

Analysis of Traffic Stops in Montana

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2024-05-20

Introduction In this project, we will analyse on the patterns of traffic stops in the state of Montana across 9 years, from December 2008 to December 2017. This focused analysis aims to provide insights into law enforcement activity and potentially reveal any differences in how stops are conducted across the state.

We mainly focus to analyse on the following questions through our study:

- 1) Is there a statistically significant relationship between the age of subjects and the likelihood of receiving a warning during a stop?
- 2) How does the likelihood of receiving a warning vary across different age groups (e.g., youngsters, middle-aged, old)?
- 3) Is the mean age of the drivers who got arrested same as the mean age of driver got received warning ?
- 4) Is the time of the day a factor in determining the outcome of the traffic stop?
- 5) Are female drivers less at risk for violations compared to male drivers?

```
# Load data from a CSV file
```

```
data <- readRDS("wb225bk3255_mt_statewide_2023_01_26.rds")
```

```
# Display the structure of the dataset
```

```
str(data)
```

```
## tibble [921,228 x 30] (S3: tbl_df/tbl/data.frame)
```

```
## $ raw_row_number      : chr [1:921228] "1" "2" "3" "4" ...
```

```
## $ date                : Date[1:921228], format: "2009-01-01" "2009-01-02" ...
```

```
## $ time                : 'hms' num [1:921228] 02:10:53 11:34:19 11:36:42 10:33:11 ...
```

```
##   .-. attr(*, "units")= chr "secs"
```

```
## $ location            : chr [1:921228] "US 89 N MM10 (SB)" "HWY 93 SO AND ANNS LANE S/B" "POO"
```

```
## $ lat                 : num [1:921228] 47.6 46.8 46.7 46.7 46.7 ...
```

```
## $ lng                 : num [1:921228] -112 -114 -114 -114 -114 ...
```

```
## $ county_name         : chr [1:921228] "Cascade County" "Missoula County" "Missoula County" "I"
```

```
## $ subject_age         : int [1:921228] 16 19 17 17 31 20 30 34 21 18 ...
```

```
## $ subject_race        : Factor w/ 6 levels "asian/pacific islander",...: 4 4 4 NA NA NA 4 NA 4
```

```
## $ subject_sex         : Factor w/ 2 levels "male","female": 2 1 1 2 1 1 1 2 1 2 ...
```

```
## $ department_name     : chr [1:921228] "Montana Highway Patrol" "Montana Highway Patrol" "Mon"
```

```
## $ type                : Factor w/ 2 levels "pedestrian","vehicular": 2 2 2 2 2 2 2 2 2 ...
```

```
## $ violation           : chr [1:921228] "240 - INSURANCE|150 - HIT AND RUN|245 - OTHER NON-HAZ"
```

```
## $ arrest_made         : logi [1:921228] FALSE TRUE TRUE TRUE TRUE TRUE TRUE ...
```

```
## $ citation_issued     : logi [1:921228] TRUE FALSE FALSE FALSE FALSE FALSE ...
```

```
## $ warning_issued      : logi [1:921228] TRUE TRUE FALSE FALSE FALSE TRUE ...
```

```
## $ outcome             : Factor w/ 4 levels "warning","citation",...: 2 4 4 4 4 4 2 4 2 NA ...
```

```
## $ frisk_performed     : logi [1:921228] FALSE FALSE FALSE NA NA NA ...
```

```
## $ search_conducted    : logi [1:921228] FALSE FALSE FALSE TRUE TRUE TRUE ...
```

```
## $ search_basis        : Factor w/ 5 levels "k9","plain view",...: NA NA NA NA NA NA NA NA NA NA
```

```
## $ reason_for_stop      : chr [1:921228] "--- - HIT AND RUN" "EXPIRED TAG ( - MONTHS OR LESS )"
## $ vehicle_make         : chr [1:921228] "FORD" "GMC" "GMC" "HOND" ...
## $ vehicle_model        : chr [1:921228] "EXPLORER" "TK" "YUKON" "CR-V" ...
## $ vehicle_type         : chr [1:921228] "SPORT UTILITY" "TRUCK" "SPORT UTILITY" "SPORT UTILITY"
## $ vehicle_registration_state: Factor w/ 51 levels "AL","AK","AZ",...: 21 21 21 21 21 21 21 21 21 21
## $ vehicle_year         : int [1:921228] 1994 1996 1999 2002 1992 1998 2006 2004 1992 1987 ...
## $ raw_Race             : chr [1:921228] "W" "W" "W" "W" ...
## $ raw_Ethnicity        : chr [1:921228] "N" "N" "N" NA ...
## $ raw_SearchType       : chr [1:921228] "NO SEARCH REQUESTED" "NO SEARCH REQUESTED" "NO SEARCH
## $ raw_search_basis     : chr [1:921228] "" "" "" "" ...
```

```
data
```

```
## # A tibble: 921,228 x 30
##   raw_row_number date      time      location      lat   lng county_name
##   <chr>          <date>    <time>    <chr>          <dbl> <dbl> <chr>
## 1 1              2009-01-01 02:10:53 US 89 N MM10 (SB)  47.6 -112. Cascade Co~
## 2 2              2009-01-02 11:34:19 HWY 93 SO AND ANN~ 46.8 -114. Missoula C~
## 3 3              2009-01-03 11:36:42 P007 HWY 93 MM 77~ 46.7 -114. Missoula C~
## 4 4              2009-01-04 10:33:11 P007 HWY 93 MM 81~ 46.7 -114. Missoula C~
## 5 5              2009-01-04 10:46:43 P007 HWY 93 MM 81~ 46.7 -114. Missoula C~
## 6 6              2009-01-04 14:41:57 P007 HWY 93 MM 67~ 46.5 -114. Ravalli Co~
## 7 7              2009-01-04 17:45:40 WESTBOUND TRUCK S~ 45.9 -108. Yellowston~
## 8 8              2009-01-05 15:32:41 P007 HWY 93 MM 79~ 46.7 -114. Missoula C~
## 9 9              2009-01-06 16:45:12 INTERSECTION OF H~ 45.9 -108. Yellowston~
## 10 10           2009-01-06 16:45:17 INTERSECTION OF H~ 45.9 -108. Yellowston~
## # i 921,218 more rows
## # i 23 more variables: subject_age <int>, subject_race <fct>,
## #   subject_sex <fct>, department_name <chr>, type <fct>, violation <chr>,
## #   arrest_made <lgl>, citation_issued <lgl>, warning_issued <lgl>,
## #   outcome <fct>, frisk_performed <lgl>, search_conducted <lgl>,
## #   search_basis <fct>, reason_for_stop <chr>, vehicle_make <chr>,
## #   vehicle_model <chr>, vehicle_type <chr>, ...
```

Then, we selected 17 columns to study and processed the corresponding filtered data for better and faster analysis.

```
data_filtered <- data %>%
  select(date, time, county_name, subject_sex, subject_age, citation_issued, warning_issued, arrest_made)
```

Linear Regression Introduction: In this section we would like to study: 1.) Is there a statistically significant relationship between the age of subjects and the likelihood of receiving a warning during a stop? 2.) Are there any outliers in the data? 3.) Is there any influence or leverage of some instances? 5.) Does the data follow Equal variance condition? 6.) Does the data follow normal distribution? ### Linear Regression

Null Hypothesis (H0): There is no association(linear relationship) between subject age groups and arrest made during the incidents.

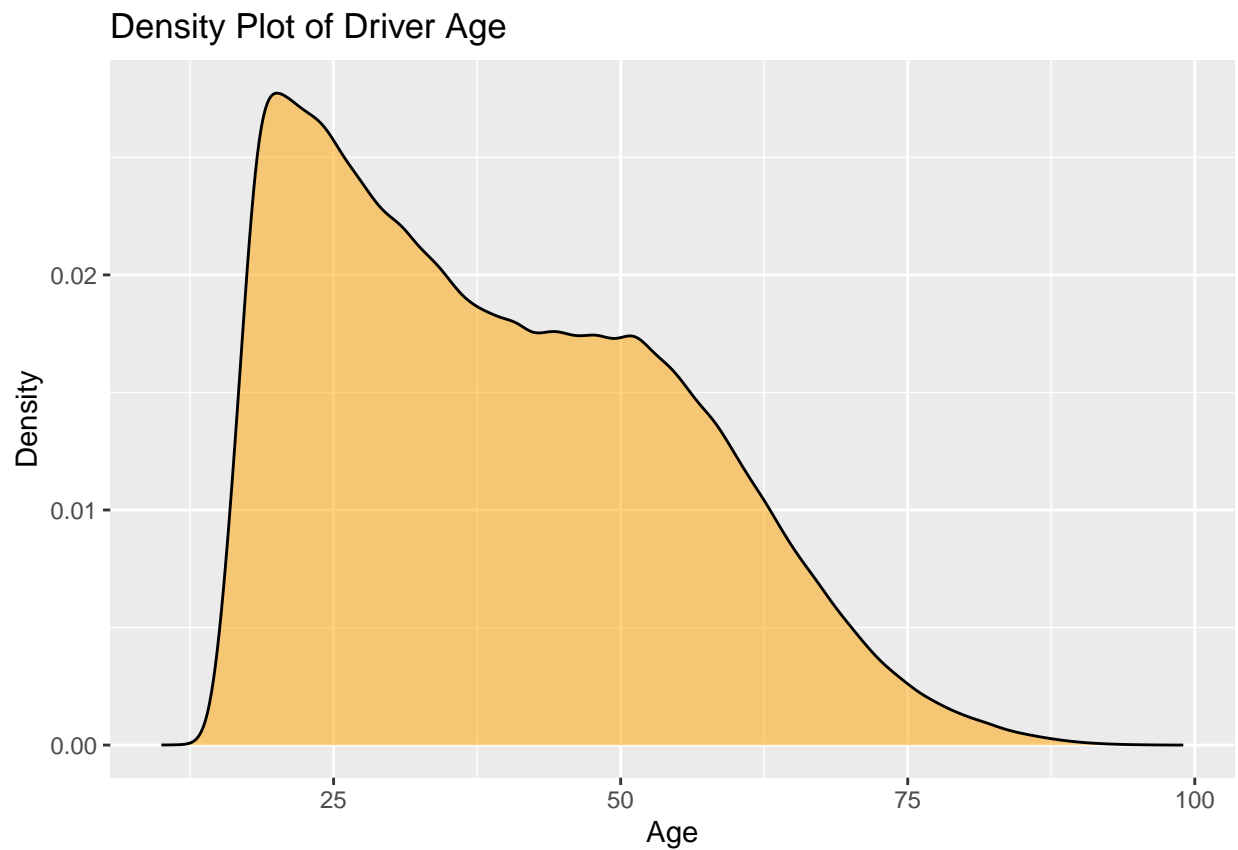
Alternative Hypothesis (H1): There is an association(linear relationship) between subject age groups and arrest made during the incidents.

Data Processing

```
data_filtered <- data_filtered %>%  
  drop_na()  
colSums(is.na(data_filtered))
```

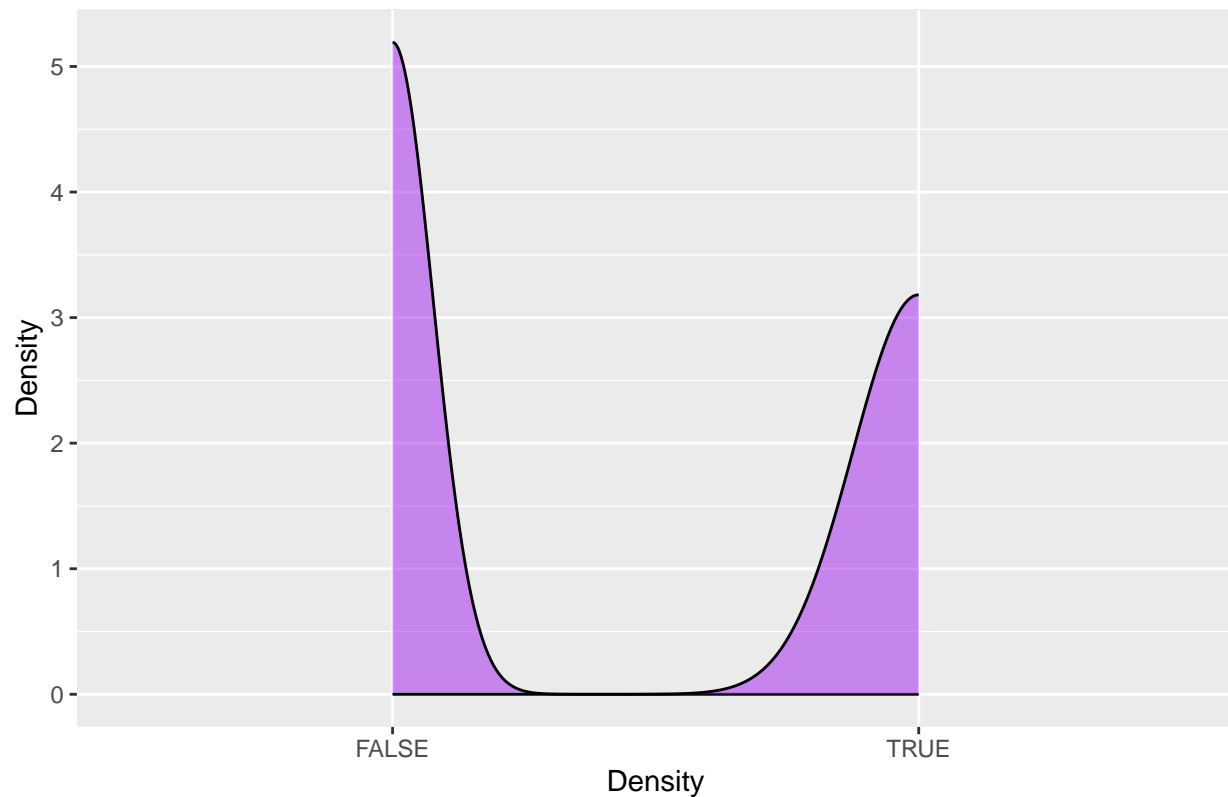
```
##          date          time    county_name    subject_sex  
##           0            0          0            0  
##    subject_age citation_issued warning_issued  arrest_made  
##           0            0          0            0  
##      outcome frisk_performed search_conducted reason_for_stop  
##           0            0          0            0  
##    vehicle_make vehicle_model  vehicle_type  vehicle_year  
##           0            0          0            0  
##      violation  
##           0
```

```
ggplot(data_filtered, aes(x=subject_age)) +  
  geom_density(fill = "orange", alpha=0.5) +  
  labs(title = "Density Plot of Driver Age", x="Age", y="Density")
```



```
ggplot(data_filtered, aes(x=warning_issued)) +  
  geom_density(fill = "purple", alpha=0.5) +  
  labs(title = "Density Plot of Warnings issued", x="Density", y="Density")
```

Density Plot of Warnings issued



```
# Calculate the total number of stops
total_warnings <- nrow(data_filtered)

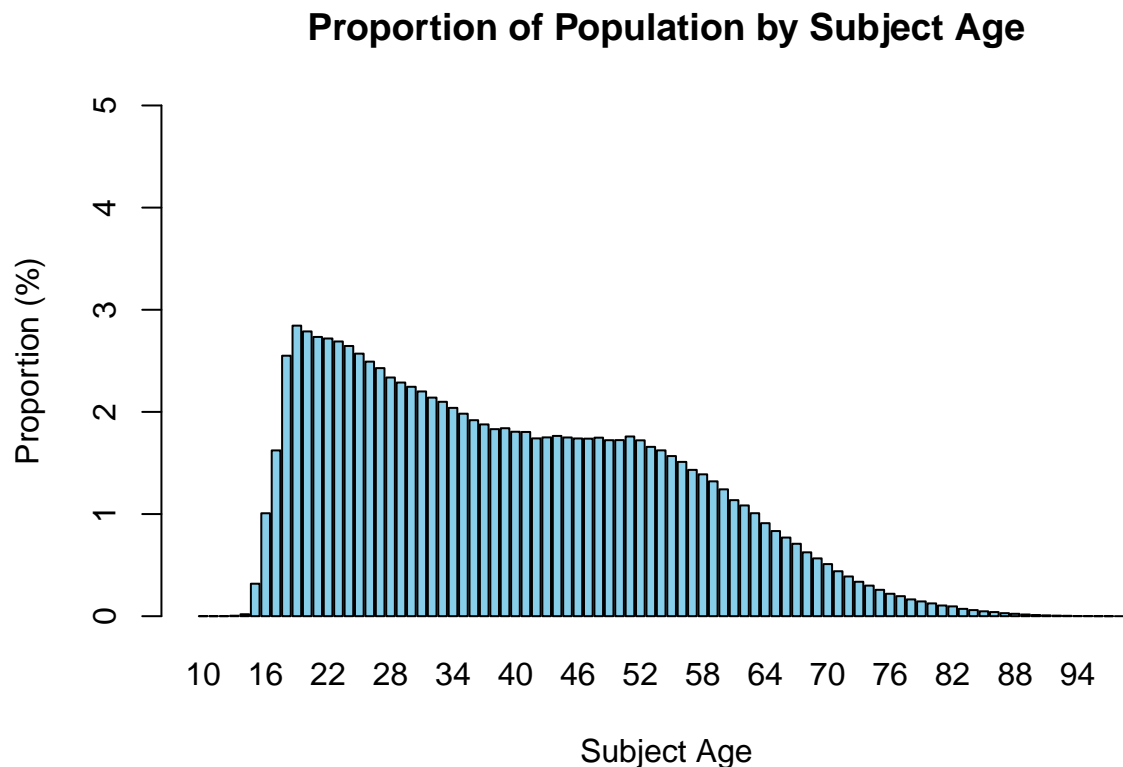
# Calculate the proportion of warnings issued by subject age
proportion_by_age <- prop.table(table(data_filtered$subject_age)) * 100

# Print the proportion by age
print(proportion_by_age)
```

```
##
##          10          11          12          13          14          15
## 0.0007222555 0.0004815036 0.0010833832 0.0048150364 0.0191397697 0.3179127780
##          16          17          18          19          20          21
## 1.0077871176 1.6230283931 2.5501636510 2.8444827507 2.7880264490 2.7339776655
##          22          23          24          25          26          27
## 2.7188103008 2.6895589547 2.6453809958 2.5705071798 2.4921424625 2.4288247339
##          28          29          30          31          32          33
## 2.3367371628 2.2875034157 2.2460941027 2.2003512569 2.1399225501 2.0988743649
##          34          35          36          37          38          39
## 2.0394086654 1.9825912359 1.9187920037 1.8775030666 1.8311583413 1.8401865345
##          40          41          42          43          44          45
## 1.8057590243 1.8037126338 1.7407560329 1.7503861057 1.7649515908 1.7497842262
##          46          47          48          49          50          51
## 1.7399134016 1.7382281388 1.7477378357 1.7230607742 1.7239034056 1.7594142990
##          52          53          54          55          56          57
## 1.7217366392 1.6576966551 1.6236302726 1.5676554745 1.5105972932 1.4325937036
```

```
##          58          59          60          61          62          63
## 1.3888972483 1.3202829797 1.2419182623 1.1361078376 1.0841054445 1.0082686213
##          64          65          66          67          68          69
## 0.9106437583 0.8334828001 0.7698039438 0.7090141093 0.6253528519 0.5661279042
##          70          71          72          73          74          75
## 0.5101531061 0.4400943266 0.3886938130 0.3370525477 0.2993748879 0.2583267026
##          76          77          78          79          80          81
## 0.2196860356 0.1960923572 0.1644334929 0.1446918437 0.1253113222 0.1046066657
##          82          83          84          85          86          87
## 0.0961803520 0.0717440423 0.0598268272 0.0476688603 0.0404463057 0.0297328497
##          88          89          90          91          92          93
## 0.0235936783 0.0166118756 0.0115560873 0.0081855619 0.0054169159 0.0038520291
##          94          95          96          97          98          99
## 0.0019260146 0.0016852627 0.0008426314 0.0004815036 0.0001203759 0.0001203759
```

```
# Create a bar plot
barplot(proportion_by_age,
        main = "Proportion of Population by Subject Age",
        ylab = "Proportion (%)",
        xlab = "Subject Age",
        col = "skyblue",
        ylim = c(0, 5)) # Adjust the y-axis limits if needed
```



```
# Create a contingency table
linear_reg_table <- table(data_filtered$subject_age, data_filtered$warning_issued)
linear_reg_table
```

##		FALSE	TRUE
##	10	1	5
##	11	2	2
##	12	1	8
##	13	13	27
##	14	37	122
##	15	571	2070
##	16	1932	6440
##	17	3171	10312
##	18	5965	15220
##	19	6744	16886
##	20	6566	16595
##	21	6530	16182
##	22	6409	16177
##	23	5992	16351
##	24	5819	16157
##	25	5629	15725
##	26	5352	15351
##	27	5303	14874
##	28	5055	14357
##	29	5065	13938
##	30	4978	13681
##	31	4875	13404
##	32	4699	13078
##	33	4667	12769
##	34	4484	12458
##	35	4356	12114
##	36	4201	11739
##	37	4186	11411
##	38	4086	11126
##	39	4057	11230
##	40	4052	10949
##	41	4127	10857
##	42	3867	10594
##	43	4051	10490
##	44	3979	10683
##	45	3949	10587
##	46	4074	10380
##	47	4014	10426
##	48	3978	10541
##	49	3899	10415
##	50	3905	10416
##	51	3949	10667
##	52	3846	10457
##	53	3709	10062
##	54	3512	9976
##	55	3409	9614
##	56	3320	9229
##	57	3052	8849
##	58	3115	8423
##	59	2810	8158
##	60	2664	7653
##	61	2416	7022

```
## 62 2406 6600
## 63 2170 6206
## 64 1899 5666
## 65 1727 5197
## 66 1568 4827
## 67 1481 4409
## 68 1301 3894
## 69 1182 3521
## 70 1010 3228
## 71 917 2739
## 72 768 2461
## 73 640 2160
## 74 587 1900
## 75 494 1652
## 76 419 1406
## 77 356 1273
## 78 273 1093
## 79 232 970
## 80 222 819
## 81 177 692
## 82 145 654
## 83 112 484
## 84 80 417
## 85 73 323
## 86 57 279
## 87 32 215
## 88 30 166
## 89 22 116
## 90 16 80
## 91 15 53
## 92 6 39
## 93 4 28
## 94 2 14
## 95 5 9
## 96 1 6
## 97 0 4
## 98 0 1
## 99 0 1
```

```
# Convert the contingency table into a data frame
linear_reg_table_df <- as.data.frame(table(linear_reg_table))

# Rename the columns for clarity
names(linear_reg_table_df) <- c("Subject_Age", "Warning_Issued", "Frequency")

linear_reg_table_df
```

```
##      Subject_Age Warning_Issued Frequency
## 1             10          FALSE         1
## 2             11          FALSE         2
## 3             12          FALSE         1
## 4             13          FALSE        13
## 5             14          FALSE        37
## 6             15          FALSE       571
```

## 7	16	FALSE	1932
## 8	17	FALSE	3171
## 9	18	FALSE	5965
## 10	19	FALSE	6744
## 11	20	FALSE	6566
## 12	21	FALSE	6530
## 13	22	FALSE	6409
## 14	23	FALSE	5992
## 15	24	FALSE	5819
## 16	25	FALSE	5629
## 17	26	FALSE	5352
## 18	27	FALSE	5303
## 19	28	FALSE	5055
## 20	29	FALSE	5065
## 21	30	FALSE	4978
## 22	31	FALSE	4875
## 23	32	FALSE	4699
## 24	33	FALSE	4667
## 25	34	FALSE	4484
## 26	35	FALSE	4356
## 27	36	FALSE	4201
## 28	37	FALSE	4186
## 29	38	FALSE	4086
## 30	39	FALSE	4057
## 31	40	FALSE	4052
## 32	41	FALSE	4127
## 33	42	FALSE	3867
## 34	43	FALSE	4051
## 35	44	FALSE	3979
## 36	45	FALSE	3949
## 37	46	FALSE	4074
## 38	47	FALSE	4014
## 39	48	FALSE	3978
## 40	49	FALSE	3899
## 41	50	FALSE	3905
## 42	51	FALSE	3949
## 43	52	FALSE	3846
## 44	53	FALSE	3709
## 45	54	FALSE	3512
## 46	55	FALSE	3409
## 47	56	FALSE	3320
## 48	57	FALSE	3052
## 49	58	FALSE	3115
## 50	59	FALSE	2810
## 51	60	FALSE	2664
## 52	61	FALSE	2416
## 53	62	FALSE	2406
## 54	63	FALSE	2170
## 55	64	FALSE	1899
## 56	65	FALSE	1727
## 57	66	FALSE	1568
## 58	67	FALSE	1481
## 59	68	FALSE	1301
## 60	69	FALSE	1182

## 61	70	FALSE	1010
## 62	71	FALSE	917
## 63	72	FALSE	768
## 64	73	FALSE	640
## 65	74	FALSE	587
## 66	75	FALSE	494
## 67	76	FALSE	419
## 68	77	FALSE	356
## 69	78	FALSE	273
## 70	79	FALSE	232
## 71	80	FALSE	222
## 72	81	FALSE	177
## 73	82	FALSE	145
## 74	83	FALSE	112
## 75	84	FALSE	80
## 76	85	FALSE	73
## 77	86	FALSE	57
## 78	87	FALSE	32
## 79	88	FALSE	30
## 80	89	FALSE	22
## 81	90	FALSE	16
## 82	91	FALSE	15
## 83	92	FALSE	6
## 84	93	FALSE	4
## 85	94	FALSE	2
## 86	95	FALSE	5
## 87	96	FALSE	1
## 88	97	FALSE	0
## 89	98	FALSE	0
## 90	99	FALSE	0
## 91	10	TRUE	5
## 92	11	TRUE	2
## 93	12	TRUE	8
## 94	13	TRUE	27
## 95	14	TRUE	122
## 96	15	TRUE	2070
## 97	16	TRUE	6440
## 98	17	TRUE	10312
## 99	18	TRUE	15220
## 100	19	TRUE	16886
## 101	20	TRUE	16595
## 102	21	TRUE	16182
## 103	22	TRUE	16177
## 104	23	TRUE	16351
## 105	24	TRUE	16157
## 106	25	TRUE	15725
## 107	26	TRUE	15351
## 108	27	TRUE	14874
## 109	28	TRUE	14357
## 110	29	TRUE	13938
## 111	30	TRUE	13681
## 112	31	TRUE	13404
## 113	32	TRUE	13078
## 114	33	TRUE	12769

## 115	34	TRUE	12458
## 116	35	TRUE	12114
## 117	36	TRUE	11739
## 118	37	TRUE	11411
## 119	38	TRUE	11126
## 120	39	TRUE	11230
## 121	40	TRUE	10949
## 122	41	TRUE	10857
## 123	42	TRUE	10594
## 124	43	TRUE	10490
## 125	44	TRUE	10683
## 126	45	TRUE	10587
## 127	46	TRUE	10380
## 128	47	TRUE	10426
## 129	48	TRUE	10541
## 130	49	TRUE	10415
## 131	50	TRUE	10416
## 132	51	TRUE	10667
## 133	52	TRUE	10457
## 134	53	TRUE	10062
## 135	54	TRUE	9976
## 136	55	TRUE	9614
## 137	56	TRUE	9229
## 138	57	TRUE	8849
## 139	58	TRUE	8423
## 140	59	TRUE	8158
## 141	60	TRUE	7653
## 142	61	TRUE	7022
## 143	62	TRUE	6600
## 144	63	TRUE	6206
## 145	64	TRUE	5666
## 146	65	TRUE	5197
## 147	66	TRUE	4827
## 148	67	TRUE	4409
## 149	68	TRUE	3894
## 150	69	TRUE	3521
## 151	70	TRUE	3228
## 152	71	TRUE	2739
## 153	72	TRUE	2461
## 154	73	TRUE	2160
## 155	74	TRUE	1900
## 156	75	TRUE	1652
## 157	76	TRUE	1406
## 158	77	TRUE	1273
## 159	78	TRUE	1093
## 160	79	TRUE	970
## 161	80	TRUE	819
## 162	81	TRUE	692
## 163	82	TRUE	654
## 164	83	TRUE	484
## 165	84	TRUE	417
## 166	85	TRUE	323
## 167	86	TRUE	279
## 168	87	TRUE	215

## 169	88	TRUE	166
## 170	89	TRUE	116
## 171	90	TRUE	80
## 172	91	TRUE	53
## 173	92	TRUE	39
## 174	93	TRUE	28
## 175	94	TRUE	14
## 176	95	TRUE	9
## 177	96	TRUE	6
## 178	97	TRUE	4
## 179	98	TRUE	1
## 180	99	TRUE	1

```
# Filter rows where Warning_Issued is TRUE
filtered_linear_reg_table_df <- linear_reg_table_df %>% filter(Warning_Issued == TRUE)

# Print the filtered data frame
print(filtered_linear_reg_table_df)
```

##	Subject_Age	Warning_Issued	Frequency
## 1	10	TRUE	5
## 2	11	TRUE	2
## 3	12	TRUE	8
## 4	13	TRUE	27
## 5	14	TRUE	122
## 6	15	TRUE	2070
## 7	16	TRUE	6440
## 8	17	TRUE	10312
## 9	18	TRUE	15220
## 10	19	TRUE	16886
## 11	20	TRUE	16595
## 12	21	TRUE	16182
## 13	22	TRUE	16177
## 14	23	TRUE	16351
## 15	24	TRUE	16157
## 16	25	TRUE	15725
## 17	26	TRUE	15351
## 18	27	TRUE	14874
## 19	28	TRUE	14357
## 20	29	TRUE	13938
## 21	30	TRUE	13681
## 22	31	TRUE	13404
## 23	32	TRUE	13078
## 24	33	TRUE	12769
## 25	34	TRUE	12458
## 26	35	TRUE	12114
## 27	36	TRUE	11739
## 28	37	TRUE	11411
## 29	38	TRUE	11126
## 30	39	TRUE	11230
## 31	40	TRUE	10949
## 32	41	TRUE	10857
## 33	42	TRUE	10594
## 34	43	TRUE	10490

## 35	44	TRUE	10683
## 36	45	TRUE	10587
## 37	46	TRUE	10380
## 38	47	TRUE	10426
## 39	48	TRUE	10541
## 40	49	TRUE	10415
## 41	50	TRUE	10416
## 42	51	TRUE	10667
## 43	52	TRUE	10457
## 44	53	TRUE	10062
## 45	54	TRUE	9976
## 46	55	TRUE	9614
## 47	56	TRUE	9229
## 48	57	TRUE	8849
## 49	58	TRUE	8423
## 50	59	TRUE	8158
## 51	60	TRUE	7653
## 52	61	TRUE	7022
## 53	62	TRUE	6600
## 54	63	TRUE	6206
## 55	64	TRUE	5666
## 56	65	TRUE	5197
## 57	66	TRUE	4827
## 58	67	TRUE	4409
## 59	68	TRUE	3894
## 60	69	TRUE	3521
## 61	70	TRUE	3228
## 62	71	TRUE	2739
## 63	72	TRUE	2461
## 64	73	TRUE	2160
## 65	74	TRUE	1900
## 66	75	TRUE	1652
## 67	76	TRUE	1406
## 68	77	TRUE	1273
## 69	78	TRUE	1093
## 70	79	TRUE	970
## 71	80	TRUE	819
## 72	81	TRUE	692
## 73	82	TRUE	654
## 74	83	TRUE	484
## 75	84	TRUE	417
## 76	85	TRUE	323
## 77	86	TRUE	279
## 78	87	TRUE	215
## 79	88	TRUE	166
## 80	89	TRUE	116
## 81	90	TRUE	80
## 82	91	TRUE	53
## 83	92	TRUE	39
## 84	93	TRUE	28
## 85	94	TRUE	14
## 86	95	TRUE	9
## 87	96	TRUE	6
## 88	97	TRUE	4

```
## 89      98      TRUE      1
## 90      99      TRUE      1
```

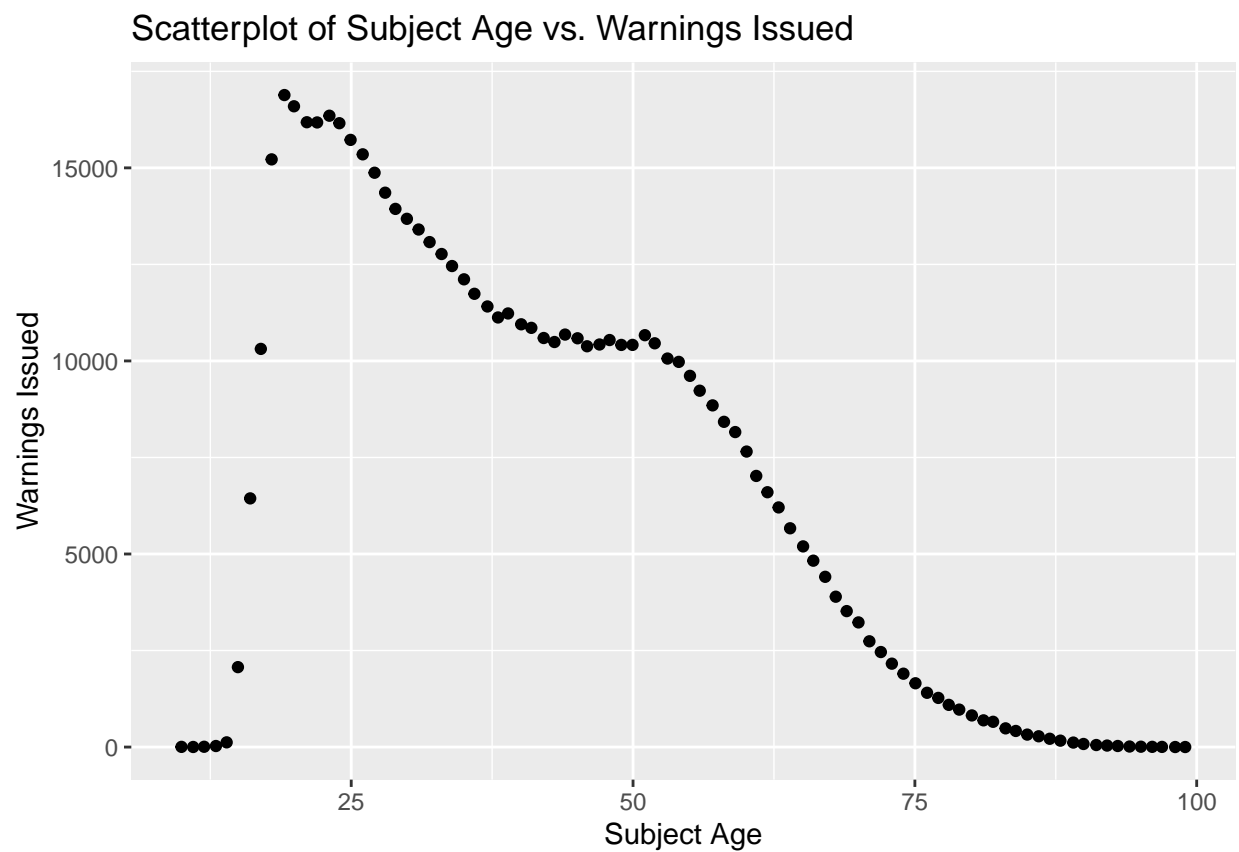
```
# Ensure 'Subject_Age' and 'Frequency' are numeric
```

```
filtered_linear_reg_table_df$Subject_Age <- as.numeric(as.character(filtered_linear_reg_table_df$Subject_Age))
filtered_linear_reg_table_df$Frequency <- as.numeric(as.character(filtered_linear_reg_table_df$Frequency))
```

Analysis

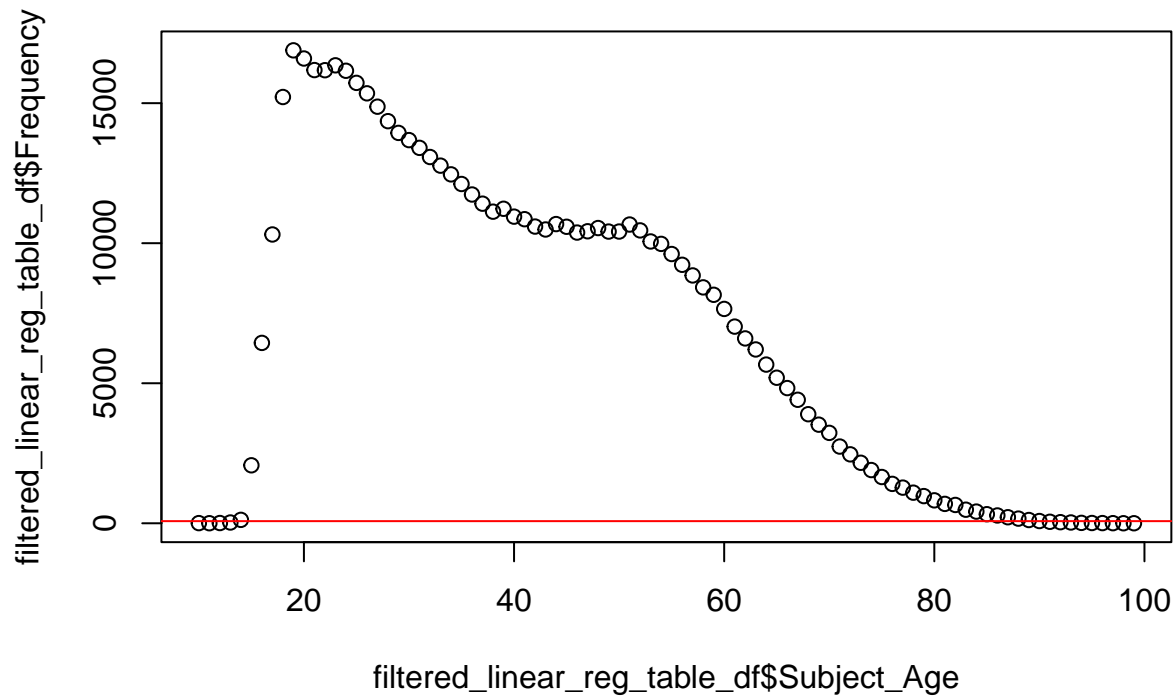
```
# Create a scatterplot with jittering
```

```
ggplot(filtered_linear_reg_table_df, aes(x = Subject_Age, y = Frequency)) +
  geom_point(position = position_jitter(width = 0.1, height = 0.1)) +
  labs(title = "Scatterplot of Subject Age vs. Warnings Issued",
       x = "Subject Age", y = "Warnings Issued")
```



```
plot(filtered_linear_reg_table_df$Subject_Age , filtered_linear_reg_table_df$Frequency, main="Scatterplot of Subject Age vs. Warnings Issued")
abline(lm(Subject_Age ~ Frequency, data = filtered_linear_reg_table_df),col="red")
```

Scatterplot



```
# Fit the linear regression model
model <- lm(filtered_linear_reg_table_df$Subject_Age ~ filtered_linear_reg_table_df$Frequency)

# Summary of the model
summary(model)

##
## Call:
## lm(formula = filtered_linear_reg_table_df$Subject_Age ~ filtered_linear_reg_table_df$Frequency)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -65.862  -2.582   4.371   8.838  23.126
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)      75.8774446   3.1247253   24.283  < 2e-16
## filtered_linear_reg_table_df$Frequency -0.0031548   0.0003535  -8.924 5.88e-14
##
## (Intercept)          ***
## filtered_linear_reg_table_df$Frequency ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 19.04 on 88 degrees of freedom
```

```
## Multiple R-squared:  0.4751, Adjusted R-squared:  0.4691
## F-statistic: 79.64 on 1 and 88 DF,  p-value: 5.876e-14
```

With this table we can construct the least square regression line: $\text{Subject_Age} = 75.8774446 - 0.0031548 \times \text{Frequency}$

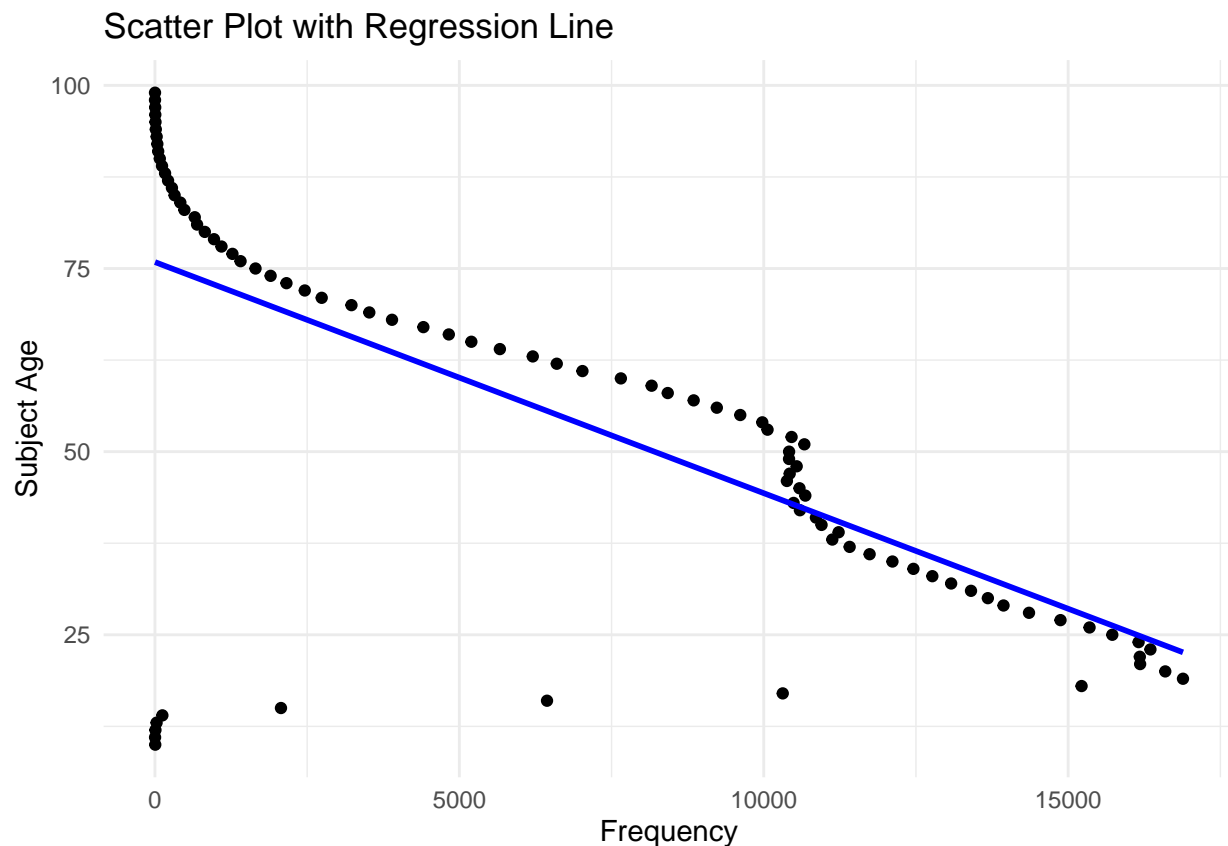
Where Frequency is the number of warnings issued corresponding to age.

Prediction and prediction errors

A scatterplot with the least squares line laid on top.

```
# Assuming filtered_contingency_df is your dataframe and it has columns 'Subject_Age' and 'Frequency'
# Create the scatter plot with regression line
ggplot(data = filtered_linear_reg_table_df, aes(x = Frequency, y = Subject_Age)) +
  geom_point() + # Scatter plot
  geom_smooth(method = "lm", se = FALSE, color = "blue") + # Regression line
  labs(title = "Scatter Plot with Regression Line",
       x = "Frequency",
       y = "Subject Age") +
  theme_minimal()
```

```
## 'geom_smooth()' using formula = 'y ~ x'
```



This line can be used to predict y at any value of x . When predictions are made for values of x that are beyond the range of the observed data, it is referred to as *extrapolation* and is not usually recommended.

However, predictions made within the range of the data are more reliable. They're also used to compute the residuals.

Model Diagnostics

```
correlation_coefficient <- cor(filtered_linear_reg_table_df$Subject_Age , filtered_linear_reg_table_df$
correlation_coefficient
```

```
## [1] -0.6892581
```

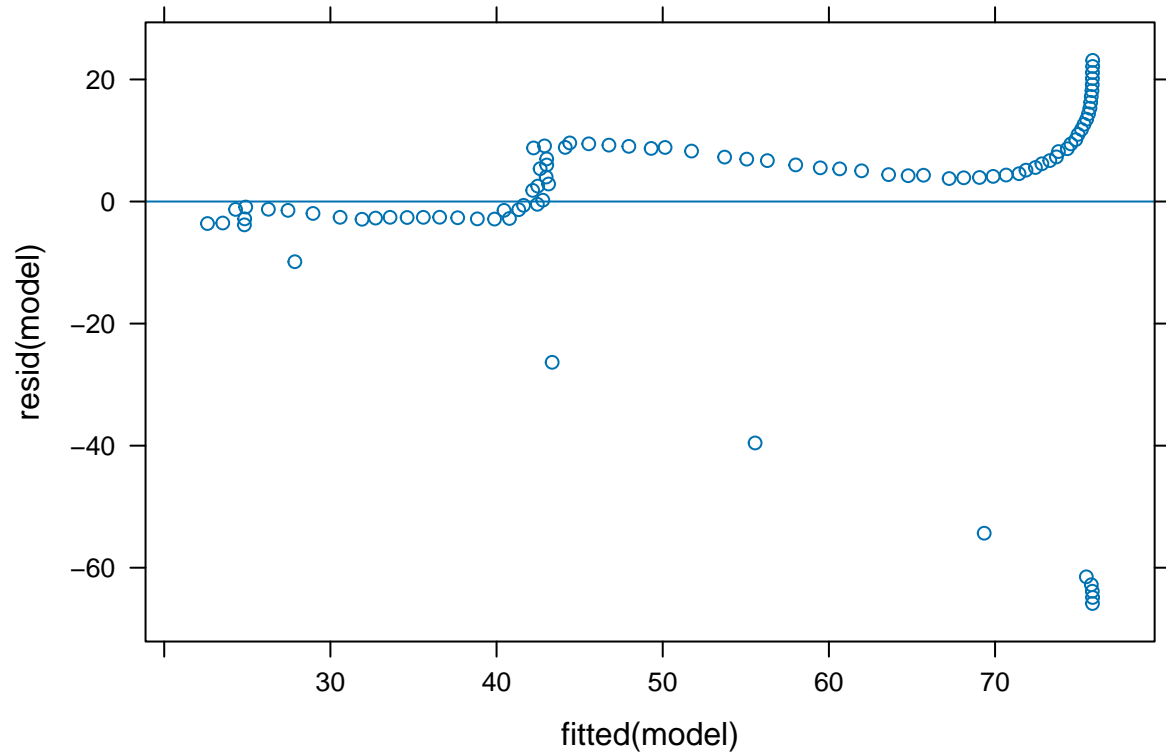
```
sum(residuals(model)^2)
```

```
## [1] 31885.15
```

1.) Is there a statistically significant relationship between the age of subjects and the likelihood of receiving a warning during a stop? With correlation coefficient = -0.6879639 and from the above plots we can say that subject_age and number of Warnings issued are negatively correlated and have relationship is moderate because correlation coefficient is not much closer to -1.

To check Equal Variance

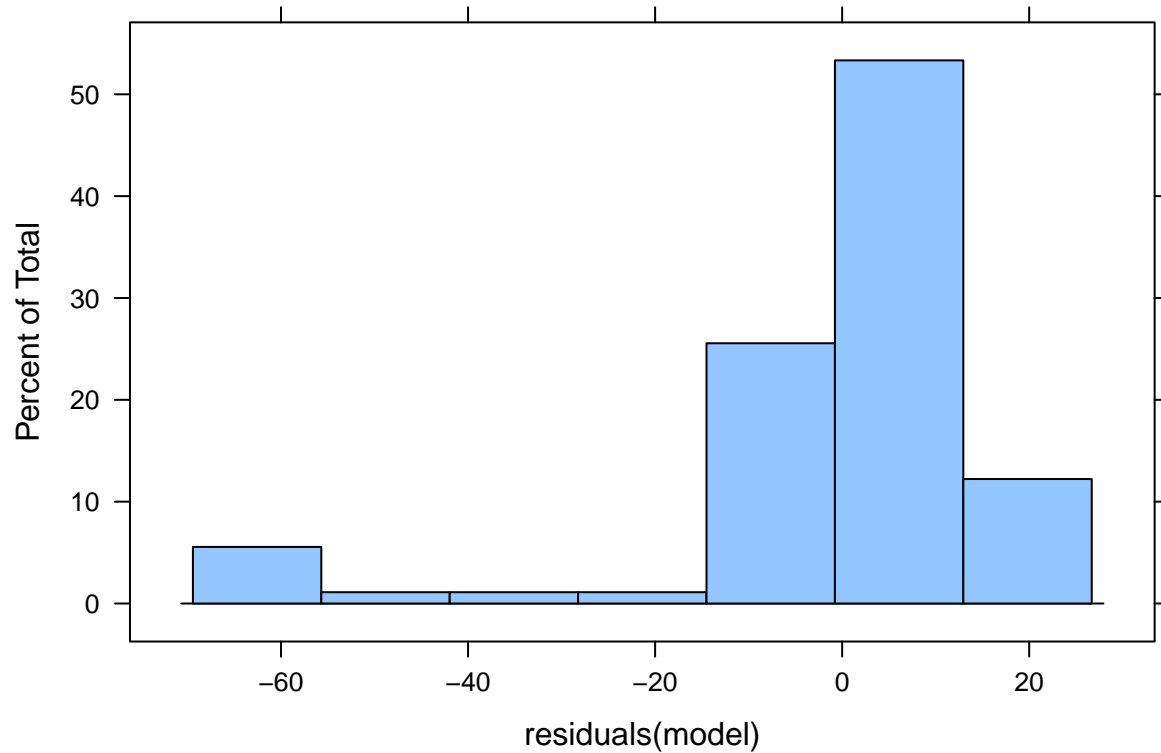
```
xyplot(resid(model) ~ fitted(model), data=filtered_linear_reg_table_df, type=c("p", "r"))
```

5.) Does the data follow Equal variance condition? From the plot Equal Variance is not met.

To check Normal Errors

```
histogram(~residuals(model), width=50)
```



```
qqmath(~resid(model))
ladd(panel.qqmathline(resid(model)))
```

2.) Are there any outliers in the data? 3.) Is there any influence or leverage of some instances? 4.) Does the data follow normal distribution? From the plot we can say that the model is normally distributed with few outliers but there is no high influence or high leverage.

Linear Regression Assumptions

Random Sampling : The data is collected randomly and this conditions is assumed to be met. Independence : This condition is also assumed to be met. From linear_reg_table, we can also see that expected cell frequencies is also met.

```
linear_reg_table
```

```
##
##      FALSE  TRUE
##  10       1     5
##  11       2     2
##  12       1     8
##  13      13    27
##  14      37   122
##  15     571  2070
##  16    1932  6440
```

##	17	3171	10312
##	18	5965	15220
##	19	6744	16886
##	20	6566	16595
##	21	6530	16182
##	22	6409	16177
##	23	5992	16351
##	24	5819	16157
##	25	5629	15725
##	26	5352	15351
##	27	5303	14874
##	28	5055	14357
##	29	5065	13938
##	30	4978	13681
##	31	4875	13404
##	32	4699	13078
##	33	4667	12769
##	34	4484	12458
##	35	4356	12114
##	36	4201	11739
##	37	4186	11411
##	38	4086	11126
##	39	4057	11230
##	40	4052	10949
##	41	4127	10857
##	42	3867	10594
##	43	4051	10490
##	44	3979	10683
##	45	3949	10587
##	46	4074	10380
##	47	4014	10426
##	48	3978	10541
##	49	3899	10415
##	50	3905	10416
##	51	3949	10667
##	52	3846	10457
##	53	3709	10062
##	54	3512	9976
##	55	3409	9614
##	56	3320	9229
##	57	3052	8849
##	58	3115	8423
##	59	2810	8158
##	60	2664	7653
##	61	2416	7022
##	62	2406	6600
##	63	2170	6206
##	64	1899	5666
##	65	1727	5197
##	66	1568	4827
##	67	1481	4409
##	68	1301	3894
##	69	1182	3521
##	70	1010	3228

##	71	917	2739
##	72	768	2461
##	73	640	2160
##	74	587	1900
##	75	494	1652
##	76	419	1406
##	77	356	1273
##	78	273	1093
##	79	232	970
##	80	222	819
##	81	177	692
##	82	145	654
##	83	112	484
##	84	80	417
##	85	73	323
##	86	57	279
##	87	32	215
##	88	30	166
##	89	22	116
##	90	16	80
##	91	15	53
##	92	6	39
##	93	4	28
##	94	2	14
##	95	5	9
##	96	1	6
##	97	0	4
##	98	0	1
##	99	0	1

Chi-Square Introduction: In this section we would like to study: 1.) How does the likelihood of receiving a warning vary across different age groups (e.g., youngsters, middle-aged, old)? 2.) Are there specific age ranges that are more likely to receive warnings compared to others? 3.) How does the rate of warnings issued to younger subjects compare to the rate of warnings issued to older subjects?

Chi-Square Test

Null Hypothesis (H0): There is no association between subject age groups and arrest made during the incidents.

Alternative Hypothesis (H1): There is an association between subject age groups and arrest made during the incidents.

Categorize Age groups

```
chi_sq_data <- data_filtered %>%
  mutate(subject_age = case_when(
    subject_age < 35 ~ "Younger",
    subject_age >= 35 & subject_age <= 55 ~ "Middle-aged",
    subject_age > 55 ~ "Older"
  ))
```

```

# Calculate the total number of stops
total_warnings <- nrow(chi_sq_data)

# Calculate the proportion of warnings issued by subject age
proportion_by_age_group <- prop.table(table(chi_sq_data$subject_age)) * 100

# Print the proportion by age
print(proportion_by_age_group)

```

```

##
## Middle-aged      Older      Younger
##      37.06856    18.14571    44.78574

```

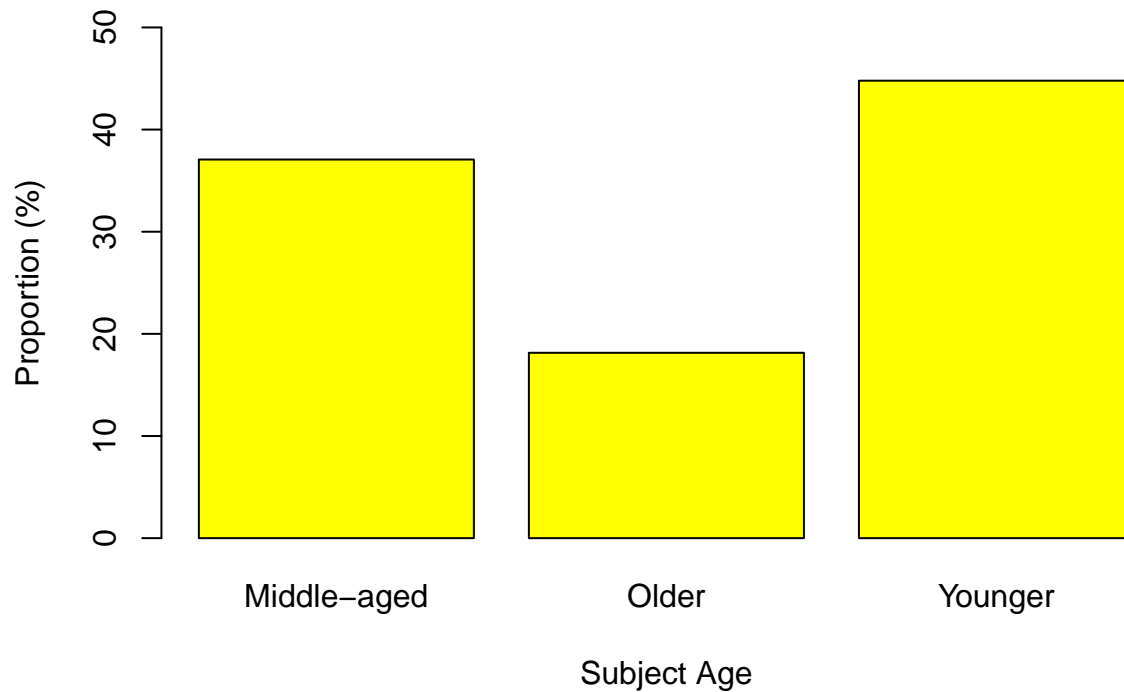
With approximately 37.06% falling within the middle-aged category, this segment represents a significant portion of the population. In contrast, the older age group, comprising about 18.14%, constitutes a smaller proportion. Conversely, the younger age group, with a proportion of approximately 44.78%, emerges as the largest segment, indicating a substantial presence within the population. Collectively, these proportions depict the age structure of the population, crucial for understanding demographic trends and informing various societal and policy considerations.

```

# Create a bar plot
barplot(proportion_by_age_group,
        main = "Proportion of Population by Subject Age Group",
        ylab = "Proportion (%)",
        xlab = "Subject Age",
        col = "yellow",
        ylim = c(0, 50)) # Adjust the y-axis limits if needed

```

Proportion of Population by Subject Age Group



```
# Create a contingency table
chi_sq_table <- table(chi_sq_data$subject_age, chi_sq_data$warning_issued)
chi_sq_table
```

```
##
##           FALSE  TRUE
## Middle-aged 83206 224734
## Older      37806 112936
## Younger    99860 272189
```

1.) How does the likelihood of receiving a warning vary across different age groups (e.g., youngsters, middle-aged, old)? Out of 410264 young drivers, 73.16% received warning. Out of 341298 middle-aged drivers, 72.97% received warning. Out of 165853 older drivers, 74.92% received warning.

2.) Are there specific age ranges that are more likely to receive warnings compared to others? From this data we can say that middle-aged people more likely to receive warnings compared others.

Analysis

```
# Perform the chi-square test of independence
chi_sq_test <- chisq.test(chi_sq_table)

# Print the result
print(chi_sq_test)
```

```
##
## Pearson's Chi-squared test
##
## data:  chi_sq_table
## X-squared = 217.27, df = 2, p-value < 2.2e-16
```

Given the p-value is significantly less than 0.05, we reject the null hypothesis. This means: There is strong evidence to suggest that there is a significant association between the age groups (subject_age) and whether a warning was issued (warning_issued).

```
# Convert the contingency table into a data frame
chi_sq_table_df <- as.data.frame.table(chi_sq_table)

# Rename the columns for clarity
names(chi_sq_table_df) <- c("Subject_Age", "Warning_Issued", "Frequency")

chi_sq_table_df
```

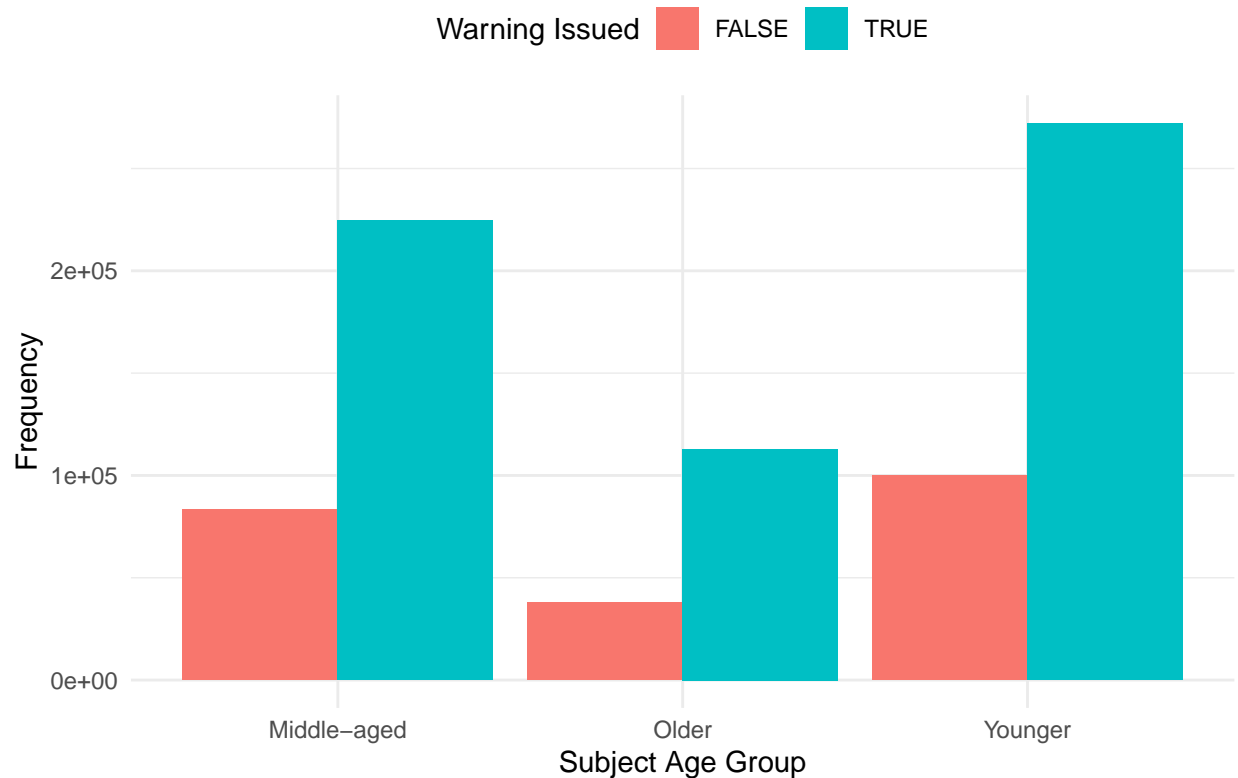
```
##   Subject_Age Warning_Issued Frequency
## 1 Middle-aged      FALSE      83206
## 2      Older      FALSE      37806
## 3    Younger      FALSE      99860
## 4 Middle-aged       TRUE     224734
## 5      Older       TRUE     112936
## 6    Younger       TRUE     272189
```

```
# Ensure 'Frequency' is numeric
chi_sq_table_df$Frequency <- as.numeric(as.character(chi_sq_table_df$Frequency))
```

The below bar graph depicts the clear relationship between the warnings_issued and the subject_age of the driver

```
# Create a bar plot
ggplot(chi_sq_table_df, aes(x = Subject_Age, y = Frequency, fill = Warning_Issued)) +
  geom_bar(stat = "identity", position = "dodge") +
  labs(title = "Bar Plot of Warning Issued by Subject Age Group",
       x = "Subject Age Group",
       y = "Frequency",
       fill = "Warning Issued") +
  theme_minimal() +
  theme(legend.position = "top")
```

Bar Plot of Warning Issued by Subject Age Group



3.) How does the rate of warnings issued to younger subjects compare to the rate of warnings issued to older subjects? We can see that younger people have received warnings more the 2x the warnings received by older people.

Chi - Square Assumptions:

Random Sampling : The data is collected randomly and this conditions is assumed to be met. Independence : This condition is also assumed to be met. Counted Data Condition: this condition is met as we have frequencies of individual categories. From `chi_sq_table`, we can also see that expected cell frequencies is also met.

```
chi_sq_table
```

```
##
##           FALSE   TRUE
## Middle-aged 83206 224734
## Older      37806 112936
## Younger    99860 272189
```

Is the mean age of the drivers who got arrested same as the mean age of driver got received warning ?

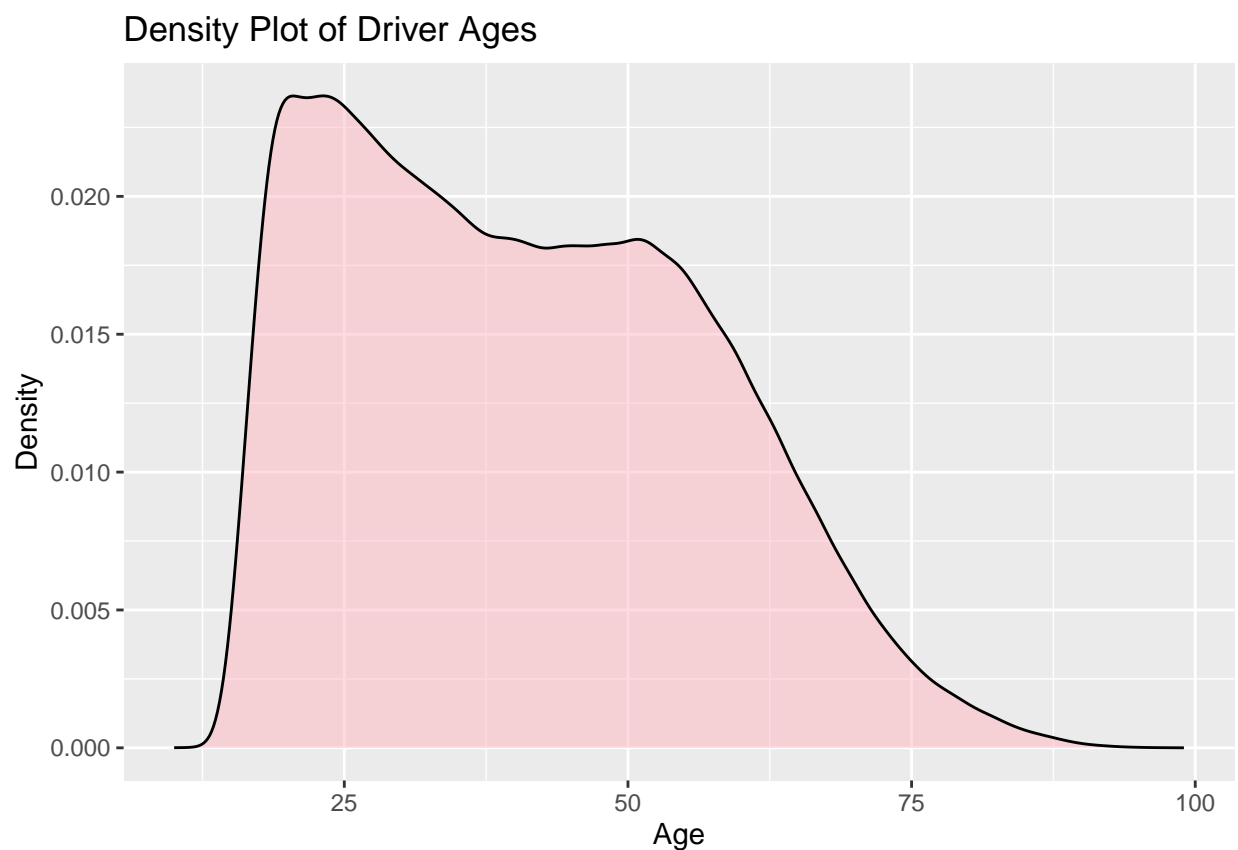
Considering that an arrest is more severe than a warning, it is likely possible that a driver would have received a warning before getting arrested. If younger population is more likely to be arrested, the law can

enforce programs in schools to educate students on violations and address the specific behavior. Since only arrests and warnings are studied, we have removed the traffic stops against citations

```
arrests_warning_filtered <- data_filtered %>%  
  filter(outcome %in% c("arrest", "warning"))
```

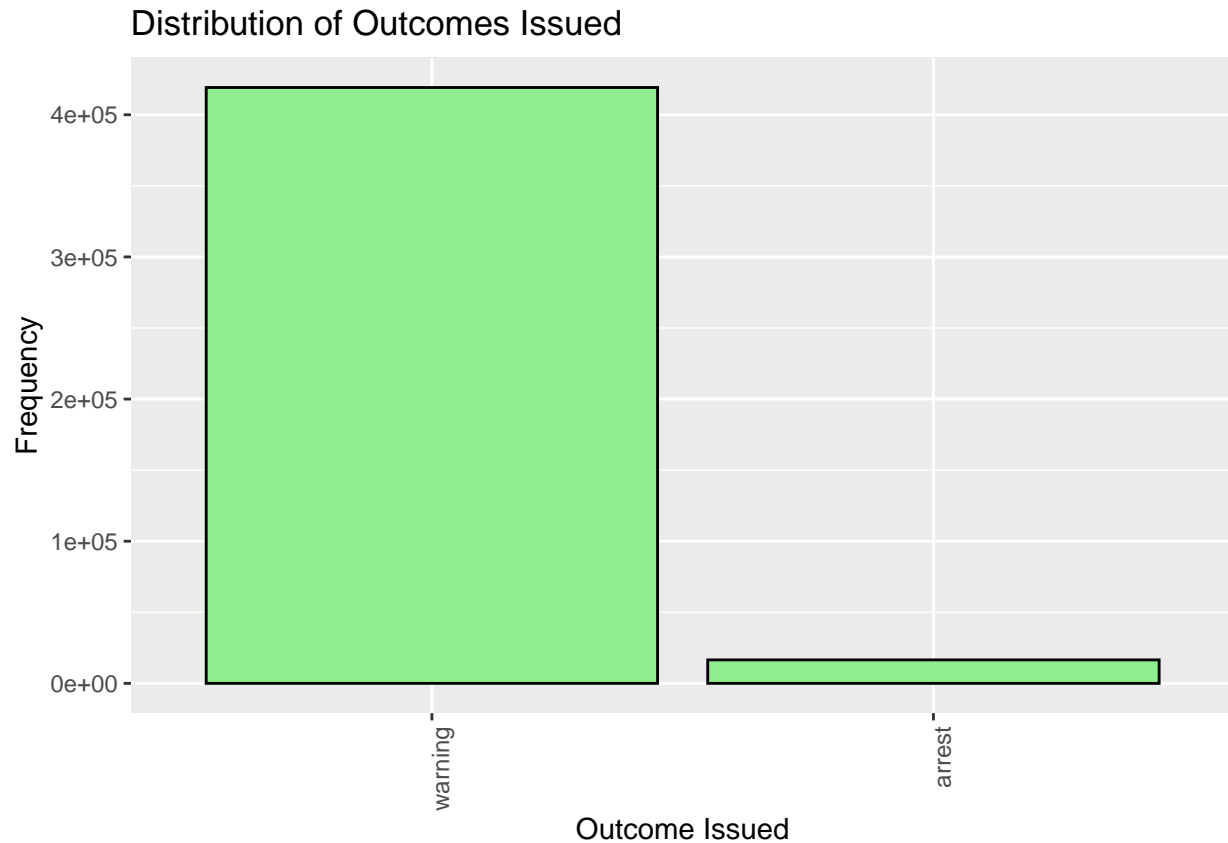
Analyzing the columns “subject_age” and “outcome”, we observe that age is numerical, continuous data where outcome is categorical data with only 2 values.

```
ggplot(arrests_warning_filtered, aes(x = subject_age)) +  
  geom_density(fill = "lightpink", alpha = 0.5) +  
  labs(title = "Density Plot of Driver Ages", x = "Age", y = "Density")
```



The graph is right-skewed with two peaks, and the age of majority of the drivers are in the range of 20-50 years.

```
ggplot(arrests_warning_filtered, aes(x = outcome)) +  
  geom_bar(fill = "lightgreen", color = "black") +  
  labs(title = "Distribution of Outcomes Issued", x = "Outcome Issued", y = "Frequency") +  
  theme(axis.text.x = element_text(angle = 90, hjust = 1))
```



To run the test, a few assumptions are made:

- 1) Data is sampled randomly
- 2) Data is independent of one another
- 3) Large sample size

Hypothesis

Problem Statement : The average age of drivers involved in traffic stops that result in arrests does not differ from the average age of drivers involved in stops that result in warnings.

Null Hypothesis : True difference in means between group warning and group arrest is equal to 0

Alternate Hypothesis : True difference in means between group warning and group arrest is not equal to 0.

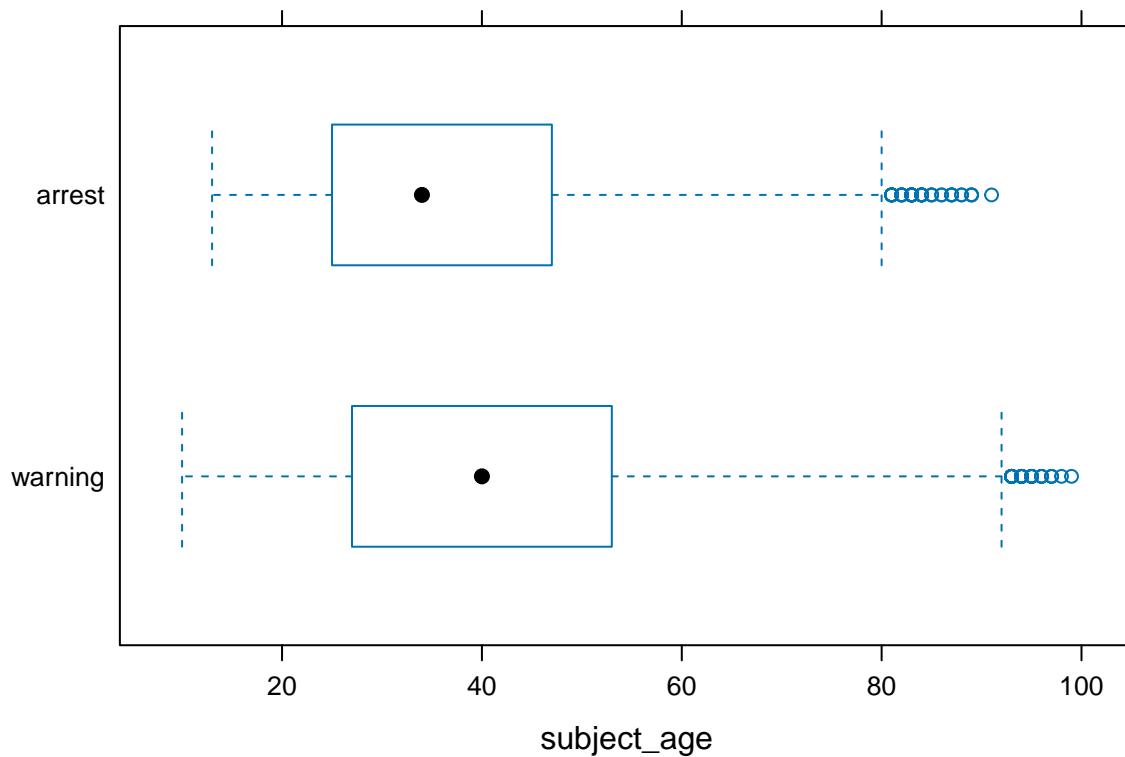
2 tests are run to study, t-test and anova

```
arrests_warning_test <- t.test(subject_age ~ outcome, data = arrests_warning_filtered)
print(arrests_warning_test)
```

Method 1 : T - test

```
##
## Welch Two Sample t-test
##
## data: subject_age by outcome
## t = 36.469, df = 18160, p-value < 2.2e-16
## alternative hypothesis: true difference in means between group warning and group arrest is not equal
## 95 percent confidence interval:
##  3.980863 4.433083
## sample estimates:
## mean in group warning mean in group arrest
##           41.06908           36.86211
```

```
bwplot(outcome ~ subject_age, data=arrests_warning_filtered)
```



Interpretation: Since 0 does not lie in the confidence interval, the difference in mean can never be 0, therefore rejecting the null hypothesis. The average age of drivers involved in traffic stops that result in arrests differs significantly from the average age of drivers involved in stops that result in warnings.

```
anova_arrests_warning_anova <- aov(subject_age ~ outcome, data = arrests_warning_filtered)
summary(anova_arrests_warning_anova)
```

Method 2 : Anova

```
##               Df      Sum Sq Mean Sq F value Pr(>F)
## outcome         1      281180   281180    1092 <2e-16 ***
## Residuals    435683 112181886      257
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
TukeyHSD(anova_arrests_warning_anova)
```

```
##      Tukey multiple comparisons of means
##      95% family-wise confidence level
##
## Fit: aov(formula = subject_age ~ outcome, data = arrests_warning_filtered)
##
## $outcome
##               diff          lwr          upr p adj
## arrest-warning -4.206973 -4.45649 -3.957455      0
```

Interpretation: With very high f-value and very less p-value, the anova results are rejecting the null hypothesis. The difference in the mean is nearly 4.2 years and we are 95% confident that the difference in the age lies between 3.95 to 4.45 years.

Is the time of the day a factor in determining the outcome of the traffic stop?

To ease the analysis, we have grouped the time such that all the traffic stops that have occurred in an hour will be group to it's corresponding hour. For example, if the traffic stop is issued at "02:45:89", the value under the column "hour" will be 2. Also we have considered only the one violated against every event that has occurred, assuming that the first violation entered has the highest severity.

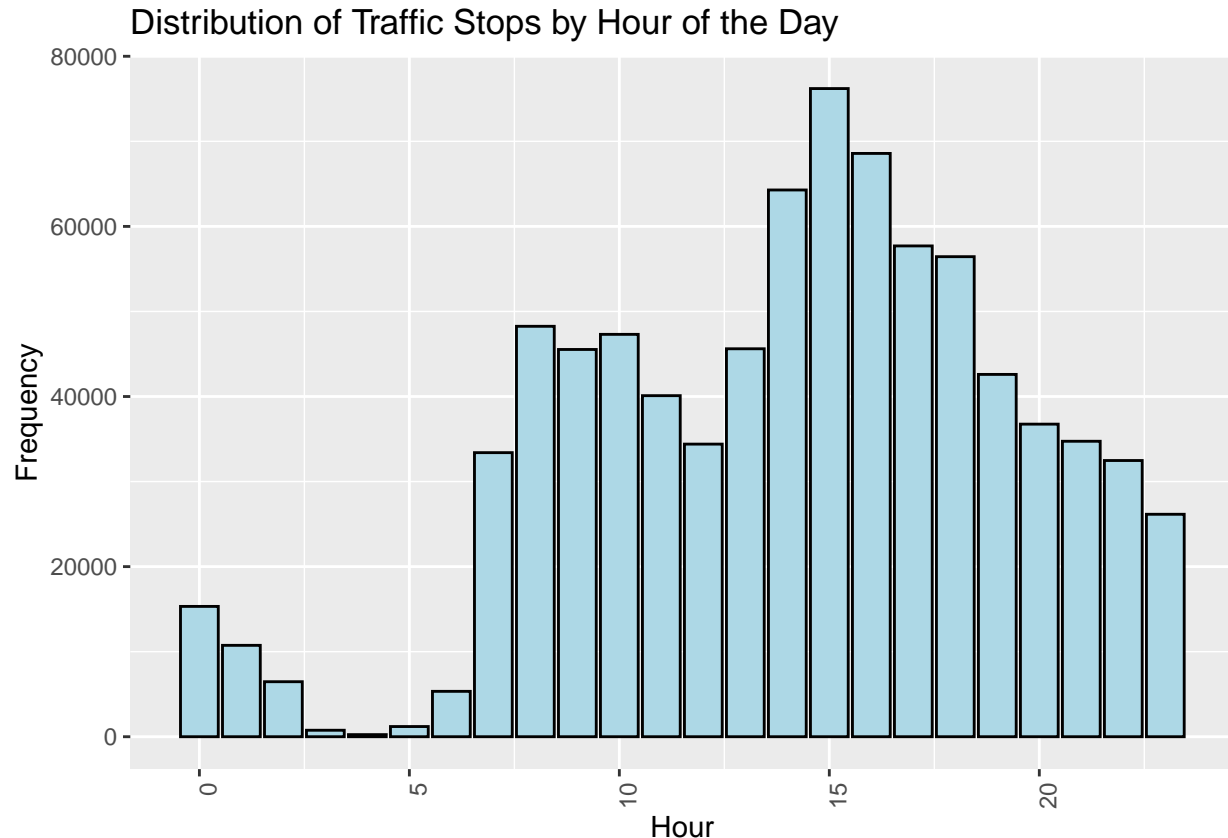
```
data_filtered$hour <- hour(data_filtered$time)
remove_alpha_rows <- function(data) {
  alpha_rows <- grep("[a-zA-Z]", data$violation)
  if (length(alpha_rows) > 0) {
    data <- data[-alpha_rows, , drop = FALSE]
  }
  return(data)
}

retrieve_values_until_pipe <- function(data) {
  split_values <- strsplit(data$violation, "|", fixed = TRUE)
  data$violation <- sapply(split_values, "[[", 1)
  return(data)
}

data_filtered <- remove_alpha_rows(data_filtered)
#mt_data_filtered$violation_code <- substring(mt_data_filtered$violation, 1, 3)
data_filtered <- retrieve_values_until_pipe(data_filtered)
```

Distribution of traffic stops by hour of the day

```
ggplot(data_filtered, aes(x = hour)) +
  geom_bar(fill = "lightblue", color = "black") +
  labs(title = "Distribution of Traffic Stops by Hour of the Day", x = "Hour", y = "Frequency") +
  theme(axis.text.x = element_text(angle = 90, hjust = 1))
```



To further study the time of the day, we have to group the time into 4 categories, namely, Night, Morning, Afternoon and Evening.

```
data_filtered$hour_category <- cut(data_filtered$hour, breaks = c(-Inf, 6, 12, 17, 20, Inf), labels = c
```

```
summary(data_filtered)
```

```
##      date           time      county_name      subject_sex
## Min.   :2009-01-01   Length:830611   Length:830611   male :558387
## 1st Qu.:2011-11-10   Class1:hms      Class :character female:272224
## Median :2013-11-09   Class2:difftime Mode  :character
## Mean   :2013-11-14   Mode  :numeric
## 3rd Qu.:2015-10-15
## Max.   :2017-12-31
## subject_age  citation_issued warning_issued arrest_made
## Min.   :10.00   Mode :logical   Mode :logical   Mode :logical
## 1st Qu.:26.00   FALSE:433249   FALSE:220829   FALSE:814107
## Median :37.00   TRUE :397362    TRUE :609782    TRUE :16504
## Mean    :39.37
## 3rd Qu.:51.00
```

```
## Max. :99.00
## outcome frisk_performed search_conducted reason_for_stop
## warning :419117 Mode :logical Mode :logical Length:830611
## citation:394990 FALSE:830598 FALSE:827218 Class :character
## summons : 0 TRUE :13 TRUE :3393 Mode :character
## arrest : 16504
##
##
## vehicle_make vehicle_model vehicle_type vehicle_year
## Length:830611 Length:830611 Length:830611 Min. :1915
## Class :character Class :character Class :character 1st Qu.:2000
## Mode :character Mode :character Mode :character Median :2005
## Mean :2004
## 3rd Qu.:2009
## Max. :2019
## violation hour hour_category
## Length:830611 Min. : 0.00 Night :133447
## Class :character 1st Qu.:10.00 Morning :248992
## Mode :character Median :15.00 Afternoon:312382
## Mean :14.14 Evening :135790
## 3rd Qu.:18.00
## Max. :23.00
```

Since there are no records of summons issued, lets remove the label summons from outcome column.

```
# Drop unused levels from the factor
data_filtered$outcome <- droplevels(data_filtered$outcome)
print(unique(data_filtered$outcome))
```

```
## [1] citation warning arrest
## Levels: warning citation arrest
```

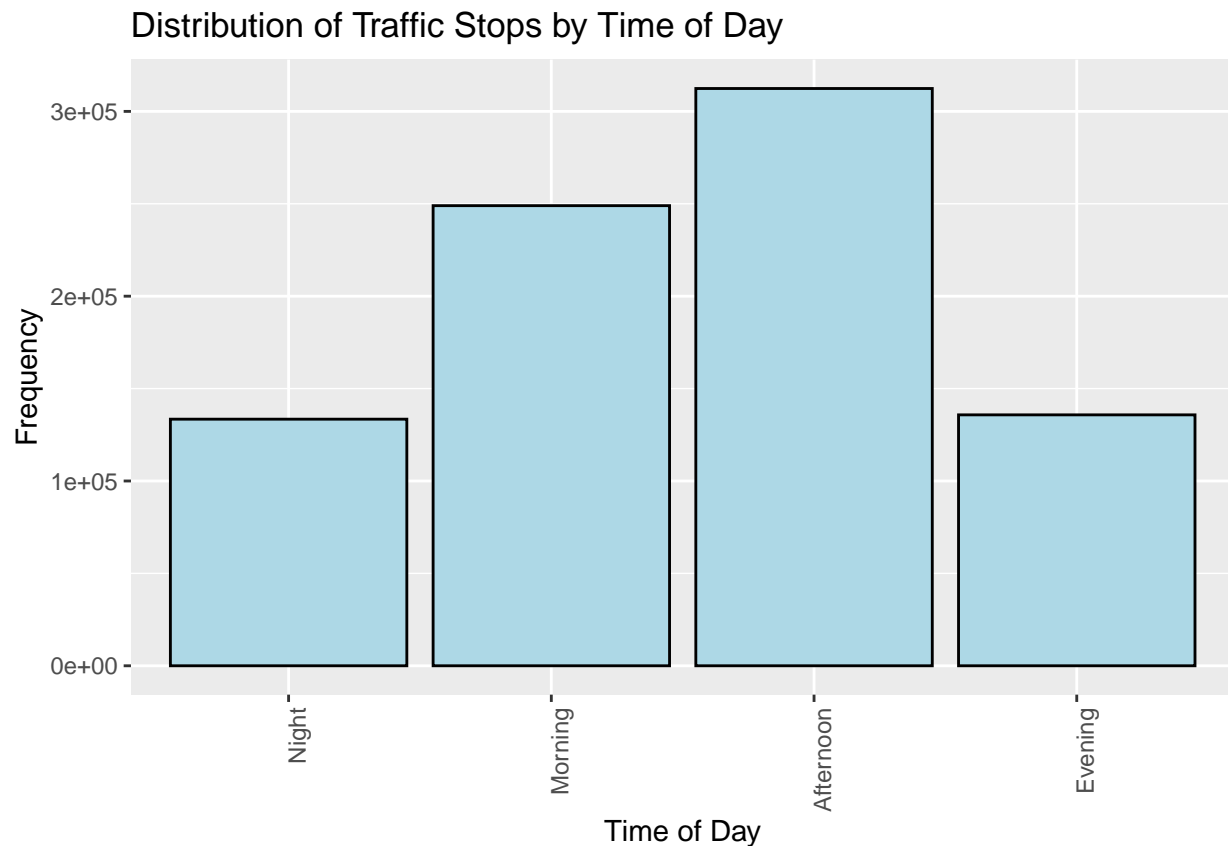
```
summary(data_filtered)
```

```
## date time county_name subject_sex
## Min. :2009-01-01 Length:830611 Length:830611 male :558387
## 1st Qu.:2011-11-10 Class1:hms Class :character female:272224
## Median :2013-11-09 Class2:difftime Mode :character
## Mean :2013-11-14 Mode :numeric
## 3rd Qu.:2015-10-15
## Max. :2017-12-31
## subject_age citation_issued warning_issued arrest_made
## Min. :10.00 Mode :logical Mode :logical Mode :logical
## 1st Qu.:26.00 FALSE:433249 FALSE:220829 FALSE:814107
## Median :37.00 TRUE :397362 TRUE :609782 TRUE :16504
## Mean :39.37
## 3rd Qu.:51.00
## Max. :99.00
## outcome frisk_performed search_conducted reason_for_stop
## warning :419117 Mode :logical Mode :logical Length:830611
## citation:394990 FALSE:830598 FALSE:827218 Class :character
## arrest : 16504 TRUE :13 TRUE :3393 Mode :character
##
```

```
##
##
##  vehicle_make      vehicle_model      vehicle_type      vehicle_year
##  Length:830611      Length:830611      Length:830611      Min.   :1915
##  Class :character    Class :character    Class :character    1st Qu.:2000
##  Mode  :character    Mode  :character    Mode  :character    Median :2005
##                                     Mean  :2004
##                                     3rd Qu.:2009
##                                     Max.   :2019
##
##  violation          hour          hour_category
##  Length:830611      Min.   : 0.00      Night   :133447
##  Class :character    1st Qu.:10.00      Morning :248992
##  Mode  :character    Median :15.00      Afternoon:312382
##                                     Mean   :14.14      Evening :135790
##                                     3rd Qu.:18.00
##                                     Max.   :23.00
```

Considering that the time of the day can be a factor in determining the outcome of the traffic stop, we have to study the columns “hour_category” and “outcome”, where the former is categorical and the latter is also categorical with 3 values.

```
ggplot(data_filtered, aes(x = hour_category)) +
  geom_bar(fill = "lightblue", color = "black") +
  labs(title = "Distribution of Traffic Stops by Time of Day", x = "Time of Day", y = "Frequency") +
  theme(axis.text.x = element_text(angle = 90, hjust = 1))
```



To run the test, a few assumptions are made:

- 1) Data is sampled randomly
- 2) Data is independent of one another
- 3) Large sample size

Hypothesis

Problem Statement : The time of the day is not a factor in determining the outcome of the traffic stop.

Null Hypothesis : The time of the day is not a factor in determining the outcome of the traffic stop.

Alternate Hypothesis : The time of the day is a factor in determining the outcome of the traffic stop.

Chi-square test

```
time_outcome_table <- table(data_filtered$hour_category, data_filtered$outcome)
time_outcome_table
```

```
##
##           warning citation arrest
## Night           78298     52139  3010
## Morning        121580    123207  4205
## Afternoon     148155    157967  6260
## Evening        71084     61677  3029
```

```
chisq.test(time_outcome_table)
```

```
##
## Pearson's Chi-squared test
##
## data:  time_outcome_table
## X-squared = 5722.6, df = 6, p-value < 2.2e-16
```

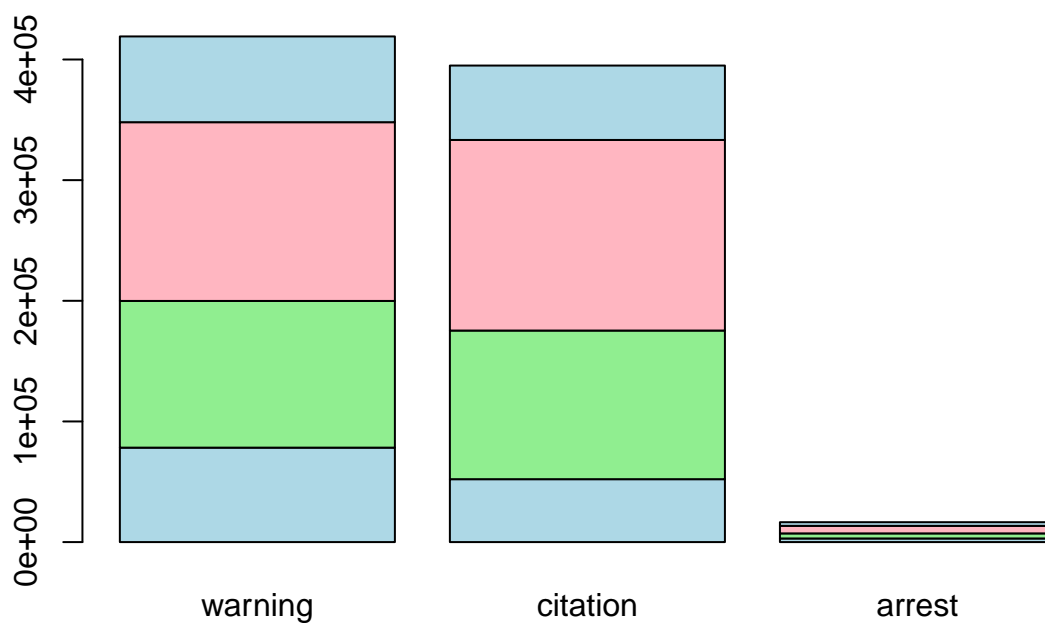
Interpretation: With a p-value even less than 0.0001, we reject the null hypothesis. The time of the day is a factor in determining the outcome of the traffic stop.

Visualization

Using a stacked bar plot, we can visualize the relationship between the time of the day and the outcome of the traffic stop.

```
barplot(time_outcome_table, main = "Stacked Bar Plot of Time of Day vs. Outcome", col = c("lightblue",
```


Stacked Bar Plot of Time of Day vs. Outcome



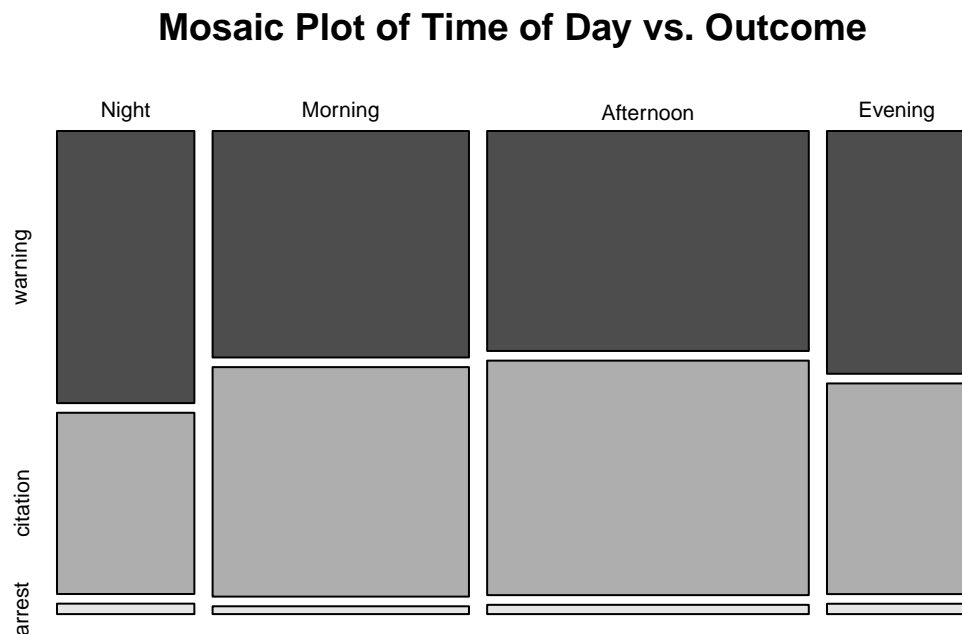
Using a grouped bar plot, we can visualize the relationship between the time of the day and the outcome of the traffic stop.

```
ggplot(data_filtered, aes(x = hour_category, fill = outcome)) +  
  geom_bar(position = "dodge") +  
  labs(title = "Grouped Bar Plot of Time of Day vs. Outcome", x = "Time of Day", y = "Frequency") +  
  theme(axis.text.x = element_text(angle = 90, hjust = 1))
```



Using a mosaic plot, we can visualize the relationship between the time of the day and the outcome of the traffic stop.

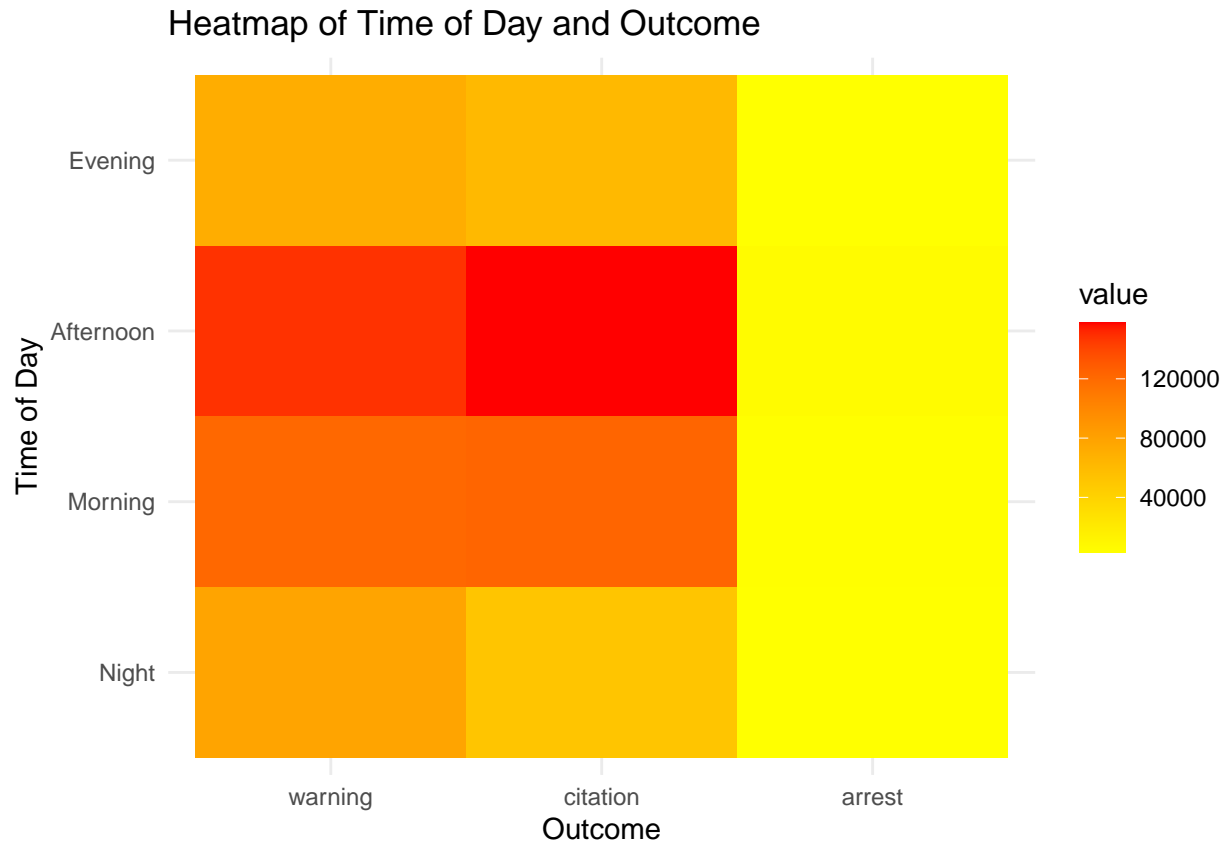
```
mosaicplot(time_outcome_table, main = "Mosaic Plot of Time of Day vs. Outcome", color = TRUE)
```



Using a heat map, we can visualize the relationship between the time of the day and the outcome of the traffic stop.

```
time_melted <- melt(time_outcome_table)

# Plotting the heatmap
ggplot(time_melted, aes(x=Var2, y=Var1, fill=value)) +
  geom_tile() +
  scale_fill_gradient(low="yellow", high="red") +
  labs(title="Heatmap of Time of Day and Outcome", x="Outcome", y="Time of Day") +
  theme_minimal()
```



For this hypothesis, there is a large skew in the data, with most of the traffic stops occurring in the morning and afternoon. This could be due to various factors such as rush hour traffic, school zones, and work schedules.

The outcome of the traffic stops is also skewed, with most stops resulting in warnings and citations.

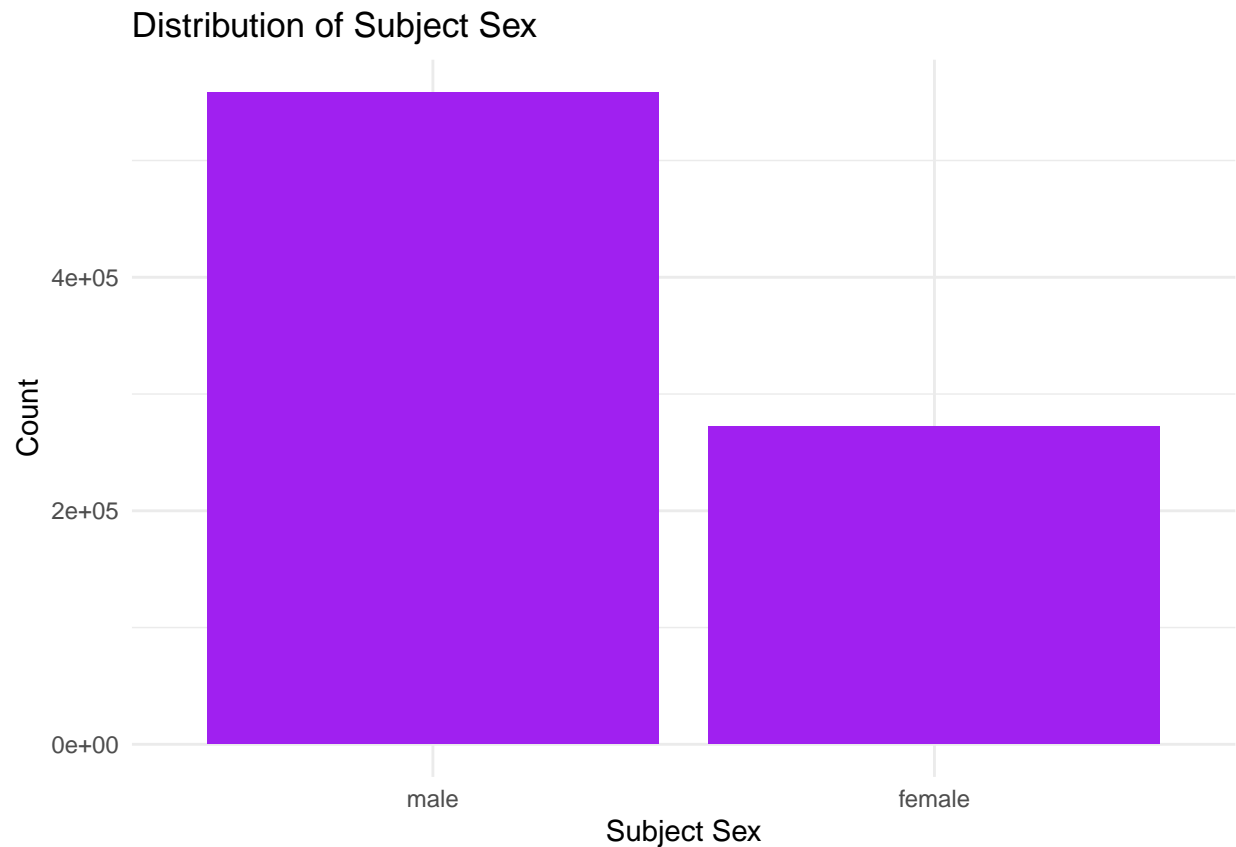
The chi-square test results indicate that the time of the day is a factor in determining the outcome of the traffic stop. This could be due to various factors such as law enforcement practices, traffic patterns, and driver behavior at different times of the day.

But given the skew in the data, further analysis is needed to determine the specific factors that influence the outcome of traffic stops at different times of the day. As none of the plots are showing a clear relationship between the time of the day and the outcome of the traffic stop, further analysis is needed to understand the underlying patterns and trends in the data.

Are female drivers less at risk for violations compared to male drivers?

```
library(ggplot2)

ggplot(data_filtered, aes(x = subject_sex)) +
  geom_bar(fill = "purple") +
  labs(title = "Distribution of Subject Sex", x = "Subject Sex", y = "Count") +
  theme_minimal()
```



To run the test, we have made a few assumptions. They are:

- 1) We have randomly sampled data.
- 2) Data is independent of one another
- 3) We have Large sample size of data

Hypothesis

Null Hypothesis : Female drivers are more at risk for violations compared to male drivers.

Alternate Hypothesis : Female drivers are less at risk for violations compared to male drivers.

```
risk_table <- table(data_filtered$subject_sex, data_filtered$outcome)
columns_with_zeros <- apply(risk_table, 2, function(col) all(col == 0))
risk_table <- risk_table[, !columns_with_zeros]
print(risk_table)
```

```
##
##      warning citation arrest
##  male    277242    269677   11468
##  female   141875    125313    5036
```

```
chi_sq_test <- chisq.test(risk_table)
print(chi_sq_test)
```

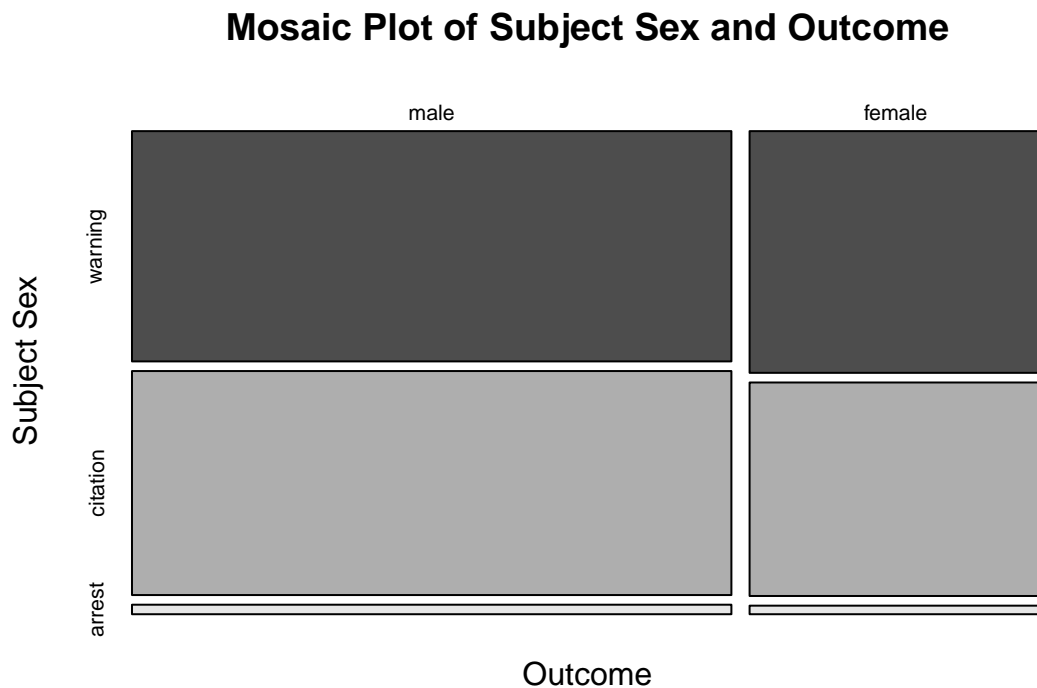
```
##
## Pearson's Chi-squared test
##
## data: risk_table
## X-squared = 455.93, df = 2, p-value < 2.2e-16
```

Interpretation: With a very small p-value as shown in the results above, we can reject the null hypothesis, and conclude that female drivers are less at risk for violations compared to male drivers.

Visualizations

A mosaic plot is useful for visualizing the relationship between Subject Sex and Outcome.

```
mosaicplot(risk_table, main="Mosaic Plot of Subject Sex and Outcome",
           xlab="Outcome", ylab="Subject Sex", color=TRUE)
```



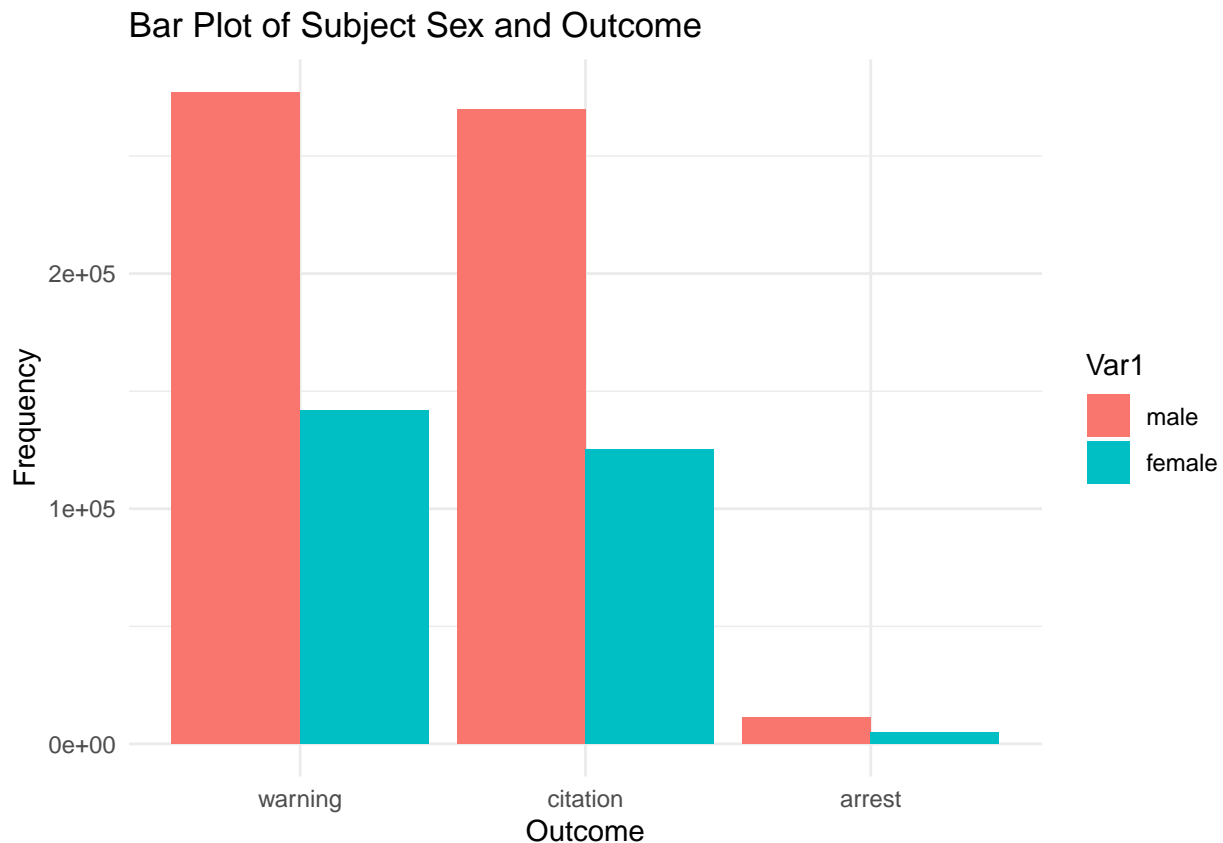
A bar plot can also be helpful to visualize the frequencies of these categories.

```

# Converting the table to a data frame
risk_df <- as.data.frame(risk_table)

# Plotting using ggplot2
library(ggplot2)
ggplot(risk_df, aes(x=Var2, y=Freq, fill=Var1)) +
  geom_bar(stat="identity", position="dodge") +
  labs(title="Bar Plot of Subject Sex and Outcome", x="Outcome", y="Frequency") +
  theme_minimal()

```



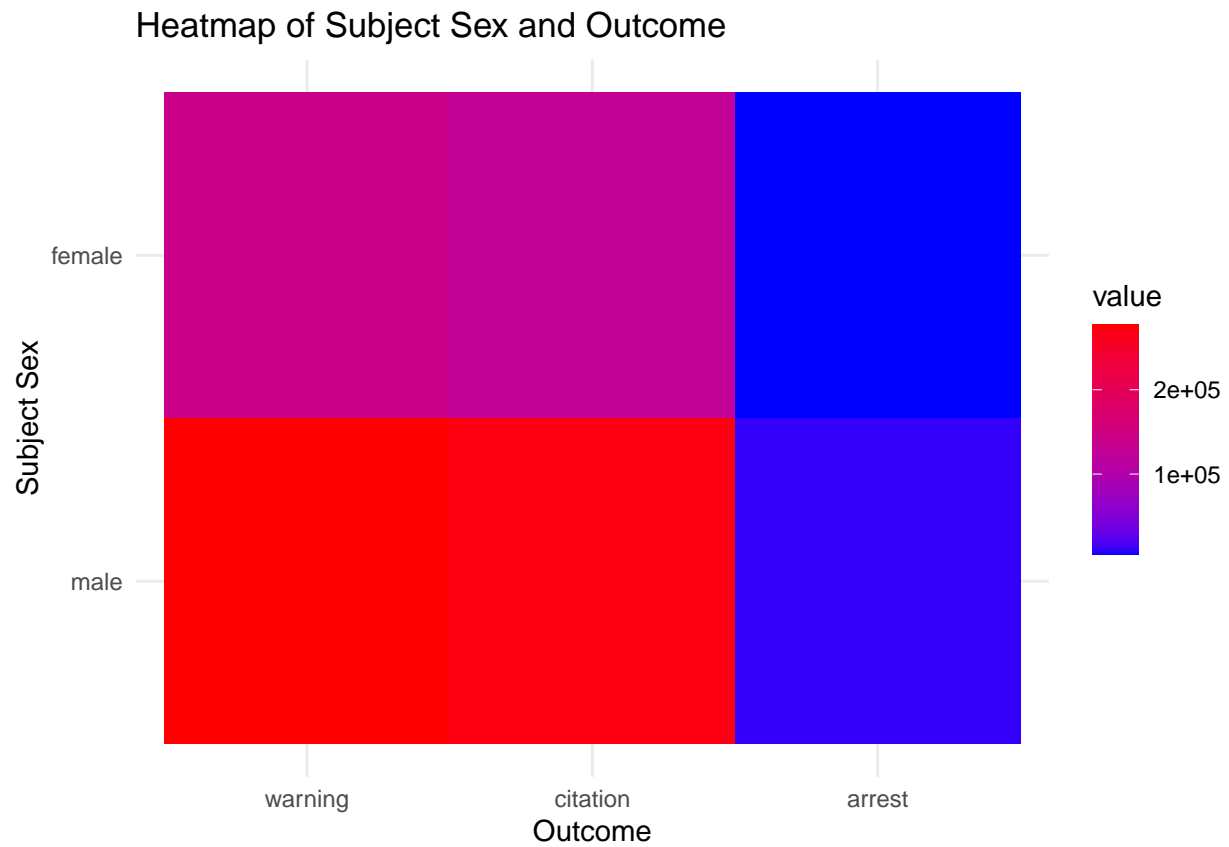
Heatmaps are also great visualization tool that can reveal patterns and relationships between these variables that may not be immediately apparent in the data.

```

# Melting the table
risk_melted <- melt(risk_table)

# Plotting the heatmap
ggplot(risk_melted, aes(x=Var2, y=Var1, fill=value)) +
  geom_tile() +
  scale_fill_gradient(low="blue", high="red") +
  labs(title="Heatmap of Subject Sex and Outcome", x="Outcome", y="Subject Sex") +
  theme_minimal()

```



For this hypothesis, the data shows a significant skew, with most outcomes being either warnings or citations. The visualizations also clearly indicate that males have a higher number of violations and are at greater risk compared to females, corroborating the chi-square test results.