

### Calculate $\omega_{rx}$

$$D = \sqrt{L^2 + W^2}$$

$$R = 1/2D$$

$$\cos(\Theta) = L/D$$

$$\omega_r = \omega * R = \omega * 1/2D$$

$$\omega_{rx} = \cos(\Theta) * \omega_r$$

$$\omega_{rx} = L/D * \omega * 1/2D$$

$$\omega_{rx} = L/2 * \omega$$

**Scale so that the maximum joystick position of 1  
= maximum wheel motor speed of 1**

$$\text{Motor Speed} = \omega_r$$

$$\omega_r = 1 \text{ when joystick X-axis} = 1$$

$$\omega_r = \omega * R$$

$$\omega = \text{X-axis}$$

Add scalar of  $1/R$  so that  $\omega_r = 1$  when X-axis = 1

$$\omega_r = \omega * R * 1/R$$

$$\omega_r = \omega/R * R$$

If  $\omega = \text{X-axis}$  and X-axis = 1 then  $\omega_r$  (motor speed) = 1

### Add scalar to $\omega_{rx}$ calculation

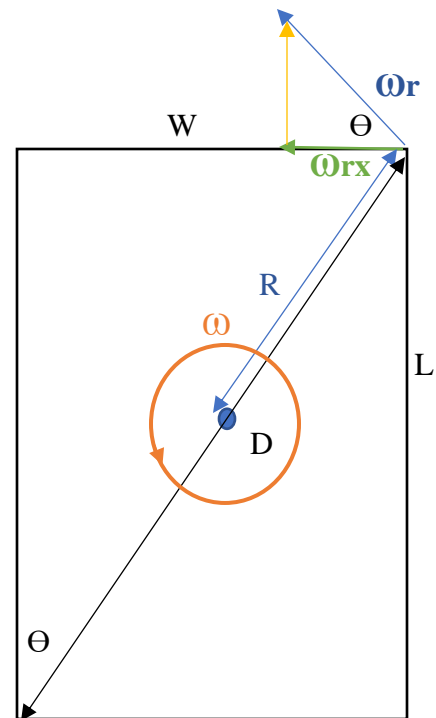
$\omega_{rx} = L/2 * \omega$  scaled to  $\omega/R$  becomes

$$\omega_{rx} = L/2 * \omega/R$$

$$\omega_{rx} = L/2R * \omega$$

$$2R = D$$

$$\omega_{rx} = L/D * \omega$$



In the code, the symbol  $R$  is used when it should be  $D$  as  $R$  is defined as  $\sqrt{L^2 + W^2}$ , which is really  $D$ .