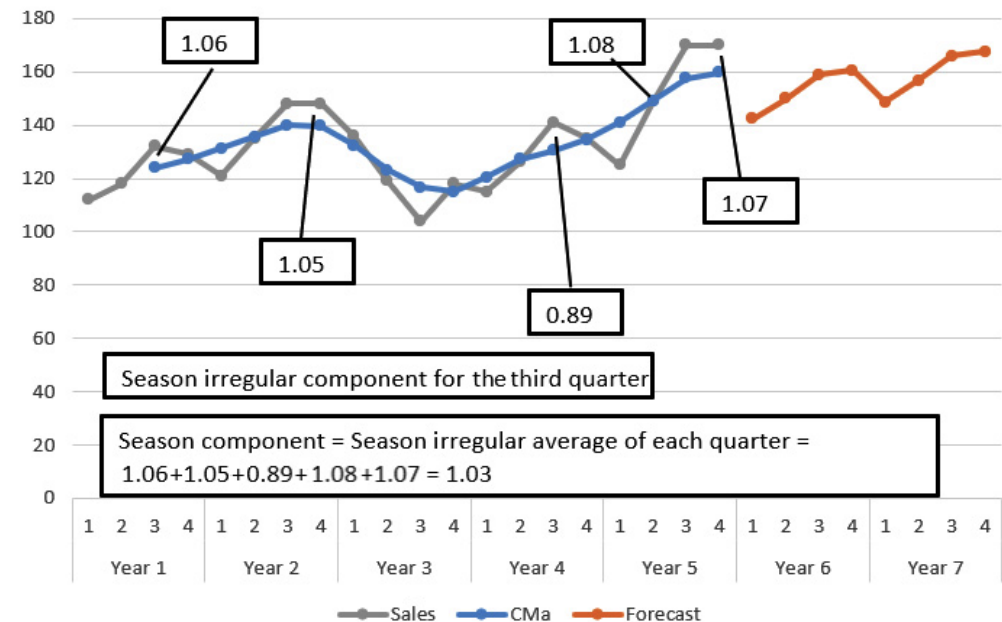
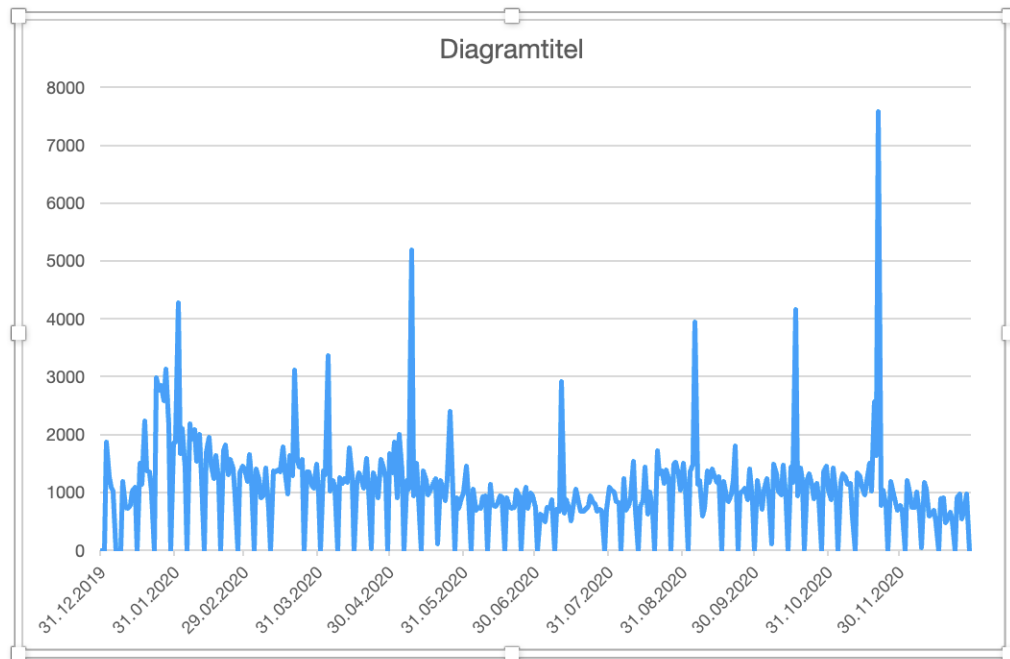


VCM F25 W8



- Emne:

- Tidsserieanalyse

Læringsmål:

- Forstå og beregne et centeret gennemsnit. Udarbejde et forecast på data

Forberedelse:

- Læs kapitel 12 i "Data Forecasting and Segmentation Using Microsoft Excel"

Estimeret forberedelsestid:

- 3 timer

Øvelser i klassen:

- Øvelser i Excel vedrørende tidsserier

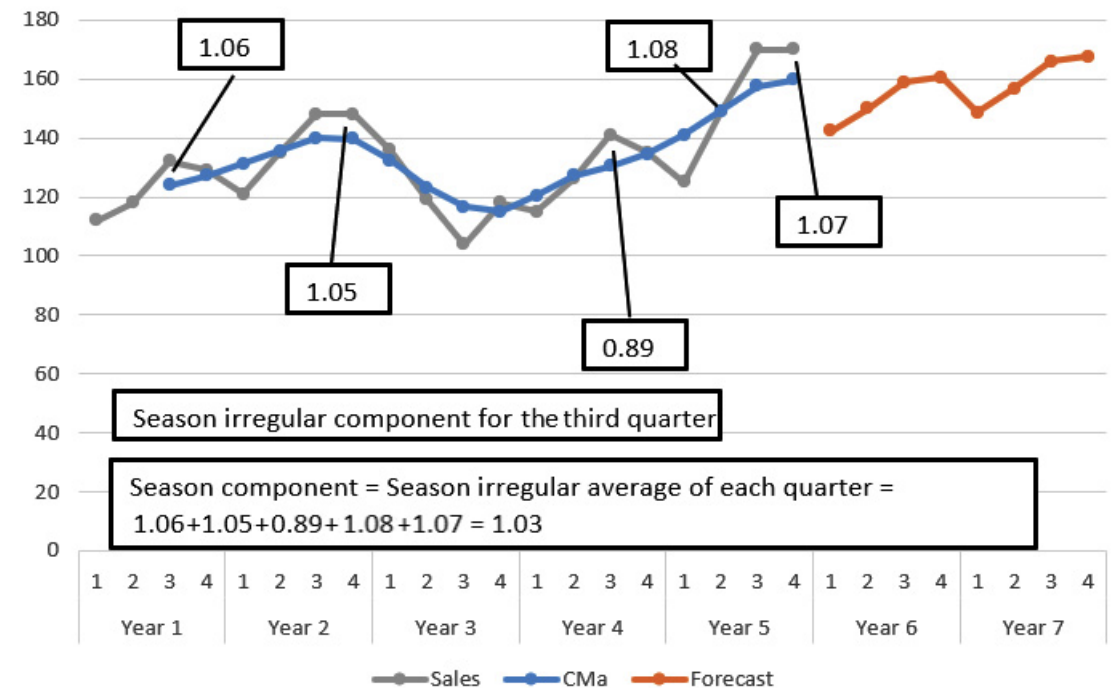
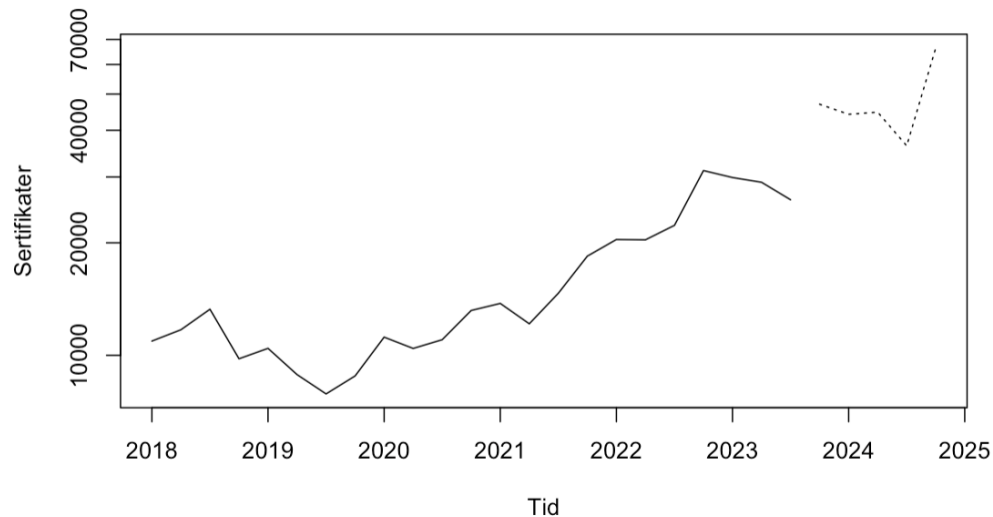
- Introduktion til TS
 - Forecasting
- Kan Schulstad bruges?
 - Løvbjerg vs REMA
 - MinMax
 - Øvelse
- Trending Component
 - Eksemplet fra bogen
 - Eksempel med SMK
 - Eksempel med APPL

Predicting values with a **time series** requires that we have **historical** data to analyze whether past values have a **relationship** with present ones and whether this relationship can be useful to predict future values.

To validate this, we have to test the **autocorrelation** of the data.

1. **Visualizing** seasonal trends
2. Researching **autocorrelation** – past values' influence over present values
3. Performing the **Durbin-Watson** autocorrelation test
4. Go On with

Resultatet fra ARIMA modellen forutsier en vekst i 4. kvartal 2023 før et fall i de neste tre kvartalene før det igjen har en stor vekst i 4. kvartal 2024.

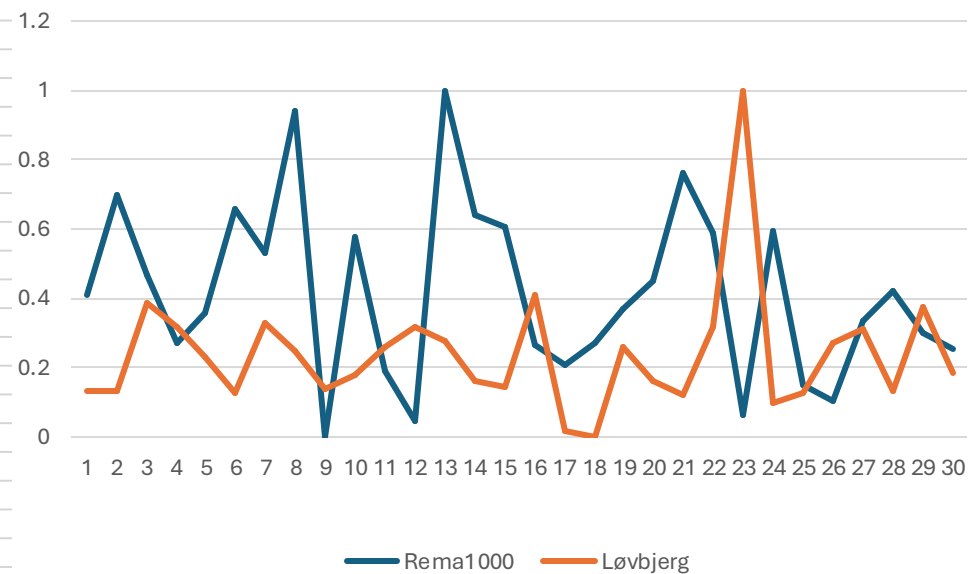


Min-max-skalering for Schulstad

Sum af time_diff	Kolonnemærkater			
Rækkemærkater	Rema 1000	Løvbjerg	Rema1000	Løvbjerg
07.09.2024	4946	0	0,408862796	0,134168686
08.09.2024	493654	0	0,697979764	0,134168686
09.09.2024	99714	8557	0,464927024	0,387050062
10.09.2024	-228082	6193	0,271004711	0,317187777
11.09.2024	-82457	3205	0,357155661	0,228884686
12.09.2024	428814	-215	0,659620776	0,127814883
13.09.2024	207240	6550	0,528538815	0,327738046
14.09.2024	907621	3869	0,942880367	0,248507595
15.09.2024	-686174	48	0	0,13558721
16.09.2024	286092	1542	0,575187225	0,179738755
17.09.2024	-369965	4289	0,187067507	0,260919676
18.09.2024	-609880	6239	0,045135111	0,318547195
19.09.2024	1004173	4835	1	0,277055382
20.09.2024	392266	917	0,63799918	0,161268396
21.09.2024	334075	294	0,603573704	0,142857143
22.09.2024	-240827	9280	0,263464839	0,408416573
23.09.2024	-334456	-3924	0,208074437	0,018204386
24.09.2024	-232582	-4540	0,268342536	0
25.09.2024	-60630	4283	0,370068394	0,260742361
26.09.2024	78231	852	0,452217799	0,159347479
27.09.2024	604398	-526	0,763495306	0,118624032
28.09.2024	309069	6236	0,588780292	0,318458538
29.09.2024	-583365	29298	0,06082124	1
30.09.2024	317410	-1213	0,593714782	0,098321414
01.10.2024	-437689	-329	0,147002361	0,124445889
02.10.2024	-513265	4589	0,102292015	0,269785448
03.10.2024	-117866	6013	0,336207891	0,311868314
04.10.2024	20354	0	0,417978084	0,134168686
05.10.2024	-181501	8082	0,298561775	0,373012589
06.10.2024	-254710	1732	0,255251732	0,185353744

$$x_{scaled} = \frac{x - x_{min}}{x_{max} - x_{min}}$$

Min Max normaliseret graf



Øvelse: Find to andre kæder og lav en min-max-normaliseret graf

OPSKRIFTEN I

1. Calculating the **moving average** for the given period of time
2. Getting the **CMA** of your data. This is the middle of the calculating period.
3. Dividing the data by the CMA to get the **seasonal irregular** component. This is the distance from the data to the moving average line.
4. Calculating **the seasonal component** by getting the average of all the periods of the season irregular data acquired in the last step.
5. Getting the regression line of the data or **the trend line**
6. Multiplying the season component by the regression line to produce **the forecast**. The season component helps with the time-series peaks caused by the changing seasonal sales demand.

OPSKRIFTEN II

DATA

t	Year	Quarterly	Sales
1	Year 1	1	112
2		2	118
3		3	132
4		4	129
5	Year 2	1	121
6		2	135
7		3	148
8		4	148
9	Year 3	1	136

Moving Average

D	E	F
	MA	CMA
112		
118		
132	122,75	123
129	125	127
121	129,25	13
135	133,25	135
148	138	139
148	141,75	13
136	137,75	13
119	126,75	

Centered MA

F	G
CMA	SIT
75	123,875
25	127,125
25	131,25
25	135,625
38	139,875
75	139,75
75	132,25

Season irregular component

G	Tre
SIT	Tre
75	1,06559031
25	1,01474926
25	0,92190476
25	0,99539171
75	1,05808758
75	1,05903399

The seasonal Trend

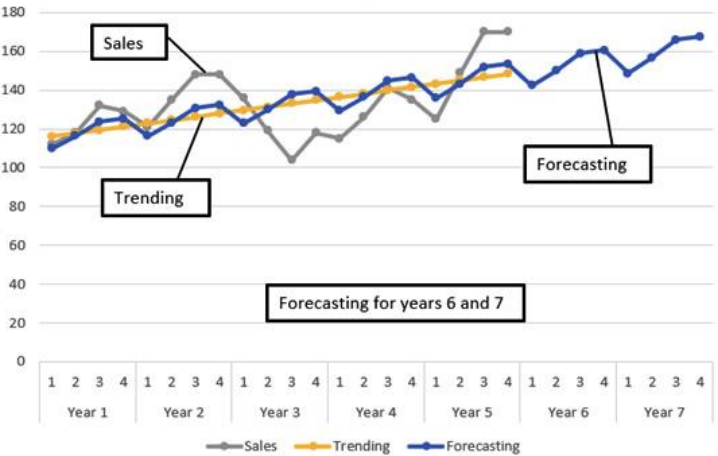
I	J
Seasonal Trend	Season
8	108,300589
6	110,55116
5	116,618974
3	120,076504
2	116,389021
7	118,656341
8	125,015131
7	128,568738
5	124,477452

The season Component

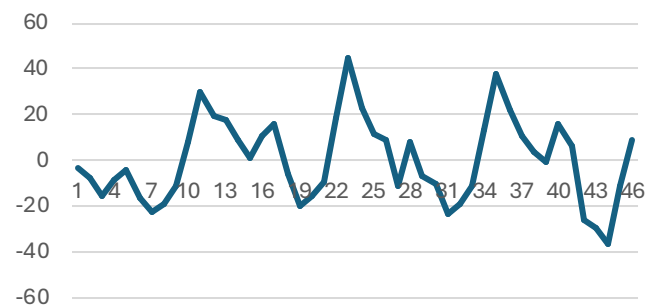
Season	Seasonal Component
1	0,97770989
2	0,97973458
3	1,01490695
4	1,02652054

The Trendline

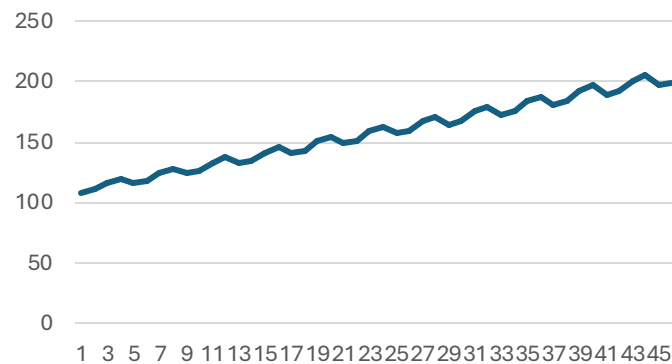
Trend t	
110,769658	10
112,837866	1
114,906075	11
116,974283	12
119,042492	11
121,1107	11
123,178908	12
125,247117	12
127,315325	12
129,383534	12



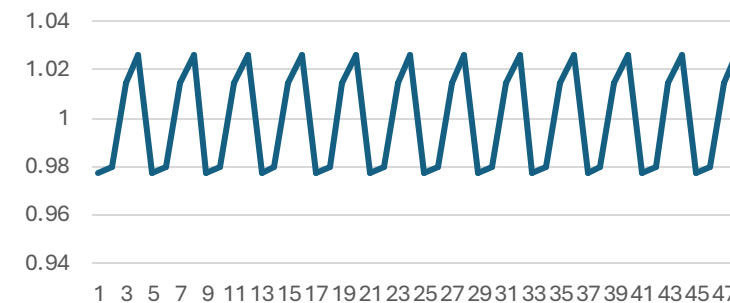
Noise



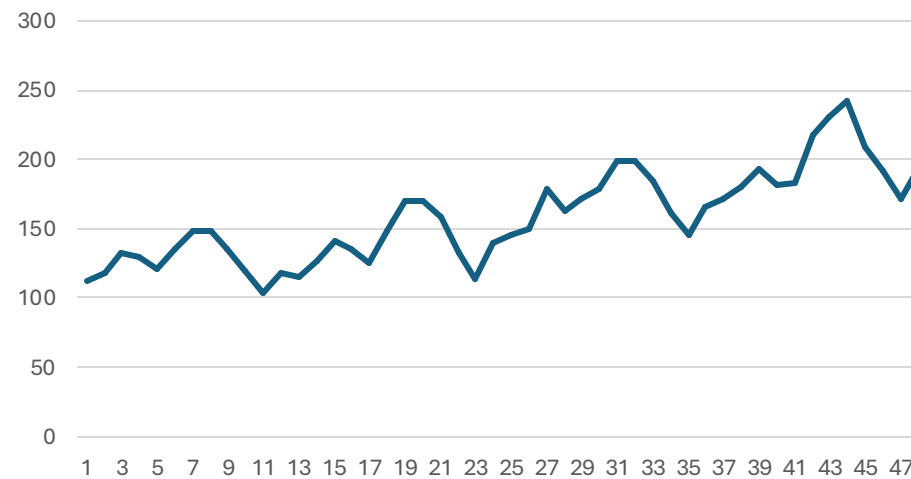
Trendline Seasonal



The seasonal component

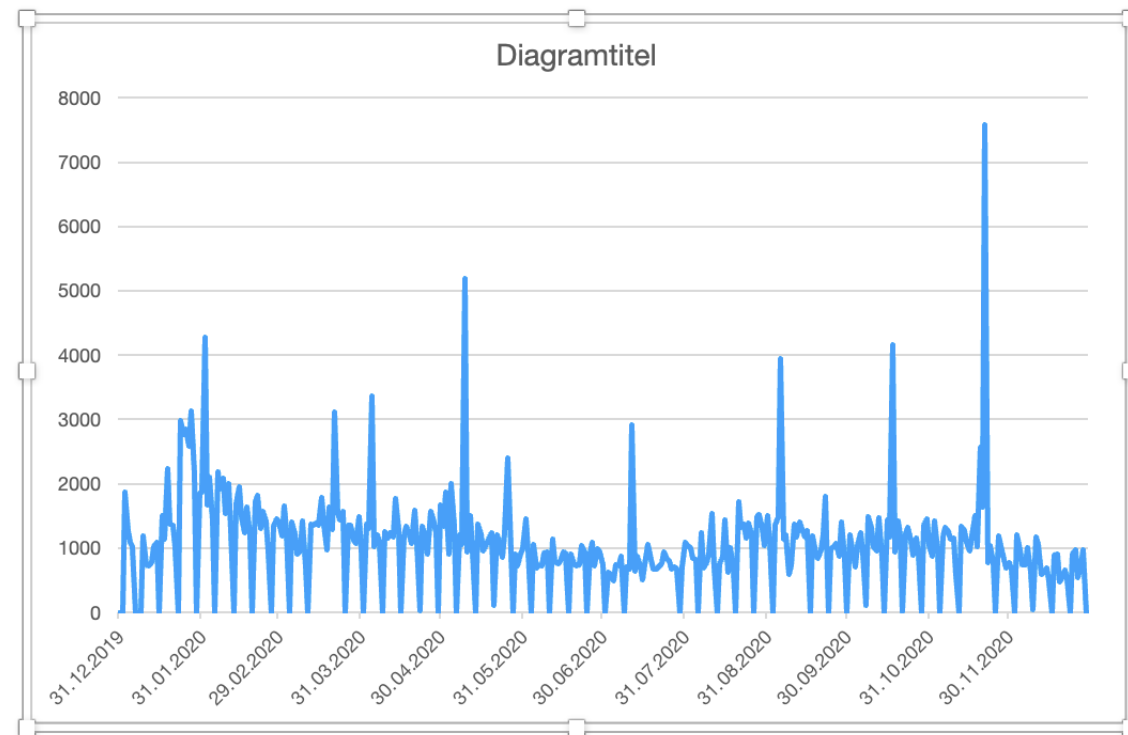


Originale data



Eksemplet med SMK

1. Hent data fra github.com/cphstud/VCMF25W8
2. Visualiser besøg pr dag
3. Kør regression på besøg ~ Date
4. Fortsæt med Observation, Predicted og Residuals (Et)
 1. Lav Et^2 , $Et - E(t-1)$, $Et - E(t-1)^2$
 2. Lav $\sum(Et - E(t-1))^2$, $\sum(Et^2)$ og divider
 3. Slå op i en tabel for at tjekke DW
5. Fortsæt med MA, CMA, SIT, SC og Trend med SC



A	B	C	D	E	F	G	H	I	J	K	L
Column1	Column2	Column3	Column4	idx	MA	CMA	SIT	Trend lin	Trend Sea	Noise	Seasonal
2019.01.01	0	74	tirsdag	1							
2019.01.02	972	37	onsdag	2							
2019.01.03	718	41	torsdag	3							
2019.01.04	539	64	fredag	4							
2019.01.05	965	63	lørdag	5							
2019.01.06	908	38	søndag	6							
2019.01.08	527	62	tirsdag	8							
2019.01.09	654	28	onsdag	9							
2019.01.10	528	14	torsdag	10							
2019.01.11	476	76	fredag	11							
2019.01.12	908	58	lørdag	12							
2019.01.13	895	82	søndag	13							
2019.01.15	498	73	tirsdag	15							

