DRSA Relatório

CA-DRSA

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DRSA CA-DRSA DETI Universidade de Aveiro

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Chapter 1

Introduction

In this report, we will show how the DRSA project was built, and the reasons for certain choices along the making of the project. We chose to build the projects in C++ and Python.

1.1 Pseudo-Random Generator

In this function we had a lot of trouble with making the C++ and Python codes generate the same output, many libraries have different implementations of the same algorithms, so we needed to test if the results of the two Hash/cryptographic functions were the same. Also, as many functions with the same purpose in the different languages required different input types, so, the addition of some functions and alterations to variables along the code were needed. this is the case of the ".Encode()", ".Hex()" and "decode()" functions in Python and the "bytes_to_Hex()" function in C++

1.1.1 PBKDF2

For the generation of the seed, we used the PBKDF2 function, we chose a length of 256 and 1000 iterations since that was recommended by the Cryptodome Website.

```
string PBKDF2(string password, string salt) {
   password=bytes_to_hex(password);
   salt=bytes_to_hex(salt);
   int keylen= 256;
   unsigned char key[keylen];
   PKCS5_PBKDF2_HMAC_SHA1(password.c_str(), password.length(), (unsigned char *)salt.c_str(), salt.length(), 1
   stringstream ss;
   for(int i = 0; i < keylen; ++i)
        ss << hex << setw(2) << setfill('0') << (int)key[i];
   string s =ss.str();
   return s;
}</pre>
```

```
def random_gen(pwd,salt):
    kdf = PBKDF2HMAC(
        algorithm=hashes.SHA1(),
        length=256,
        salt=salt.encode("utf-8"),
        iterations=1000,
    )
    key = kdf.derive(pwd.encode("utf-8"))
    return key.hex()
```

1.1.2 Cryptographic algorithm

We used the Stream Cipher "ChaCha20" as it was the first we could implement in both programming languages and had the same result. To achieve this we needed to use a static hard-coded nonce, or the output would differ between languages. As a key, we tried to have a static one but encrypting an already encrypted text would return the original text resulting in an infinite loop, we instead chose to use the first 32 bytes of the data to be encrypted as a key.

```
std::string encrypt_chacha20(const atd::string &plaintext) {
    std::string key = plaintext.substr(0,32);
    if (plaintext.size() 32) {
        throw std::invalid_argument("Key must be 32 bytes long");
    }
    std::vector<unsigned char> nonce = {1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16};
    EVP_CIPHER_CTX *ctx;
    std::string ciphertext(plaintext.size(), 0);
    int len;
    ctx = EVP_CIPHER_CTX_new();
    EVP_EncryptInit_ex(ctx, EVP_chacha20(), nullptr, reinterpret_cast<const unsigned char*>(key.c_str()), nonce.data());
    EVP_EncryptUpdate(ctx, reinterpret_cast<unsigned char*>(&ciphertext[0]), &len, reinterpret_cast<const unsigned char*>(plaintext.c_str int total_len = len;
    EVP_EncryptFinal_ex(ctx, reinterpret_cast<unsigned char*>(&ciphertext[0]) + len, &len);
    total_len += len;
    EVP_CIPHER_CTX_free(ctx);
    // The size of ciphertext should already be equal to plaintext size, so no resize is needed return ciphertext;
}
```

```
def encrypt(data):
    nonce = bytes([1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16])
    algorithm = algorithms.ChaCha20(data[:32], nonce)
    cipher = Cipher(algorithm, mode=None)
    encryptor = cipher.encryptor()
    return encryptor.update(data)
```

We used this algorithm until the result produced would have the confusion String in it.

```
def getResult(password, confString):
    result = b"" # Initialize as bytes
    password_bytes = password.encode()
    result = encrypt(password_bytes) # Convert password to bytes
    while confString not in result.hex():
        result = encrypt(result)
    return result.hex()
```

```
string getResult(string password, string confString) {
   string result="";
   result=encrypt_chacha20(password);
   confString=bytes_to_hex(confString);
   std::string comp_result=bytes_to_hex(result);

   while (comp_result.find(confString) == string::npos) {
      result=encrypt_chacha20(result);
      comp_result = bytes_to_hex(result);
   }

   return bytes_to_hex(result);
}
```

1.1.3 Random Generation Algorithm

We start by generating a seed using PBKDF2 and, for each iteration, we calculate the ciphertext of that seed then calculate a new seed, and so on.

```
string randgen(string password, string confString, int iterations){
    string final = "", result = "";
    std::string seed=PBKDF2(password,confString);

    for (int k = 0; k < iterations; k++) {
        result = getResult(seed,confString);

        final= result;
        seed= getResult(result,confString);
    }
    return final;
}</pre>
```

1.2 RSA Generation

As this part was only required to be made in one language we chose Python for its ease of use and we were already familiar with it. As a strategy, we used the key stream to generate two prime numbers to be used in our RSA key. To achieve this we check if the number is divisible by two (if it is not a prime), and if is not, check if it is a prime using Miller Rabin test. We keep adding two until we get two prime numbers.

```
def generate_prime_from_bytes(random_bytes):
    candidate_prime = 0
    for c in random_bytes:
       candidate_prime = (candidate_prime << 8) | ord(c)</pre>
    if candidate_prime % 2 == 0:
        candidate_prime += 1
    while not number.isPrime(candidate_prime):
        candidate_prime += 2
    return candidate_prime
def keygen(keystream):
    leng=int(len(keystream))
    leng= leng//2
    key1= keystream[:leng]
    key2= keystream[leng:]
    p= generate_prime_from_bytes(key1)
    q= generate_prime_from_bytes(key2)
    return p,q
```

1.2.1 PEM

The first step in this stage is to calculate the modulus, define the exponent, and calculate the private exponent (d), we just need to pass our values to a function make an object from the cryptodome library, and input the format, serialization and name of the files were the key will be saved.

```
def generate_pem_files(p, q, private_pem_filename="private.pem", public_pem_filename="public.pem"):
    n = p * q
    e = pow(2,16) + 1
    phi = (p - 1) * (q - 1)
    d = pow(e, -1, phi)
    private_numbers = rsa.RSAPrivateNumbers(
        p=p, q=q, d=d, dmpl=dk(p-1), dmql=dk(q-1), iqmp=rsa.rsa_crt_iqmp(p, q),
    public_numbers=rsa.RSAPublicNumbers(e=e, n=n)
    integer_bytes = e.to_bytes((e.bit_length() + 7) // 8, byteorder='big')
    encoded_bytes = base64.b64encode(integer_bytes)
    encoded_bytes = base64.b64encode(integer_bytes)
    encoded_string = encoded_bytes.decode('utf-8')
    private_key = private_numbers.private_key(default_backend())

private_pem_data = private_key.private_bytes(
    encoding=serialization.Encoding.PEM,
    format=serialization.FrivateFormat.TraditionalOpenSSL,
    encryption_algorithm=serialization.NoEncryption()
)

with open(private_pem_filename, 'wb') as pem_file:
    pem_file.write(private_pem_data)

public_pem_data = public_key.public_bytes(
    encoding=serialization.Broading.PEM,
    format=serialization.Encoding.PEM,
    format=serialization.Encoding.PEM,
    format=serialization.Encoding.PEM,
    format=serialization.Delacionmat.SubjectPublicKeyInfo
}

### Note the public PEM data to a file
```

1.3 Results

As requested we made applications for making graphs relating the size of the confusion string and the number of iterations. These were the results running the randgen app in python:



