## Masters Presentation

# Latent Variable Machine Learning Algorithms: Applications in a Nuclear Physics Experiment

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## Outline

- Introducing the Active Target Time Projection Chamber (AT-TPC)
- 2. Challenges with traditional analysis of AT-TPC data and the evangilization of Machine Learning
  - (i) Recap of central literature
  - (ii) Introducing thesis problem statements
- 3. An introduction to central Machine Learning concepts
- 4. The Auto-Encoder neural network
- 5. Results
- 6. Discussion, Summary, Conclusion and Outlook

## AT-TPC

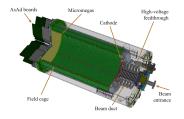


Figure: Diagram of the AT-TPC<sup>1</sup>

The AT-TPC is an experiment set up at the rare isotopes facility on the Michigan State University campus. The AT-TPC is commissioned to capture reactions with exotic nuclei.

## AT-TPC

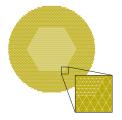


Figure: Detector pad plane of the AT-TPC<sup>2</sup>

Each triangle represents spatial discrete regions of the detector surface. The pad-plane consists of some  $10^4$  sensor pads on a circle with r=29cm

<sup>&</sup>lt;sup>2</sup>Bradt et al., "Commissioning of the Active-Target Time Projection Chamber". ▶ ◀ 🗇 ▶ ◀ 💆 ▶ ◀ 💆 ▶ 🧵 宁 🔾 🧇

## AT-TPC Data

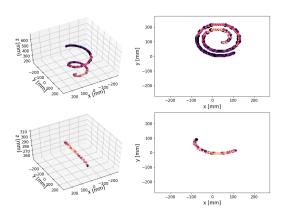
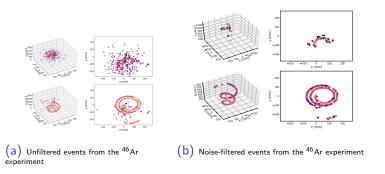


Figure: Simulated AT-TPC data in an experiment with <sup>46</sup>Ar

#### AT-TPC Data



Significant noise levels in the experiment, from unknown sources. Some 60% of the recorded events are from unidentified reactions.

## Challenges with the AT-TPC

- I Expensive integration for each event a fit is computed
- II Assumptions of the integration technique:
  - (i) Each event is fit against parameters of the event of interest
  - (ii) The integration is sensitive to Noise and Breaks in the tracks

The amount of data is also significant: the experiment generates on the order of  $10^5$  events per hour running.

#### Idea

Solve the problem by training deep neural networks, a very flexible algorithm from the Machine Learning community.

## Previous Work

- ► Work on applying ML to this data started with a supervised learning project by Kuchera et al.<sup>3</sup>.
- ► The authors explored a *supervised classification* problem of identifying reactions when ground-truth labels available.
- By fine tuning pre-trained networks the authors achieve very impressive performance.

One of the open questions is then, can we segment the events based on reactions without the ground truth labels?

## ML background

Machine Learning (ML) is an amorphous set of algorithms for pattern recognition and function approximation. Bred as a mix between computer science and statistical learning theory, it includes algorithms like:

- I Linear Regression
- II Logistic Regression
- III Random Forest Classifiers
- IV Genetic Algorithms

And many others...

# Deep Learning

A special sub-branch of Machine Learning is the field of Deep Learning, or more broadly: Differentiable Programming The premise of Deep Learning is to formulate an approximation to

some unknown function  $f(\mathbf{x})$  with a model,  $\hat{f}$ , that maintains some set of parameters  $\{\theta\}$ .

Some examples of the unknown function,  $f(\mathbf{x})$ , we would want to approximate are:

- (a) a Hamiltonian of a system
- (b) a function which determines the thermodynamic phase of a system
- (c) a function which itentifies dog-species from a picture

# Deep Learning

Then then model can be tuned with gradient methods, the simplest of which is a steepest descent update:

$$\theta_i \leftarrow \theta_i - \eta \frac{\partial \mathcal{C}(\mathbf{x}, f, \hat{f})}{\partial \theta_i},$$
 (1)

moderated by a learning rate  $\eta$  to ensure that the steps are small enough.

The functional  $\mathcal C$  is the cost function for the problem and is commonly a variation of either, the Mean Squared Error:

$$C(\mathbf{x}, f, \hat{f}) = \sum (f(\mathbf{x})_i - \hat{f}(\mathbf{x})_i)^2,$$
 (2)

or the Cross Entropy

$$C(\mathbf{x}, f, \hat{f}) = -\sum f(\mathbf{x})_i \log \hat{f}(\mathbf{x})_i.$$
 (3)



## Deep Learning: Neural Networks

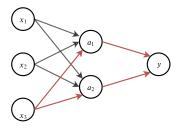


Figure: A neural network with three input nodes, two hidden nodes, and one output node

Each of the *activations* **a** are computed as a matrix product fed through a nonlinear activation *activation function* g

$$\boldsymbol{a}^{[1]} = g(\boldsymbol{x}\boldsymbol{\theta}^{[1]})_D \tag{4}$$

#### Autoencoders

- Recall that we want to separate classes of reaction products
- Additionally we assume that we have access to very little or no ground truth labelled data

#### Idea

Learn the distribution over the events through two nonlinear maps which compress and inflate a representation of the events.

## Central Hypothesis

If we can compress a representation of an event reconstruct it - the compression must be informative of the type of event.

#### Autoencoders

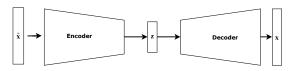


Figure: Autoencoder neural network schematic

An autoencoder is defined by an encoder/decoder pair of neural networks. We construct these such that

$$\dim(\hat{\mathbf{x}}) \gg \dim(\mathbf{z}),\tag{5}$$

and with the optimization objective

$$\mathcal{O} = \arg \min ||\hat{\mathbf{x}} - \operatorname{Decoder}(\operatorname{Encoder}(\hat{\mathbf{x}}))||_2^2.$$
 (6)

# **Experiment**

We chose to represent the data as 2D projections, neglecting the z-axis.