

Lab 18 Report: Measure the in rush current and operation current of a board

Introduction:

In this lab, we measured the steady state current of a circuit's operation as well as the inrush current. To measure power rail current, we place a small sense resistor in series with the power rail, creating a proportional voltage drop. By measuring this voltage difference, the current can be calculated, allowing for analysis of both steady-state and transient currents in the circuit

Setup:

To estimate the value of the sense resistor, I referenced the expected steady-state current of the circuit, aiming for a value that ensures that circuit operation won't be significantly affected, but still produce a measurable voltage drop. To do this, I used my best judgement based off of the circuit. The circuit has a 555 timer driving an LED through a 100Ω resistor. Estimating a high output voltage of $\sim 3.5\text{ V}$ from the 555 timer, as well as a forward voltage of $\sim 2.7\text{ V}$ from the LED, I calculated

$$I = V/R = (3.5\text{ V} - 2.7\text{ V}) / 100\Omega = 8\text{mA} \text{ (expectation for steady state current)}$$

Then, I aimed for a small, but measurable voltage drop of $\sim 20\text{mV}$ during steady state operation.

$$R = V/I = 0.02/0.01 = 2\Omega.$$

Since I did not have a 2Ω resistor in my kit, I used 1.5Ω for my sense resistor, placing it on the power rail to ensure all current flowing into the IC passes through it.

Step 1: Find the steady state current

First, with the 1.5Ω sense resistor placed in series with the power rail, I used two scope probes to measure both the high and low sides of the resistor.

-The oscilloscope showcased a 10mV drop over the sense resistor during the circuits steady operation

$$- \quad I = V/R = 0.01\text{ V} / 1.5\Omega = \sim 6.7\text{mA}$$

This means that at steady state, 6.7mA is flowing through the sense resistor. This matches our expected value of the current draw of the LED, in which we estimated 8mA .

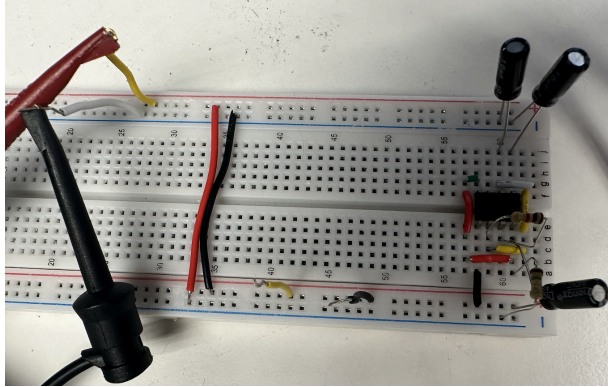


Figure 1: Shows the circuit setup with 555 timer and sense resistor

Step 2: Inrush current using three different capacitance values

- Across the sense resistor is a decoupling capacitor which causes an initial inrush current when the circuit is powered on.
- On the oscilloscope, I triggered the rising edge voltage of the sense resistor, and then used the math function to find the voltage difference.
- I then performed this measurement using three different values for the decoupling capacitor;
 - 10 μ F, 100 μ F, 1 μ F

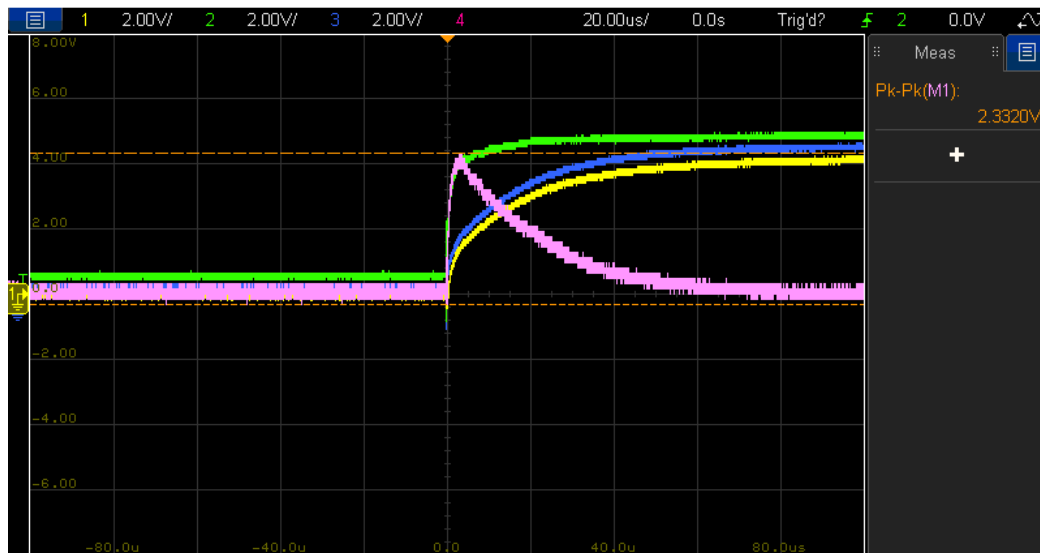


Figure 2: Shows the voltage difference across the sense resistor (pink waveform) at the moment the power is turned on (With 10 μ F decoupling capacitor)

- From this screenshot, we see that the circuit exhibits a significant inrush current. With $\sim 2.2V$ across the resistor, I estimate $I = V/R = 2.2 / 1.5 = \sim 1.47 A$ of inrush current while using a 10 μ F decoupling capacitor

- This makes sense, because when power is initially supplied, the capacitor starts charging
 - Because an uncharged capacitor acts as a short circuit, a large current rushes into the IC ($\sim 1.47\text{ A}$).
 - This current (inrush) eventually levels off as the capacitor is charged, and returns back to the steady state current (6.7mA)

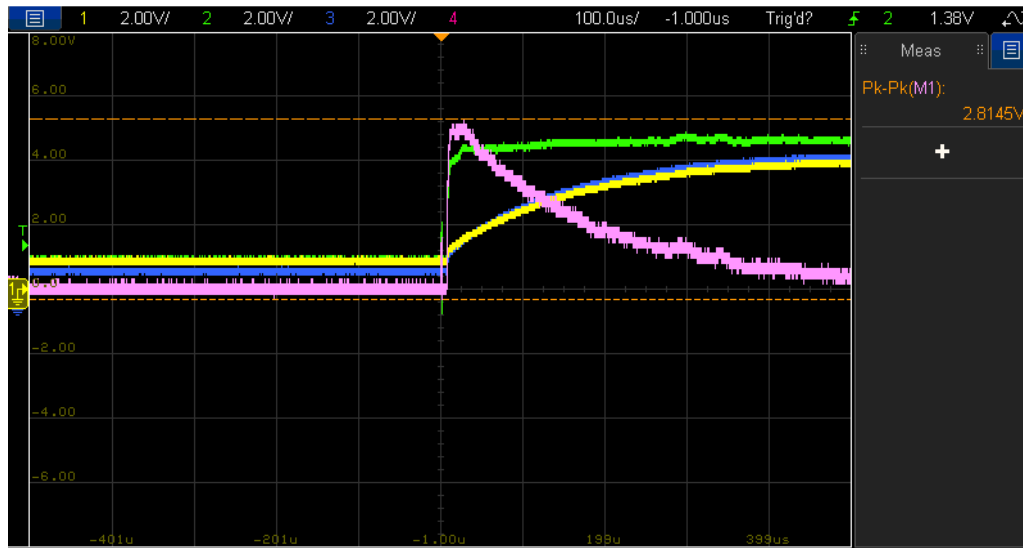


Figure 3: Shows the voltage difference across the sense resistor (pink waveform) at the moment the power is turned on (With $100\mu\text{F}$ decoupling capacitor)

- From this screenshot, we see that with a much higher capacitance, our inrush current is even larger.
- This time, we see $I = V/R = 2.7\text{ V} / 1.5 = \sim 1.8\text{ A}$ of inrush current
- Additionally, a higher capacitance exhibits a longer dropoff– the $100\mu\text{F}$ decoupling capacitor causes it to take over $400\mu\text{s}$ to level off back to steady state current, compared to the $10\mu\text{F}$ capacitor which levels off to steady state current in only $80\mu\text{s}$. (**5x less time**)

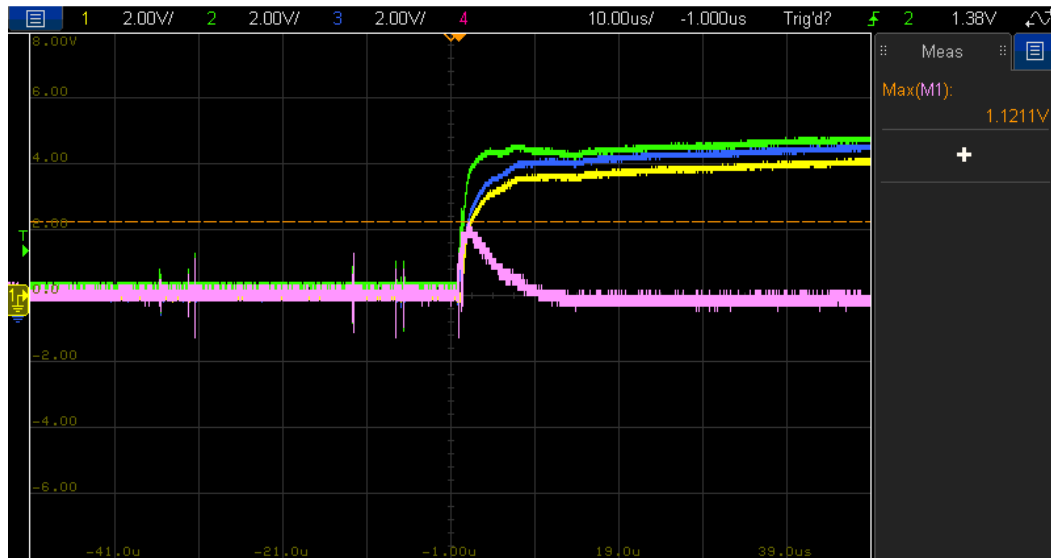


Figure 4: Shows the voltage difference across the sense resistor (pink waveform) at the moment the power is turned on (With $1\mu\text{F}$ decoupling capacitor)

- As seen from this screenshot, a $1\mu\text{F}$ decoupling capacitor causes even less inrush current. In this case, we see $I = V/R = 1\text{ V} / 1.5 = \sim 0.67\text{ A}$ of inrush current
- In this case, it takes less than $20\mu\text{s}$ to return to steady state current

Conclusion/Takeaways:

- Inrush current = initial voltage spike on sense resistor upon power-on.
- A larger capacitance value results in a larger inrush current
- The duration of the inrush current also increases with capacitance
 - This confirms the expected—that the inrush current is directly proportional to the decoupling capacitor following the formula $I = C \frac{dV}{dt}$
- A high inrush current can be a potentially dangerous surge for a circuit
 - Can cause voltage drops, trip fuses, or ruin a power supply
 - A large decoupling capacitor should be used CAUTIOUSLY

Overall, I learned the importance of measuring transient currents in real world circuit design. I now better understand how capacitance value selection affects power rail stability, how to find a value for a sense resistor, and how to measure the current in the power rail to find both the steady state current and inrush current of a circuit. Moving forward, I am excited to potentially learn some techniques for mitigating this inrush current.