

- (7.2) — The expressions `++a`, `--a`, and `&a` shall be expression-equivalent to `a += 1`, `a -= 1`, and `addressof(a)`, respectively.
- (7.3) — For every *unary-operator* `@` other than `&` for which the expression `@x` is well-formed, `@a` shall also be well-formed and have the same value, effects, and value category as `@x`. If `@x` has type `bool`, so too does `@a`; if `@x` has type `B(I)`, then `@a` has type `I`.
- (7.4) — For every assignment operator `@=` for which `c @= x` is well-formed, `c @= a` shall also be well-formed and shall have the same value and effects as `c @= x`. The expression `c @= a` shall be an lvalue referring to `c`.
- (7.5) — For every assignment operator `@=` for which `x @= y` is well-formed, `a @= b` shall also be well-formed and shall have the same effects as `x @= y`, except that the value that would be stored into `x` is stored into `a`. The expression `a @= b` shall be an lvalue referring to `a`.
- (7.6) — For every non-assignment binary operator `@` for which `x @ y` and `y @ x` are well-formed, `a @ b` and `b @ a` shall also be well-formed and shall have the same value, effects, and value category as `x @ y` and `y @ x`, respectively. If `x @ y` or `y @ x` has type `B(I)`, then `a @ b` or `b @ a`, respectively, has type `I`; if `x @ y` or `y @ x` has type `B(I2)`, then `a @ b` or `b @ a`, respectively, has type `I2`; if `x @ y` or `y @ x` has any other type, then `a @ b` or `b @ a`, respectively, has that type.
- ⁸ An expression `E` of integer-class type `I` is contextually convertible to `bool` as if by `bool(E != I(0))`.
- ⁹ All integer-class types model `regular` (18.6) and `three_way_comparable<strong_ordering>` (17.11.4).
- ¹⁰ A value-initialized object of integer-class type has value 0.
- ¹¹ For every (possibly cv-qualified) integer-class type `I`, `numeric_limits<I>` is specialized such that each static data member `m` has the same value as `numeric_limits<B(I)>::m`, and each static member function `f` returns `I(numeric_limits<B(I)>::f())`.
- ¹² For any two integer-like types `I1` and `I2`, at least one of which is an integer-class type, `common_type_t<I1, I2>` denotes an integer-class type whose width is not less than that of `I1` or `I2`. If both `I1` and `I2` are signed-integer-like types, then `common_type_t<I1, I2>` is also a signed-integer-like type.
- ¹³ `is-integer-like<I>` is true if and only if `I` is an integer-like type. `is-signed-integer-like<I>` is true if and only if `I` is a signed-integer-like type.
- ¹⁴ Let `i` be an object of type `I`. When `i` is in the domain of both pre- and post-increment, `i` is said to be *incrementable*. `I` models `weakly_incrementable<I>` only if
- (14.1) — The expressions `++i` and `i++` have the same domain.
- (14.2) — If `i` is incrementable, then both `++i` and `i++` advance `i` to the next element.
- (14.3) — If `i` is incrementable, then `addressof(++i)` is equal to `addressof(i)`.
- ¹⁵ *Recommended practice:* The implementation of an algorithm on a weakly incrementable type should never attempt to pass through the same incrementable value twice; such an algorithm should be a single-pass algorithm.

[Note 3: For `weakly_incrementable` types, `a` equals `b` does not imply that `++a` equals `++b`. (Equality does not guarantee the substitution property or referential transparency.) Such algorithms can be used with `istream`s as the source of the input data through the `istream_iterator` class template. — end note]

25.3.4.5 Concept `incrementable`

[`iterator.concept.inc`]

- ¹ The `incrementable` concept specifies requirements on types that can be incremented with the pre- and post-increment operators. The increment operations are required to be equality-preserving, and the type is required to be `equality_comparable`.

[Note 1: This supersedes the annotations on the increment expressions in the definition of `weakly_incrementable`. — end note]

```
template<class I>
concept incrementable =
    regular<I> &&
    weakly_incrementable<I> &&
    requires(I i) {
        { i++ } -> same_as<I>;
    };
```