

# Computer Vision Systems Programming VO Deep Learning

Christopher Pramerdorfer
Computer Vision Lab, Vienna University of Technology

#### **Topics**

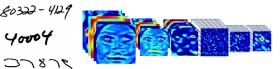
Deep learning motivation

Multilayer perceptrons

Pylearn2 library

Convolutional neural networks

Deep learning applications





mages from LeCun et al. 1989, Taigman et al. 2013, image-net.or



#### Object Recognition Traditional Approach



## Object Recognition Traditional Approach

Problem: how to choose the representation/features?

"General" features not optimal

▶ Not tuned to task at hand, low-level

Designing task-specific features is complex

Virtually impossible to do optimally



## Object Recognition Deep Learning

Solution: learn representation as well

Learning high-level representations directly is difficult

Deep Learning (DL) solves this

- By learning a hierarchy of representations
- Layers in hierarchy build upon each other

### Object Recognition

Deep Learning

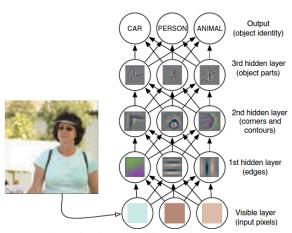


Image from Bengio, Goodfellow, and Courville 2014



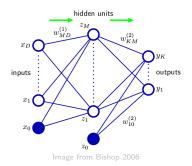
## Object Recognition Deep Learning

 $n \ \ {\sf levels} \ \ {\sf of} \ \ {\sf features/representations}$ 

Learned jointly with the output mapping



#### DL is usually realized using MultiLayer Perceptrons (MLPs)



Binary linear classifier

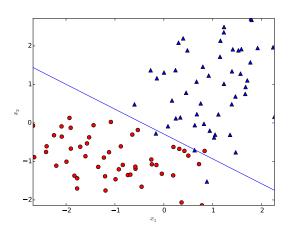
Feature vectors  $\mathbf{x}$  classified as  $f(\mathbf{w}^{\top}\mathbf{x} + b) \in \{-1, +1\}$ 

f is a discontinuous step function

$$f(v) = \begin{cases} +1 & \text{if } v > 0\\ -1 & \text{otherwise} \end{cases}$$

 $\mathbf{w}, b$  learned from training data

The Perceptron



The Perceptron – Limitations

Only two classes

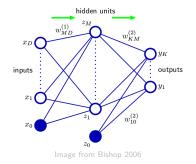
Linear decision boundaries

Learning never converges for non-separable data



Two-Layer Architecture

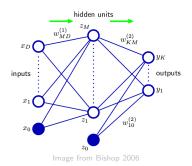
Replace f with continuous nonlinearity (e.g.  $\tanh(\cdot)$ )
Introduce layer of M such "Perceptrons" (hidden units)
Hidden units connected to layer of K output units



Two-Layer Architecture

Output of mth hidden unit is  $z_m(\mathbf{x}) = f(\mathbf{w}_m^{\top} \mathbf{x})$ 

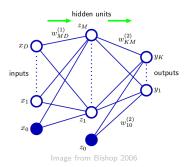
Bias b included in  $\mathbf{w}$  and  $\mathbf{x}$ ,  $w_0 = b$ ,  $x_0 = 1$ 



Two-Layer Architecture

Output of kth output unit is  $y_k(\mathbf{z}) = g(\mathbf{w}_k^{\top} \mathbf{z})$ 

Choice of g depends on problem (regression, classification)



Two-Layer Architecture

#### Both f and g are differentiable

- Learn w using gradient descent
- Gradients evaluated via error backpropagation



#### The Pylearn2 Library

Machine learning library with focus on DL

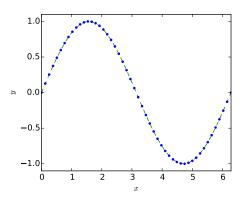
Written in Python, but interaction mostly in YAML

Open-source: https://github.com/lisa-lab/pylearn2



## The Pylearn2 Library MLP Regression Example

We will use pylearn2 to train a MLP for regression



### The Pylearn2 Library MLP Regression Example

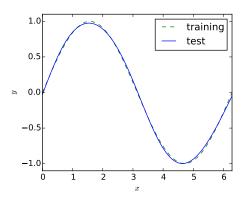
```
model: !obj:pylearn2.models.mlp.MLP {
    nvis: 1, # one input unit x
    layers: [ # two layers
        !obj:pylearn2.models.mlp.Tanh { # tanh activations for hidden units
            dim: 3, # use M=3 hidden units
            layer name: 'hidden',
            irange: 1
        },
        !obj:pylearn2.models.mlp.Linear { # linear output layer for regression
            dim: 1, # one output unit, K=1
            layer_name: 'out',
            irange: 1
```

### The Pylearn2 Library MLP Regression Example

```
# dataset contains the (x,y) pairs from the previous figure
dataset: &train !pkl: 'mlp_data_regression.pkl',
# train using batch gradient descent
algorithm: !obj:pylearn2.training_algorithms.bgd.BGD {
   conjugate: 1,
   batch_size: 50,
   line_search_mode: 'exhaustive',
   termination_criterion: !obj:pylearn2.termination_criteria.EpochCounter {
      max_epochs: 100 # train for 100 epochs
   }
}
```

## The Pylearn2 Library MLP Regression Example

Full example: https://github.com/cpra/cvsp-vo-slides



#### Bibliography I

- Bengio, Yoshua, Ian Goodfellow, and Aaron Courville (2014). **Deep Learning (draft)**. MIT Press.
- Bishop, Christopher (2006). **Pattern recognition and machine learning**. Springer.
- LeCun, Yann et al. (1989). **Backpropagation applied to** handwritten zip code recognition. Neural computation.
- Taigman, Yaniv et al. (2013). **Deepface: Closing the gap to human-level performance in face verification**. CVPR.

