

Fiji Tours

After successfully competing at ICPC Hungary 2023, you finally decided to go on a vacation to Fiji Island. There are N locations of interest in Fiji that you are planning to visit over your stay. Locations are numbered from 0 to $N - 1$. The locations are connected by $N - 1$ bidirectional roads. It is possible to get from every location to any other location by walking the roads.

You want to utilize your time well by visiting a set of locations right on the day of your arrival. You will arrive at location X and by the end of the day you have to get to your hotel at location Y . You want to take a tour starting at location X and ending at location Y , traveling along the roads and visiting some locations. It is allowed to traverse the same road multiple times, and visit the same location multiple times (including visiting locations X and Y multiple times).

You are wondering: how many different tours can you plan for this day? You don't mind visiting the same location many times, so two tours are considered different if the two *sets* of visited locations are different.

Input

The first line of the input contains three integers N ($1 \leq N \leq 200\,000$), X and Y ($0 \leq X, Y < N$).

The following $N - 1$ lines describe the roads. Each row contains two integers U and V ($0 \leq U, V < N$, $U \neq V$), indicating that there is a road between locations U and V .

Output

Print a single line containing the number of different tours. Since the answer can be large, output it modulo $10^9 + 7$.

Examples

input	output
7 1 4 1 6 4 6 1 0 4 2 1 5 3 4	16

Explanation

Every tour from 1 to 4 contains locations 1, 6 and 4. It is optional to visit some of locations 0, 5, 3 or 2, independently of each other. Therefore, the number of different tours is $2^4 = 16$.

Note that tours like $1 \rightarrow 6 \rightarrow 4$ and $1 \rightarrow 6 \rightarrow 1 \rightarrow 6 \rightarrow 4$ are not considered different, as they visit the same set of locations $\{1, 4, 6\}$.