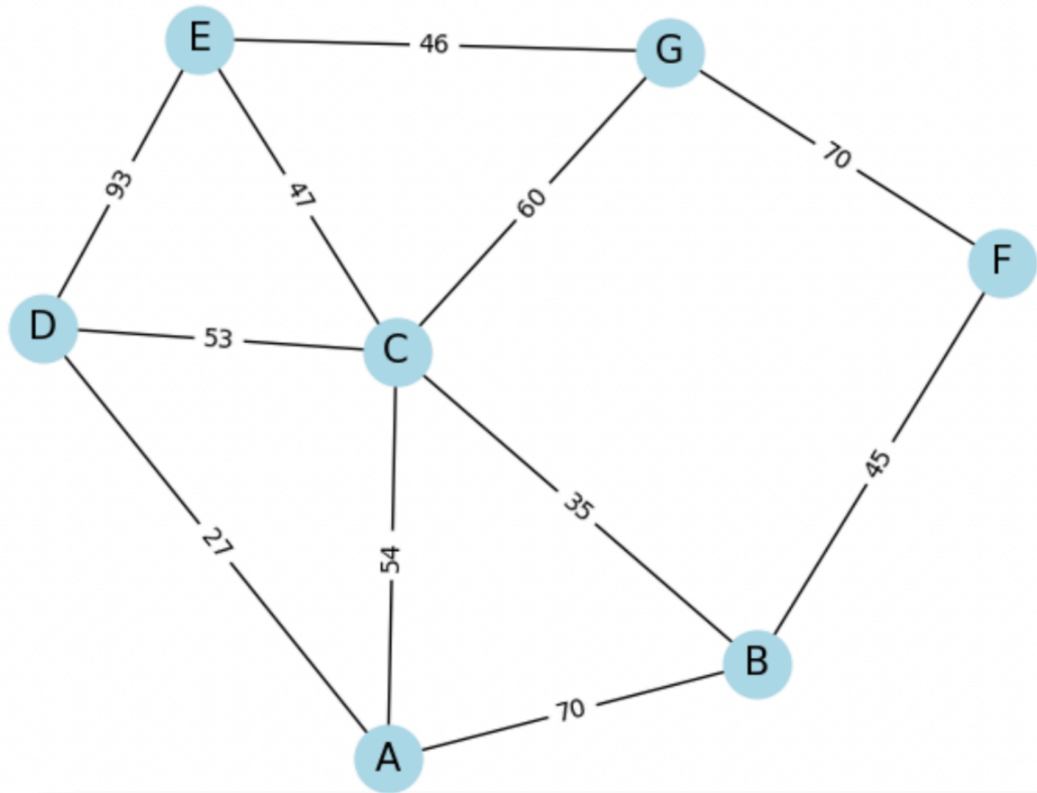


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This ICA is focused on searching on a Graph.

- Use the Dijkstra and A* Algorithm to find the best path from A (DC) to G (Richmond).
 - show list visited and unvisited vertices



Node-City	Heuristics (H(n))
A - Washington DC	97
B - Culpeper, VA	71
C - Fredericksburg, VA	46
D - Waldorf, MD	80
E - Tappahannock, VA	41
F - Charlottesville, VA	66
G - Richmond	0

Dijkstra's

Current Node: initialization

unvisited

{A, B, C, D, E, F, G}

visited

{ }

A: 0

F: ∞

B: ∞

G: ∞

C: ∞

D: ∞

E: ∞

A*

Current node: initialization

unvisited: {A, B, C, D, E, F, G}

A G

B

C

D

E

F

visited: { }

Dijkstra's Algorithm

Current node: A

A: 0

B: $0 + 70 = 70$

C: $0 + 54 = 54$

D: $0 + 27 = 27$ *

E: ∞

F: ∞

G: ∞

unvisited { B, C, D, E, F, G }
visited { A }

Current node: D

A: 0

B: 70

C: 54 (no update needed) *

D: 27

E: $27 + 93 = 120$

F: ∞

G: ∞

unvisited { B, C, E, F, G }
visited { A, D }

Current node: C

A: 0

B: 70 (no updates needed) *

C: 54

D: 27

E: $54 + 47 = 101$

F: ∞

G: $54 + 60 = 114$

unvisited { B, E, F, G }
visited { A, D, C }

Current node: B

A: 0

B: 70

C: 54 (no updates needed)

D: 27

E: 101 *

F: $70 + 45 = 115$

G: 114

visited { A, D, C, B }
unvisited { E, F, G }

Current node: E

A: 0

B: 70

C: 54

D: 27

E: 101

F: 115

G: 114 (no updates) *

unvisited { F, G }
visited { A, D, C, B, E }

Current node: G

A: 0

B: 70

C: 54

D: 27

E: 101

F: 115 (no updates) *

G: 114

unvisited { F }
visited { A, D, C, B, E, G }

Current node F

Best Path from A (DL) to G (Richmond) is

$\{A, C, G\}$

which has a total cost of 114

A 0
B 70
C 54
D 27
E 101
F 115
G 114

Visited
 $\{A, D, C, B, E, G, F\}$
unvisited
 $\{ \}$

A* Algorithm:

Current node A

$$g(A) = 0, h(A) = 97, f(A) = 97$$

Neighbors of A

- B $g(B) = 70, h(B) = 71, f(B) = 70 + 71 = 141$
- C $g(C) = 54, h(C) = 46, f(C) = 100$
- D $g(D) = 27, h(D) = 80, f(D) = 107$

visited $\{A\}$

unvisited

$\{B, C, D, E, F, G\}$

Current Node of C

- B $f(B) = 141$ (no update)
- E $g(E) = 54 + 47 = 101, h(E) = 41, f(E) = 101 + 41 = 142$
- G $g(G) = 54 + 60 = 114, h(G) = 0, f(G) = 114$

visited $\{A, C\}$
unvisited
 $\{B, D, E, F, G\}$

Current Node: G

- G, $f(G) = 114$

Target Reached!

visited $\{A, C, G\}$ unvisited $\{B, D, E, F\}$

A* Result:

The shortest path from A to G is

$\{A, C, G\}$ w/ total cost of 114.