



Formula One Race Prediction

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The Concept

Optimal F1 Race Prediction Model

1

The Idea

We realised that Formula One was an appropriate sport where machine learning models could be used as there were many objective measures of performance.

There was an Average of 20 Grand Prix per F1 season with data available to us from 1950.



2

Motivation for Development

To formulate effective machine learning models to predict race outcome allowing for better race betting outcomes.

3

User Story

Lorenzo was watching the F1 in Melbourne and being an innovative data scientist he thought to himself.

"Could I predict the outcome of the race and beat the system?" So he created a model with a team to see if he could.

Data Techniques

How can machine learning be used to accurately predict the results of the formula one races during the season.

Evaluated the predicted vs actual race outcomes to find the optimal model

We can apply this model to gain an edge when betting on the outcome of the races

Data Techniques

Data Sources

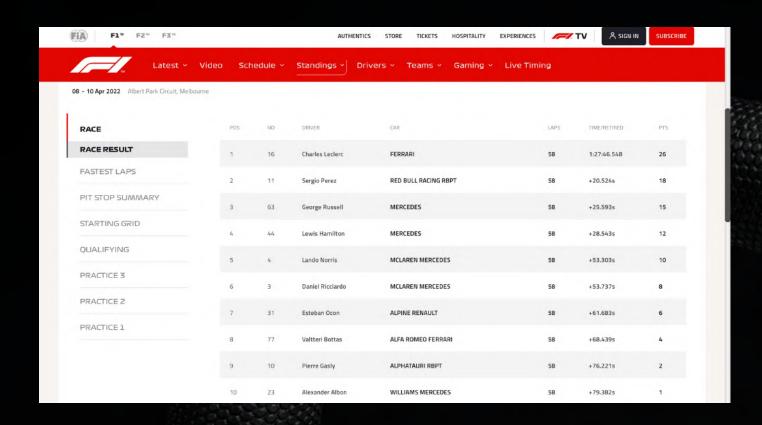
We sourced an Open Source Formula One 'Ergast' API as well as web-scraping from the official formula.com website.

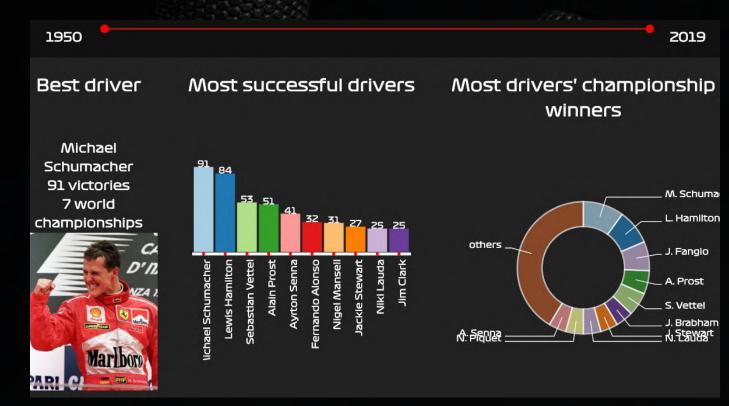
Data Selection

We selected all of the data sourced besides using constructor standings as this not affect the accuracy of the model for betting purposes.

Collection, Exploration and Cleaning Process

The data was cleaned and explored using different methods such as:





Approach

Technologies Used

- Logistic Regression
- SGD
- KNeighbours
- Decision Tree
- Random Forest

Breakdown of Tasks and Roles

- Ideation
- Data Sourcing
- Data Cleaning
- Model Formation
- Presentation
- Worked Collabratively on all tasks

Technical Challenges

- The Ideation phase took longer than expected as we realised many sports we wanted to use machine learning methods with had insufficient data
- Data cleaning took
 longer than the time
 allocated with models
 having limitations on
 the amount of data
 types used

Successes

We successfully
 predicted the outcome
 of the race by upto
 89% with a Random
 Forest Classifier

GITHUB

Formula 1

FORMULA ONE PREDICTION

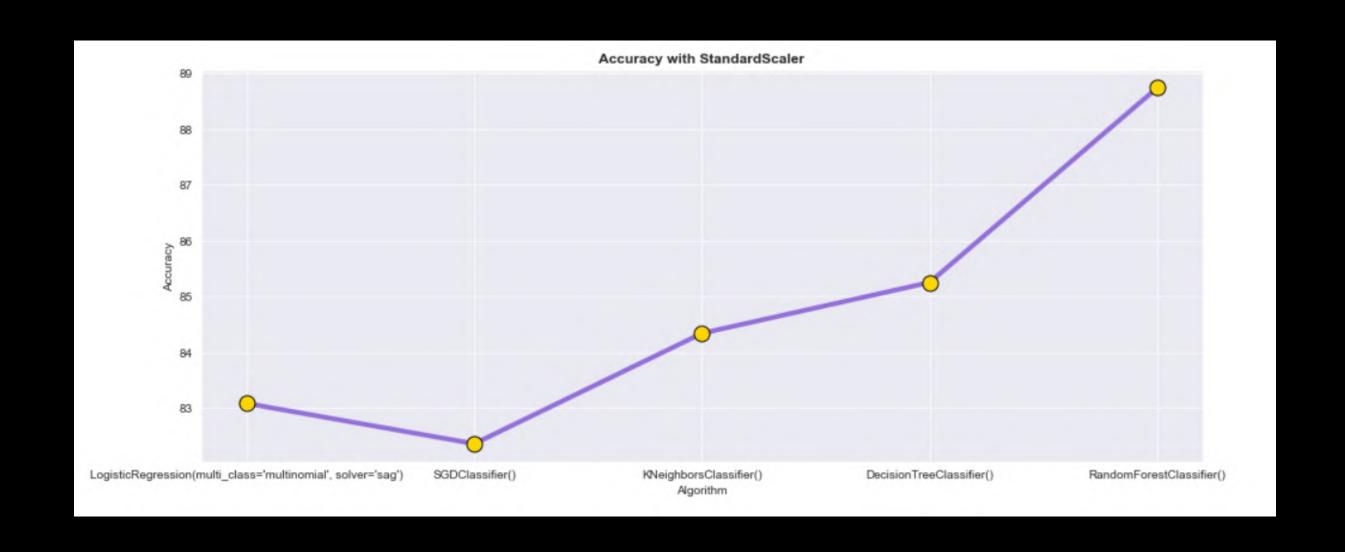


NOTEBOOK VIEWER





Model Comparison





Challenges Faced

Ideation

- + Ideation phase took longer than anticipated
- + Lead to limited amount of time to working on fully comprehensive models.

Model Drawbacks

- + Models has restriction on number of different data types
- +Models could be underfit or overfit

Data Sourcing

- + Data sourcing took longer than expected
- + Technical learning curve for the use of potential APIs.

Other Challenges

- + Micro-issues relating to the technical requirements i.e. installing packages etc.
- + Team co-ordination could of been improved by using project management tools such as Jira.

Conclusion and Next Steps

#1

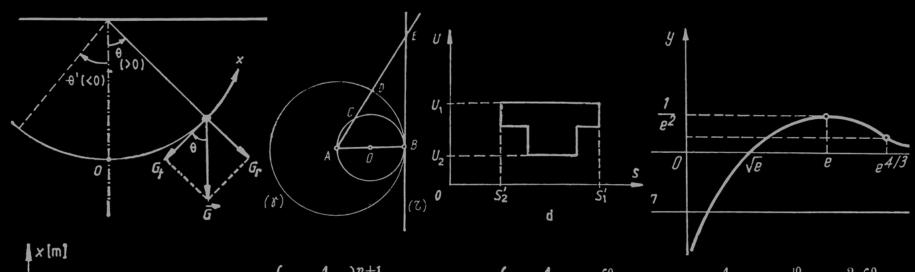
Conclusion

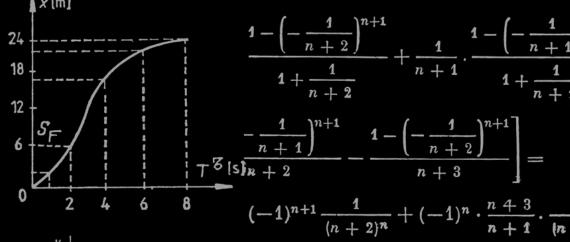
We can conclude that using machine learning models allows us to predict the outcome of a F1 race by up to 89%.

#2

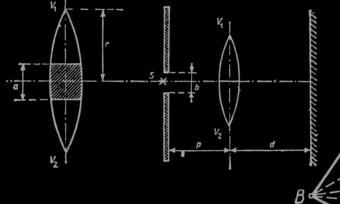
Next Steps

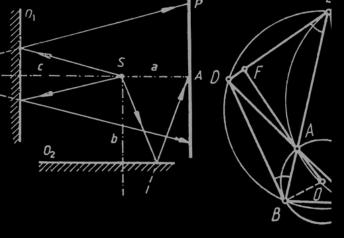
- More Data: sets for some of the possible other influences such as wet weather, temperature as well as things like pit stops and other human error related matters.
- Refine our technical skillset
- Use Project management tools
- In the future we would combine multiple models to have a fully comprehensive one

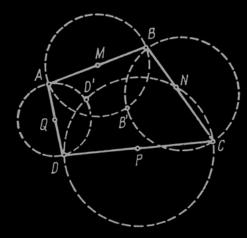




$= \int_{-a}^{0} x^{2} e^{ax} dx = \frac{1}{a} (x^{2} e^{ax}) \Big _{-a}^{0} - \frac{2}{a} \int_{-a}^{0}$	
$-a^{2} - \frac{2}{a} \left[\frac{1}{a} (xe^{ax}) \Big _{-a}^{0} - \frac{1}{a} \int_{-a}^{0} e^{ax} dx \right]$	
$+\frac{2}{a^2}\left[\frac{1}{a}\left(e^{ax}\right)\Big _{-a}^{0}\right] = -ae^{-a^2} - \frac{2}{a}e^{-a^2}$	
$= \frac{1}{a^3 e^{a^2}} \Big[2e^{a^2} - 2 - 2a^2 - a^4 \Big].$	3







I[mA]	0	0	4	50	104	170
U[V]	0	0,5	0,6	0,8	0,9	1,0
I[mA]	0	-1,05	-2,1	3,2	-4,2	5,
U[V]	0	-1	-2	-3	4	—5
I[mA]	0	0	4	44	115	175
U[V]	0	0,4	0,6	0,8	0,9	1,0
I[mA]	0	-0,4	-0,76	-1,12	-1,5	-1,9
U[V]	0	-1	-2	-3	_4	— 5
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 $-Q_{41} = vCT_1(1-\varepsilon^{1/2}) + vC_VT_1(\Re-1),$ $-Q_{34} = \nu C_V T_2(\mathcal{H} - 1) + \nu C T_4(1 - \varepsilon^{1/2}),$

$Pitch^{^{1/2}} \stackrel{T_3}{=} ^{lpha},$	$\frac{T_3}{T_4} =$	ε ^{1/2} ,	$\frac{T_4}{T_1}$	$= \Re$
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$-(x+t)I_2)+(xt-yz)I_2=0.$

$$\begin{pmatrix} x & y \\ z & t \end{pmatrix} - \begin{pmatrix} x+t & 0 \\ 0 & x+t \end{pmatrix} = \begin{pmatrix} -t & 1 \\ z & -1 \end{pmatrix}$$

Questions?