Elon's tweet vs Tesla price change

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1. Introduction

1.1 Research question

How much does Elon Musk's number of tweets per day affect Tesla's stock price change?

1.2 Motivation

One day I met a friend at a social gathering. At the same age as me, a former lawyer introduced himself as a full-time father after retiring earlier this year.

- Sean: How did you already retire at such an early age? Are you taking a break?
- Friend: Actually, not. I don't have to work anymore with the realized income from Tesla shares.
- Sean: It is still difficult for me to predict stock market. Do you have any secrets?
- Friend: Rather than relying on analysis reports, I watched and observed Elon's Tweeting.

 I figured that he tweets before they release favorable news to the public.

After that, I observed Elon's pattern of tweets, and I could see the stock price fluctuating after he left several tweets a day over the past few months. Therefore, through this project, I would like to clear the question of 'How much does Elon Musk's number of tweets per day affect Tesla's stock price change?'



Elon Musk's daily tweets (Source: Twitter)

1.3 Why we should care about this question

For stock investors, especially day-traders, the rate of change in stock prices is an important factor for short-term planning. Even if the degree of change is small, it can be usefully reflected in the stock price prediction model if the variable has statistically convincing evidence.

2. Data Investigation Overview

We will apply simple linear regression to the analysis. Stock price change (%) = β 0 + β 1*tweet. We will gather two separate datasets, one for tweets and the other one for the stock price, and then combine those two. The period of the original dataset ranges between 2010 and 2021 and moving averages per lengths. With the datasets, we will statistically analyze them with a simple linear regression. Finally, we will interpret the output from different points of view.

As a disclaimer, our major question, "How much does Elon Musk's number of tweets per day affect Tesla's stock price change?" may have several different approaches to get the most trustful answer depending on each perspective.

2.1 Data sources

We referred to two sources - Tweet and stock price. Tweet dataset comes from 'Kaggle.com' (URL: https://www.kaggle.com/ayhmrba/elon-musk-tweets-2010-2021), and stock price dataset is based on 'Nasdaq.com' (URL: https://www.nasdaq.com/)

2.2 Data analysis tools

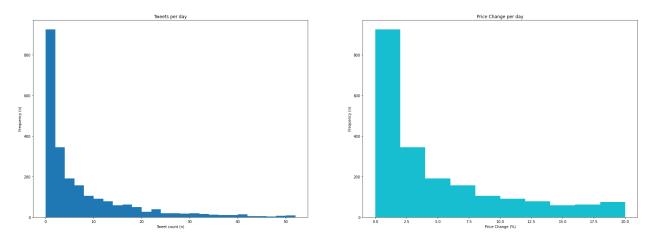
We used Microsoft Excel and Python to clean and organize those two datasets and as an analysis tool.

3. Data Summary

The original dataset includes stock price and Elon's tweets records between January 2010 and March 2021. Elon started his first tweet in 2010 and still using Twitter as the major social media. Because there was no tweeting until January 2012 after his first tweet in January 2010, we include datasets from January 2012 to March 2021. There were 24,056 tweets during the period. After grouping the tweets by date, we got 2,349 unique entries for one qualitative variable and two quantitative variables. The dependent variable in the analysis is 'price change (%)' and the independent variable is 'Tweet count.'

- Qualitative variable: date ('yyyy-mm-dd')
- Quantitative variable: price change (%), Tweet count per day (integer)

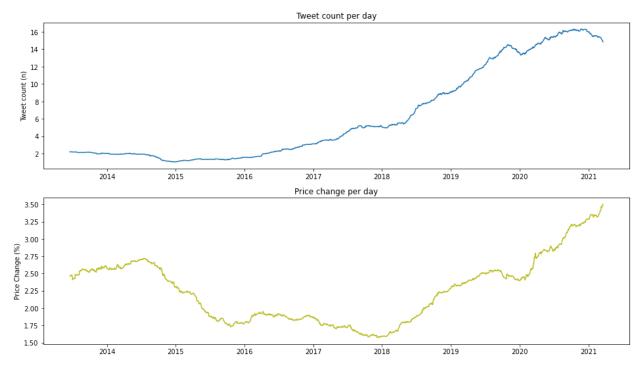
3.1 Histogram



Histogram for Tweet per day and Tesla price change (by Sean Yeon)

Both datasets show a right-skewed pattern with its mode around the beginning of datasets.

3.2 Line plot – Tweet vs Price Change



Tesla Stock price (Source: Nasdaq, Designed by Sean Yeon)

Comparing the two graphs above, it seems that the stock price has proportionally increased and decreased according to the number of tweets a day over the period.

3.3 Five-number Summary and Correlation coefficient

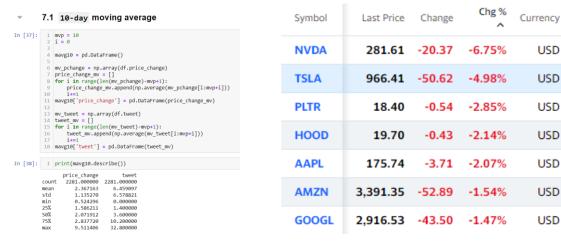
According to Investopedia, common moving average lengths are 10, 20, 50, 100 and 200.

10-day moving average			20-day moving average			50-day moving average		
price	_change	tweet	prio	ce_change	tweet	price_c	change	tweet
count	2281.000000	2281.000000	count	2271.000000	2271.000000	count	2241.000000	2241.000000
mean	2.367163	6.459097	mean	2.356078	6.465918	mean	2.349229	6.484766
std	1.135270	6.578821	std	0.974178	6.238348	std	0.824967	5.966694
min	0.524296	0.000000	min	0.736068	0.100000	min	1.068783	0.480000
25%	1.586211	1.400000	25%	1.688797	1.500000	25%	1.742189	1.600000
50%	2.071912	3.600000	50%	2.117926	3.600000	50%	2.145273	3.920000
75%	2.837720	10.200000	75%	2.799763	10.400000	75%	2.793376	11.520000
max	9.511406	32.800000	max	7.466539	27.300000	max	5.938148	22.160000
Correla	ation coeffici	ent: 0.347522	Correla	ation coeffici	ent: 0.413212	Correla	tion coeffici	ent: 0.509014
1	100-day moving aver	age	2	00-day moving aver	age	3	65-dav moving aver	age
_	100-day moving avers	age tweet	_	200-day moving aver	<u>age</u> tweet	_	65-day moving aver	age tweet
price_c			_	00-day moving aver change 2091.000000		_	65-day moving aver ce_change 1926.000000	
price_	change	tweet	price	_change	tweet	pric	ce_change	tweet
price_count	change 2191.000000	tweet 2191.000000	price_ count	_change 2091.000000	tweet 2091.000000	pric count	ce_change 1926.000000	tweet 1926.000000
price_count mean	change 2191.000000 2.343527	tweet 2191.000000 6.508772	price count mean	_change 2091.000000 2.311758	tweet 2091.000000 6.422233	prio count mean	ce_change 1926.000000 2.249040	tweet 1926.000000 6.176967
price_count mean std	change 2191.000000 2.343527 0.725674	tweet 2191.000000 6.508772 5.831767	price_ count mean std	_change 2091.000000 2.311758 0.623407	tweet 2091.000000 6.422233 5.613473	pric count mean std	ce_change 1926.000000 2.249040 0.466759	tweet 1926.000000 6.176967 5.231497
price_count mean std min	change 2191.000000 2.343527 0.725674 1.370850	tweet 2191.000000 6.508772 5.831767 0.800000	price_ count mean std min	change 2091.000000 2.311758 0.623407 1.439701	tweet 2091.000000 6.422233 5.613473 1.040000	pric count mean std min	ce_change 1926.000000 2.249040 0.466759 1.574526	tweet 1926.000000 6.176967 5.231497 1.052055
price_count mean std min 25%	change 2191.000000 2.343527 0.725674 1.370850 1.770261	tweet 2191.000000 6.508772 5.831767 0.800000 1.580000	price count mean std min 25%	change 2091.000000 2.311758 0.623407 1.439701 1.785463	tweet 2091.000000 6.422233 5.613473 1.040000 1.620000	pric count mean std min 25%	e_change 1926.000000 2.249040 0.466759 1.574526 1.834991	tweet 1926.000000 6.176967 5.231497 1.052055 1.939726
price_count mean std min 25% 50%	change 2191.000000 2.343527 0.725674 1.370850 1.770261 2.198515	tweet 2191.000000 6.508772 5.831767 0.800000 1.580000 3.880000	price count mean std min 25% 50%	change 2091.000000 2.311758 0.623407 1.439701 1.785463 2.191361	tweet 2091.000000 6.422233 5.613473 1.040000 1.620000 4.020000	pric count mean std min 25% 50%	e_change 1926.000000 2.249040 0.466759 1.574526 1.834991 2.237647	tweet 1926.000000 6.176967 5.231497 1.052055 1.939726 3.586301

Five-number summary and correlation coefficient (by Sean Yeon)

In the moving average of "200-day", we have the highest correlation coefficient, 0.599. "10-day" and "100day" moving averages have the highest mean value for "price change" and "tweet," respectively.

(continued)



Code cells (Source: Jupyter Notebook by Sean Yeon)

Stock Price Change (Source: Yahoo Finance)

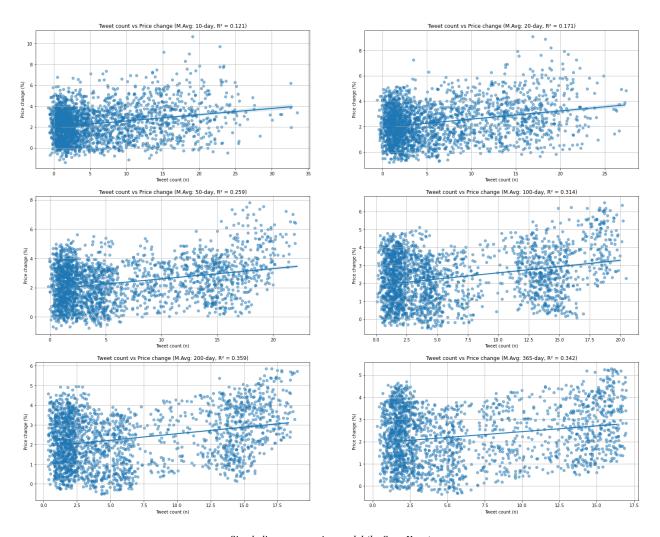
USD

USD

USD

4. Inferences - Simple linear regression

For 'Stock price change (%) = $\beta 0 + \beta 1$ *tweet(n)', we fitted each dataset into a linear regression model by OLS (ordinary least squares).

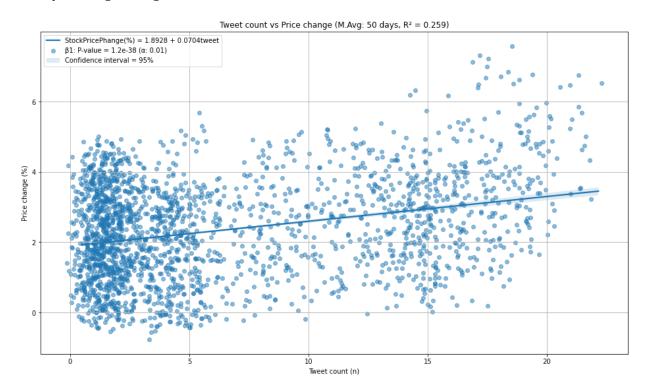


Simple linear regression model (by Sean Yeon)

- For 'Stock price change(%) = $\beta 0 + \beta 1 * tweet(n)$ ', H0: $\beta 0 = 0$ vs H1: $\beta 0 \neq 0$ and H0: $\beta 1 = 0$ vs H1: $\beta 1 \neq 0$
- We assume our critical value(α) in this analysis at 0.01 or 1%.
- The p-value for the slope in each dataset has less than our critical value (0.01 or 1%), which suggests that the number of tweets in the datasets is statistically significant in relation to the stock price change.
- 200-day moving average has the highest R-squared, 0.359.

To find the most used moving average in the stock market, we referred to Investopedia, "Which moving average is the most important?" We will interpret the "50-day" moving average here according to the reference.

50-Day moving average



- The R-squared is 0.259, meaning that 25.9% of the variability in the response stock price change is explained by the number of tweets through the linear regression model; in other words, the remaining 74.1% of the variability is due to characteristics that are not the number of tweets.
- Stock Price Change (%) = 1.8928 + 0.0704*tweet(n)
- The predicted stock price change (%) is equal to 1.8928 plus 0.0704 times the number of tweets.
- If there is no tweeting, we would predict that the stock price has about 1.8928% change on average.
- Every one-unit increase in the number of tweets, we would predict that the stock price would change by 0.0704% on average.

5. Conclusion

We conducted simple linear regression and statistical analysis for the research question, 'How much does Elon Musk's number of tweets per day affect Tesla's stock price change?'. The R-squared in our model is 0.259, meaning that 25.9% of the variability in the response - stock price change is explained by the number of tweets through the linear regression model; in other words, the remaining 74.1% of the variability is due to characteristics that are not the number of tweets.

The predicted stock price change (%) equals 1.8928 plus 0.0704 times the number of tweets. If there is no tweeting, we would expect the stock price to have about 1.8928% change on average. For every one-unit increase in the number of tweets, we would predict that the stock price would change by 0.0704%. For example, if Elon tweets 20 times a day, it may trigger the stock price change about $1.8928 + 0.0704 \times 20$, or 3.30% on average in the 50-day moving average.

We also researched what a good R-squared value is. According to Investopedia, "What qualifies as a "good" R-Squared value will depend on the context. In some fields, such as the social sciences, even a relatively low R-Squared such as 0.5 could be considered relatively strong." Therefore, our R-squared analysis is worth considering because a person's tweeting trend is more closely related to the finance vs. social sciences than stock market indexes.

6. Reference

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- Small R-squared value ("Can a Regression Model with a Small R-squared Be Useful?", The Analysis Factor, Karen Grace-Martin, Apr 23, 2019): https://www.theanalysisfactor.com/small-r-squared/
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- Tesla stock price ("Downloading historical stock prices in Python", toward data science, Rohan Joseph, Oct 13, 2020): https://towardsdatascience.com/downloading-historical-stock-prices-in-python-93f85f059c1f
- Useful moving average ("How to Use a Moving Average to Buy Stocks", Investopedia, Cory Mitchell, Apr 28, 2021): https://www.investopedia.com/articles/active-trading/052014/how-use-moving-average-buy-stocks.asp
- Most important moving average ("Why the 50-Day Simple Moving Average Is Popular Among Traders", Investopedia, J.B. MAVERICK): https://www.investopedia.com/ask/answers/012815/why-50-simple-moving-average-sma-so-common-traders-and-analysts.asp

7. Source Code

https://github.com/cpasean/Projects/blob/main/Project_Business%20Analysis_TweetCount_vs_TeslaStockPriceChange.ipynb