The Goal:

Predict how long it takes an epoxy to cure at a given temperature.

The Problem:

Can't test it directly.

The Problem:

In the process of heating the sample to the target temperature,

The cure advances at intermediate temperatures.

The Solution:

"Isoconversional" techniques.

Isoconversional:

The rate that the cure progresses depends only on:

(a) The current temperature and (b) The current degree of cure (0% - 100%)

The Plan:

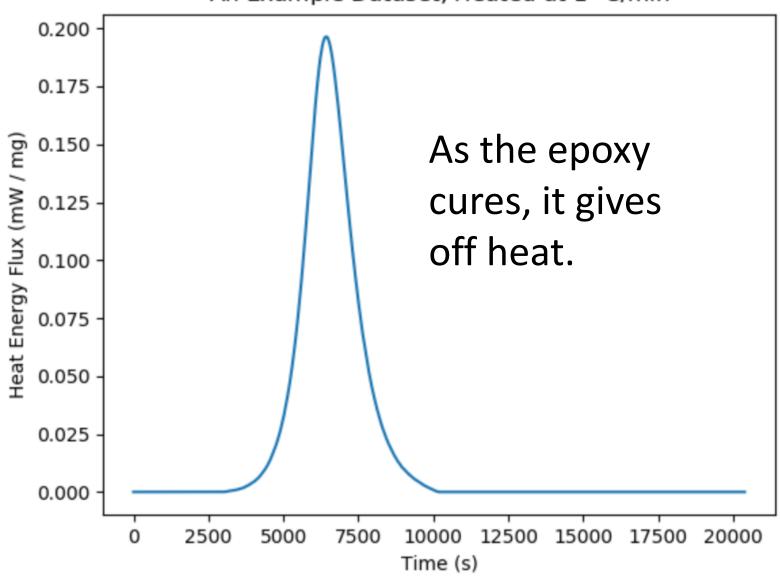
Heat the epoxy at a controlled temperature ramp.

Record the temperature and information about cure.

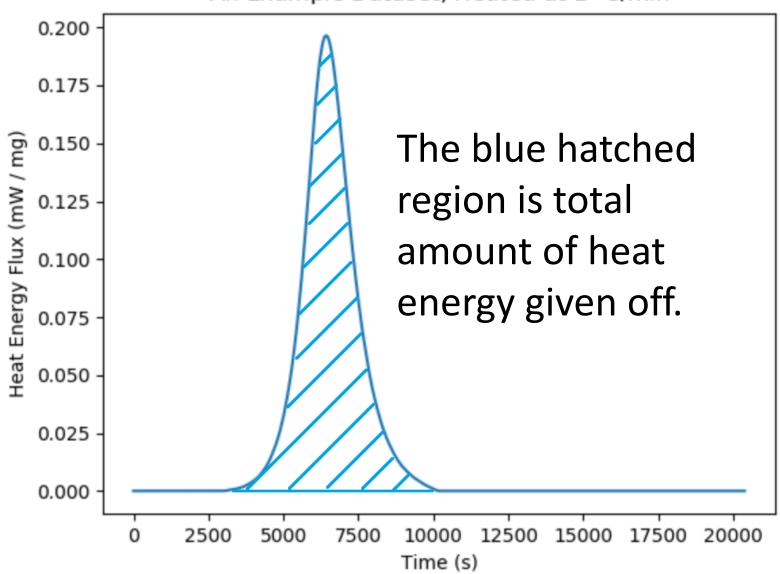
The Data:

The following slides show preprocessing of the data.

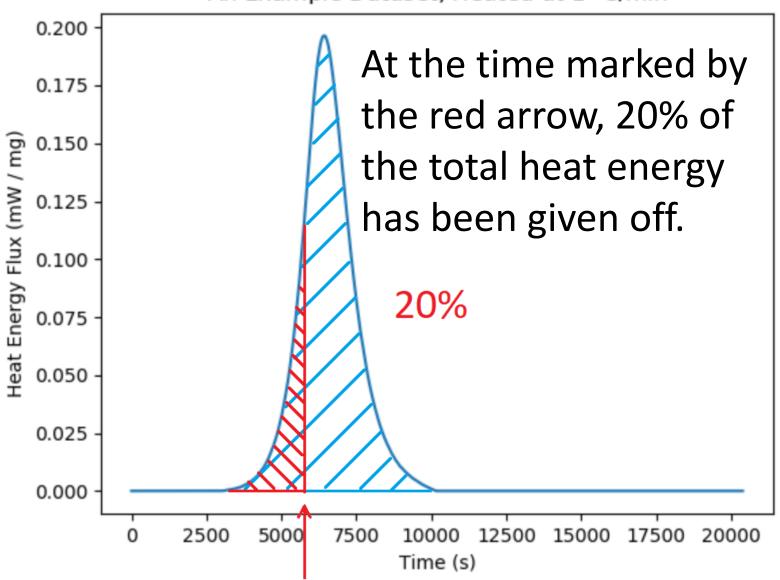
An Example Dataset, Heated at 1 ° C/min

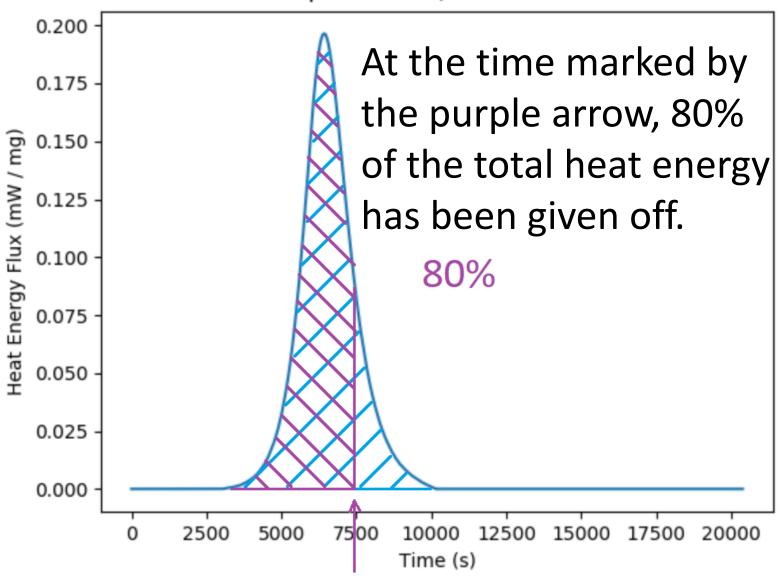


An Example Dataset, Heated at 1 ° C/min

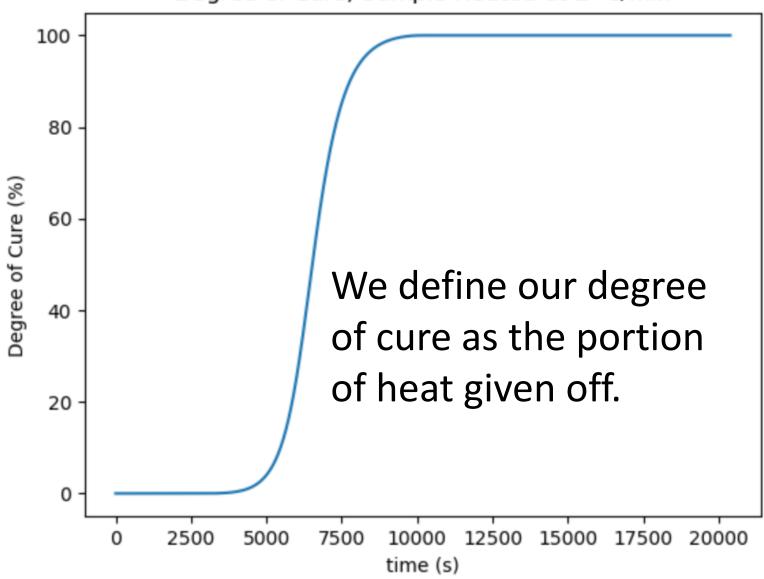


An Example Dataset, Heated at 1 ° C/min

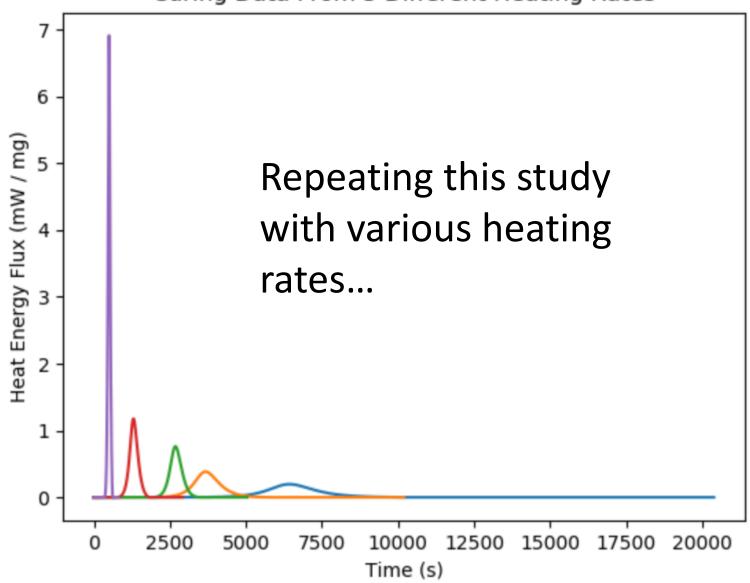




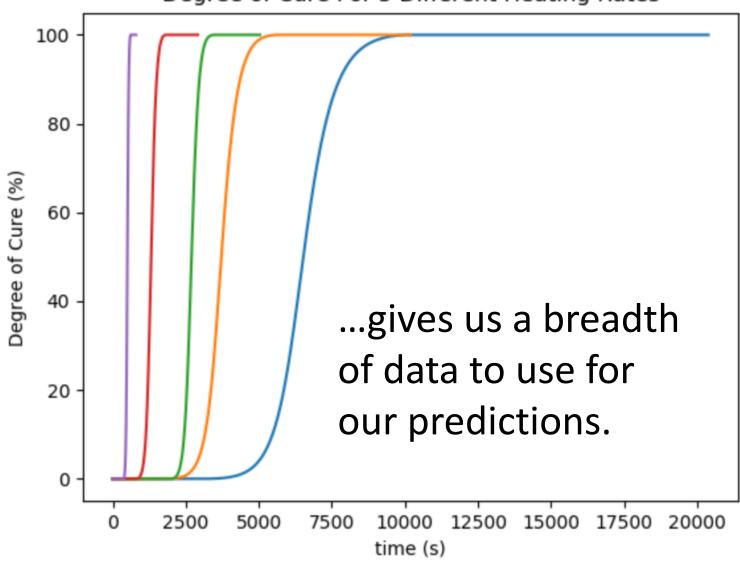
Degree of Cure, Sample Heated at 1°C/min



Curing Data From 5 Different Heating Rates



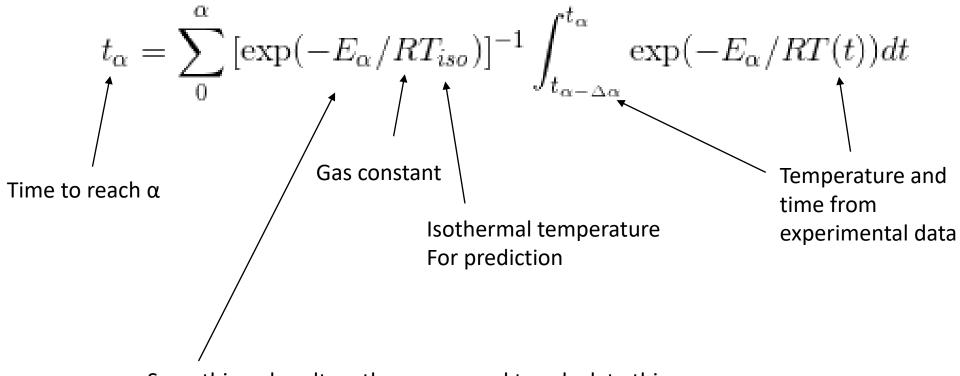
Degree of Cure For 5 Different Heating Rates



At the end of the day, we want the time it takes to reach a degree of cure.

$$t_{\alpha} = \left[\exp(-E_{\alpha}/RT_{iso})\right]^{-1} \sum_{0}^{\alpha} \int_{t_{\alpha-\Delta\alpha}}^{t_{\alpha}} \exp(-E_{\alpha}/RT(t))dt$$

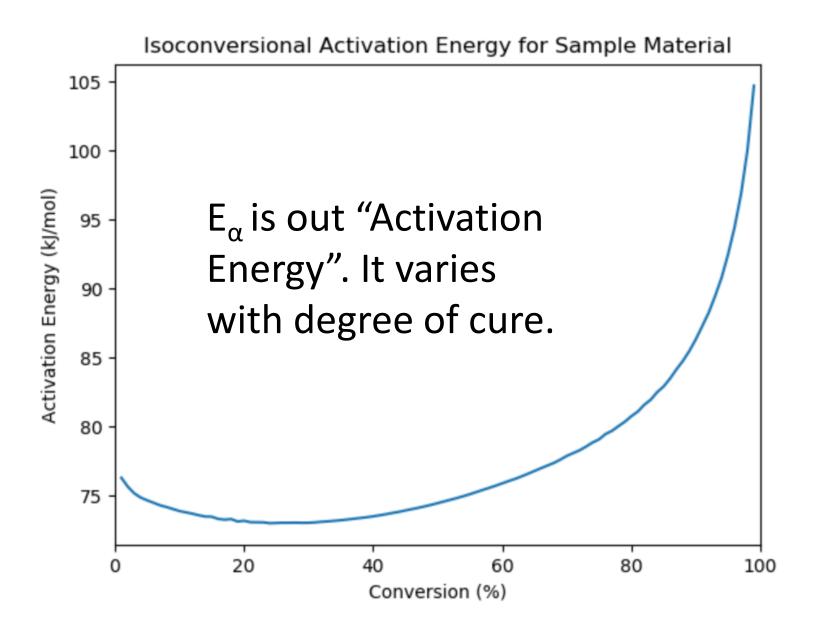
(Please forgive the calculus)



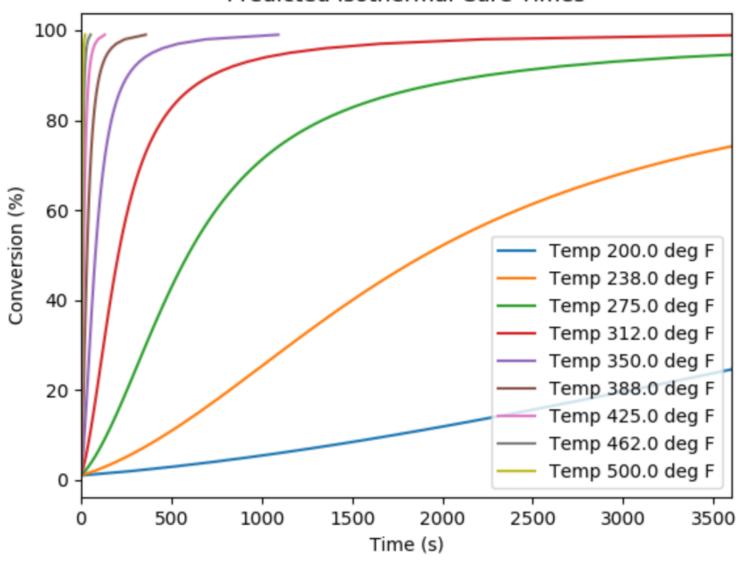
Something else altogether... we need to calculate this.

$$\Phi(E_{\alpha}) = \sum_{i} \sum_{j \neq i} \frac{\int_{t_{\alpha - \Delta \alpha}}^{t_{\alpha}} \exp(-E_{\alpha}/RT_{i}(t_{\alpha}))dt}{\int_{t_{\alpha - \Delta \alpha}}^{t_{\alpha}} \exp(-E_{\alpha}/RT_{j}(t_{\alpha}))dt}$$

We'll calculate E_{α} by minimizing this cost function. (Find the value of E_{α} for which φ has the lowest value.)



Predicted Isothermal Cure Times



Now we can predict cure time for any isothermal temperature!

Validation:

...but is it right?

