

# Computer Vision Systems Programming VO Specific Object Recognition

Christopher Pramerdorfer
Computer Vision Lab, Vienna University of Technology

## **Topics**

# Introduction to object recognition Specific object recognition

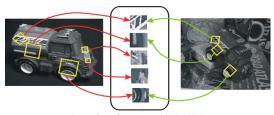


Image from Grauman and Leibe 2011



#### Fundamental problem in Computer Vision

#### Many applications

- Panorama stitching, 3D reconstruction
- HCI and surveillance (face recognition)
- ▶ Image understanding (recall Fei-Fei Li's TED talk)

Taxonomy – Instance vs. Category

#### Instance recognition (specific object recognition)

- ▶ Recognize a specific, uniquely looking object
- ▶ Face of a certain person, the Eiffel tower

#### Object category recognition

- Recognize objects of a certain category
- Human faces, buildings



Taxonomy – Instance vs. Category



Taxonomy - Classification vs. Detection

#### Object classification

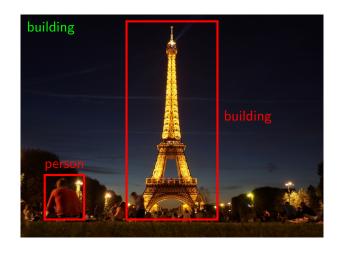
- Recognize main object in image
- Location and other objects not relevant

#### Object detection

Recognize multiple objects, possibly of different category



Taxonomy - Classification vs. Detection



## Object Recognition Challenges

Instances of same category can look very differently

▶ Illumination, pose, viewpoint, occlusions, background

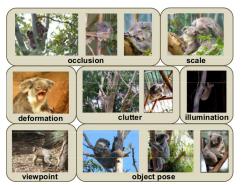


Image from Grauman and Leibe 2011



We want to detect specific rigid planar objects

- Like markers, books
- Comparatively easy problem

#### Challenges

- Unknown object pose and scale
- Varying illumination
- Partial occlusions



# Planar Rigid Object Detection Application: Marker-Based AR





Application: Panorama Stitching

Assuming that object is far away (on *plane at infinity*)

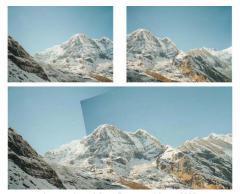


Image adapted from Brown and Lowe 2007



Selecting  $\mathbf{x}$  and  $\mathbf{w}$ 

#### Our problem formulation is

- Given a pixel location in a query image
- Predict location on object surface

#### So we know how to select $\mathbf{x}$ and $\mathbf{w}$

- $\mathbf{x} = (x, y)$ : pixel location in query image
- ${f w}=(u,v)$  : corresponding location on object surface

As  $\mathbf{w} \in \mathbb{R}^2$  this is a regression problem



Selecting  ${\bf x}$  and  ${\bf w}$ 

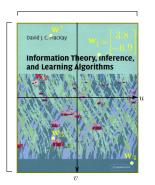




Image adapted from Prince 2012

## Planar Rigid Object Detection Model Selection

Images of planar objects are always related by a homography  $\Phi$ 

lacksquare 3 imes 3 matrix mapping between corresponding points

In homogeneous coordinates this means that

$$\lambda \begin{pmatrix} u \\ v \\ 1 \end{pmatrix} = \Phi \begin{pmatrix} x \\ y \\ 1 \end{pmatrix}$$

The model of choice is thus (disregarding noise)

$$\mathbf{w} = \Gamma(\mathbf{x}) = \begin{pmatrix} u \\ v \end{pmatrix} \quad , \quad \lambda \begin{pmatrix} u \\ v \\ 1 \end{pmatrix} = \mathbf{\Phi} \begin{pmatrix} x \\ y \\ 1 \end{pmatrix}$$

Learning Model Parameters

We again learn parameters  $oldsymbol{ heta}$  from samples  $\{(\mathbf{x}_i,\mathbf{w}_i)\}_{i=1}^n$ 

lacktriangledown  $oldsymbol{ heta}$  contains 9 parameters comprising  $oldsymbol{\Phi}$ 

Usually no exact solution because of noisy  $\mathbf{x}_i$ 

Formulate as a least squares problem instead

$$\hat{\boldsymbol{\theta}} = \operatorname*{arg\,min}_{\boldsymbol{\theta}} \left[ \sum_{i=1}^{n} (\mathbf{w}_i - \Gamma(\mathbf{x}_i))^{\top} (\mathbf{w}_i - \Gamma(\mathbf{x}_i)) \right]$$

Learning Model Parameters

This least squares approach is optimal

▶ If noise is distributed normally with spherical covariance

This is a nonlinear optimization problem

- Solvable using any general nonlinear least squares solver
- OpenCV has an own function findHomography



Pose Estimation

 $\Phi$  is a 2D transformation

We may want to know the position and orientation of the object

- ► This is called pose estimation
- ► Required e.g. for marker-based AR like above

This information can be extracted from  $\Phi$ 

- ▶ If we know the intrinsic camera parameters
- ► See Prince 2012 for details



**Obtaining Point Correspondences** 

How can we compute  $\{(\mathbf{x}_i, \mathbf{w}_i)\}_{i=1}^n$  automatically?

lacktriangle We first select  $\mathbf{w}_i$ , then search corresponding  $\mathbf{x}_i$ 

 $\mathbf{w}_i$  can be selected

- Manually (e.g. specific corners on markers)
- Automatically (e.g. SIFT)

## Planar Rigid Object Detection Obtaining Point Correspondences

We opt for the second approach and use SIFT (or similar)

- ▶ Features invariant to rotation, scale, illumination
- Robust to affine transformations

#### Approach

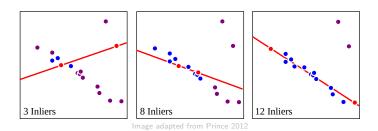
- Compute keypoints and descriptors in both images
- ► Match descriptors (e.g. nearest neighbor association)
- ▶ Use keypoint locations of matches as  $\{(\mathbf{x}_i, \mathbf{w}_i)\}_{i=1}^n$



## Planar Rigid Object Detection Obtaining Point Correspondences – Remarks

There will likely be incorrect matches

- ▶ Would greatly impact the least squares solution
- ▶ Hence we use a robust alternative like RANSAC



Obtaining Point Correspondences Using OpenCV

```
// read images (SIFT expects gravscale images)
cv::Mat object = cv::imread("object.jpg", cv::IMREAD GRAYSCALE);
cv::Mat search = cv::imread("search.ipg", cv::IMREAD GRAYSCALE);
cv::SIFT sift: // using default arguments here
// compute keypoints
std::vector<cv::KeyPoint> kobject, ksearch;
sift.detect(object, kobject); sift.detect(search, ksearch);
// compute descriptors
cv::Mat dobject, dsearch;
sift.compute(object, kobject, dobject); sift.compute(search, ksearch, dsearch);
```

#### Obtaining Point Correspondences Using OpenCV

```
// find two nearest neighbors x,x' for each w
cv::FlannBasedMatcher matcher; // fast nearest neighbor search
std::vector<std::vector<cv::DMatch> > kMatches;
matcher.knnMatch(dobject, dsearch, kMatches, 2);

// keep match (x,w) if x is clearly more similar than x'
// this is a popular matching strategy
std::vector<cv::DMatch> matches;
for(const std::vector<cv::DMatch>& match : kMatches)
    if(match[0].distance < match[1].distance * 0.8) // x, x'
        matches.push_back(match[0]); // (x,w)</pre>
```

Learning Homography Parameters Using OpenCV

```
// collect feature locations of correspondences from before
std::vector<cv::Point2f> pobject, psearch;
for(const cv::DMatch& match : matches) {
    pobject.push_back(kobject.at(match.queryIdx).pt);
    psearch.push_back(ksearch.at(match.trainIdx).pt);
}

// estimate homography using RANSAC for robustness
cv::Mat inliers; // contains indices of valid correspondences
cv::Mat homography = cv::findHomography(pobject, psearch, CV_RANSAC, 2, inliers);
```





Image adapted from Lowe 2004

We use the same problem formulation as before

- ▶ Given a pixel location in an image x
- Predict location on (nonplanar) object surface w

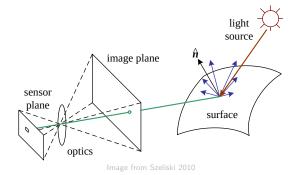
As object is no longer planar, we have  $\mathbf{w}=(u,v,w)$ 



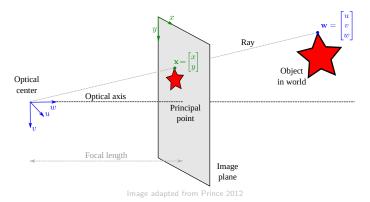
Pinhole Camera Model

How are x and w related in this case?

► Let's recap the pinhole camera model



#### Pinhole Camera Model



Pinhole Camera Model

We see that in homogeneous coordinates

$$\lambda \begin{pmatrix} x \\ y \\ 1 \end{pmatrix} = \begin{pmatrix} f & 0 & p_x & 0 \\ 0 & f & p_y & 0 \\ 0 & 0 & 1 & 0 \end{pmatrix} \begin{pmatrix} u \\ v \\ w \\ 1 \end{pmatrix}$$

f is the focal length in pixels

 $p_x, p_y$  are the principal point coordinates



Pinhole Camera Model

World and camera coordinate systems generally differ

► Transform w to camera coordinates before projection

$$\mathbf{w}' = \begin{pmatrix} u' \\ v' \\ w' \end{pmatrix} = \begin{pmatrix} \omega_{11} & \omega_{12} & \omega_{13} \\ \omega_{21} & \omega_{22} & \omega_{23} \\ \omega_{31} & \omega_{32} & \omega_{33} \end{pmatrix} \begin{pmatrix} u \\ v \\ w \end{pmatrix} + \begin{pmatrix} \tau_u \\ \tau_v \\ \tau_w \end{pmatrix}$$

au encode translation,  $\omega$  encode rotation



Pinhole Camera Model

We combine this for the full pinhole camera model

Standard camera model in Computer Vision

$$\lambda \begin{pmatrix} x \\ y \\ 1 \end{pmatrix} = \begin{pmatrix} f & 0 & p_x & 0 \\ 0 & f & p_y & 0 \\ 0 & 0 & 1 & 0 \end{pmatrix} \begin{pmatrix} \omega_{11} & \omega_{12} & \omega_{13} & \tau_u \\ \omega_{21} & \omega_{22} & \omega_{23} & \tau_v \\ \omega_{31} & \omega_{32} & \omega_{33} & \tau_w \\ 0 & 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} u \\ v \\ w \\ 1 \end{pmatrix}$$

## Bibliography

- Brown, Matthew and David G Lowe (2007). Automatic panoramic image stitching using invariant features.
- Grauman, Kristen and Bastian Leibe (2011). Visual object recognition. Morgan & Claypool.
- Lowe, David G (2004). Distinctive image features from scale-invariant keypoints.
- Prince, S.J.D. (2012). *Computer Vision: Models Learning and Inference*. Cambridge University Press.
- Szeliski, Richard (2010). Computer vision: algorithms and applications. Springer.

