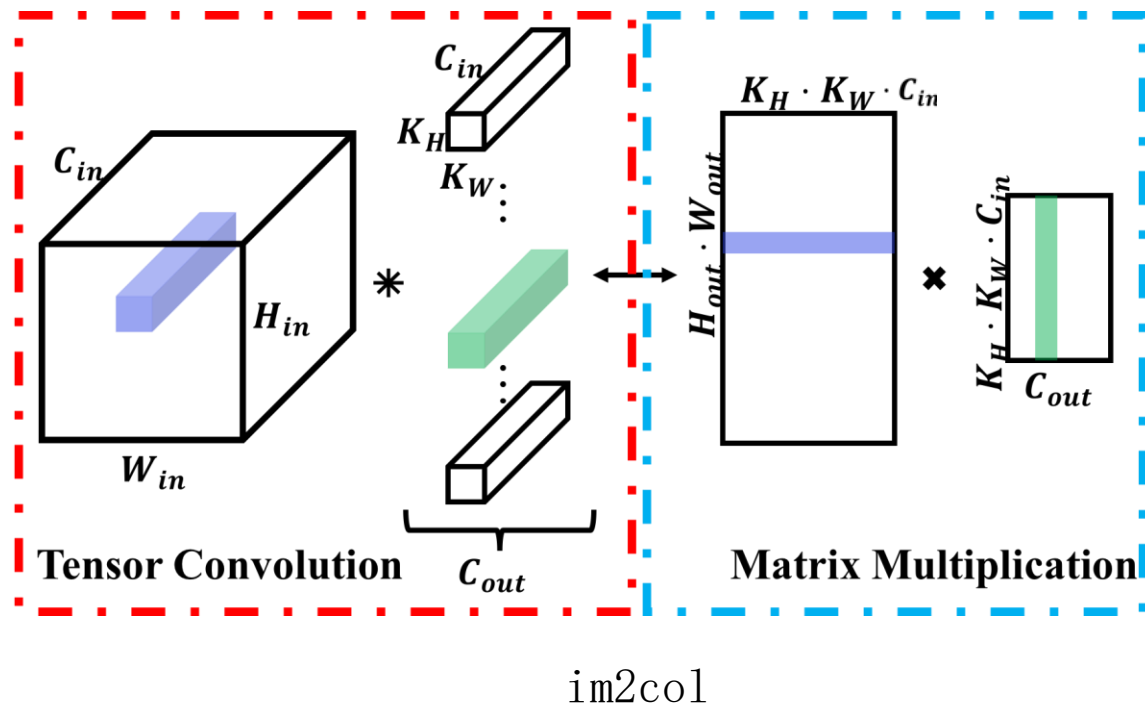
# CNN基本结构

# CNN基本单元

- 卷积层
- 池化层
- 激活层
- BN层
- 全联接层

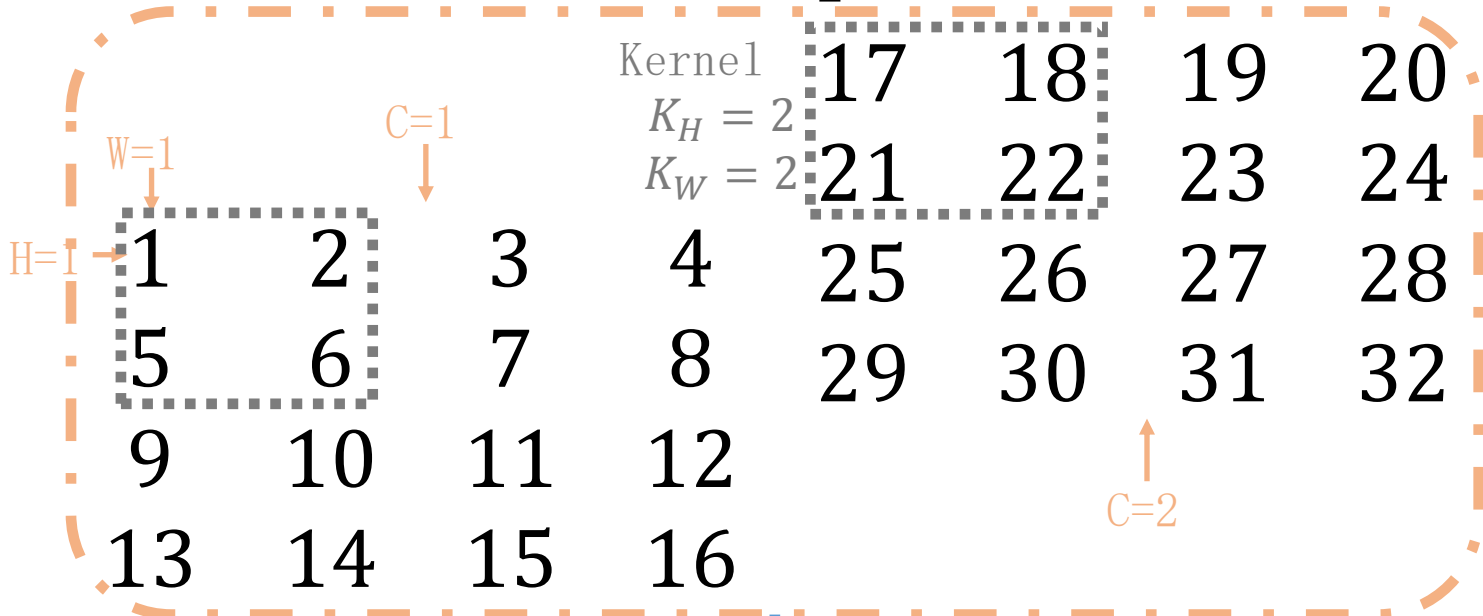
# 卷积

- 卷积的基本参数
  - 卷积核 滑动步长 padding
  - 输入通道 输出通道
- 卷积计算过程
  - 直接计算
  - 将卷积转化为矩阵乘法 (im2col)
- 卷积的好处
  - 权重共享



预先确定的基本概念:  
Filter  
Kernel

# Im2col Example



➤ 假设:

Tensor  $1*4*4*2$

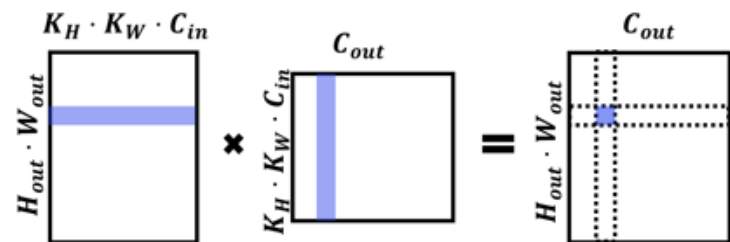
Kernel  $2*2$

stride 2

➤ 存储Tensor时, 先存储最后一维, 然后存储倒数第二维, 依此类推

Matrix( $H_{out}W_{out} * K_HK_WC$ )

Tensor( $N * H * W * C$ )



Im2col

1	17	2	18	5	21	6	22
3	19	4	20	7	23	8	24
9	25	10	26	13	29	14	30
11	27	12	28	15	31	16	32

# 新型卷积

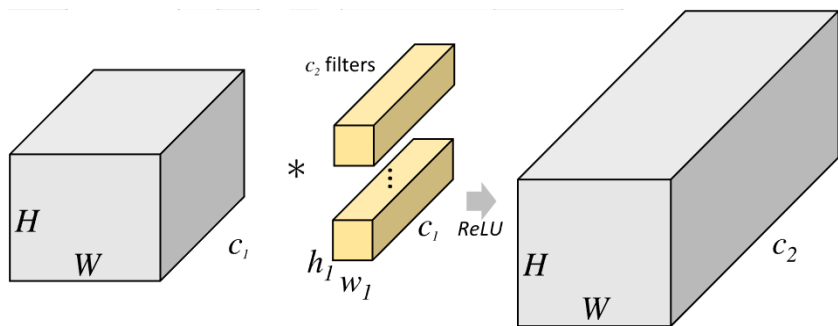
- Group conv
- Depthwise conv
- Deconv
- Dilated conv
- Deformable conv

卷积操作动画 [https://github.com/vdumoulin/conv\\_arithmetic](https://github.com/vdumoulin/conv_arithmetic)

# Group Convolution

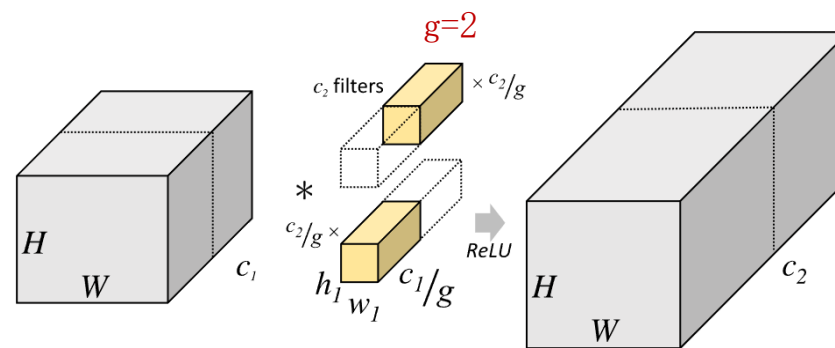
1. 输入通道 $c_1$ 可以分成  $g$  组, 每组有  $c_1/g$  个输入特征图
2. 对于每组有  $c_2/g$  个filter, 可以得到  $c_2/g$  个输出特征图
3. 最后将每组的输出特征图串联起来, 得到  $c_2$  个输出特征图

## ➤ Original Convolution



$$P_{conv} = c_1 \cdot c_2 \cdot h_l \cdot w_l$$
$$\#_{conv} = H \cdot W \cdot c_2 \cdot h_l \cdot w_l \cdot c_1$$

## ➤ Group Convolution

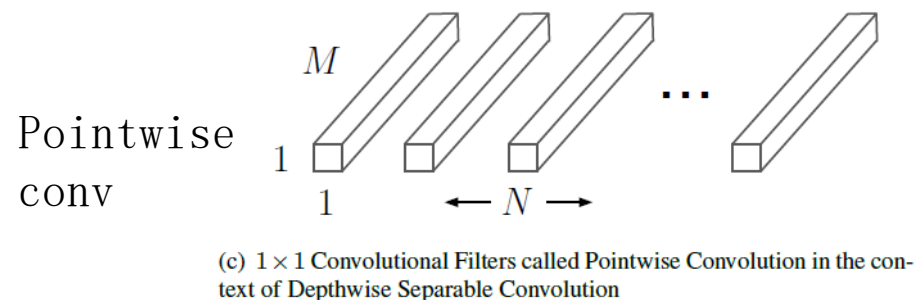
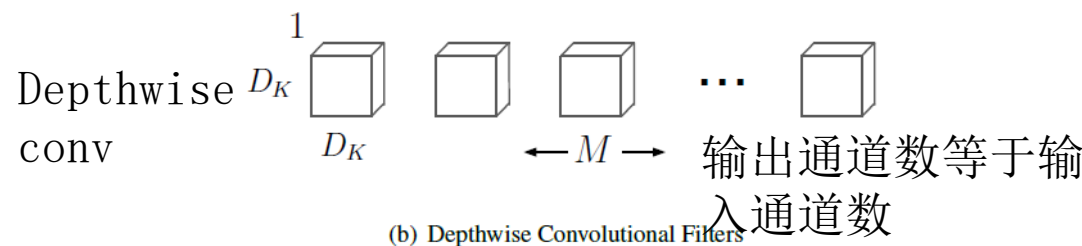
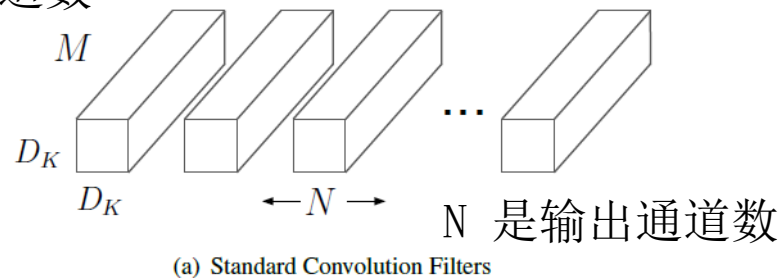


$$P_{conv} = (c_1/g) \cdot (c_2/g) \cdot K_H \cdot K_W \cdot g$$
$$\#_{conv} = H \cdot W \cdot (c_2/g) \cdot h_l \cdot w_l \cdot (c_1/g) \cdot g$$

# Depthwise Conv

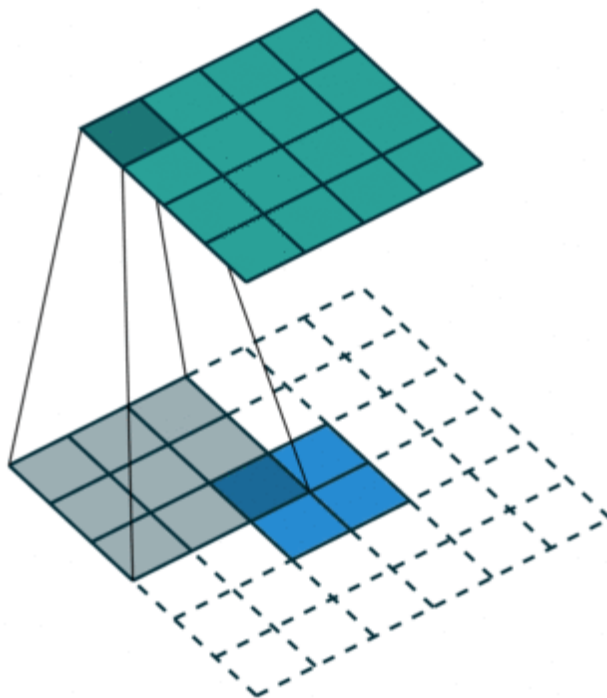
- Group conv的极限版
- MobileNet的基本结构
- 专职做空间维度的信息交流，与 Pointwise Conv配套使用

M 是输入通道数

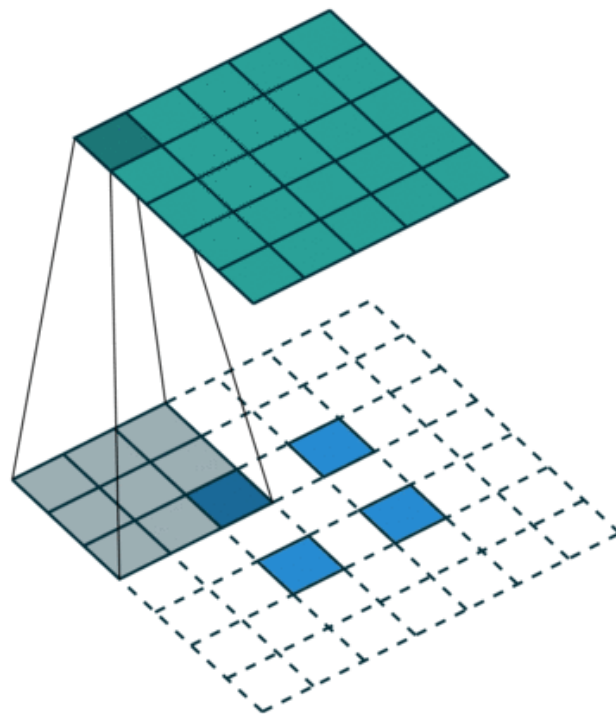


# Deconv

- 目的：上采样



Stride=1

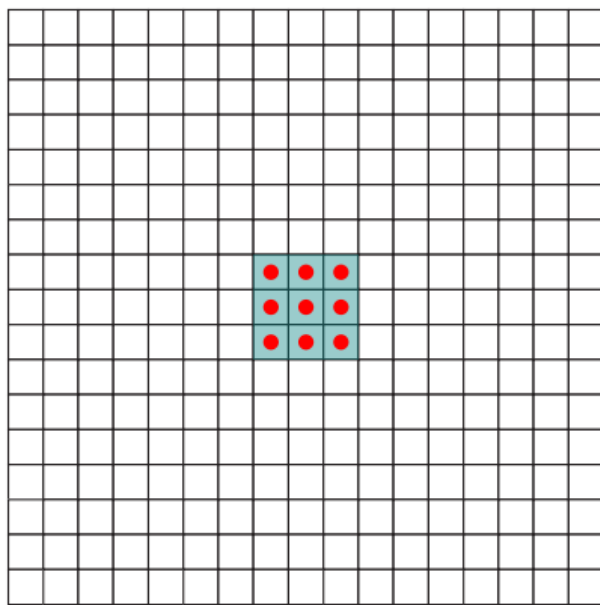


Stride=2

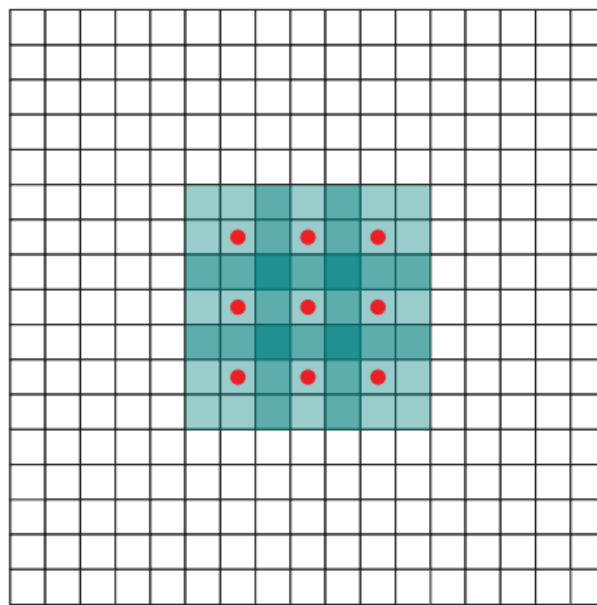


# Dilated Conv

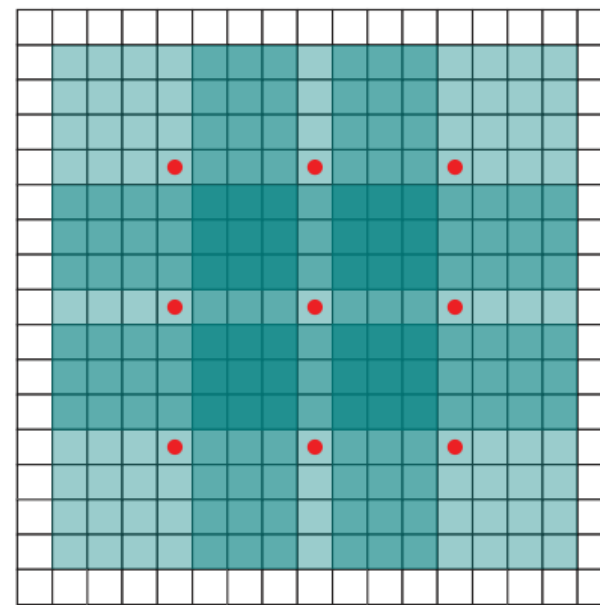
- 目的：增大感受野
- 用途：图像分割



(a)



(b)



(c)

# Deformable Conv

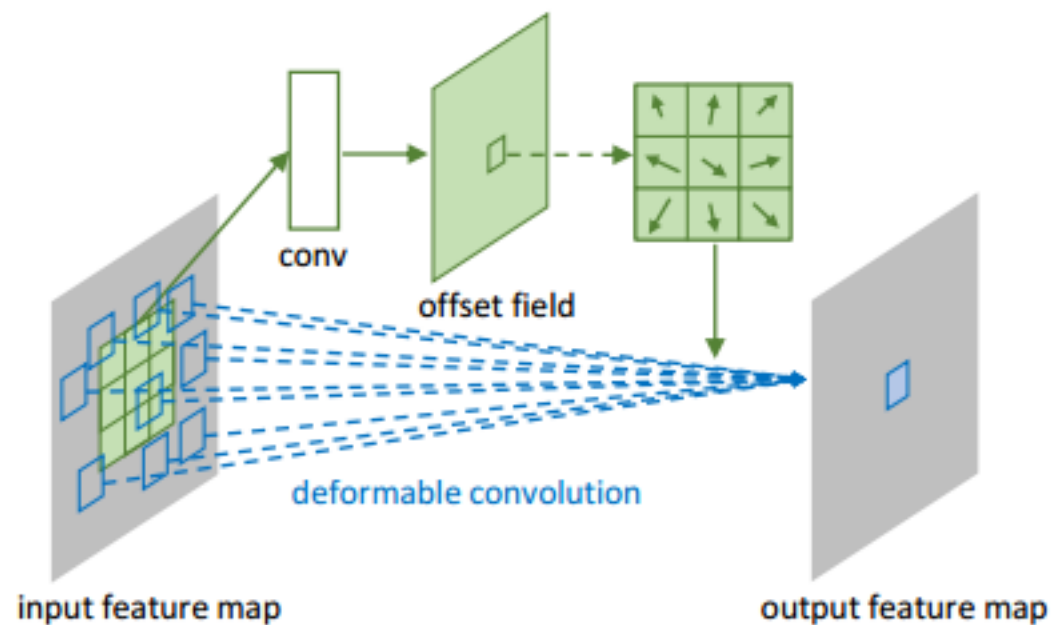
普通卷积的位置偏移

$$\mathcal{R} = \{(-1, -1), (-1, 0), \dots, (0, 1), (1, 1)\}$$

$$\mathbf{y}(\mathbf{p}_0) = \sum_{\mathbf{p}_n \in \mathcal{R}} \mathbf{w}(\mathbf{p}_n) \cdot \mathbf{x}(\mathbf{p}_0 + \mathbf{p}_n).$$

可变卷积的位置偏移

$$\mathbf{y}(\mathbf{p}_0) = \sum_{\mathbf{p}_n \in \mathcal{R}} \mathbf{w}(\mathbf{p}_n) \cdot \mathbf{x}(\mathbf{p}_0 + \mathbf{p}_n + \Delta \mathbf{p}_n).$$



# Batch Normalization

- 作用：归一化

$$\hat{x}^{(k)} = \frac{x^{(k)} - E[x^{(k)}]}{\sqrt{Var[x^{(k)}]}}$$

$$y^{(k)} = \gamma^{(k)} \hat{x}^{(k)} + \beta^{(k)}$$

# 激活函数

- Sigmoid

$$f(z) = \frac{1}{1 + e^{-z}}$$

- Tanh

$$f(z) = \frac{e^z - e^{-z}}{e^z + e^{-z}}$$

- Relu

$$f(z) = \begin{cases} 0, & z < 0 \\ z, & z \geq 0 \end{cases}$$

- Leaky Relu

$$f(z) = \begin{cases} az, & z < 0 \\ z, & z \geq 0 \end{cases}$$

- ELU

$$f(z) = \begin{cases} a(e^z - 1), & z < 0 \\ z, & z \geq 0 \end{cases}$$

# CNN基本单元

- 卷积层
- 池化层
- 激活层
- BN层
- 全联接层

# CNN基本模块

