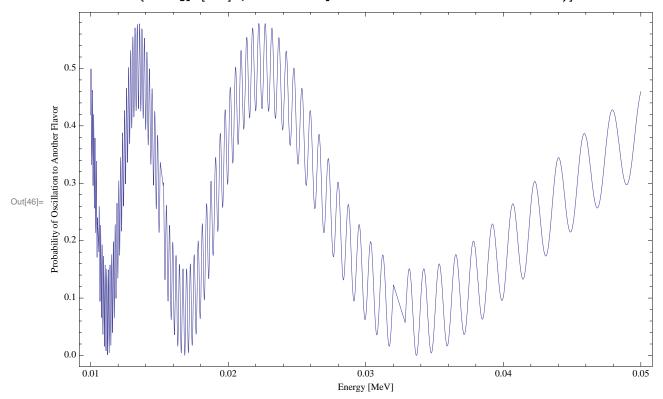
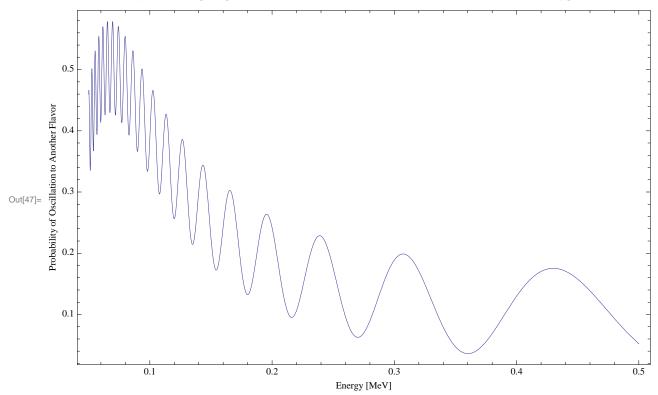
```
In[31]:= (* Masses in eV, Energies in MeV and distances in km *)
                         \delta = 0
                        \theta12 = ArcTan[Sqrt[.87]] / 2
                         \theta23 = ArcSin[Sqrt[.92]] / 2
                        \theta13 = ArcSin[Sqrt[.15]] / 2
Out[31]= 0
Out[32]= 0.375305
Out[33] = 0.64202
Out[34] = 0.19885
 ln[35] = c12 = Cos[\theta 12]; c13 = Cos[\theta 13]; c23 = Cos[\theta 23];
                          s12 = Sin[\theta 12]; s13 = Sin[\theta 13]; s23 = Sin[\theta 23];
 ln[37] := \Delta m21 = 7.59 * 10^{-5};
                         \Delta m31 = 2.43 * 10^{-3};
                        \Delta m32 = 2.43 * 10^{-3};
 ln[40]:= c12 = Cos[\theta12]; c13 = Cos[\theta13]; c23 = Cos[\theta23];
                         s12 = Sin[\theta 12]; s13 = Sin[\theta 13]; s23 = Sin[\theta 23];
                                                                                            c12 c13
                                                                                                                                                                                                                                 s12 c13
                                                                                                                                                                                                                                                                                                                      s13 \exp[-I \delta]
 ln[42] = U = -s12 c23 - c12 s23 s13 Exp[-I \delta] c12 c23 - s12 s23 s13 Exp[-I \delta]
                                                                                                                                                                                                                                                                                                                                   s23 c13
                                         c23 c13
                        U // N // MatrixForm
Out[43]//MatrixForm=
                               0.912062 0.359333 0.197542
                                -0.403628 0.701782 0.587014
                            0.0723026 -0.615127 0.785106
 In[44]:= ConjugateTranspose[U].U // N // MatrixForm
Out[44]//MatrixForm=
                                                                                                    4.16334 \times 10^{-17} -2.77556 \times 10^{-17}
                                4.16334 \times 10^{-17} 1.
                             -2.77556 \times 10^{-17} 0.
 \ln[45] = P[L_, E0_] := -4 \text{ Sum} \left[ U[[1, 2]] U[[\beta, 2]] U[[1, 1]] U[[\beta, 1]] \sin \left[ 5067 \frac{\Delta m 21 L}{4 E0} \right] ^2 + \frac{1}{2} \left[ \frac{1}{2}
                                          U[[1, 3]] U[[\beta, 3]] U[[1, 2]] U[[\beta, 2]] Sin \left[5067 \frac{\Delta m32 L}{4 E0}\right]^2, \{\beta, 2, 3\}
```

 $\ln[46]:=$ Plot[P[1.1, E0], {E0, .01, .05}, PlotRange \rightarrow All, Axes \rightarrow False, Frame \rightarrow True, FrameLabel → {"Energy [MeV]", "Probability of Oscillation to Another Flavor"}]



 $\ln[47]:=$ Plot[P[1.1, E0], {E0, .05, .5}, PlotRange \rightarrow All, Axes \rightarrow False, Frame \rightarrow True, $\label{lambda} \mbox{\tt FrameLabel} \rightarrow \mbox{\tt "Energy [MeV]", "Probability of Oscillation to Another Flavor"}]$



$$\begin{split} & |_{n[48]:=} & \text{Plot}[\text{P[1.1, E0], } \{\text{E0, .5, 10}\}, \text{ PlotRange} \rightarrow \text{All, Axes} \rightarrow \text{False, Frame} \rightarrow \text{True,} \\ & \text{FrameLabel} \rightarrow \{\text{"Energy [MeV]", "Probability of Oscillation to Another Flavor"}\}] \end{split}$$

