



# Cherry Blossom Peak Bloom Prediction

Methodology and 2026 Results (LM vs LASSO)

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# Objective and Scope

- \* Predict 2026 peak bloom day-of-year for Kyoto, Washington DC, Liestal, Vancouver, and New York City.
- \* Compare two models built on the same pre-bloom climate features:
  - Linear regression (LM)
  - LASSO (CV-selected  $\lambda_{\min}$ )
- \* Report uncertainty as  $\pm$  days for both models.

## Data window

All workflows are restricted to years  $\geq 1973$ .

# Data Pipeline and Feature Engineering

- \* Merge bloom-history and climate-station data by mapped location/station pairs.
- \* Keep core climate variables:  $T_{\max}$ ,  $T_{\min}$ , precipitation.
- \* Fill short internal temperature gaps only ( $< 3$  consecutive days).
- \* Build yearly pre-bloom aggregates up to observed bloom date:
  - mean adjusted max temperature
  - mean adjusted min temperature
  - total precipitation

# Altitude Adjustment Methodology

## Rationale

Stations and bloom sites differ in elevation, introducing temperature bias if uncorrected.

$$\Delta T = 6.5^{\circ}\text{C}/\text{km} \cdot \frac{h_{\text{station}} - h_{\text{bloom}}}{1000}$$

$$T_{\text{max}}^{\text{adj}} = T_{\text{max}} + \Delta T, \quad T_{\text{min}}^{\text{adj}} = T_{\text{min}} + \Delta T$$

- \* If station is higher than bloom site, adjusted temperatures increase.
- \* If station is lower, adjusted temperatures decrease.

# Model Design and Split Strategy

## Training / Holdout

- \* Train locations: Kyoto, Washington DC, Liestal
- \* Holdout locations: Vancouver, New York City
- \* Holdout split by time:
  - ▶ earlier half → validation
  - ▶ later half → test

## Models

LM and LASSO use:

- \* mean\_tmax\_adj\_prebloom
- \* total\_prcp\_prebloom

# Uncertainty Methodology

## Linear Model

90% confidence bounds from regression prediction intervals.

## LASSO

Bootstrap-based 90% intervals:

1. Resample training rows (with replacement)
2. Refit LASSO at fixed  $\lambda_{\min}$
3. Predict 2026 DOY per location
4. Use empirical 5th/95th quantiles

# Validation/Test Model Metrics

Model	Split	MAE (days)	RMSE (days)
Linear	Validation ( $n = 24$ )	6.62	8.06
Linear	Test ( $n = 15$ )	7.59	9.45
LASSO	Validation ( $n = 24$ )	6.62	8.05
LASSO	Test ( $n = 15$ )	7.59	9.45

## Interpretation

LM and LASSO perform nearly identically under the reduced predictor set.

## Parameter Estimates (90% CI)

Model	Term	Estimate	90% CI
LM	Intercept	106.59	[100.40, 112.78]
LM	mean_tmax_adj_prebloom	-1.87	[-2.48, -1.26]
LM	total_prcp_prebloom	0.031	[0.017, 0.045]
LASSO	Intercept	106.54	[100.45, 113.22]
LASSO	mean_tmax_adj_prebloom	-1.86	[-2.53, -1.23]
LASSO	total_prcp_prebloom	0.031	[0.015, 0.047]

### Source

Exported from data/model\_outputs/model\_parameter\_estimates\_90ci\_comparison.csv.



## 2026 Results: LM vs LASSO

For the model-date comparison, we report the predicted bloom date (in YYYY-MM-DD) and the  $\pm$  uncertainty width (in days) (90% confidence) for each location and model. The difference is calculated as (LASSO date - LM date) in terms of day-of-year (DOY).

Location	LM Date	LM $\pm$	LASSO Date	LASSO $\pm$
Kyoto	2026-03-29	3.39	2026-03-29	3.00
Washington DC	2026-04-02	1.55	2026-04-02	1.57
Liestal	2026-04-04	1.54	2026-04-04	1.58
Vancouver	2026-04-10	1.85	2026-04-10	1.99
New York City	2026-04-09	1.58	2026-04-09	1.78

### Difference (LASSO - LM, DOY)

Kyoto: +0.05, DC: +0.02, Liestal: +0.01, Vancouver: -0.03, NYC: -0.02

# Takeaways

- \* Reduced-feature LM and LASSO produce nearly identical validation/test performance.
- \* Parameter estimates are stable across LM and LASSO with consistent sign and magnitude.
- \* 2026 predictions are highly aligned across models (all DOY differences within about 0.05 days).
- \* Final submission can choose a single model or ensemble based on validation/test metrics.



# Thank You

Any Questions?