
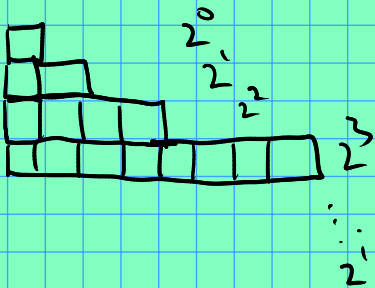


What is the cost of n consecutive push-back() calls?

 } n if strategy is "capacity++"
 then it takes $\approx n^2$ steps.

$$\left(\frac{n(n+1)}{2} = \sum_{i=1}^n i \right)$$

What about the "capacity $\times 2$ " strategy?



How many times did we have to resize in terms of n ?

$$\log_2 n$$

Now, what is $\sum_{i=1}^{\log n} 2^i$?

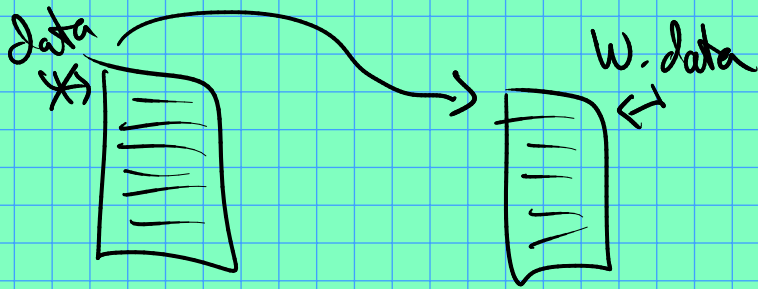
$$\left(\text{Recall, } \sum_{i=0}^k r^i = \frac{1+r^{k+1}}{1-r} \right)$$

$$\text{So } \sum_{i=1}^{\log n} 2^i = \frac{1-2^{\log n+1}}{-1} - 1$$

$$= 2^{\log n+1} - 2 \approx 2(n-1)$$

Not that different than if we magically knew the size from the beginning!

Assignment operator: the default does
this $\rightarrow \text{data} = \text{w.data};$



Creates a memory leak, ~~to~~ a double free
or seg fault...