

2-8 Probabilistic Analysis

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Compaction (Problem 10.3 – 4)

Keep all elements of a doubly linked list compact in storage, using the first m index locations in the multiple-array representation.

ALLOCATE-OBJECT FREE-OBJECT

Using the array implementation of a stack.

COMPACTIFY-LIST (Problem 10.3 – 5)

COMPACTIFY-LIST(L, F)

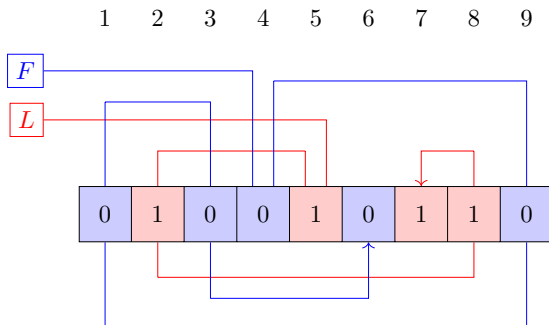
L : doubly linked list, $|L| = n$

F : doubly linked free list, $|F| = m - n$

$\Theta(n)$

1	2	3	4	5	6	7	8	9
1	1	1	1	0	0	0	0	0

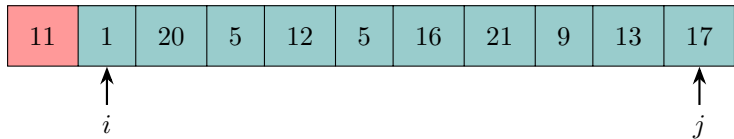
1	2	3	4	5	6	7	8	9
1	1	1	1	0	0	0	0	0



Swap (0, 1) pairs

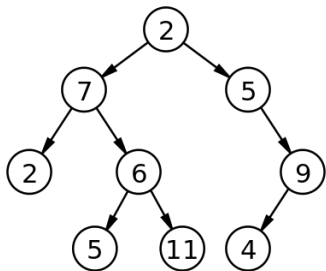
$\Theta(n)$

HOARE-PARTITION



Recursive Binary Tree Traversal (Problem 10.4 – 2)

$O(n)$



```
procedure RECURSIVE-DFS(t)
```

```
  print t.key
```

```
  if t.left  $\neq$  NIL then
```

```
    RECURSIVE-DFS(t.left)
```

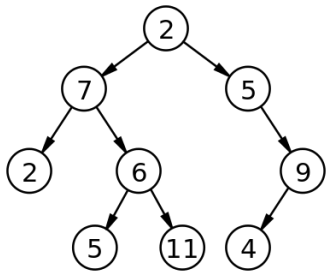
```
  if t.right  $\neq$  NIL then
```

```
    RECURSIVE-DFS(t.right)
```

```
RECURSIVE-DFS(T.root)
```

Non-recursive Binary Tree Traversal (Problem 10.4 – 2)

$O(n)$



```
procedure ITERATIVE-DFS( $t$ )  
     $S.PUSH(t)$                                  $\triangleright S$  : stack
```

```
while  $S \neq \emptyset$  do  
     $v \leftarrow S.POP()$   
    print  $v.key$ 
```

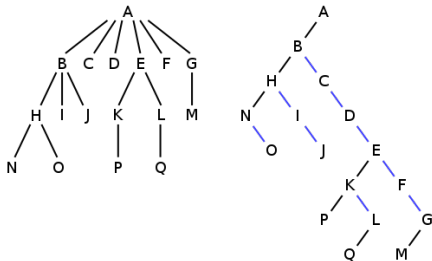
```
if  $v.right \neq NIL$  then  
     $S.PUSH(v.right)$ 
```

```
if  $v.left \neq NIL$  then  
     $S.PUSH(v.left)$ 
```

```
ITERATIVE-DFS( $T.root$ )
```

“LCRS” Tree Traversal (Problem 10.4 – 2)

$O(n)$



```

procedure          RECURSIVE-
DFS(t)

```

```

    print t.key

```

```

if t.lc ≠ NIL then
    RECURSIVE-DFS(t.lc)

```

```

if t.rs ≠ NIL then
    RECURSIVE-DFS(t.rs)

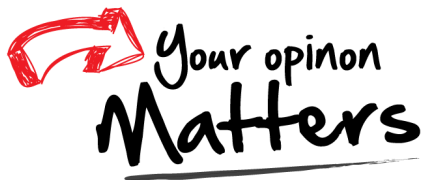
```

```

RECURSIVE-DFS(T.root)

```

Thank
You!



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