

Apfel



Baum



Apfelbaum

$$\begin{bmatrix} 0.3 & 0.1 & 0.7 & 1.3 & 0.2 \end{bmatrix} u + \begin{bmatrix} 0.5 & 0.9 & 0.1 & 0.4 & 1.2 \end{bmatrix} v = \begin{bmatrix} 0.2 & 1.0 & 0.6 & 0.7 & 1.1 \end{bmatrix} w$$

$$f\left(\begin{bmatrix} 0.3 & 0.1 & 0.7 & 1.3 & 0.2 \end{bmatrix} u, \begin{bmatrix} 0.5 & 0.9 & 0.1 & 0.4 & 1.2 \end{bmatrix} v\right) = \begin{bmatrix} ?? & ?? & ?? & ?? & ?? \end{bmatrix} p$$

What f makes p most similar to w ?

1 $p = v$
head¹

Q1	Q2	Q3
29	174	884

2 $p = u$
modifier¹

144	808	≥1K
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3 $p = u \odot v$
component-wise multiplication¹

≥1K	≥1K	≥1K
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4 $p = (u \cdot v)v + (\lambda - 1)(u \cdot v)u$
dilation¹

30	181	926
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5 $p = 0.5u + 0.5v$
vector addition¹

24	120	553
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6 $p = \lambda u + \beta v$
weighted vector addition¹

20	105	503
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7 $p = \mathcal{U}v$
lexical function^{2,3}

7	51	526.5
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8 $p = \mathcal{M}_1 u + \mathcal{M}_2 v$
full additive^{4,3}

2	6	27
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9 $p = g(W[u; v])$
matrix⁵

2	7	29
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10 $p = g(W[vu; \mathcal{U}v])$
full lexical^{6,3}

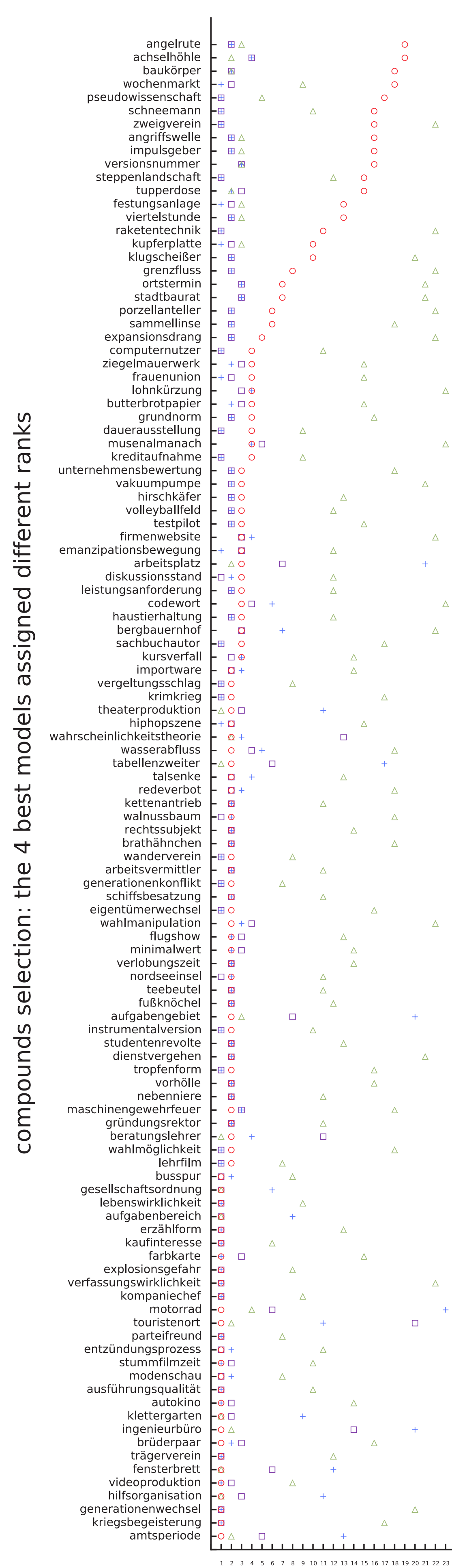
4	26	334
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NEW! 11 $p = u \odot u' + v \odot v''$
additive mask

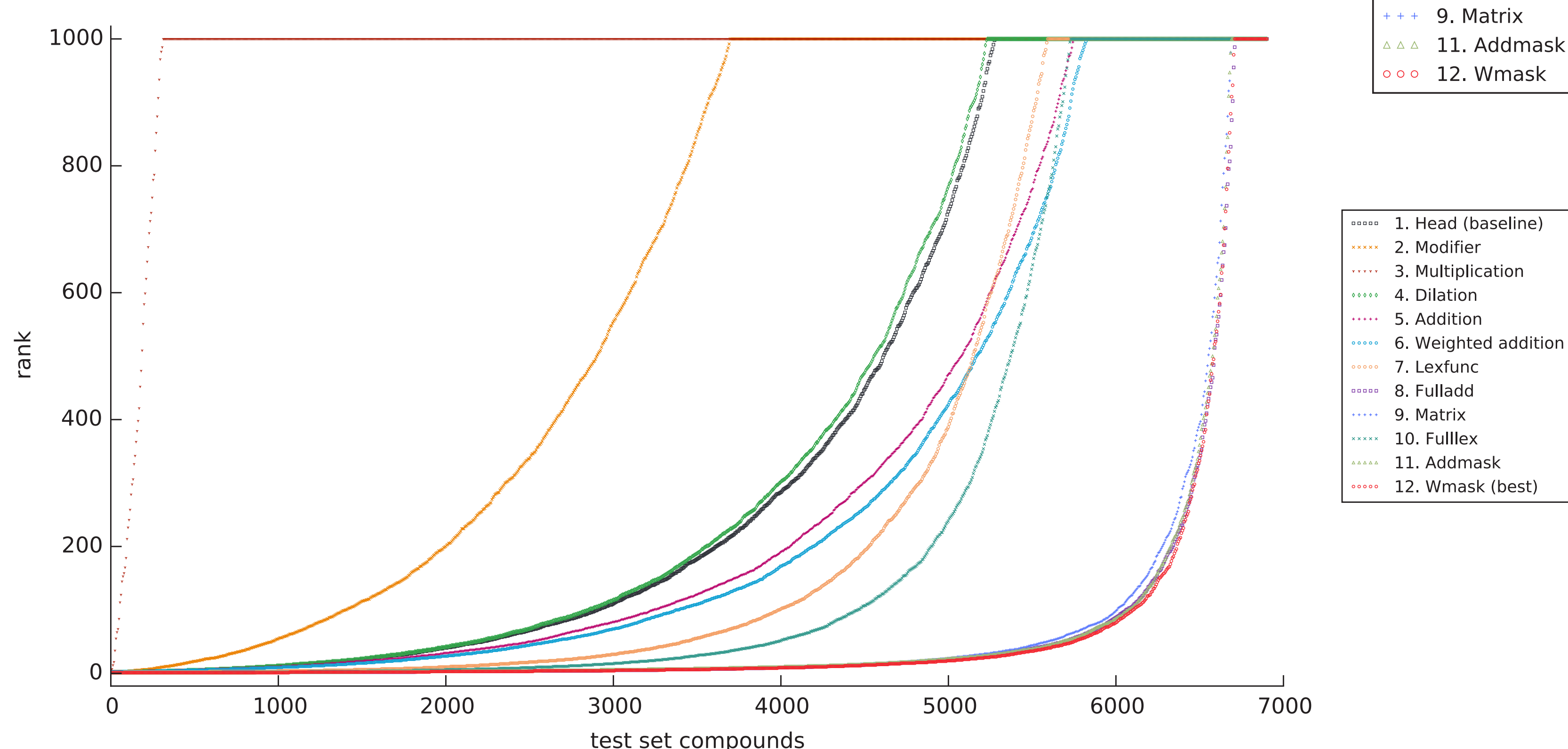
3	7	27
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NEW! 12 $p = g(W[u \odot u'; v \odot v''])$
Wmask

2	6	24
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where $u, v, p \in \mathbb{R}^n$; $\lambda, \beta \in \mathbb{R}$; $\mathcal{U}, \mathcal{V}, \mathcal{M}_1, \mathcal{M}_2 \in \mathbb{R}^{n \times n}$; $W \in \mathbb{R}^{n \times 2n}$; $g = \tanh$



References

- Jeff Mitchell and Mirella Lapatta. 2010. Composition in distributional models of semantics. *Cognitive Science*, 34(8):1388-1429.
- Marco Baroni and Roberto Zamparelli. 2010. Nouns are vectors, adjectives are matrices: Representing adjective-noun constructions in semantic space. In *Proceedings of EMNLP 2010*.
- G. Dinu, T.P. Nghia and M. Baroni. 2013. General estimation and evaluation of compositional distributional semantic models. In *Proceedings of ACL 2010 CVSC Workshop*.
- F. M. Zanzotto, I. Korkontzelos, F. Falluchi and S. Manandhar. 2010. Estimating Linear Models for Compositional Distributional Semantics. In *Proceedings of ICCL 2010*.
- R. Socher, C.D. Manning, A.Y. Ng. 2010. Learning continuous phrase representations and syntactic parsing with recursive neural networks. In *Proceedings of NIPS-2010 DL Workshop*.
- Richard Socher, Brody Huval, C.D. Manning and Andrew Ng. 2012. Semantic compositionality through recursive matrix-vector spaces. In *Proceedings of EMNLP-CoNLL 2012*.

Task

Given a dataset of compounds together with their immediate constituents, and the corresponding distributed representations for each of the individual words, learn a *composition function* f that combines the representations of the constituents into the representation of the compound such that the *composite representation* (p) is similar to its corpus-estimated *observed representation* (w).

Results

12 composition models were evaluated on the task of building compositional representations for German compounds. The best performing model is the newly introduced *Wmask* model (model 12).

Dataset

34497 compounds from GermaNet 9.0 German compounds list; frequency filtered: modifier, head and compound with min. frequency 500 in the support corpus.

Word Representations

Trained 50, 100, 200 and 300 word representations using GloVe (Pennington et. al, 2014), a 10B token raw-text corpus extracted from the DECOW14AX corpus (Schäfer, 2015) and 1M words vocabulary.

The *mask* models

When a word w enters a composition process, there is some variation in meaning depending on whether it is the first or the second element of the composition:

company car (road vehicle)

\updownarrow
car factory (artefact)

The masks of a word w represented by $u \in \mathbb{R}^n$ are two vectors u' and $u'' \in \mathbb{R}^n$, initialized with a vector of all ones and estimated with the help of the training data.

Modifier masks

Head masks

u'_{car}	$\begin{bmatrix} 0.3 & 0.1 & 0.6 & 0.2 & 1.1 \\ 0.5 & 0.8 & 0.4 & 0.3 & 0.1 \\ 0.0 & 0.1 & 0.1 & 0.2 & 0.3 \end{bmatrix}$	$\begin{bmatrix} 0.5 & 1.0 & 0.9 & 0.7 & 0.1 \\ 0.2 & 0.0 & 0.3 & 0.6 & 1.4 \\ 0.9 & 1.3 & 0.6 & 0.3 & 1.1 \end{bmatrix}$	u''_{car}
$v'_{factory}$	$\begin{bmatrix} 0.2 & 1.0 & 0.5 & 0.7 & 0.8 \\ 0.4 & 0.0 & 0.7 & 0.1 & 0.1 \end{bmatrix}$	$\begin{bmatrix} 0.1 & 0.8 & 0.9 & 0.5 & 0.3 \\ 2.1 & 0.2 & 0.4 & 0.9 & 0.7 \end{bmatrix}$	$v''_{factory}$

Composition with the *mask* models

The composite representation of a compound like *car factory* is obtained by combining the masked representations of it's modifier and head:

$$u_{car} \odot u'_{car} \text{ and } v_{factory} \odot v''_{factory}$$

The masked representation is the result of component-wise multiplication between the initial vector of the word and the mask corresponding to its current position. The masked representations are then combined via component-wise addition (model 11) or via a global matrix $g \in \mathbb{R}^{n \times 2n}$ and a nonlinearity g (model 12).

