



girls from Winnetka, 7 girls from Wilmette, 4 boys from Glencoe, 2 boys from Winnetka and 9 girls from Glenoche. If the teacher calls upon a student to answer a question, what is the probability that the student will be a boy?

- A) 0.385
- B) 0.436
- C) 0.8
- D) 0.282

front 2

$$11+4+2 = 17 \text{ boys}$$
$$6+7+9 = 22 \text{ girls}$$
$$\text{total } 39 \text{ students}$$

$$17/39 = .436$$

back 2

The diameters of bolts produced by a certain machine are normally distributed with a mean of 0.30 inches and a standard deviation of 0.01 inches. What percentage of bolts will have a diameter greater than 0.32 inches?

- A) 2.28%
- B) 37.45%
- C) 97.72%
- D) 47.72%

$$A) 2.28\%$$

$$(.32-.3)/.01 =$$

normalcdf  
lower 2

front 3

A sample of 100 wood and 100 graphite tennis rackets are taken from the warehouse. If 9 wood and 14 graphite are defective and one racket is randomly selected from the sample, find the probability that the racket is wood or defective.

- A) 0.545
- B) 0.115
- C) 0.57
- D) There is insufficient information to answer the question.

$$C) 0.57$$

$$\text{total } 100w+100g=200$$
$$\text{defective } 9w+14g= 23$$

$$100/200 + 14/200 = 114/200$$

back 3

front 4

In one town, 61% of adults have health insurance. What is the probability that 6 adults selected at random from the town all have health insurance

- A) 0.098
- B) 0.61
- C) 3.66
- D) 0.052

$$D) 0.052$$

$$.61^6$$

back 4



A cereal company claims that the mean weight of the cereal in its packets is 14 oz. Identify the type I error for the test.

- A) Reject the claim that the mean weight is 14 oz when it is actually greater than 14 oz.
- B) Reject the claim that the mean weight is 14 oz when it is actually 14 oz.
- C) Reject the claim that the mean weight is different from 14 oz when it is actually 14 oz.
- D) Fail to reject the claim that the mean weight is 14 oz when it is actually different from 14 oz.

B) Reject the claim that the mean weight is 14 oz when it is actually 14 oz.

front 6

back 6

Use the given data to find the equation of the regression line.

|             |    |    |    |    |    |    |    |    |    |    |
|-------------|----|----|----|----|----|----|----|----|----|----|
| Performance | 59 | 63 | 65 | 69 | 58 | 77 | 76 | 69 | 70 | 64 |
| Attitude    | 72 | 67 | 78 | 82 | 75 | 87 | 92 | 83 | 87 | 78 |

- A)  $y^{\wedge} = -47.3 + 2.02x$
- B)  $y^{\wedge} = 11.7 + 1.02x$
- C)  $y^{\wedge} = 2.81 + 1.35x$
- D)  $y^{\wedge} = 92.3 - 0.669x$

$$B) y^{\wedge} = 11.7 + 1.02x$$

L1 & L2  
stat / calc / LinReg (#8)

front 7

back 7

The probability that z lies between -1.10 and -0.36

- A) 0.4951
- B) 0.2239
- C) -0.2237
- D) 0.2237

D) 0.2237

normalcdf  
lower -1.10  
upper -0.36

.22375?

front 8

back 8

According to a college survey, 22% of all students work full time. Find the mean for the number of students who work full time in samples of size 16.

- A) 2.8
- B) 4.0
- C) 3.5
- D) 0.2

C) 3.5

$16 * .22$



regular tests count for 40% of the final grade, the final exam counts for 30%, the project counts for 10%, and homework counts for 20%. What is her weighted mean grade? Round to one decimal place.

- A) 84.2
- B) 84.1
- C) 83.4
- D) 82.4

C) 83.4

$$(((91+76+92+79)/4)*.4) + (79*.3) + (85*.1) + (87*.2)$$

front 10

The annual precipitation amounts in a certain mountain range are normally distributed with a mean of 95 inches, and a standard deviation of 16 inches. What is the probability that the mean annual precipitation during 64 randomly picked years will be less than 97.8 inches?

- A) 0.0808
- B) 0.4192
- C) 0.9192
- D) 0.5808

C) 0.9192

$$\text{use new standard dev} = 16/\sqrt{64} = 2$$

$$(97.8 - 95)/2 = 1.4$$

normalcdf  
upper 1.4

back 10

front 11

The probabilities that a batch of 4 computers will contain 0, 1, 2, 3, and 4 defective computers are 0.4979, 0.3793, 0.1084, 0.0138, and 0.0007, respectively. Find the standard deviation for the probability distribution.

- A)  $\sigma = 0.54$
- B)  $\sigma = 0.73$
- C)  $\sigma = 0.68$
- D)  $\sigma = 0.97$

B)  $\sigma = 0.73$

Use Stats L1 & L2

back 11

front 12

| Height (inches) | Frequency |
|-----------------|-----------|
| 69.0 - 71.9     | 21        |
| 72.0 - 74.9     | 20        |
| 75.0 - 77.9     | 14        |
| 78.0 - 80.9     | 19        |
| 81.0 - 83.9     | 6         |

A)

| Height (inches) | Cumulative Frequency |
|-----------------|----------------------|
| Less than 72.0  | 21                   |
| Less than 75.0  | 41                   |
| Less than 78.0  | 55                   |
| Less than 81.0  | 74                   |
| Less than 84.0  | 80                   |

B)

| Height (inches) | Cumulative Frequency |
|-----------------|----------------------|
| Less than 72.0  | 41                   |
| Less than 75.0  | 55                   |
| Less than 78.0  | 74                   |
| Less than 81.0  | 80                   |
| Less than 84.0  | 86                   |

C)

| Height (inches) | Cumulative Frequency |
|-----------------|----------------------|
| Less than 72.0  | 21                   |
| Less than 75.0  | 41                   |
| Less than 78.0  | 55                   |
| Less than 81.0  | 74                   |
| Less than 84.0  | 80                   |

D)

| Height (inches) | Cumulative Frequency |
|-----------------|----------------------|
| Less than 72.0  | 0.25                 |
| Less than 75.0  | 0.250                |
| Less than 78.0  | 0.175                |
| Less than 81.0  | 0.227                |
| Less than 84.0  | 0.075                |

Construct the cumulative frequency distribution that corresponds to the given frequency distribution.

C)

back 12

| Height (inches) | Cumulative Frequency |
|-----------------|----------------------|
| Less than 72.0  | 21                   |
| Less than 75.0  | 41                   |
| Less than 78.0  | 55                   |
| Less than 81.0  | 74                   |
| Less than 84.0  | 80                   |



A health and fitness club surveys 40 randomly selected members and found that the average weight of those questioned is 157 lb.

- A) Statistic
- B) Parameter

A) Statistic

front 14

back 14

How many women must be randomly selected to estimate the mean weight of women in one age group. We want 90% confidence that the sample mean is within 2.7 lb of the population mean, and the population standard deviation is known to be 22 lb.

- A) 180
- B) 256
- C) 178
- D) 181

A) 180

$$Z_{\alpha/2} = (1-.9)/2 = .05 \text{ invNorm} = 1.645$$

$$((Z_{\alpha/2} * \text{standev})/E)^2 = ((1.645 * 22)/2.7)^2$$

front 15

back 15

Human body temperatures are normally distributed with a mean of 98.20°F and a standard deviation of 0.62°F. Find the temperature that separates the top 7% from the bottom 93%. Round to the nearest hundredth of a degree.

- A) 99.12°F
- B) 97.28°F
- C) 98.78°F
- D) 98.40°F

A) 99.12°F

$$\text{invNorm } .93 = 1.476$$

$$1.476 * .62 + 98.2$$

front 16

back 16

Six pairs of data yield  $r = 0.444$  and the regression equation  $\hat{y} = 5x + 2$ . Also,  $y = 18.3$ . What is the best predicted value of  $y$  for  $x = 5$ ?

- A) 27
- B) 93.5
- C) 18.3
- D) 4.22

C) 18.3



in 8600); \$1700 (1 chance in 5400); \$700 (1 chance in 4600); \$200 (1 chance in 2600). Find the expected value of the amount won for one entry if the cost of entering is 55 cents.

- A) \$200
- B) \$0.91
- C) \$0.47
- D) \$0.44

L1 = prize money & cost  
L2 = corresponding probability (prob of 1 for cost)

stat / calc / Run 1-var stats  
answer is sigmaX (second line)

front 18

back 18

Find the standard deviation for the given sample data. Round your answer to one more decimal place than is present in the original data.

203 122 237 230 181 220 132 155 153

- A) 22.7
- B) 46.1
- C) 43.1
- D) 40.7

C) 43.1

front 19

back 19

Use the given degree of confidence and sample data to construct a confidence interval for the population proportion p.

n = 62, x = 19; 95% confidence

- A)  $0.190 < p < 0.422$
- B)  $0.191 < p < 0.421$
- C)  $0.209 < p < 0.403$
- D)  $0.210 < p < 0.402$

B)  $0.191 < p < 0.421$

Stat / Tests / 1-PropZInt

The principal randomly selected six students to take an aptitude test. Their scores were:

77.0 75.1 75.6 81.3 88.4 77.4

Determine a 90% confidence interval for the mean score for all students.

- A)  $74.89 < \mu < 83.38$
- B)  $83.28 < \mu < 74.99$
- C)  $74.99 < \mu < 83.28$
- D)  $83.38 < \mu < 74.89$

C)  $74.99 < \mu < 83.28$

Use L1  
then Stat / Tests / TInterval



its flights is less than 6%. Of 380 randomly selected reservations, 18 were no-shows. Find the P-value for a test of the airline's claim.

- A) 0.1230
- B) 0.3508
- C) 0.0746
- D) 0.1492

D) 0.1492

1-PropZtest

front 22

back 22

A random sample of 139 forty-year-old men contains 26% smokers. Find the P-value for a test of the claim that the percentage of forty-year-old men that smoke is 22%.

- A) 0.1401
- B) 0.1271
- C) 0.2542
- D) 0.2802

C) 0.2542

front 23

back 23

The total number of phone calls a sales representative makes in a month is 425.

- A) Discrete
- B) Continuous

A) Discrete

A car insurance company has determined that 9% of all drivers were involved in a car accident last year. Among the 11 drivers living on one particular street, 3 were involved in a car accident last year. If 11 drivers are randomly selected, what is the probability of getting 3 or more who were involved in a car accident last year?

- A) 0.070
- B) 0.943
- C) 0.424
- D) 0.057

A) 0.070

back 24

binocdf  
trials 11  
p .09  
x 2

.9305  
 $1 - .9305 = .0695$



after graduation. Find the probability that among 6 randomly selected graduates, at least one finds a job in his or her chosen field within a year of graduating.

- A) 0.995
- B) 0.958
- C) 0.590
- D) 0.167

front 26

Use the given data to find the minimum sample size required to estimate the population proportion.

Margin of error: 0.005; confidence level: 99%; from a prior study,  $\hat{p}$  is estimated by 0.217.

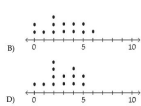
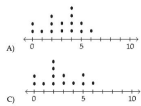
- A) 45,065
- B) 225
- C) 40,559
- D) 26,109

front 27

A laboratory tested 82 chicken eggs and found that the mean amount of cholesterol was 238 milligrams with  $\sigma = 19.4$  milligrams. Construct a 95% confidence interval for the true mean cholesterol content,  $\mu$ , of all such eggs.

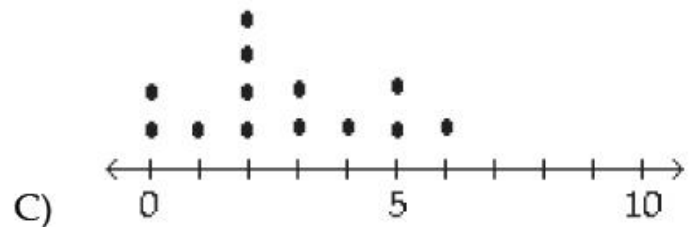
- A)  $235 \text{ mg} < \mu < 243 \text{ mg}$
- B)  $233 \text{ mg} < \mu < 241 \text{ mg}$
- C)  $233 \text{ mg} < \mu < 242 \text{ mg}$
- D)  $234 \text{ mg} < \mu < 242 \text{ mg}$

front 28



A manufacturer records the number of errors each work station makes during the week. The data are as follows.

6 3 2 3 5 2 0 2 5 4 2 0 1



binomial  
trials 6  
 $p = .59$   
 $x = 0$

$$.00475$$

$$1 - .00475 = .99525$$

back 26

A) 45,065

$$Z_{\alpha/2} \text{ for } .99 = 2.576$$

$$(2.576^2) \cdot .217 \cdot (1 - .217) = 1.1274$$

$$1.1274 / .005^2$$

$$45096?$$

back 27

$$D) 234 \text{ mg} < \mu < 242 \text{ mg}$$

$$E = Z_{\alpha/2} \cdot \sigma / \sqrt{n}$$

$$E = 1.96 \cdot (19.4 / \sqrt{82}) = 4.1$$

$$238 - 4 < \mu < 238 + 4$$

or Stat / Tests / ZInterval

back 28



\$34,199.86 worth of goods. Find Tuesday's z score. Was Tuesday an unusually good day?

- A) 4.17, no
- B) 5.47, no
- C) 5.52, yes
- D) 5.21, yes

D) 5.21, yes

$$(\$34,199.86 - \$28,993.06)/\$1000$$

front 30

back 30

| Day      | Mon | Tue | Wed | Thur | Fri |
|----------|-----|-----|-----|------|-----|
| Absences | 37  | 15  | 12  | 23   | 43  |

A company manager wishes to test a union leader's claim that absences occur on the different week days with the same frequencies. Test this claim at the 0.05 level of significance if the following sample data have been compiled.

H0: The proportions of absences are all the same.  
H1: The proportions of absences are not all the same.

Test statistic:  $\chi^2 = 28.308$ .

Critical value:  $\chi^2 = 9.488$ .

Reject the null hypothesis. There is sufficient evidence to warrant rejection of the claim that absences occur on the different week days with the same frequency.

X2GOF-Test

front 31

back 31

|        | Yes | No | Undecided |
|--------|-----|----|-----------|
| Male   | 25  | 50 | 15        |
| Female | 20  | 30 | 10        |

Responses to a survey question are broken down according to gender and the sample results are given below. At the 0.05 significance level, test the claim that response and gender are independent.

H0: Gender and response are independent.

H1: Gender and response are dependent.

Test statistic:  $\chi^2 = 0.579$ .

Critical value:  $\chi^2 = 5.991$ .

Fail to reject the null hypothesis. There is not sufficient evidence to warrant rejection of the claim that response and gender are independent.

front 32

back 32

Various temperature measurements are recorded at different times for a particular city. The mean of  $20^\circ\text{C}$  is obtained for 60 temperatures on 60 different days. Assuming that  $\sigma = 1.5^\circ\text{C}$ , test the claim that the population mean is  $22^\circ\text{C}$ . Use a 0.05 significance level.

H0:  $\mu = 22$ ;

H1:  $\mu \neq 22$ .

Test statistic:  $z = -10.33$ .

P-value: 0.0002.

Because the P-value is less than the significance level of  $\alpha = 0.05$ , we reject the null hypothesis. There is sufficient evidence to warrant rejection of the claim that the population mean temperature is  $22^\circ\text{C}$ .





normally distributed population. Find the test statistic, P-value, critical value(s), and state the final conclusion.

Test the claim that the mean lifetime of car engines of a particular type is greater than 220,000 miles. Sample data are summarized as  $n = 23$ ,  $\bar{x} = 226,450$  miles, and  $s = 11,500$  miles. Use a significance level of  $\alpha = 0.01$ .

Test statistic:  $t = 2.6898$   
P-value:  $p = 0.0066$   
Critical value:  $t = 2.508$

Because the test statistic,  $t > 2.508$ , we reject the null hypothesis. There is sufficient evidence to accept the claim that  $\mu > 220,000$  miles.

Assume that a simple random sample has been selected from a normally distributed population and test the given claim. Use either the traditional method or P-value method as indicated. Identify the null and alternative hypotheses, test statistic, critical value(s) or P-value (or range of P-values) as appropriate, and state the final conclusion that addresses the original claim.

In tests of a computer component, it is found that the mean time between failures is 520 hours. A modification is made which is supposed to increase the time between failures. Tests on a random sample of 10 modified components resulted in the following times (in hours) between failures.

518 548 561 523 536  
499 538 557 528 563

At the 0.05 significance level, test the claim that for the modified components, the mean time between failures is greater than 520 hours. Use the P-value method of testing hypotheses.

$H_0: \mu = 520$  hrs.  
 $H_1: \mu > 520$  hrs.  
Test statistic:  $t = 2.612$ .  
 $0.01 < P\text{-value} < 0.025$ .

Reject  $H_0$ . There is sufficient evidence to support the claim that the mean is greater than 520 hours.

back 34