

Examples 3 - Elementary Signals

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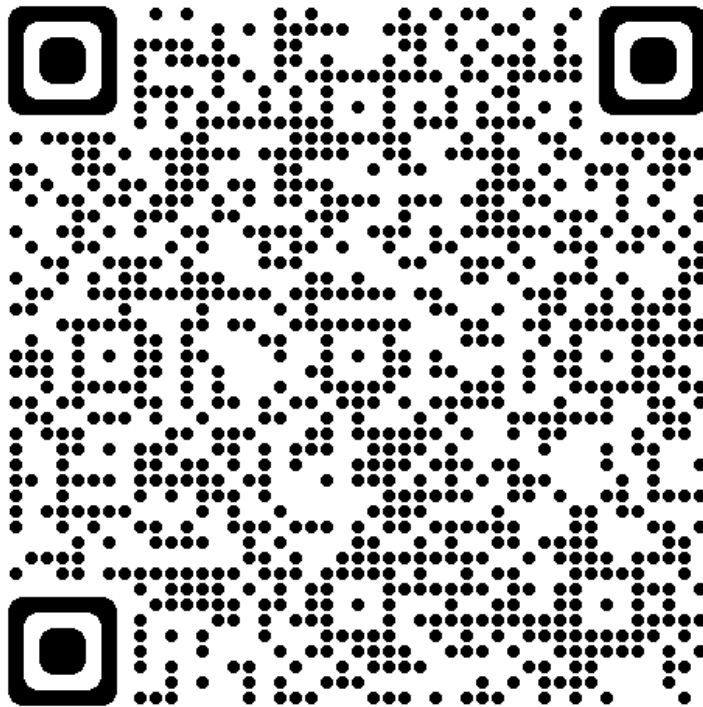
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Lecturer: Set up MATLAB

```
clear all
format compact
```

To accompany [Unit 2.3: Elementary Signals](#).

Follow along at cpjobling.github.io/eg-150-textbook/signals_and_systems/elementary_signals/examples3



Plot the Unit Step

```
syms t
u0(t) = heaviside(t); % allows us to type u0(t) in our formulae
A = 2; T = 2; % we need numerical values to get a successful plot
fplot(A*u0(t), 'LineWidth', 2), title('Unit
step'), subtitle(textlabel('Au_0(t)')), grid, xlabel('t')
```

3.1: Other forms of unit step

💡 MATLAB Example

We will solve this example by hand and then give the solution in the MATLAB lab.

Use the MATLAB functions `subplot`, `heaviside` and `fplot` to reproduce [Fig. 22](#).

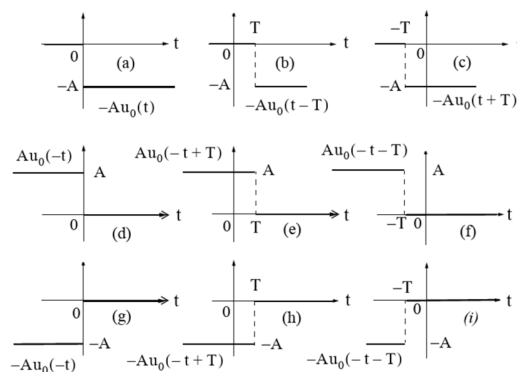


Figure 1.8. Other forms of the unit step function

Fig. 22 Other forms of unit step function (Figure 1.8 [\[Karris, 2012\]](#))

We've done the first row for you.

a). $-Au_0(t)$

```
sgtitle('Other forms of the unit step function');
subplot(331)
fplot(-A*u0(t), title(['a '], texlabel('-
A*u_0(t)'))), grid, xlabel('t')
```

b). $-A(t - T)$

```
subplot(332)
fplot(-A*u0(t - T), title(['b '], texlabel('-A*u_0(t-
T)'))), grid, xlabel('t')
```

c). $-A(t + T)$

```
subplot(333)
fplot(-A*u0(t + T), title(['c '], texlabel('-
A*u_0(t+T)'))), xlabel('t')
```

d). $Au_0(-t)$

e). $Au_0(-t + T)$

f). $Au_0(-t - T)$

g). $-Au_0(-t)$

h). $-Au_0(-t + T)$

i). $-Au_0(-t - T)$

The result should look like [Fig. 23](#).

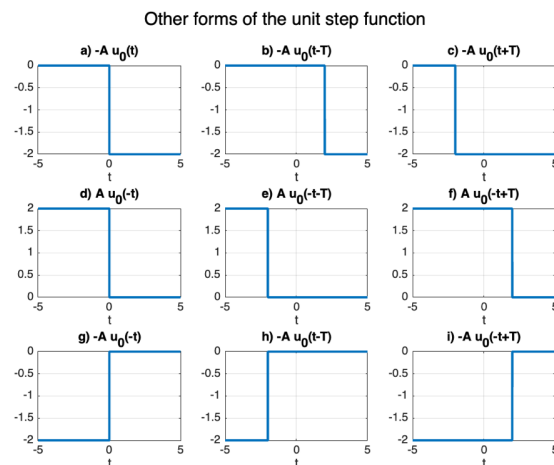


Fig. 23 Other forms of unit step function (Figure 1.8 [[Karris, 2012](#)]) reproduced in MATLAB

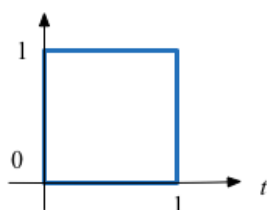
3.2: Synthesis of Signals from Unit Step

💡 MATLAB Example

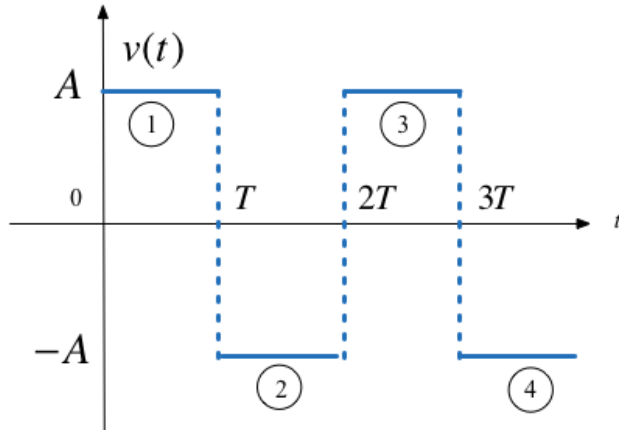
We will solve this example by hand and then give the solution in the MATLAB lab.

Unit step functions can be used to represent other time-varying functions such as rectangular pulses, square waves and triangular pulses.

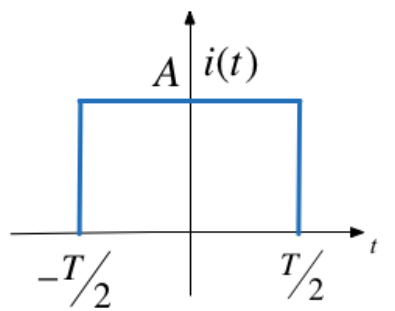
a) Synthesize Rectangular Pulse



b) Synthesize Square Wave

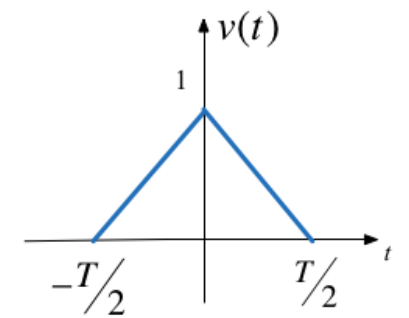


c) Synthesize Symmetric Rectangular Pulse





d) Synthesize Symmetric Triangular Pulse



Example 3.3: Important properties of the delta function

💡 MATLAB Example

We will solve this example by hand and then give the solution in the MATLAB lab.

See the accompanying [notes](#).

Evaluate the following expressions

a) $3t^4\delta(t - 1)$

b)

$$\int_{-\infty}^{\infty} t\delta(t-2)dt$$

$$t^2\delta'(t-3)$$

Example 3.4



MATLAB Example

We will solve this example by hand and then give the solution in the MATLAB lab.

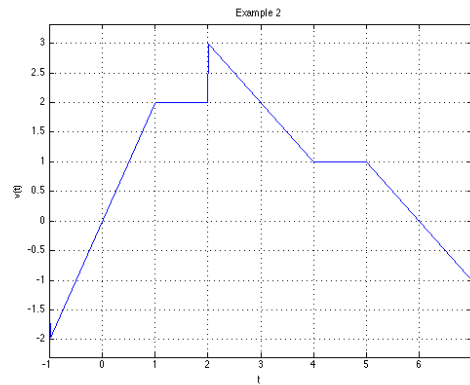


Fig. 24 Signal to be synthesized for Example 3.6

a) Express the voltage waveform $v(t)$ shown in Fig. 24 as a sum of unit step functions for the time interval $-1 < t < 7$ s

b) Using the result of 3.6(a), compute the derivative of $v(t)$ and sketch its waveform.

Lab Work

In the second lab we will solve the examples indicated in these examples.

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